

The Tariff Tax Cut: Tariffs as Revenue

George Alessandria ¹ Jiaxiaomei Ding ² Shafaat Yar Khan ³ Carter Mix ⁴

¹University of Rochester and NBER

²University of Rochester

³Syracuse University

⁴Federal Reserve Board

October 2025

Introduction

- ▶ Tariffs on the rise. Idea floated to use revenue to fund tax cuts.
- ▶ Theory of the 2nd best: what is the optimal tariff in a distorted world?
- ▶ Here: Quantify dynamic effects of tariff policy when revenue finances tax cuts.
 - Estimate how "constrained" optimal tariff determined by revenue use

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- ▶ Here: Quantify dynamic effects of tariff policy when revenue finances tax cuts.
 - Estimate how "constrained" optimal tariff determined by revenue use
- ▶ Combine two literatures:
 1. Fiscal - labor/capital taxes, endogenous labor, capital accumulation
 2. Dynamic trade - tariffs, firm/exporter dynamics, input-output, trade composition
 - Rich production structure & dynamic margin of adjustments (factories, capital, ..)
 - Short- vs. long-run trade elasticity – how does revenue change over time?

Key Takeaways

- ▶ In distorted economy, optimal tariff depends on revenue use.
 - ▶ Zero (or even negative) tariffs optimal if rebated lump sum (even if unilateral)
 - ▶ Zero tariffs sub-optimal if used for fiscal reform (even cooperatively).

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- ▶ Lump sum-rebated optimal tariff very sensitive to distortions/model.
 - ▶ With tax offset, optimal tariff is stable.
- ▶ Dynamic Laffer curve.
 - ▶ Revenue-maximizing tariff from 91% in 1st quarter to 37% in SS.

Roadmap

1. Related Literature
2. Optimal tariffs (unilateral and cooperative)
3. Fiscal implications - Laffer curves
4. Policies
 - In paper: Welfare and SS - current policy
 - In paper: Transitions (Anticipation)

Related Literature

1. Gains from trade in dynamic economies

- ▶ i.e. economies with micro-founded “adjustment frictions in trade”
- ▶ Alessandria/Choi (07,14ab), Ruhl(08), AC/Ruhl (20,21), Mix (23), Hoang/Mix (25)
- ▶ Alessandria & Mix (21) - aggregate effects of GATT rounds.

2. Optimal trade policy

- ▶ Bickerdike (1906), Kaldor (40), Johnson (54), Dixit (85), Caliendo/Parro (21) survey

3. Theory of the second best

- ▶ Lipsey/Lancaster (56), Bhagwati/Ramaswami (63), Boadway et al. (73), Lashkaripor (21), Carrol/Hur (23), Bianchi/Coulibaly (25), Ignatenko et al. (25)

4. Tax reform

- ▶ Laffer (74), McGrattan (94), Prescott (04), Mendoza/Tesar (98), House/Shapiro (06), Trabandt/Uhlig (11)

Model

- ▶ Two countries (broadest tariffs)
- ▶ Gov't: distortionary taxes (τ^K, τ^L, τ), transfers (T), no spending ($G = 0$) or bonds.
- ▶ Households: rep agent & endogenous labor/saving
- ▶ Competitive agg's: capital (K), materials (M), & cons. (C) + iceberg by end-use, $\xi_G > 1$.

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- ▶ Competitive agg's: capital (K), materials (M), & cons. (C) + iceberg by end-use, $\xi_G > 1$.
- ▶ Differentiated intermediate goods producers
 - ▶ Owned locally
 - ▶ Produce with capital, labor, materials: $z_i (k_{ij}^\alpha l_{ij}^{1-\alpha})^{1-\alpha_m} m_{ij}^{\alpha_m}$
 - ▶ Het. firms with dynamic exporting decision + new exporter dynamics
 - ▶ Free entry (hire workers)
 - ▶ Exogenous firm survival (n_s)
 - ▶ Stock of firms & types of exporters are state variables & source of profits.

Households

$$V_i^H(K_i, B_i, S) = \max_{C_i, L_i, X_i, B_i'} \frac{[C_i^\mu (\bar{L}_i - L_i)^{1-\mu}]^{1-\sigma} - 1}{1-\sigma} + \beta V_i^H(K_i', B_i', S')$$

$$\begin{aligned} \text{s.t.} \quad P_{Ci}C_i + P_{Xi}X_i + \frac{P_{C1}B_i'}{RB} &\leq (1 - \tau_i^L)W_iL_i + (1 - \tau_i^K)(R_iK_i + \Pi_i) \\ &\quad + \tau_i^K \delta P_{Xi}K_i + P_{C1}B_i - P_{C1} \frac{\phi}{2} \left(\frac{B_i}{Y_i^N} - \frac{\bar{B}_i}{\bar{Y}_i^N} \right)^2 + T_i \end{aligned}$$

$$K_i' = (1 - \delta)K_i + X_i \left[1 - \frac{\psi}{2} \left(\frac{X_i}{X_{i,-1}} - 1 \right)^2 \right]$$

Note: Treating corporate taxes same as capital income.

Also no taxes on international bonds.

Final Goods Producers

Each type of final good $G \in \{C, X, M\}$ is produced by a continuum of competitive firms.

$$G_i = \left[\sum_{j \in \mathcal{I}} \left[\int_{f \in \Omega_{ji}} G_{ji}(f)^{\frac{\theta-1}{\theta}} \right]^{\frac{\theta}{\theta-1} \frac{\gamma-1}{\gamma}} \right]^{\frac{\gamma}{\gamma-1}}$$

Ω_{ji} - set of firms in region j that export to region i ,

θ - elas. of subs. across varieties of a common source region

$\gamma < \theta$ - elas. of subs. across varieties from different source regions.

$$\pi_{Gi} = \max P_{Gi} G_i - \sum_{j \in \mathcal{I}} (1 + \tau_{ji}) \int_{f \in \Omega_{ji}} P_{Gji}(f) G_{ji}(f) df$$

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$$P_{Gi} = \left[\sum_{j \in \mathcal{I}} ((1 + \tau_{ji}) P_{Gji})^{1-\gamma} \right]^{\frac{1}{1-\gamma}} \quad \text{where} \quad P_{Gji}^{1-\theta} = \int_{f \in \Omega_{ji}} P_{Gji}(f)^{1-\theta} df.$$

Intermediate Goods producers (new exporter dynamics)

Two key features of firm level export dynamics:

1. Exporting is very persistent (Baldwin/Krugman/Dixit/Roberts/Tybout)
 - Relatively high upfront entry costs (sunk costs)
 - Exporter's fixed export cost drawn from lower cost distribution than non exporters
2. New exporters take time to get exports to "scale" (Ruhl/Willis/Alessandria/Choi)
 - Distribution technology requires repeated investments
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 - Distribution technology requires repeated investments
 - Shipping cost starts high and falls stochastically over time
- ▶ Trade elasticity dynamics depend on the shock (persistence, anticipation).
 - ▶ Investments in firm creation and exporting react in different ways to tariffs.

Fiscal Policy

- Tariff revenue:

$$TR_i = \sum_{G \in \{C, X, M\}} \sum_{j \neq i} \tau_{ji} \int_{f \in \Omega_{ji}} P_{Gji}(f) G_{ji}(f) df$$

- Government balances budget:

$$T_i = \tau_i^L W_i L_i + \tau_i^K (R_i K_i - \delta P_{li} K_i + \Pi_i) + TR_i$$

- Focus on how tariff revenue can be used to offset other taxes

Tariff Tax Cut

Four uses of tariff revenue:

1. Lump sum rebate

2. Labor subsidy:

$$s_t^L = \frac{TR_t}{(1 - \tau^L)W_tL_t}$$

3. Capital subsidy:

$$s_t^K = \frac{TR_t}{(1 - \tau^K)(R_tK_t - \delta P_{It}K_t + \Pi_t)}$$

4. Investment subsidy:

$$s_t^I = \frac{TR_t}{P_{It}I_t}$$

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Assume ROW follows same fiscal adjustment if it retaliates.

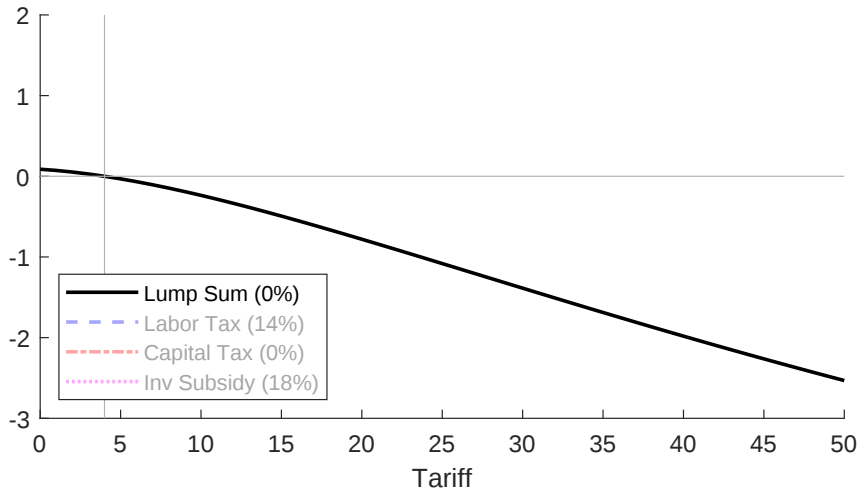
Similar results with constant subsidy = to PV of tariff revenue

Calibration

- ▶ Focus on two symmetric economies (US & ROW) in steady state
- ▶ Quarterly model
- ▶ Target US trade (level & **composition**) and taxes (22-24): $\tau_K = 0.15$, $\tau_L = 0.27$
 - ▶ Abstract from SS imbalances and asymmetries
- ▶ Trade elasticity **dynamics** determines trade, revenue $\implies$ GDP and optimal tariffs.
- ▶ Range of estimates:
 - ▶ 4-5: Simonovska & Waugh (14), Caliendo & Parro (15)
 - ▶ SR of 3, 15 LR based on $\Delta\tau_{cgt}$ with China & Vietnam (AKKRS, 2025)
 - ▶ Our calibration: 3.75 SR (quarterly) and 7.5 LR (to permanent).
- ▶ Focus on **permanent, surprise, once and for all** Δ .
 - ▶ Study 4 fiscal alternatives
 - ▶ Solve for transition and compare compensating differential.

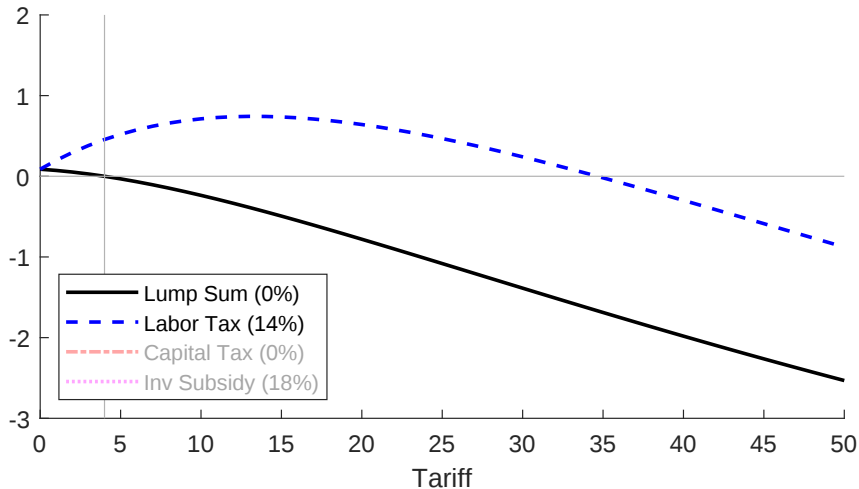
Welfare results - Unilateral tariff (maximizing tariff in parentheses)

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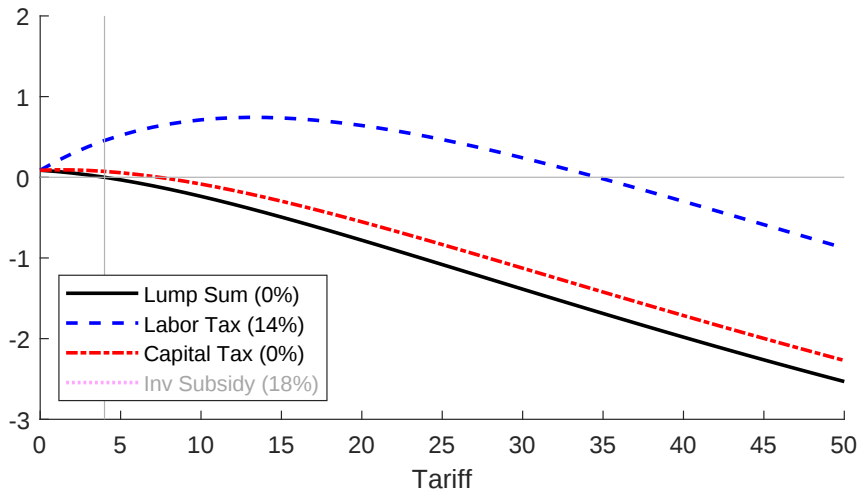
- Surprising: free trade is unilaterally optimal (more later)

Welfare results - Unilateral tariff (maximizing tariff in parentheses)



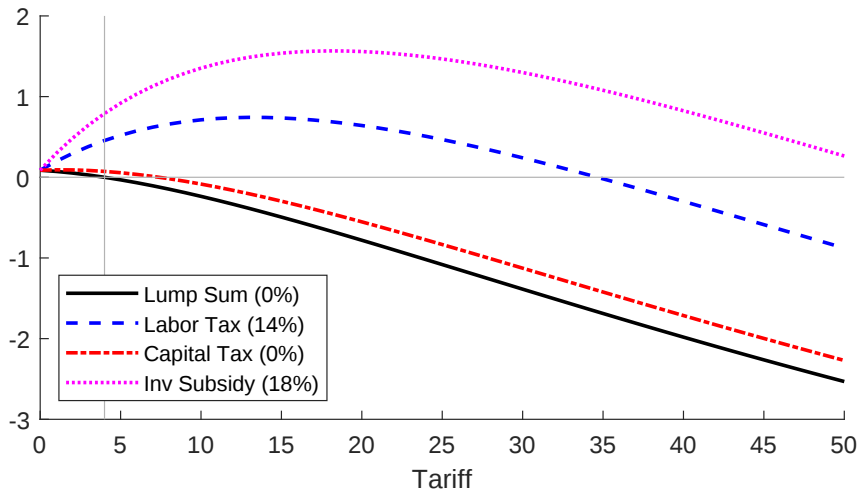
- Two reforms: 1) existing revenue to offset taxes & 2) new revenue

Welfare results - Unilateral tariff (maximizing tariff in parentheses)



- Cutting capital tax like LS: return on physical & intangible capital + tariff increase P_I

Welfare results - Unilateral tariff (maximizing tariff in parentheses)



- Directly offsetting tariffs on investment and elastic input.

Rationales for Tariffs

Standard view:

- ▶ Unilateral tariffs to exploit terms-of-trade
- ▶ Based on lump-sum rebates and no distortions

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2. Markup on goods not primary inputs (K,L)
3. Markup and Roundabout Production - Double marginalization
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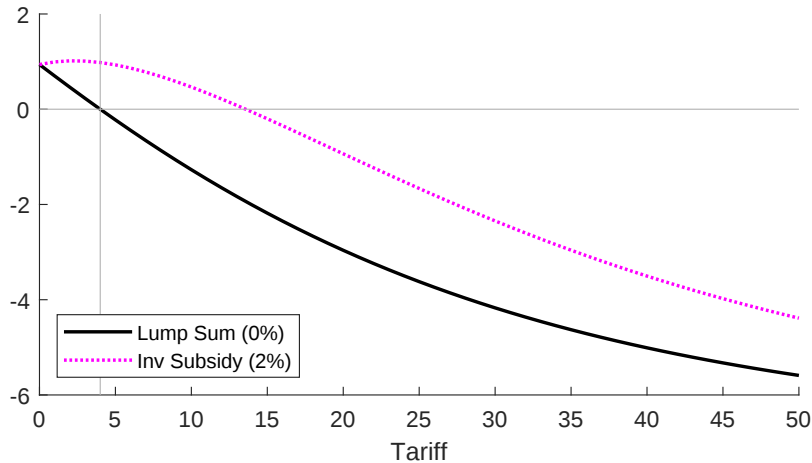
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Next: Remove distortions & recompute optimal tariffs.

- With lump-sum taxes & Dixit-Stiglitz, fix w/ revenue subsidy $(1+s)py$, $1+s = \frac{\theta}{\theta-1}$
- To kill TOT effect, start with global (optimal cooperative tariffs)

Welfare results - Global Cooperative Tariffs (maximizing tariff in parentheses)



- ▶ Positive optimal tariff $\Rightarrow$ small Δ welfare with $\tau < 10\%$ vs lump sum case
- ▶ Big differences in welfare

Effect of distortions on optimal tariff (Global)

Offset:	Global	
	Lump sum	Investment
Baseline	-0.23	0.02

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+ Revenue Subsidy	0.00	0.00

Effect of distortions on optimal tariff (Global)

Offset:	Global	
	Lump sum	Investment
Baseline	-0.23	0.02
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+ Revenue Subsidy	0.00	0.00
No taxes ($\tau_K = \tau_L = 0$)	-0.17	0.01
+ Exogenous labor	-0.09	0.01
+ Common trade cost ($\xi_c = \xi_x = \xi_m$)	-0.05	0.03
+ No Roundabout	-0.01	0.03
+ No Capital good trade	0.01	0.04

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+ No Capital good trade	0.01	0.04

- Now lets add back the terms of trade effect by returning to unilateral case.

Sensitivity: Optimal tariff (Unilateral)

Offset:	Unilateral	
	Lump sum	Investment
Baseline	-0.06	0.18
+ No taxes ($\tau_K = \tau_L = 0$)	0	0.17
+ Revenue Subsidy	0.17	0.16

Sensitivity: Optimal tariff (Unilateral)

Offset:	Unilateral	
	Lump sum	Investment
Baseline	-0.06	0.18
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+ Exogenous labor	0.09	0.17
+ Common trade cost ($\xi_c = \xi_x = \xi_m$)	0.13	0.18
+ No Roundabout	0.18	0.20
+ No Capital good trade	0.21	0.22

*Calibrated to have same trade share

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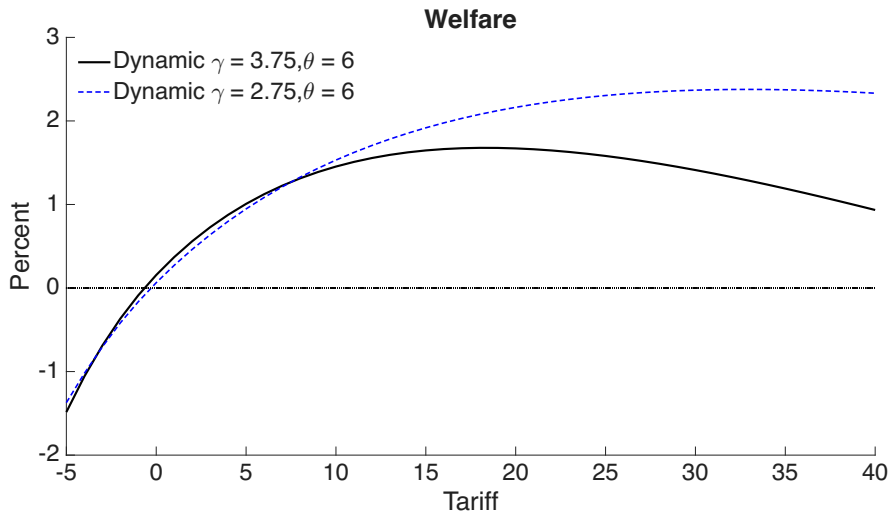
* Envelope-type condition in tariff tax cut case

Sensitivity - Trade Elasticity

1. Trade elasticity - lower Armington elasticity $\Rightarrow$ higher optimal tariff

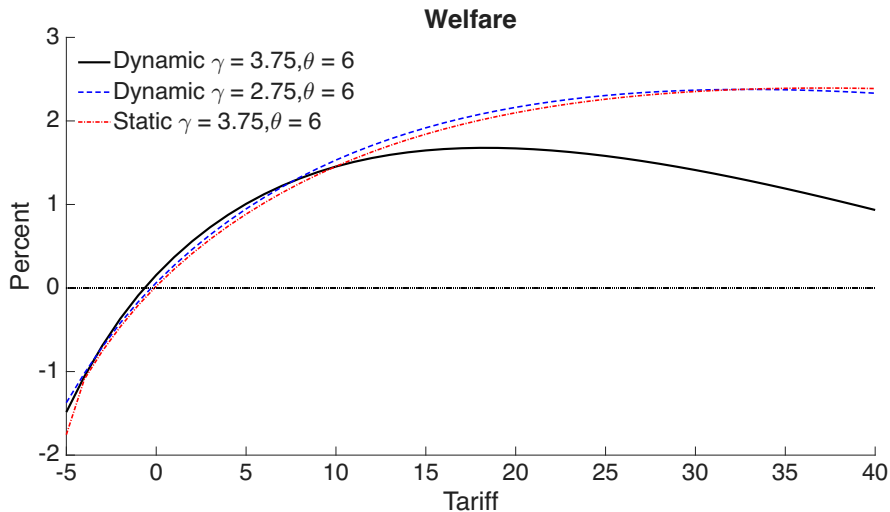
2. Trade dynamics - static model
 - ▶ No exporter dynamics
 - ▶ No firm creation
 - ▶ No dynamics in trade elasticity
 $\Rightarrow$ Higher optimal tariffs

Unilateral - Optimal Policy & Trade Elasticity



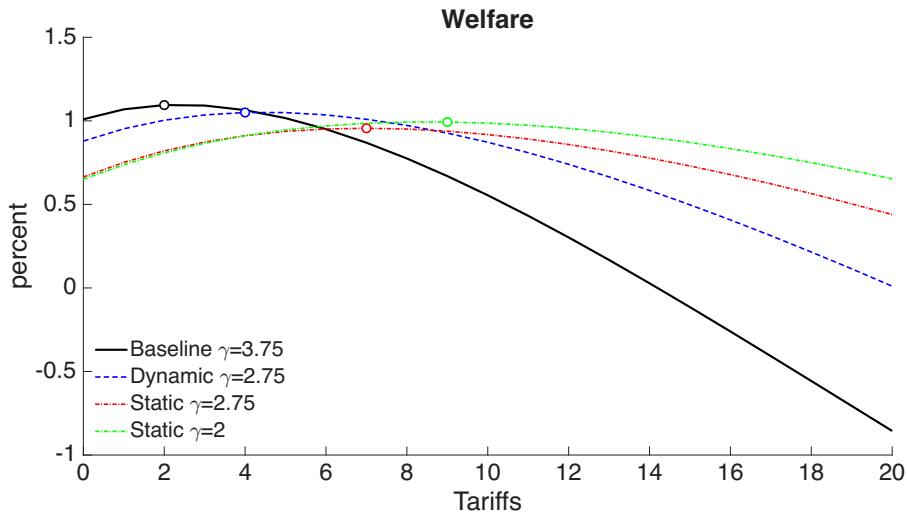
Optimal tariff is 33%

Unilateral - Optimal Policy & Trade Elasticity



Optimal tariff rises to 37%

Global - Optimal Policy & Trade Elasticity



As trade elasticity falls should rely more on tariffs.

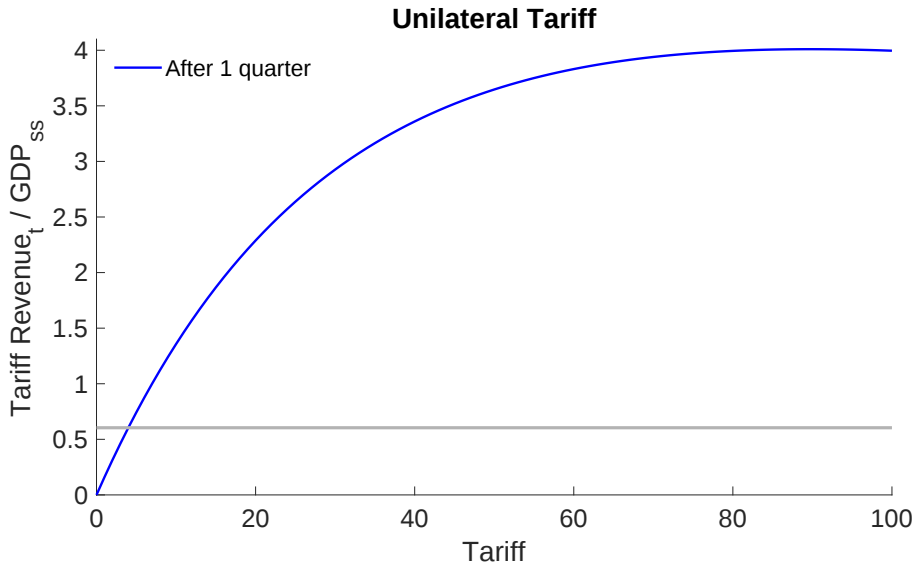
Fiscal Implications

1. How much revenue can be raised? and at what horizon?

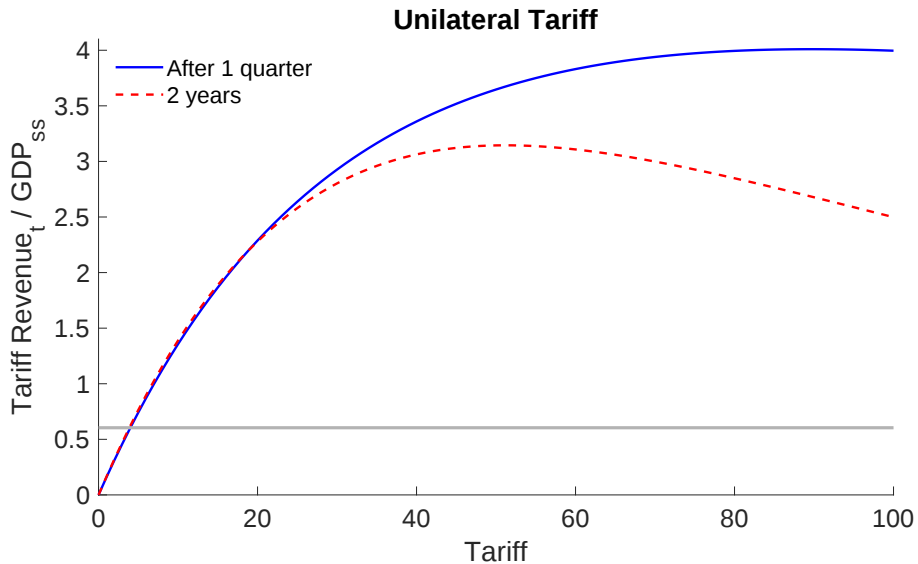
Fiscal Implications

1. How much revenue can be raised? and at what horizon?
2. Largely determined by:
 - ▶ Tariff change
 - ▶ Trade elasticity dynamics (long-run matters, ε_{∞})
 - ▶ Retaliation (Δ exchange rate)
 - ▶ Aggregate response (small)
3. Focus on one time **permanent** changes and **h-horizon** Laffer curve

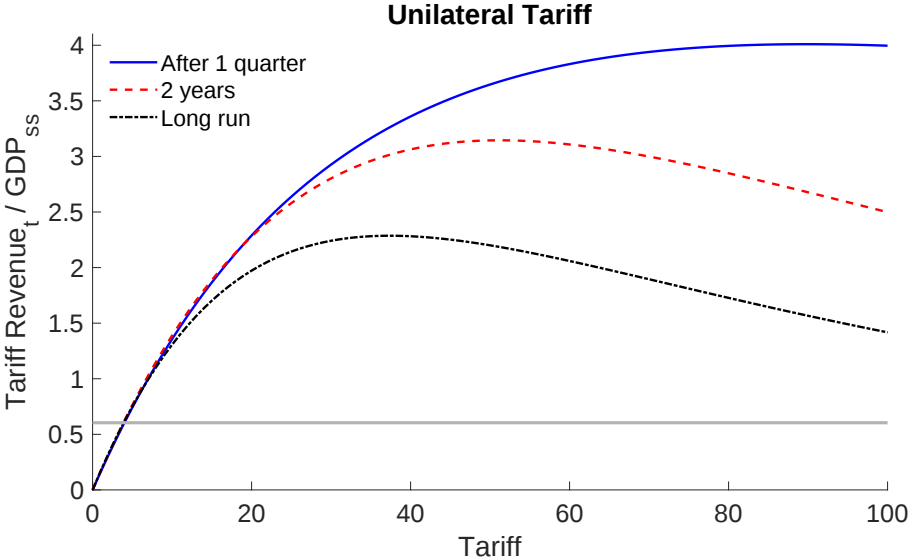
Dynamic Laffer Curves



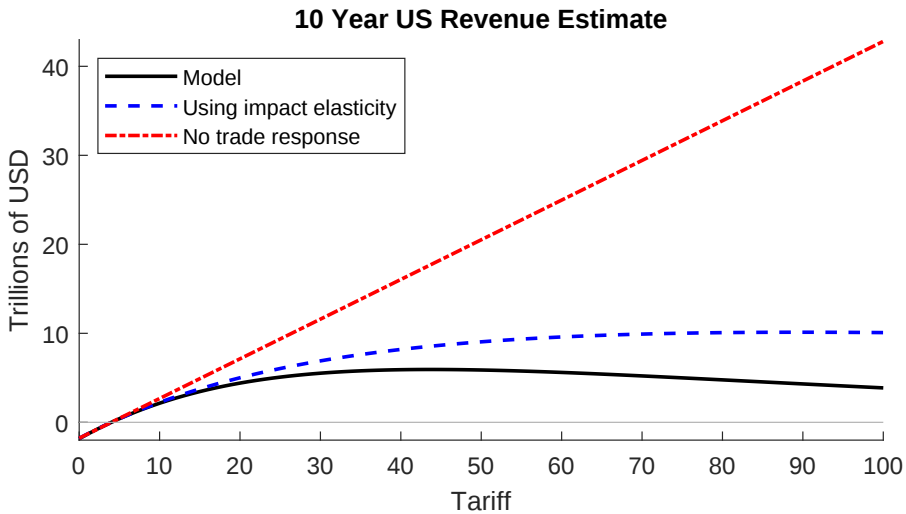
Dynamic Laffer Curves



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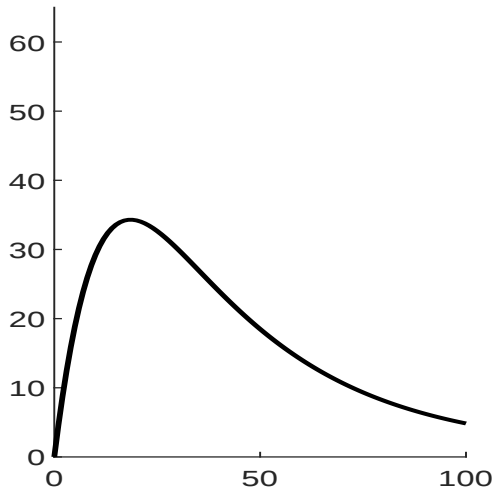


Dynamic Laffer Curves (unilateral)

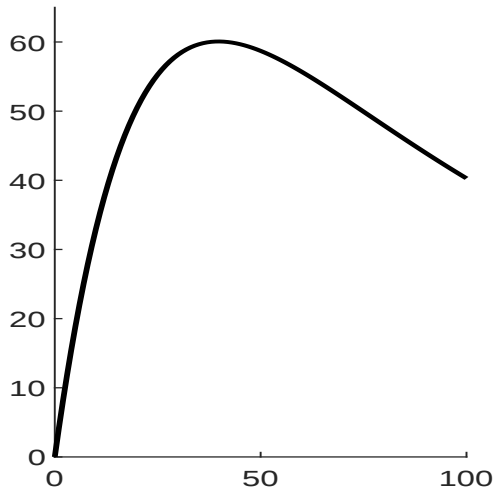


PV Laffer Curves

Global



Unilateral



Conclusion

- ▶ Tariffs revenue use determines welfare effect - focus on GBC.
 - ▶ Tariff rebate checks a bad idea! Investment subsidies best use.
 - ▶ Global free trade suboptimal & welfare gains pretty small $< 10\%$
 - ▶ Unilateral still mostly beggar-thy-neighbor
 - ▶ Trade elasticity dynamics key.
- ▶ Laffer curve is dynamic:
 - ▶ More funding for fiscal reform in initial periods
 - ▶ PV of revenue determined by long-run trade elasticity.
- ▶ Policy advice requires solving for transition of dynamic trade model.
 - Need to specify expectations
- ▶ Inventory frictions also important in near term (AKM, 2011, AKKMR, 2023)

Sensitivity

1. Initial Imbalances
2. Country size differences
3. Retaliation
4. Temporary trade wars

Panel A: Externally Calibrated Parameters

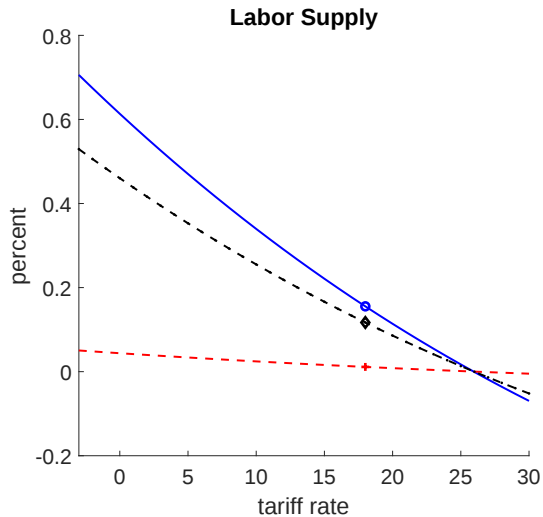
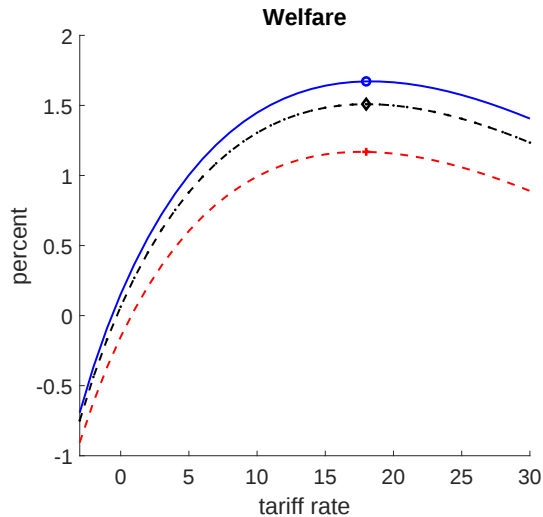
Param	Description	Value	Target
β	discount factor	0.99	
δ	capital depreciation rate	0.025	
σ	CRRRA parameter	1	
γ	Armington elasticity	3.75	Quarterly tariff elasticity = 3.75
θ	Elast. of subst. between varieties	6	Markup = 20%
n_s	Firm survival rate	0.995	Surviving labor share
α_m	Share of materials in interm. production	0.6	GO/VA
$\bar{L}_i$	Labor endowment	1	Normalization
τ^K	Marginal Capital Tax	0.147	OMB (01/25)
τ^L	Marginal Labor Tax	0.272	OMB (01/25)

Panel B: Internally Calibrated Parameters

μ	Relative preference C vs. L	0.49	Average Frisch elasticity=2
f_e	Entry cost	10.26	Average $N_i = \bar{L}_i$
α	Capital share of value added	0.19	Average WL/VA = 66%
f_0	Fixed cost scale (nonexporters)	23.23	Fraction exporters = 0.2
f_1	Fixed cost scale (exporters)	0.030	Incumbent export share = 0.95
ν	Fixed cost shape parameter	0.65	Churning & export volume relationship
ξ_{LH}	Ratio ξ_{GL}/ξ_{GH}	0.58	Export share: firms ≤ 5 years tenure
ξ_{CH}	Consumption-good iceberg cost	3.54	End-use trade flows
ξ_{XH}	Investment-good iceberg cost	1.10	End-use trade flows
ξ_{MH}	Material-good iceberg cost	2.38	End-use trade flows
ρ	Persistence of efficiency state	0.92	Target jointly w/ other parameters

[Back]

Sensitivity - Frisch

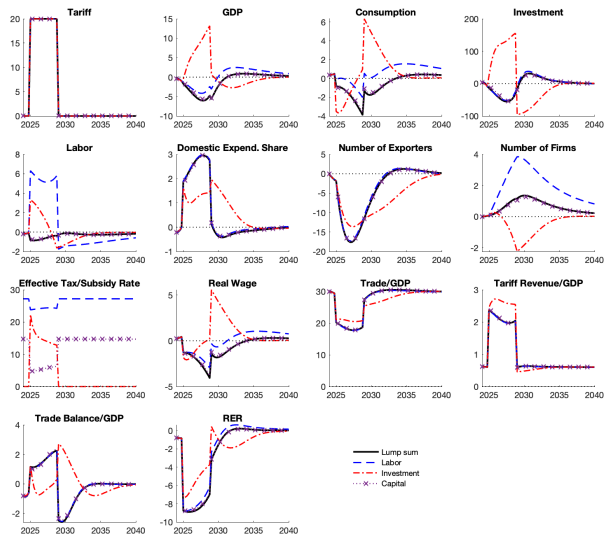


— Baseline - - - frisch ≈ 0 - . - - frisch=1

Sensitivity - Temporary Tariffs

1. Some think US will undo policies in future.
2. Will generate more revenue in short-run
 - ▶ Less trade substitution.
3. But, can be strongly contractionary
4. Study effects when used to offset taxes in same window (least contractionary)

Sensitivity - Temporary Tariffs



Sensitivity Optimal tariffs — Global

Global Investment	τ_K (%)	τ_L (%)	Optimal tariff (%)
Baseline	14.7	27.2	2.0
High capital tax	40.0	17.0	5.0
No capital tax	0.0	32.7	1.0
Capital Subsidy	-15.0	38.5	0.0
No Domestic taxes	0.0	0.0	1.0

Households

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$$G_i = \left[\sum_{j \in \mathcal{I}} \left[\int_{f \in \Omega_{ji}} G_{ji}(f)^{\frac{\theta-1}{\theta}} \right]^{\frac{\theta}{\theta-1} \frac{\gamma-1}{\gamma}} \right]^{\frac{\gamma}{\gamma-1}}$$

Ω_{ji} - set of firms in region j that export to region i ,

θ - elas. of subs. across varieties of a common source region

$\gamma < \theta$ - elas. of subs. across varieties from different source regions.

$$\pi_{Gi} = \max P_{Gi} G_i - \sum_{j \in \mathcal{I}} (1 + \tau_{ji}) \int_{f \in \Omega_{ji}} P_{Gji}(f) G_{ji}(f) df$$

Final Goods Producers

Each type of final good $G \in \{C, X, M\}$ is produced by a continuum of competitive firms.

$$G_i = \left[\sum_{j \in \mathcal{I}} \left[\int_{f \in \Omega_{ji}} G_{ji}(f)^{\frac{\theta-1}{\theta}} \right]^{\frac{\theta}{\theta-1} \frac{\gamma-1}{\gamma}} \right]^{\frac{\gamma}{\gamma-1}}$$

Ω_{ji} - set of firms in region j that export to region i ,

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$\gamma < \theta$ - elas. of subs. across varieties from different source regions.

$$\pi_{Gi} = \max P_{Gi} G_i - \sum_{j \in \mathcal{I}} (1 + \tau_{ji}) \int_{f \in \Omega_{ji}} P_{Gji}(f) G_{ji}(f) df$$

$$P_{Gi} = \left[\sum_{j \in \mathcal{I}} ((1 + \tau_{ji}) P_{Gji})^{1-\gamma} \right]^{\frac{1}{1-\gamma}} \quad \text{where} \quad P_{Gji}^{1-\theta} = \int_{f \in \Omega_{ji}} P_{Gji}(f)^{1-\theta} df.$$

Intermediate Goods producers (new exporter dynamics)

Two key features of firm level export dynamics:

1. Exporting is very persistent (Baldwin/Krugman/Dixit/Roberts/Tybout)
 - Relatively high upfront entry costs (sunk costs)
 - Exporter fixed costs drawn from lower costs distribution than non exporters
2. New exporters take time to get exports to “scale” (Ruhl/Willis/Alessandria/Choi)
 - Distribution technology requires repeated investments
 - Shipping cost starts high and is expected to fall

Intermediate Goods producers (new exporter dynamics)

- Firms heterogeneous in fixed κ_{ij} and iceberg costs ξ_{ij}
- Each pd, firms in i draw fixed costs to export to j based on exporting status $e_{ij} \in \{0, 1\}$

$$V_{ij}(\xi_{ij}, \kappa_{ij}; F_i, e_{ij}, S) = \max_{e'_{ij}, p_{Gij}, l_{ij}, k_{ij}, m_{ij}} e_{ij} \left[\sum_G p_{Gij} G_{ij}(f) - W_i l_{ij} - R_i k_{ij} - P_{Mi} m_{ij} \right] \\ - W_i e'_{ij} \kappa_{ij} + n_s \mathbb{E} D_i V_{ij}(\xi'_{ij}, \kappa'_{ij}; F_i, e'_{ij}, S')$$

$$\text{s.t.} \quad \sum_{G \in \{C, X, M\}} \xi_{G\xi_{ij}} G_{ij}(f) = z_i (k_{ij}^\alpha l_{ij}^{1-\alpha})^{1-\alpha_m} m_{ij}^{\alpha_m}$$

$$G_{ij}(f) = \left(\frac{p_{Gij}}{P_{Gij}} \right)^{-\theta} \left(\frac{P_{Gij}}{P_{Gj}} \right)^{-\gamma} G_j$$

Constant markup pricing.

Dynamic exporting from shock process & delayed entry:

Free Entry

$$W_i f_e = n_s \mathbb{E} D_i \left[V'_{dom,i} + \sum_{j \neq i} V'_{\infty,ij} \right],$$

where

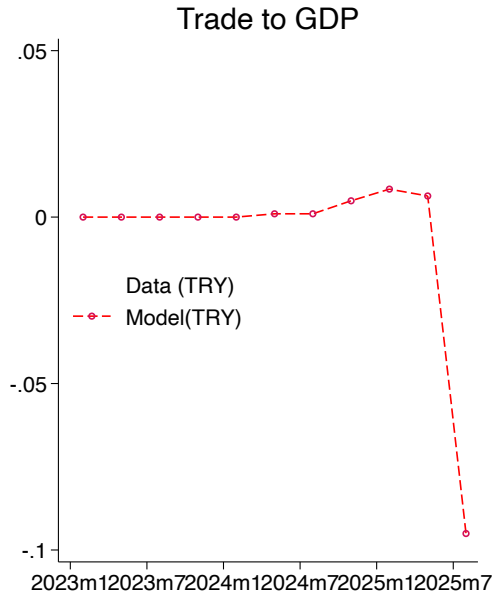
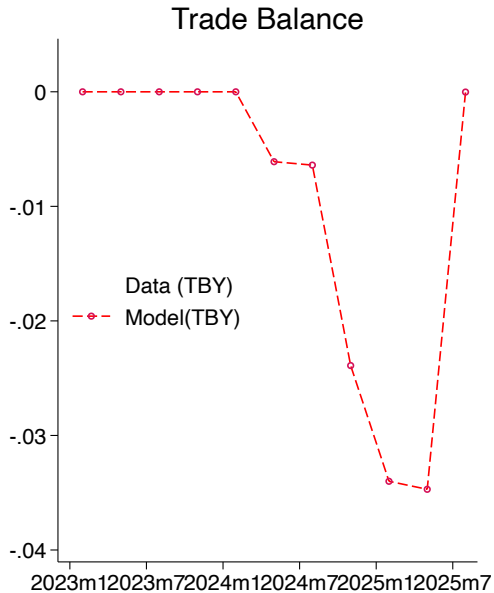
$$V_{dom,i} = \pi_{ii} + n_s \mathbb{E} D'_i V'_{dom,i},$$

- ▶ π_{ii} is the optimal static profits from operating in the domestic region.
- ▶ $V_{\infty,ij}$ is the value of starting as a non-exporter.
- ▶ As value of exporting is “discounted” relative to domestic value $\Rightarrow$ tariffs are pro-variety
 - ▶ Reduced domestic comp. more important than lost foreign opportunities (AC14)
 - ▶ In static trade models these margins completely offset and trade is variety-neutral.
- ▶ Generates a flow in of firms, N_{ei} , and LOM: $N'_i = (1 - n_s)N_i + N_{ei}$
- ▶ Denomination of fixed costs (labor/goods) matters (Ekerdt, 23; Romer, 87)

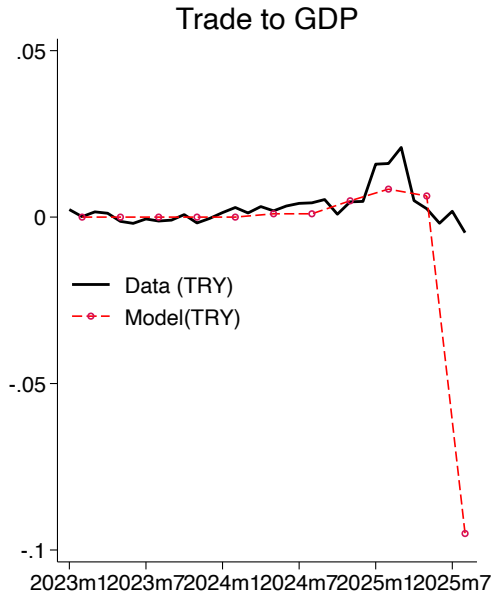
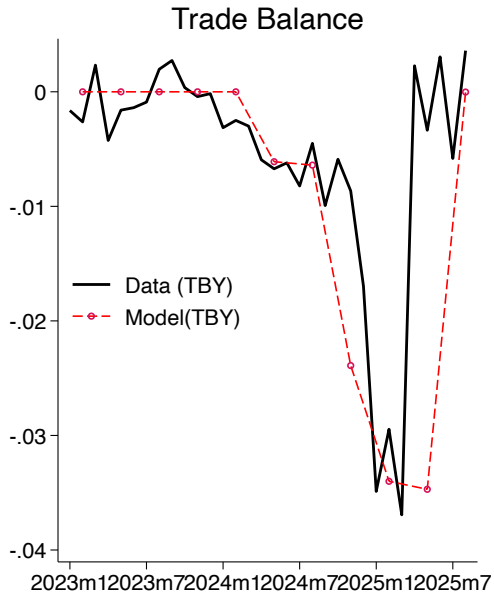
Fitting

- ▶ Large widening of US trade deficit in advance of tariffs suggest acting in advance.
- ▶ Choose a path of expected future tariffs starting in 2023Q4 to match dynamics of US net exports.
- ▶ Update expectations as we go along.
- ▶ Yields a good fit of trade balance.

Model and Data



Model and Data



Model, Data and Prediction

