

Monetary policy in the open economy

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So far, we focused on closed economy models of fiscal and monetary policy.

Today: Monetary policy in an *open* economy. What changes?

- Exports & imports are new **source** and **destination** for demand
- Extent is controlled by **exchange rate** → new transmission mechanisms

Slides based on **Galí and Monacelli (2005)** and **Auclert et al. (2021)** but hopefully useful to organize this literature more broadly.

Other interesting recent work in this area: **de Ferra et al. (2020)**, **Cugat (2019)**, **Giagheddu (2020)**, **Zhou (2022)**, **Kekre and Lenel (2020)**, **Guo et al. (2021)**

Proceed in three steps

1. Introduce model that nests both HA & RA setting
 - RA model will correspond almost literally to seminal Galí and Monacelli (2005) model
2. Study effect of **exchange rate shocks** (due to capital flows)
 - first RA, then HA
 - will see that RA = HA for some value of trade elasticity χ
 - but likely that short run χ smaller, leading to RA \neq HA
3. Study effect of **monetary policy**
 - this is what Galí and Monacelli (2005) focus on
 - will see that again RA = HA for some (other) value of trade elasticity χ

- 1 HANK meets Gali-Monacelli
- 2 Capital flows and exchange rates
- 3 Monetary policy and exchange rates
- 4 Conclusion

HANK meets Gali-Monacelli

Model overview

- Discrete time, small open economy (SOE) model
 - No aggregate uncertainty + small shocks (first order perturb. wrt aggregates)
- Two goods
 - “Home”: H , produced at home. Price P_{Ht} at home, P_{Ht}^* abroad
 - “Foreign”: F , produced abroad. Price P_{Ft} at home, $P_{Ft}^* \equiv 1$ abroad
 - Consumed in bundles. Price P_t of bundle at home, $P_t^* \equiv 1$ abroad
 - Nominal rigidities in wages
- Two classes of agents
 - large mass of foreign households
 - mass 1 of domestic households, **possibly subject to idiosyncratic income risk**

Households' consumption behavior

- Foreign households have fixed real C^* . Domestic **HA: intertemporal problem**

$$\max_{\{c_{it}\}} \mathbb{E}_0 \sum_{t=0}^{\infty} \beta_i^t \left\{ \frac{c_{it}^{1-\sigma}}{1-\sigma} - v(N_t) \right\}$$

$$c_{it} + a_{it} = (1 + r_t) a_{it-1} + e_{it} Z_t \quad a_{it+1} \geq 0 \quad C_t \equiv \int c_{it} di$$

- a_{it} = position in domestic mutual fund
- with **RA**: complete markets across hh & countries $\Rightarrow C_t^{-\sigma} = \beta (1 + r_{t+1}) C_{t+1}^{-\sigma}$
- Both domestic & foreign have CES bundle, solve **intratemporal problem**

$$C_{Ht} = (1 - \alpha) \left(\frac{P_{Ht}}{P_t} \right)^{-\eta} C_t \quad C_{Ht}^* = \alpha \left(\frac{P_{Ht}^*}{P^*} \right)^{-\gamma} C^*$$

- Domestic production and market clearing: $Y_t = N_t = C_{Ht} + C_{Ht}^*$

Prices and nominal rigidities

- Exchange rates: nominal \mathcal{E}_t , real $Q_t \equiv \mathcal{E}_t/P_t$, \uparrow is depreciation

- Standard nominal wage rigidity

[Erceg et al. 2000, Auclert et al. 2018]

$$\pi_{wt} = \kappa_w \left(v'(N_t) - \frac{\epsilon - 1}{\epsilon} \frac{W_t}{P_t} u'(C_t) \right) + \beta \pi_{wt+1}$$

- For now, flexible prices everywhere else: at home ...

$$P_{Ft} = \mathcal{E}_t \quad P_{Ht} = \mu \cdot W_t$$

- ... and abroad (as in producer currency pricing, PCP)

$$P_{Ht}^* = \frac{P_{Ht}}{\mathcal{E}_t}$$

- Consider dollar currency pricing (DCP) in Auclert et al. (2021)

Monetary policy and assets

- Three types of assets
 - zero net supply: nominal home & foreign bonds
 - positive supply: shares in H firms $v_t = (v_{t+1} + \text{div}_{t+1}) / (1 + r_t^{\text{ante}})$
 - asset market clearing $A_t = v_t + NFA_t$
- Domestic central bank sets nominal rate i_t on nominal home bonds
 - for now, it targets CPI-based real interest rate, $i_t = r_t^{\text{ante}} + \pi_{t+1}$
- Interest rate on foreign bonds is i_t^* , shocks to $i_t^* \equiv$ shocks to β abroad
- Mutual fund & foreigners invest freely in all assets
 - equalized \mathbb{E} returns \Rightarrow return on mutual fund is $r_{t+1} = r_t^{\text{ante}} \forall t \geq 0$
 - UIP holds

$$1 + i_t = (1 + i_t^*) \frac{\mathcal{E}_{t+1}}{\mathcal{E}_t} \quad 1 + r_t^{\text{ante}} = (1 + i_t^*) \frac{Q_{t+1}}{Q_t}$$

Benchmark model calibration

- Calibrate $\alpha = 0.40$ and balanced trade as in Gali-Monacelli
- Initial mutual fund portfolio invested 100% in domestic stocks
- **Allow for general substitution elasticities η, γ for now**
- Quarterly persistence of i_t^* and m.p. shocks ϵ_t of $\rho = 0.85$
- Standard calibration for HA part
 - EIS $\sigma^{-1} = 1$
 - target Peruvian data on MPCs and income risk [Hong 2020]
 - β heterogeneity to get reasonable average MPC & distribution
- Note: **HA model already stationary**, no need for debt-elastic interest rate [Schmitt-Grohé and Uribe 2003]

Capital flows and exchange rates

Setup

- Consider a temporary shock $i_t^* \uparrow$

→ Effect on path of real exchange rate: (long-run PPP)

$$dQ_t = \frac{1}{1+r} \sum_{s \geq 0} di_{t+s}^*$$

so $Q_t \uparrow$, $\frac{P_{Ht}}{P_t} \downarrow$, and $\frac{P_{Ht}}{\mathcal{E}_t} \downarrow$ (real depreciation)

→ Effect on demand for home goods:

$$Y_t = (1 - \alpha) \left(\frac{P_{Ht}}{P_t} \right)^{-\eta} C_t + \alpha \left(\frac{P_{Ht}}{\mathcal{E}_t} \right)^{-\gamma} C^*$$

- Next: **RA**, then **HA**

Textbook RA complete markets model

- In **RA** : complete markets + r constant $\Rightarrow C_t = C$ (Why?)

$$Y_t = (1 - \alpha) \left(\frac{P_{Ht}}{P_t} \right)^{-\eta} C + \alpha \left(\frac{P_{Ht}}{\mathcal{E}_t} \right)^{-\gamma} C^*$$

- Linearize around SS with $Y = C = C^* = 1$:

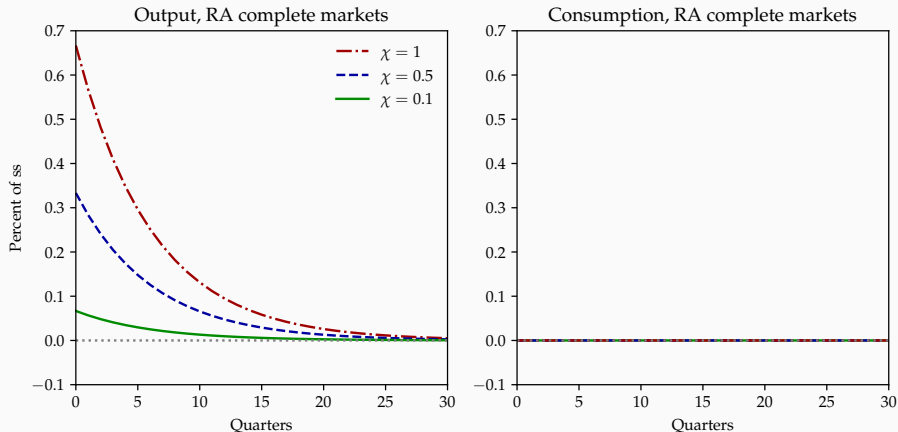
$$dY_t = \frac{\alpha}{1 - \alpha} \left(\underbrace{\eta(1 - \alpha)}_{H \text{ exp. switching}} + \underbrace{\gamma}_{F \text{ exp. switching}} \right) dQ_t$$

- Define **trade elasticity** $\chi \equiv \eta(1 - \alpha) + \gamma$, use bold for time paths:

$$d\mathbf{Y} = \frac{\alpha}{1 - \alpha} \chi d\mathbf{Q}$$

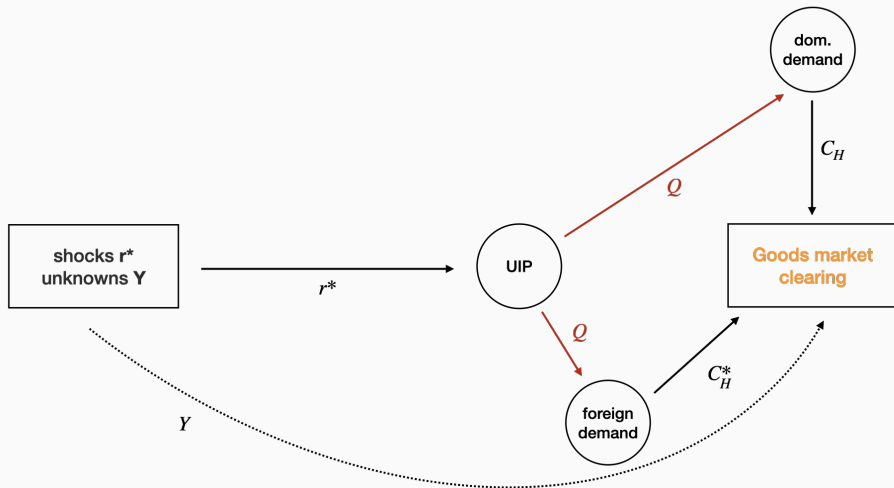
[sum of elasticities of imports and exports to P_F/P_H , cf Marshall-Lerner condition]

Representative agent: Exchange rate shock



(i_t^* shock of quarterly persistence $\rho = 0.85$ and impact effect of 1% on Q .)

Visualization (DAG)



What changes with heterogeneous agents?

- In **HA**, C_t is affected by Z_t and r_t (through dividends):

$$Z_t = \frac{W_t}{P_t} N_t = \frac{1}{\mu} \frac{P_{Ht}}{P_t} Y_t \quad \text{div}_t = \left(1 - \frac{1}{\mu}\right) \frac{P_{Ht}}{P_t} Y_t$$

- As usual, we can write

$$C_t = \mathcal{C}_t(\{Z_t, r_t\})$$

- But since r_t is entirely determined by $\text{div}_t = \left(1 - \frac{1}{\mu}\right) \frac{P_{Ht}}{P_t} Y_t$ here, we'll write

$$C_t = \tilde{\mathcal{C}}_t\left(\left\{\frac{P_{Hs}}{P_s} Y_s\right\}\right)$$

- Two effects of the exchange rate
 - relative price $\frac{P_{Ht}}{P_t}$ falls \rightarrow **real income channel**
 - production Y_t changes \rightarrow (Keynesian) **multiplier channel**

International Keynesian cross

- To linearize, we define here $M_{t,s} \equiv \frac{\partial \tilde{C}_t}{\partial Y_s}$ (Jacobian), stacked as \mathbf{M}

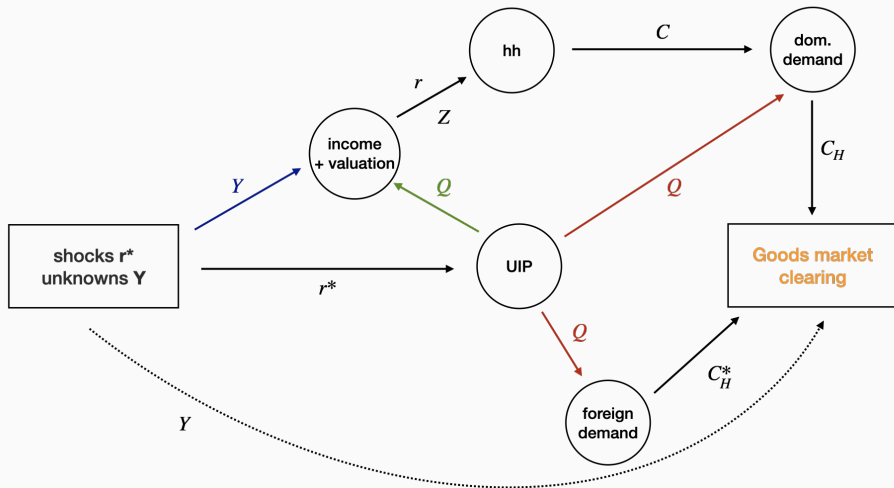
Theorem

$d\mathbf{Y}$ solves an “international Keynesian cross” type equation

$$d\mathbf{Y} = \underbrace{\frac{\alpha}{1-\alpha} \chi d\mathbf{Q}}_{\text{Expenditure switching}} - \underbrace{\alpha \mathbf{M} d\mathbf{Q}}_{\text{Real income}} + \underbrace{(1-\alpha) \mathbf{M} d\mathbf{Y}}_{\text{Multiplier}}$$

- Use this to solve the model & decompose sources of effects on $d\mathbf{Y}$
- Entire role of heterogeneity encoded in \mathbf{M} matrix, RA corresponds to $\mathbf{M} = \mathbf{0}$

Visualization (DAG)



General equilibrium neutrality result for $\chi = 1$

Theorem

$$\chi = 1 \quad \Rightarrow \quad d\mathbf{Y}^{HA} = d\mathbf{Y}^{RA} = \frac{\alpha}{1-\alpha} d\mathbf{Q}$$

Heterogeneity is **irrelevant** for output effect of exchange rate

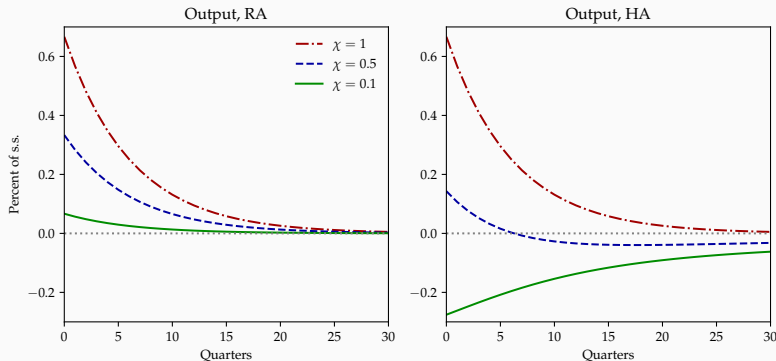
- How to prove? Just plug guess into “international Keynesian cross”:

$$\frac{\alpha}{1-\alpha} d\mathbf{Q} = \frac{\alpha}{1-\alpha} d\mathbf{Q} - \alpha \mathbf{M} d\mathbf{Q} + (1-\alpha) \mathbf{M} \frac{\alpha}{1-\alpha} d\mathbf{Q}$$

- **Multiplier channel** undoes **real income channel**
- Intuition: Marshall-Lerner condition, net exports unchanged if $\chi = 1$
- More generally, for $d\mathbf{Q} \geq 0$, can show $d\mathbf{Y}^{HA} < d\mathbf{Y}^{RA}$ if and only if $\chi < 1$.

Contractionary devaluations in output for low χ

- When χ is small, the fall in consumption overwhelms expenditure switching:



- Open economy **HA** model can generate **contractionary depreciations!**
- When is this likely? If substitution away from imports is hard ... energy?

Monetary policy and exchange rates

- Monetary policy moves exchange rates, too
- How does monetary transmission change with HA?
- We study this by considering shocks to r_t^{ante} directly (Taylor rule very similar)

Monetary policy shocks

- Stack dr_t^{ante} , dQ_t again, into dr^{ante} , dQ . Generalized version of result above:

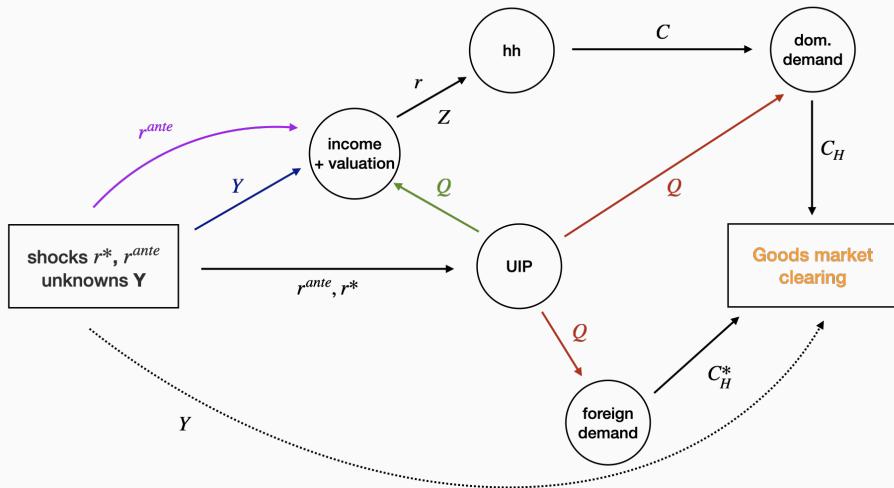
Theorem

dY still solves an international Keynesian cross

$$dY = \underbrace{(1 - \alpha) M^r dr^{ante}}_{\text{Interest rate channel}} + \underbrace{\frac{\alpha}{1 - \alpha} \chi dQ}_{\text{Expenditure switching}} - \underbrace{\alpha M dQ}_{\text{Real income}} + \underbrace{(1 - \alpha) M dY}_{\text{Multiplier}}$$

- Previous channels reappear b/c dr^{ante} moves real exchange rate dQ
- New **interest rate channel**, capturing direct effect of dr_t^{ante} on C_{Ht}
 - mainly intertemporal substitution

Visualization of the four channels (DAG)



Neutral case is now higher: $\chi = 2 - \alpha$

- Well understood from closed economy that r channel weaker in HA
[Werning 2015, McKay et al. 2016, Kaplan et al. 2018]
- Natural to suspect that $HA < RA$ for $\chi = 1$, previous neutrality result breaks...
... but there is still neutrality with a higher threshold $\chi = 2 - \alpha$:

Theorem

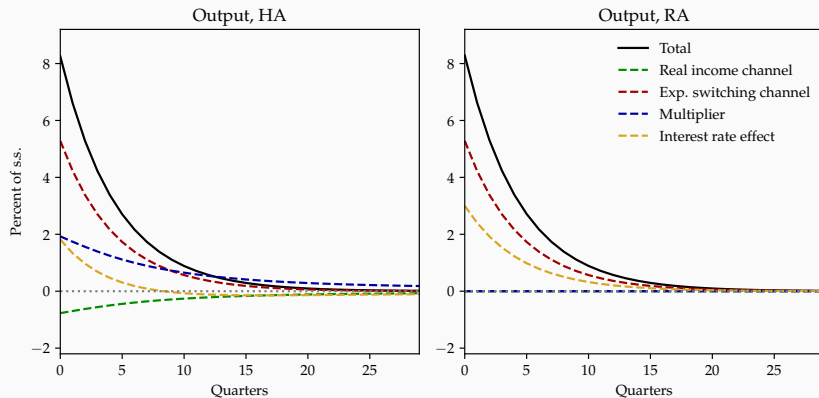
Let $\sigma = 1$ and $\{dr_t^{ante}\}$ be any small monetary policy shock:

- $\chi = 2 - \alpha \Rightarrow$ all aggregate quantities and prices are identical in HA and RA
- $\chi < 2 - \alpha \Rightarrow$ accommodative shocks are weaker in HA, $dY^{HA} < dY^{RA}$

Intuition: $\chi = 2 - \alpha$ incl. Cole-Obstfeld case $\sigma = \gamma = \eta = 1$, where NFA = 0

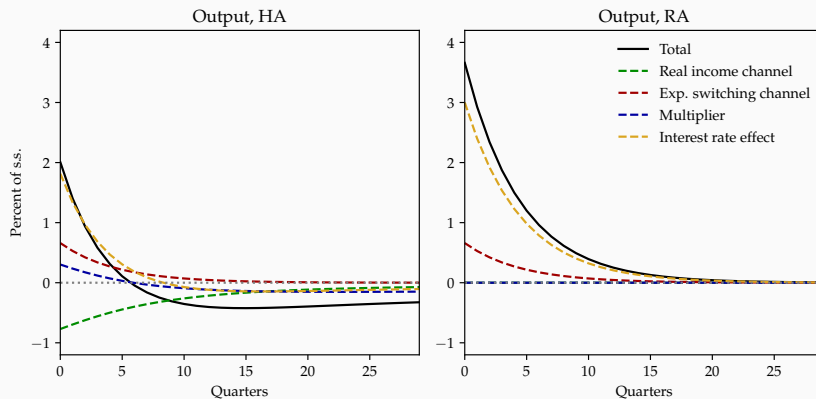
Then apply closed economy neutrality result in Werning (2015)

Monetary policy channels for $\chi = 2 - \alpha$



- Real income channel + weaker r channel undone by multiplier effect
- What if χ smaller?

Monetary policy channels with smaller χ

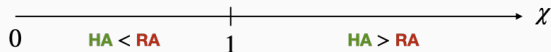


- With smaller χ , real income and interest rate effect pull down dY over time!
- **Monetary easing “steals” demand from the future.**

Conclusion

Summary

Exchange rate shocks (r^* shocks, UIP shocks):



Monetary policy shocks:



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