## Pricing Inequality

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#### NBER EF&G Meeting - July 2025

The views expressed herein are those of the authors and not the views of the Federal Reserve Bank of Minneapolis or of the Federal Reserve System.

Mongey, Waugh - Pricing Inequality

### - Standard theory of fiscal expansions and inflation

- Increase in demand requires more labor
- "Hot labor market" drives up wages, marginal cost, prices

#### - Seems unsatisfactory given the pandemic period

- 2021-2022 inflation surge was from a "shock to prices given wages" Bernanke Blanchard (2025)

#### - Need a better quantitative theory of fiscal expansions and markups

- Develop a new quantitative theory that links:
- Fiscal expansion ightarrow Improvement in household balance sheets ightarrow Higher aggregate markup

#### Theory consistent with recent measurement

- Rich households are less price sensitive than poor households, and buy high priced varieties
- Larger firms have higher markups, while selling higher quality goods to more customers

#### **Parsimonious model**

- Macro Heterogeneous agent incomplete markets model
- IO Additive random utility (discrete choice) model of demand

#### **Two results**

- 1. Deficit financed fiscal expansions have a significant effect on the aggregate markup
  - Accounts for more than 40% of the increase in P/W in the pandemic
- 2. Household heterogeneity is the main determinant of markup differences across firms

- Accounts for more than 58% of markup differences between large and small firms

## Simple choice model - Rich indulge their tastes, Poor respond to prices

- Two types of households  $i \in \{1, 2\}$  with wealth  $a^i \in \{a^L, a^H\}$
- Consume one of two goods  $j \in \{1, 2\}, p_1 > p_2$
- Problem
  - 1. Draw tastes for each good

$$\zeta_1^i \sim \Gamma\Bigl(\zeta\Bigr)$$
 ,  $\zeta_2^i \sim \Gamma\Bigl(\zeta\Bigr)$ , where  $\log \Gamma\Bigl(\zeta\Bigr) = -e^{-\eta\zeta}$ 

2. Choose which good to consume

$$\max\left\{ V\left(a^{i}, p_{1}\right) + \zeta_{1}^{i} , V\left(a^{i}, p_{2}\right) + \zeta_{2}^{i} \right\}$$

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3. Intensive margin

$$V\left(a^{i}, p_{j}\right) = u\left(q_{j}^{i}\right)$$
 subject to  $p_{j}q_{j}^{i} = a^{i}$ 

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2. Choose which good to consume Quality:  $\phi_1 > \phi_2$ 

$$\max\left\{ V\left(a^{i}, p_{1}\right) + \zeta_{1}^{i} + \frac{1}{\eta}\log\phi_{1}, V\left(a^{i}, p_{2}\right) + \zeta_{2}^{i} + \frac{1}{\eta}\log\phi_{2} \right\}$$

3. Intensive margin

$$V\left(a^{i}, p_{j}\right) = u\left(q_{j}^{i}\right)$$
 subject to  $p_{j}q_{j}^{i} = a^{i}$ 

$$\rho_1^i = \frac{\phi_1 \exp\left\{\eta V(a^i, p_1)\right\}}{\phi_1 \exp\left\{\eta V(a^i, p_1)\right\} + \phi_2 \exp\left\{\eta V(a^i, p_2)\right\}}$$

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$$\varepsilon_{1}^{\rho,i} = \underbrace{\frac{\partial \log \rho_{1}^{i}}{\partial V(a^{i}, p_{1})}}_{\text{Size-based market power}} \times - \frac{\frac{\partial V(a^{i}, p_{1})}{\partial \log p_{1}}}{\text{Household heterogeneity}}$$

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$$\varepsilon_{1}^{\rho,i} = \eta\left(1-\rho_{1}^{i}\right) \times -\frac{\partial V(a', p_{1})}{\partial \log p_{1}}$$
  
Size-based market power Household heterogeneity

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Size-based market power Household heterogeneity

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  - ✓ Are less price sensitive

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- Rich households
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  - $\checkmark\,$  Consume higher priced goods within the same market

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$$\varepsilon_{1}^{\rho,i} = \eta \left(1 - \rho_{1}^{i}\right) \times \left(q_{1}^{i}\right)^{-(\sigma-1)}$$
Size-based market power Household heterogeneity

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## Firm price setting

- Demand

$$x_1 = 
ho_1^L q_1^L + 
ho_1^H q_1^H$$

- Pricing

$$p_1^* = rac{arepsilon_1}{arepsilon_1 - 1} \, \overline{mc}$$
 ,  $arepsilon_1 = \sum_i \left( rac{
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- Large firms
  - ✓ Sell higher quality goods
  - ✓ To more customers
  - ✓ At higher markups

Size-based market power: Higher quality  $\rightarrow$  Higher market share  $\rightarrow$  Higher prices Household heterogeneity: Higher prices  $\rightarrow$  Less elastic customers  $\rightarrow$  Higher prices Quantitative model extends to Nested logit and Bewley

#### Nested logit

- Many markets  $m \in \mathcal{M}$ , each has J firms  $j \in \{1, \dots, J\}$
- Pareto distribution of quality  $\phi_j$

## **Bewley**

- CRRA utility
- Stochastic income Wet, quarterly
- Labor income tax au, receive transfers au and profits lump-sum
- Save in government debt

Quantitative model extends to Nested logit and Bewley

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## Bewley

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$$\frac{\partial V\left(a^{i}, p_{j}\right)}{\partial \log p_{j}} \implies \frac{\partial V\left(a^{i}_{t}, e^{i}_{t}, p_{jm}\right)}{\partial \log p_{jm}}$$

 $\eta, \theta, J$ 

ξ

 $\sigma$ 

### 1. Follow Kaplan Violante (2024)

- Income process, borrowing constraint, taxes, transfers, r,  $\beta$ 

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- 2. Replicate calibration strategy in Edmond Midrigan Xu (2023)
  - Firms-per-market J, Pareto tail of quality distribution  $\xi$ , Taste distribution  $\eta$ ,  $\theta$
  - Moments: Concentration, Average markup
  - Important: Positive empirical relationship between Firms' share of sales and Markups

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  - Moments: Concentration, Average markup
  - Important: Positive empirical relationship between Firms' share of sales and Markups
- 3. Replicate regressions in Auer, Burstein, Lein, Vogel (2024)
  - Households with  $3 \times$  less income have elasticities that are higher by 2.4
  - Requires  $\sigma = 2.6$

#### Disciplined by recent measurement

- ✓ Rich households are less price sensitive than poor households, and buy high priced varieties
- ✓ Larger firms sell higher quality goods to more customers, at higher markups

## Model consistent with other important statistics

- How firms' markups respond to changes in household wealth
  - An increase in wealth increases markups

Stroebel Vavra (2019)

- Which firms are exposed to which households
  - High price goods within a market sold more to high income households Jaimovich Rebelo Wong Zhang (2019)
  - High sales firms within a market sell more to high income households

Faber Fally (2022)

### From here

#### 1. Compute the elasticity of the aggregate markup to a fiscal transfer

- Deficit financed one-time increase in transfers T by 1% of GDP
- Holding  $\overline{G}$  and  $\overline{r}$  fixed
- Increase labor income taxes to smoothly repay debt
- 2. Apply this to the increase in transfers in 2020-2021
- 3. How the data disciplines this result



- Elasticity of aggregate markup *P*/*W* is **0.26**.



- Consistent with excess savings of households in the pandemic (Ganong et al, 2024)



- Consistent with 'cheapflation' (Cavallo, Kryvstov, 2024)



- McDonald's CEO, late 2022 - "Resilient customers... strategic price increases"

#### - 2020 - 2021

- Increase in transfers: 9.3% of GDP
- Increase in savings: 8.8% of GDP
- 2022
  - P/W peaks at 5.9% above trend
  - PCE price level P is 7.2% above trend
- Applying our elasticity
  - Increase in transfers of 9.3% of GDP increases the aggregate markup P/W by 2.5%
  - Accounts for 41% of the 5.9% increase in P/W

## 3. How the data disciplines this result

$$\varepsilon_{jg}^{\rho \, i} = \underbrace{\left[\theta \, \rho_{j|m}^{i} + \eta \left(1 - \rho_{j|m}^{i}\right)\right]}_{\text{Size based market power}} \underbrace{\left(q_{jm}^{i}\right)^{-(\sigma-1)}}_{\text{Household heterogeneity}}$$

	Baseline	
Moments		
Elasticities by Income - Auer et al (2024)	2.42	
Concentration, Average markup, Markups-by-Market-share		
Parameters		
CRRA - $\sigma$	2.6	
Substitutability between / within	$ heta < \eta$	
Results		
1. Aggregate markup response to fiscal expansion		
Share of empirical increase in $P/W$	41 %	
2. Decomposition of large vs. small firm markups		
Share due to household heterogeneity	58 %	

## 3. How the data disciplines this result

$$\varepsilon_{jg}^{\rho \, i} = \underbrace{ \begin{bmatrix} \theta \, \rho_{j|m}^{i} + \eta \left( 1 - \rho_{j|m}^{i} \right) \end{bmatrix}}_{\text{Size based market power}} \underbrace{ \begin{pmatrix} q_{jm}^{i} \end{pmatrix}^{-(\sigma-1)}}_{\text{Household heterogeneity}}$$

	Baseline		
Moments			
Elasticities by Income - Auer et al (2024)	0	2.42	2.88
Concentration, Average markup, Markups-by-Market-share	-	– Same as baselin	e —
Parameters			
CRRA - $\sigma$	1	2.6	3.4
Substitutability between / within	$ heta < \eta$	$ heta < \eta$	$ heta=\eta$
Results			
1. Aggregate markup response to fiscal expansion			
Share of empirical increase in $P/W$	0%	41 %	66 %
2. Decomposition of large vs. small firm markups			
Share due to household heterogeneity	0%	58 %	100 %

#### New quantitative theory

- Flexible framework that integrates IO into frontier HA macro
- The key link between the two is the endogenous marginal value of wealth
- 1. New perspective on fiscal policy Expansionary policies produce 'markup shocks'
  - Policies studied in incomplete markets settings have markup implications

Child Tax Credit expansion, UBI, Medical insurance, Tax progressivity, Debt relief, ...

#### 2. New perspective on markups - Household heterogeneity is central

- Counterfactuals studied in incomplete markets settings have markup implications

Income inequality, Income shocks, Financial instruments, ...

# **APPENDIX SLIDES**

## RELAXING THE ONE-GOOD PER-PERIOD ASSUMPTION

#### The restriction to a single good each period is not important

- Appendix has important variations with infinitely many purchases per quarter:

Continuous time model - Shrink the period length. Keep the basket size

Shopping cart model - Keep the period length. Expand the basket size

### The divisibility of the good is not important

- Consider utility over an 'outside' good  $u(c^i)$
- Then  $u'(c^i)$  shows up in elasticity formula

$$u(c^{i}) + \psi_{jm} + \zeta^{i}_{jm}$$
  
 $c^{i} + p_{jm} + a^{i\prime} = \dots$ 

# CALIBRATION: ABLV / JRWZ

## Parameters - Disciplining $\sigma$

Auer et al (2024) - Unequal Expenditure Switching: Evidence from Switzerland
Data

$$\log\left(\frac{b_{Mt}^{i}}{b_{Dt}^{i}}\right) = \beta_{0} - \beta_{1}\log\left(\frac{p_{Mt}}{p_{Dt}}\right) + \beta_{2}\log e^{i}\log\left(\frac{p_{Mt}}{p_{Dt}}\right) + \varepsilon_{it} \quad , \quad \widehat{\beta}_{2} = 2.20$$
#### Parameters - Disciplining $\sigma$

Auer et al (2024) - Unequal Expenditure Switching: Evidence from Switzerland
Data

$$\log\left(\frac{b_{Mt}^{i}}{b_{Dt}^{i}}\right) = \beta_{0} - \beta_{1}\log\left(\frac{p_{Mt}}{p_{Dt}}\right) + \beta_{2}\log e^{i}\log\left(\frac{p_{Mt}}{p_{Dt}}\right) + \varepsilon_{it} \quad , \quad \widehat{\beta}_{2} = 2.20$$

#### Model

- Compare shares on goods  $\{M, D\} \in g$  across low / high income  $i \in \{L, H\}$
- To a first order around  $p_{Dg}$  then  $e_L$ :

$$\log\left(\frac{b_{Mg}^{H}}{b_{Dg}^{H}}\right) - \log\left(\frac{b_{Mg}^{L}}{b_{Dg}^{L}}\right) = \underbrace{\epsilon_{Dg}^{L}\left(\frac{\partial \log c_{Dg}^{L}}{\partial \log e^{L}}\right)\left(-\frac{\partial \log \epsilon_{Mg}^{L}}{\partial \log c_{Mg}^{L}}\right)}_{\text{Coefficient estimated in ABLV}} \log\left(\frac{e^{H}}{e^{L}}\right)\log\left(\frac{p_{Mg}}{p_{Dg}}\right)}$$

#### Parameters - Disciplining $\alpha$

JRWZ (2019) - Trading Up and the Skill Premium

Data - Within-market-time, Across-household differences in prices paid

$$\log P_{mt}^{i} = \lambda_{mt} + \sum_{q=1}^{Q} \beta_{q} \mathbb{1} \left[ q_{dt}^{i} = q \right] + \eta_{mt}^{i} \quad \text{, where} \quad \log P_{mt}^{i} = \sum_{u \in \{m,t\}} \omega_{umt}^{i} \log \overline{P}_{umt}.$$

#### **Refine their approach**

- Define markets *m* as  $Module \times DMA$
- Compute average unit prices  $\overline{P}_{umt}$  of UPC's *u* within these markets
- Rank households by total annual expenditure quantiles  $q_{dt}^i$  within each  $DMA \times Year$
- Result  $\widehat{\beta}_5 \widehat{\beta}_1 = 0.144$

# **RESULTS - NESTED CALIBRATIONS**

## Result 2 - Household heterogeneity accounts for markup differences

		Baseline	Log model	Monopolistic competition
			$(\sigma = 1)$	$(\eta = \theta)$
		(1)	(2)	(3)
A. Household parameters				
Curvature in consumption	$\sigma$	2.6	1	
Taste dispersion - Within markets	η	8.9	2.12	
- Across markets	$\dot{ heta}$	0	0	
B. Firm parameters				
Tail parameter of Pareto	ξ	10.9	4.1	
Decreasing returns	ά	0.63	0.66	
C. Moments				
Firms - Top 4 sales share		0.30	0.30	
Firms - Average markup	$\mathbb{E}[\mu_i]$	1.25	1.25	
Firms - Markups and sales shares	β <sub>ΕΜΧ</sub>	0.03	0.03	
Households - Elasticities and income	βΑΒΙν	2.20	0	
Households & Firms - Sorting	$\beta_{JRWZ}^5 - \beta_{JRWZ}^1$	0.14	0	
Price dispersion	Std. $[\log p_j]$	0.14	0.14	
Share of elasticity variation due to h'hold heterogeneity		58	0	

Note: All economies have the same interest rate (r), with other parameters recalibrated to match the same level of total differentiated goods expenditure  $(\overline{Z})$ , labor income taxes  $(\tau)$  and transfers (T) to GDP, average assets to average income  $(\beta)$ 

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		Baseline	Log model	Monopolistic competition
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A. Household parameters				
Curvature in consumption	$\sigma$	2.6	1	↑ 3.4
Taste dispersion - Within markets	η	8.9	2.12	11 7
- Across markets	$\dot{ heta}$	0	0	11.7
B. Firm parameters				
Tail parameter of Pareto	ξ	10.9	4.1	14.7
Decreasing returns	α	0.63	0.66	0.64
C. Moments				
Firms - Top 4 sales share		0.30	0.30	0.30
Firms - Average markup	$\mathbb{E}[\mu_i]$	1.25	1.25	1.25
Firms - Markups and sales shares	βεмχ	0.03	0.03	0.03
Households - Elasticities and income	βΑΒΙν	2.20	0	<b>↑ 2.62</b>
Households & Firms - Sorting	$\beta_{JRWZ}^5 - \beta_{JRWZ}^1$	0.14	0	<b>↑ 0.17</b>
Price dispersion	Std. $[\log p_j]$	0.14	0.14	0.14
Share of elasticity variation due to h'hold heterogeneity		58	0	100

Note: All economies have the same interest rate (r), with other parameters recalibrated to match the same level of total differentiated goods expenditure  $(\overline{Z})$ , labor income taxes  $(\tau)$  and transfers (T) to GDP, average assets to average income  $(\beta)$ 

## **RESULTS - WELFARE EFFECTS OF MARKUPS**

#### Role of consumer heterogeneity - Welfare effects of markups

Who gains from competitive product markets?

- Follow exercise in Edmond, Midrigan, Xu (2023)
- Implement optimal quantity subsidy  $S_j = s_j^* y_j$ :

$$ho_j^* = rac{arepsilon_j^*}{arepsilon_j^* - 1} \Big[ m c_j^* - s_j^* \Big]$$
 ,  $s_j^* = rac{m c_j^*}{arepsilon_j^*}.$ 

- Financed by lump-sum tax on households:  $S = \sum_{i} S_{i}$ 

#### Who gains from competitive product markets? Poor households.

		Baseline	Optimal Subsidy
A. Statistics	Interest rate	2.00%	1.67%
	Average markup	24%	25%
	EMX slope	0.034	0.078
B. Firms	Total quantities		
	Low quality goods		-1.66
	High quality goods		4.31
C. Households	Average quality - $\phi_i$		
	Poor		2.2
	Rich		-0.9
	Average consumption		
	Poor		-7.9
	Rich		3.5
	Average welfare - $\overline{V}(a, e)$		
	Poor		46.2
	Rich		-21.9

Note: Firms split by top / bottom ouintile of sales in baseline. Households split by top / bottom half of cash-on-hand in baseline. All values are log changes expressed in log points. mongey, Waugh - Pricing inequality

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A. Statistics	Interest rate	2.00%	2.00%
	Average markup	24%	25%
	EMX slope	0.034	0.077
B. Firms	Total quantities		
	Low quality goods		-1.30
	High quality goods		4.83
C. Households	Average quality - $\phi_i$		
	Poor		2.3
	Rich		-0.6
	Average consumption		
	Poor		-8.0
	Rich		2.9
	Average welfare - $\overline{V}(a, e)$		
	Poor		46.1
	Rich		-23.0

Note: Firms split by too / bottom quintile of sales in baseline. Households split by top / bottom half of cash-on-hand in baseline. All values are log changes expressed in log points.

p.12/12

## **RESULTS - CROSS-SECTION**

#### 1. Elasticities



- Simple regression:  $\mathbb{E}\left[\varepsilon^{i}|e\right] = \beta_{0} \beta_{1}\log e, \quad \widehat{\beta}_{1} = 2.19$
- Nakamura Zerom (2010) 'Coffee paper' A household with an income 1 s.d. above the mean has a price elasticity about 20% [18.1%] below the price elasticity of the median consumer [8.34].

## 2. Sorting



- At the low quality firm, >50 percent of sales to below median expenditure households

- At the high quality firm, <15 percent of sales to below median expenditure households

## 3. Markups



- High quality firms have: Higher sales, Higher prices, Lower elasticities, Higher markups