ARTIFICIAL INTELLIGENCE AND GOVERNMENTS: THE GOOD, THE BAD, AND THE UGLY

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 - 1. **The Good:** Al is a data-intensive technology. New gov't policies to foster innovation? "Data-intensive innovation and the state: Evidence from Al firms in China" (with Yang and Yuchtman)
 - 2. The Bad: AI is an automation technology. How should gov'ts respond?

"Inefficient automation" (with Zorzi)

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 - 1. **The Good:** Al is a data-intensive technology. New gov't policies to foster innovation? "Data-intensive innovation and the state: Evidence from Al firms in China" (with Yang and Yuchtman)
 - 2. The Bad: AI is an automation technology. How should gov'ts respond? *"Inefficient automation"* (with Zorzi)
 - 3. **The Ugly:** AI is a surveillance technology. Gov't misuse for repression and social control? *"AI-tocracy"* (with Kao, Yang and Yuchtman) *"Exporting the surveillance state via trade in AI"* (with Kao, Yang and Yuchtman)

- Much focus on how data collected by private firms shapes AI innovation (Agrawal et al., 2019; Jones and Tonetti, 2020)
- > Yet, throughout history, **states** have also collected massive quantities of data
- The state has a large role in many areas
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Can access to government data stimulate commercial AI innovation?

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- Government units collect this data through their surveillance apparatus, and contract AI firms
- Firms gaining access to this data use it to train algorithms and provide gov't services
- If gov't data or algorithms are sharable across uses, they can be used to develop commercial AI (e.g., a facial recognition platform for retail stores)





DATA 1: LINKING AI FIRMS TO GOVT. CONTRACTS

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- 3. Link government **buyers** to AI **suppliers**
 - 10,677 AI contracts issued by public security arms of government (e.g., local police department)



Registered with Min. of Industry and Information Technology

Categorize by intended customers (with RNN model using tensorflow):

- 1. **Commercial:** e.g., visual recognition system for smart retail;
- 2. Government: e.g., smart city real time monitoring system on main traffic routes;
- 3. General: e.g., a synchronization method for multi-view cameras based on FPGA chips.

Within AI public security contracts: variation in the data collection capacity of the public security agency's local surveillance network

- 1. Identify non-AI contracts: police department purchases of street cameras
- 2. Measure quantity of advanced cameras in a prefecture at a given time
- 3. Categorize public security contracts as coming from "high" or "low" camera capacity prefectures

Regional variation in contracts



Empirical strategy

 Triple diff: software releases before and after firm receives 1st data-rich contract (relative to data-scarce)

$$y_{it} = \sum_{T} \beta_{1T} T_{it} Data_{i} + \sum_{T} \beta_{2T} T_{it} + \alpha_{t} + \gamma_{i} + \sum_{T} \beta_{3T} T_{it} X_{i} + \epsilon_{it}$$

- T_{it} : 1 if T semi-years before/since firm i's 1st contract
- Data_i: 1 if firm *i* receives "data rich" contract
- X_i pre-contract controls: age, size, and software prod



Regional variation in contracts

Cumulative commercial software releases



Magnitude: 2 new products over 3 years

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- ► Two literatures can justify taxing automation

Tax automation

Guerreiro et al 2017; Costinot-Werning 2018

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- (ii) Automation/reallocation are efficient

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Tax capital (long-run)

Aiyagari 1995; Conesa et al. 2002

- (i) Improve efficiency in economies with IM
- (ii) Worker displacement/reallocation absent

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- ▶ Two literatures can justify taxing automation. Reallocation is frictionless or absent
- Recognize that displaced workers face two important frictions:
 - (i) Slow reallocation: workers face mobility barriers and may go through unempl./retraining
 - (ii) Imperfect credit markets: workers have limited ability to borrow against future incomes

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Could firms automate excessively? How should the gov't respond?

Environment

Optimal Policy

Quantitative Analysis

Continuous time $t \ge 0$

Occupations

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h = A (degree $\alpha \ge 0$) or h = N

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Final good producer

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Profit maximization

$$\max_{\alpha \ge 0} \int_{0}^{+\infty} Q_t \Pi_t(\alpha) \, dt$$

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$$\max_{\alpha\geq0}\int_{0}^{+\infty}Q_{t}\Pi_{t}\left(\alpha\right)dt$$

$$\Pi_{t}\left(\alpha\right) \equiv \max_{\mu^{A},\mu^{N}\geq0} G^{\star}\left(\mu^{A},\mu^{N};\alpha\right) - \mu^{A} W_{t}^{A} - \mu^{N} W_{t}^{N}$$

Preferences

$$U_0 = \int \exp\left(-\rho t\right) \frac{c_t^{1-\sigma}}{1-\sigma} dt$$
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$$da_t^h = \left[\mathcal{Y}_t^{h,\star} + r_t a_t^h - c_t^h\right] dt$$

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Mobility opportunities arrive at rate λ

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Borrowing constraint

 $a_{t}\left(\mathbf{x}\right) \geq \underline{a}$ for some $\underline{a} \leq 0$





Workers expect income to improve as they reallocate \rightarrow Motive for **borrowing**



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Two benchmarks: instant realloc. (Costinot-Werning) or no borrowing frictions (Guerreiro et al)



Evidence: Earnings partially recover (Jacobson et al) + Imperfect cons. smoothing (Landais-Spinnewijn)

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Optimal Policy

Quantitative Analysis

CONSTRAINED RAMSEY PROBLEM

How should a government respond to automation?

► Depends on the **tools** available

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- First best tools: lump sum transfers (directed, UBI)

Info requirements? Fiscal cost? (Guerreiro et al., 2017; Costinot-Werning, 2018, Guner et al., 2021)

- ► Depends on the **tools** available
- Second best tools: tax automation (ex ante) + labor market interventions (ex post)

E.g., South Korea's reduction in automation tax credit in manuf; Geneva's tax on automated cashiers.

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- ▶ Primal problem: The government maximizes the social welfare function

$$\mathcal{U} \equiv \sum_{h} \eta^{h} \int_{0}^{+\infty} \exp\left(-\rho t\right) u\left(c_{t}^{h}\right) dt$$

by choosing $\{\alpha, T, \mu_t^A, \mu_t^N, c_t^A, c_t^N\}$ subject to workers choosing consumption optimally, the law of motion of labor, firms choosing labor optimally, and market clearing.

• Consider a perturbation $\delta \alpha$ starting from the laissez-faire. Welfare change

$$\frac{\delta \mathcal{U}}{\delta \alpha} = \eta^{N} u'\left(c_{0}^{N}\right) \times \int_{0}^{+\infty} \underbrace{\exp\left(-\rho t\right) \frac{u'\left(c_{t}^{N}\right)}{u'\left(c_{0}^{N}\right)}}_{=\exp\left(-\int_{0}^{t} r_{s} ds\right)} \times \left(\Delta_{t}^{\star} + \Sigma_{t}^{N,\star}\right) dt}_{+ \eta^{A} u'\left(c_{0}^{A}\right) \times \int_{0}^{+\infty} \underbrace{\exp\left(-\rho t\right) \frac{u'\left(c_{t}^{A}\right)}{u'\left(c_{0}^{A}\right)}}_{\text{How automated workers value flows}} \times \left(\Delta_{t}^{\star} + \Sigma_{t}^{A,\star}\right) dt$$

where Δ_t^{\star} is aggregate term and $\Sigma_t^{A,\star} + \Sigma_t^{N,\star} = 0$ are distributional terms.

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now automated workers value nows

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▶ Still rationale for redistribution since $u'(c_t^N) < u'(c_t^A)$, e.g., utilitarian weights

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► Borrowing constraints $\rightarrow \frac{u'(c_t^N)}{u'(c_t^N)} > \frac{u'(c_t^N)}{u'(c_t^N)} \rightarrow$ Inefficiency

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There is a **conflict** between how the firm and displaced workers value the **effects of automation over time**. This creates room for **Pareto improvements**.

Proposition. (Constrained inefficiency)

Generically, there exists $\{\delta\alpha, \delta T\}$ such that $\delta U^A > 0$ and $\delta U^N = 0$. This requires $\delta \alpha < 0$.

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(non-automated / firm)

$$\delta \alpha \times \int_{0}^{+\infty} \exp\left(-\rho t\right) \frac{u'(c_{t}^{\mathsf{A}})}{u'(c_{0}^{\mathsf{A}})} \left(\Delta_{t}^{\star} + \Sigma_{t}^{\star,\mathsf{A}}\right) dt \qquad \delta \alpha \times \int_{0}^{+\infty} \exp\left(-\rho t\right) \frac{u'(c_{t}^{\mathsf{N}})}{u'(c_{0}^{\mathsf{N}})} \left(\Delta_{t}^{\star} + \Sigma_{t}^{\star,\mathsf{N}}\right) dt$$

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1. The output gains from automation Δ_t^{\star} build up over time

2. Automated workers are more impatient than the firm - priced by unconst. workers

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$$\delta\alpha \times \int_{0}^{+\infty} \exp\left(-\rho t\right) \frac{u'(c_t^{A})}{u'(c_0^{A})} \left(\Delta_t^{\star} + \Sigma_t^{\star,A}\right) dt > 0 \qquad \delta\alpha \times \int_{0}^{+\infty} \exp\left(-\rho t\right) \frac{u'(c_t^{N})}{u'(c_0^{N})} \left(\Delta_t^{\star} + \Sigma_t^{\star,N}\right) dt = 0$$

1. The output gains from automation Δ_t^{\star} build up over time

2. Automated workers are more impatient than the firm — priced by unconst. workers

3. Set $\delta \alpha < 0$, and $\delta T < 0$ to compensate non-auto. workers (akin to future transfer)

Proposition. (Constrained inefficiency)

Generically, there exists $\{\delta\alpha, \delta T\}$ such that $\delta U^A > 0$ and $\delta U^N = 0$. This requires $\delta \alpha < 0$.

(automated) (non-automated / firm)

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Taxing automation increases **aggregate consumption** and **redistributes** early on during the transition, precisely when **displaced workers** value it more.

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$$\frac{\delta \mathcal{U}}{\delta \alpha} = \sum_{h} \eta^{h, \text{effic}} u'(c_0^h) \times \int_0^{+\infty} \exp\left(-\rho t\right) \frac{u'(c_t^h)}{u'(c_0^h)} \times \left(\Delta_t^\star + \Sigma^{h, \star}\right) dt = 0$$

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Proposition. (Taxing automation on efficiency grounds)

A government using efficiency weights $\{\eta^{h, effic}\}$ finds it optimal to tax automation.

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A government using efficiency weights $\{\eta^{h, effic}\}$ finds it optimal to tax automation.

▶ Pref. for equity: Government taxes even more with utilitarian weights
Environment

Optimal Policy

Quantitative Analysis

QUANTITATIVE MODEL

Adds: gradual autom. + idiosync. risk (Huggett-Aiyagari) + gross flows (McFadden)

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Evidence from China?

AI-TOCRACY



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Unrest \longrightarrow Gov't buys AI and cameras



EXPORTING THE SURVEILLANCE STATE VIA TRADE IN AI





Democracies: Polity Score 7 or greater, Autocracies and weak democracies: Polity Score below 7

EXPORTING THE SURVEILLANCE STATE VIA TRADE IN AI

Orem And Reports

Exports of Al: China v. US

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Autocracies and weak democracies are more likely to import AI from China



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► Touches on issues across fields: macro (growth, innovation, labor), pol. econ, IO

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- ► Touches on issues across fields: macro (growth, innovation, labor), pol. econ, IO
- Social scientists have a responsibility to study the benefits, risks, and policy implications of AI
 - Otherwise, we leave the task to computer scientists, tech firms, pundits, politicians...
- We have only started to scratch the surface. More questions as AI is widely adopted.

Much work ahead!