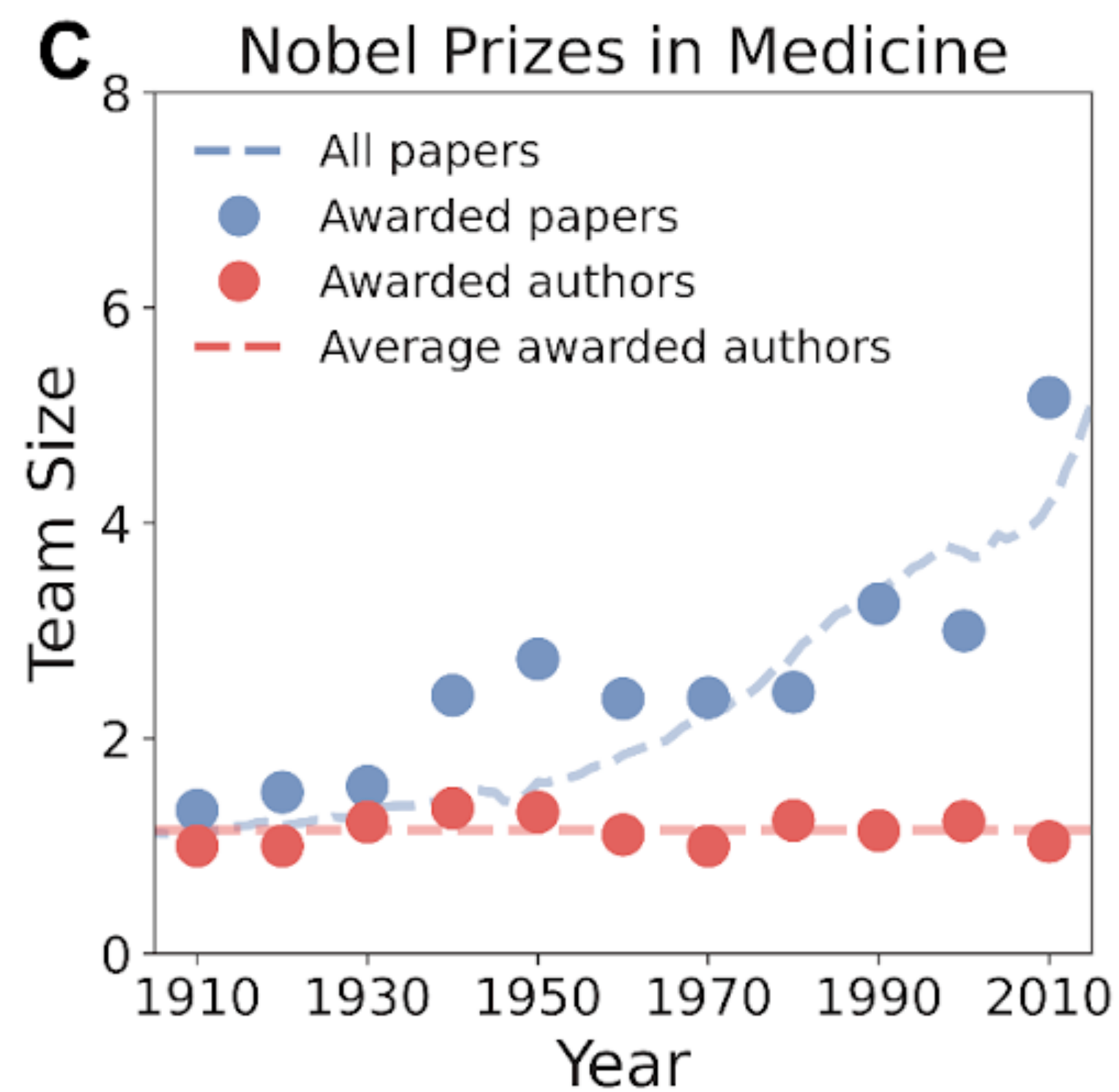
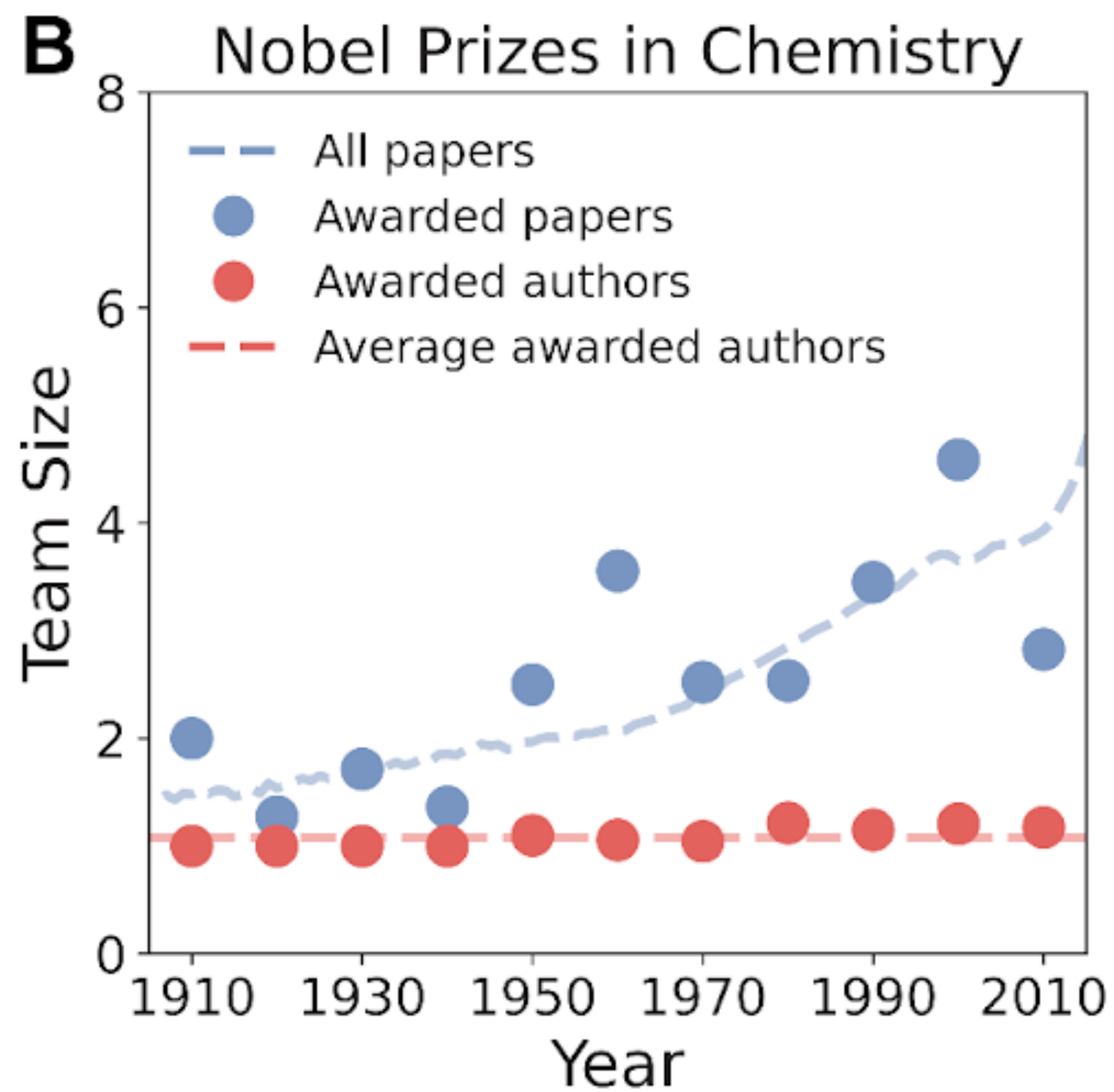
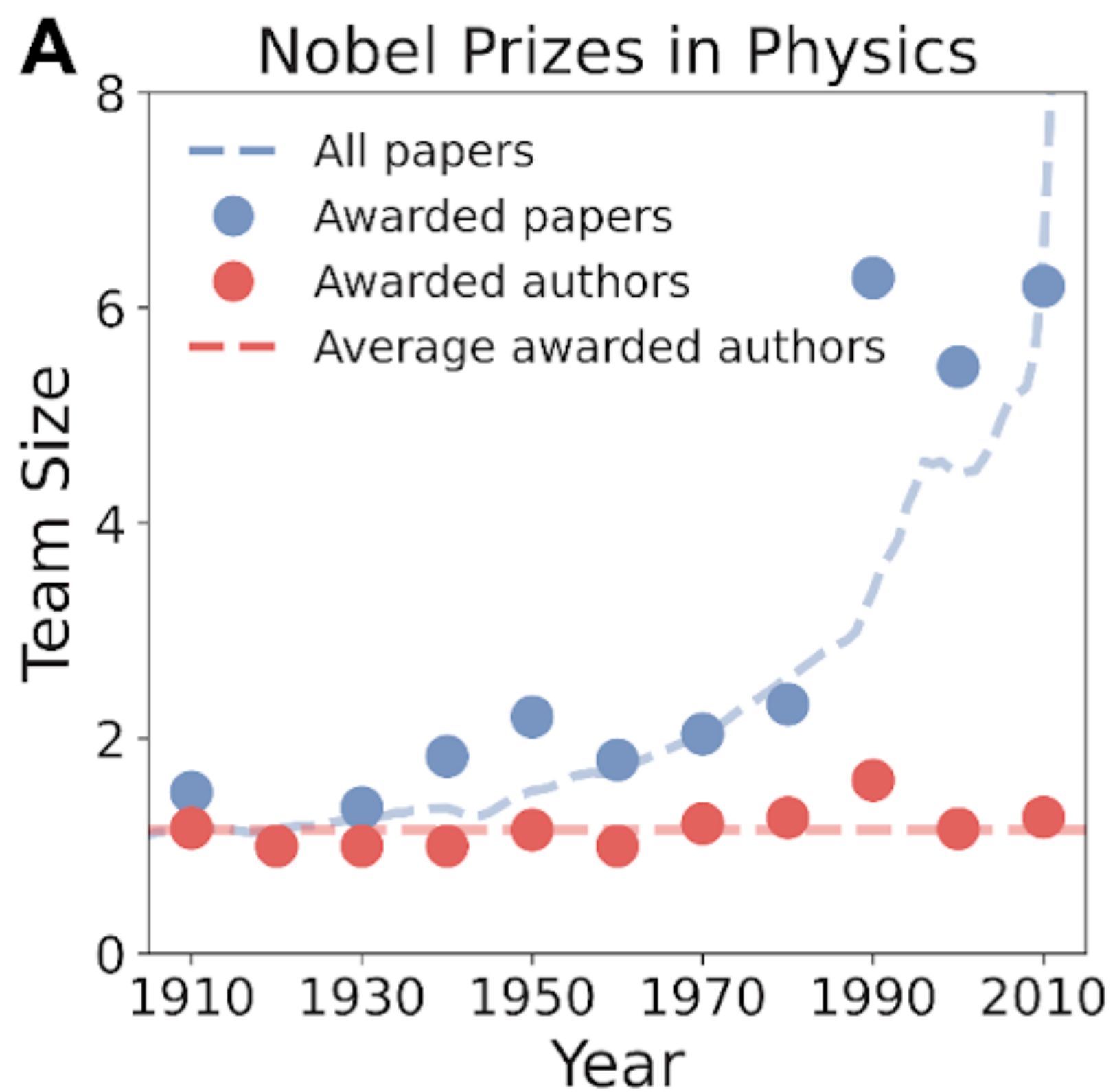


Large Teams Overshadow Individual Recognition

Lulin Yang
University of Pittsburgh
luy30@pitt.edu

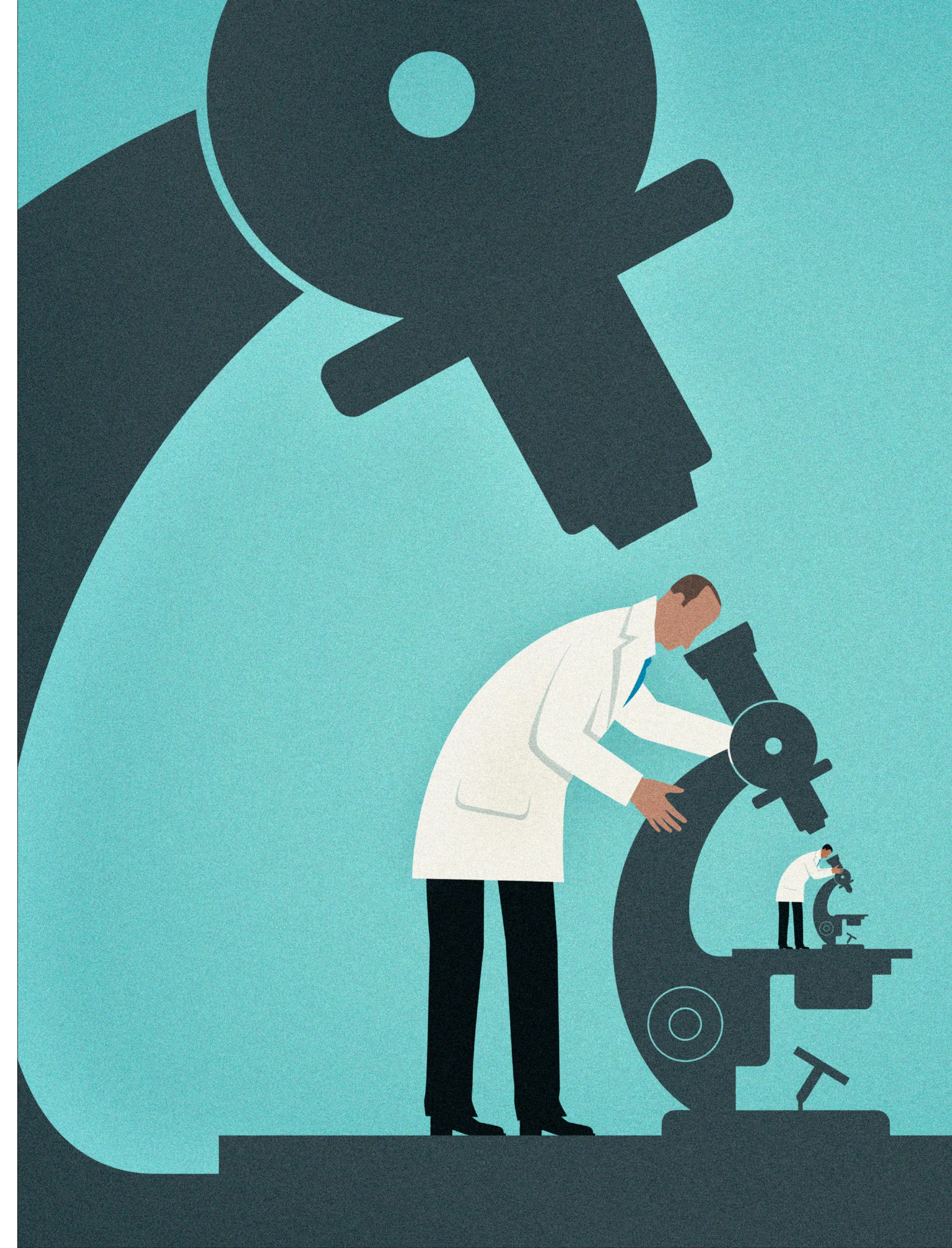


Inferred writing contributions

1,159,572 papers; 954,397 authors
(1991 - 2024)

arXiv LaTeX files

1.9 million papers; 1.7 million authors
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Topological Transitions for Lattice Bosons in a Magnetic Field

PDF File

Huber and Lindner, 2012

Source Codes

$$\mathcal{H} = -t \sum_{\langle \mathbf{r}, \mathbf{r}' \rangle} \left[b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}'} e^{iA_{\mathbf{r}\mathbf{r}'}} + b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}'} e^{-iA_{\mathbf{r}\mathbf{r}'}} \right] + \frac{U}{2} \sum_{\mathbf{r}} b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}} (b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}} - 1) - \mu \sum_{\mathbf{r}} b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}}, \quad (5)$$

$$C^{\dagger} \mathcal{H}_{\text{HC}}^{(0)}(q\mathbf{A}, \mu) C = \mathcal{H}_{\text{HC}}^{(0)}(-q\mathbf{A}, -\mu). \quad (17)$$

At half filling for the hard core bosons, the Hamiltonian (15) is independent of μ and hence Eq. (17) implies invariance under $\mathbf{A} \rightarrow -\mathbf{A}$. Hence, the Onsager relation $\sigma_{xy}(\mathbf{A}) = -\sigma_{xy}(-\mathbf{A})$ implies that for half integer fillings ($n_b = \frac{1}{2} + m$)

$$\sigma_{xy} = \alpha = 0. \quad (18)$$

$$\mathcal{T}_x \mathcal{T}_y = \mathcal{T}_y \mathcal{T}_x \exp(2\pi i \hat{N}_b / N) \quad (\text{A1})$$

```
\begin{eqnarray}
\label{eqn:BHH}
\mathcal{H} = -t \sum_{\langle \mathbf{r}, \mathbf{r}' \rangle} \Bigl[
b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}'} e^{iA_{\mathbf{r} \mathbf{r}'}}
+ b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}'} e^{-iA_{\mathbf{r} \mathbf{r}'}}
\Bigr] \nonumber \\
+ \frac{U}{2} \sum_{\mathbf{r}} b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}} (b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}} - 1)
- \mu \sum_{\mathbf{r}} b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}},
\end{eqnarray}
```

At half filling for the hard core bosons, the Hamiltonian~(\ref{xxz}) is independent of μ and hence Eq.~(\ref{Part-hole}) implies invariance under $\mathbf{A} \rightarrow -\mathbf{A}$. Hence, the Onsager relation $\sigma_{xy}(\mathbf{A}) = -\sigma_{xy}(-\mathbf{A})$ implies that for half integer fillings ($n_b = \frac{1}{2} + m$)

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$$(n_b = \frac{1}{2} + m)$$

Default syntax

$\text{\mbox{\$1\over2\$}}$

Personalized macro

\half

```
\begin{eqnarray}
\label{eqn:BHH}
\mathcal{H} = -t \sum_{\langle \mathbf{r}, \mathbf{r}' \rangle} \Bigl[
b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}'} e^{iA_{\mathbf{r}\mathbf{r}'}} + b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}'} e^{-iA_{\mathbf{r}\mathbf{r}'}}
\Bigr] \nonumber \\
+ \frac{U}{2} \sum_{\mathbf{r}} b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}} (b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}} - 1) - \mu \sum_{\mathbf{r}} b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}},
\end{eqnarray}
```

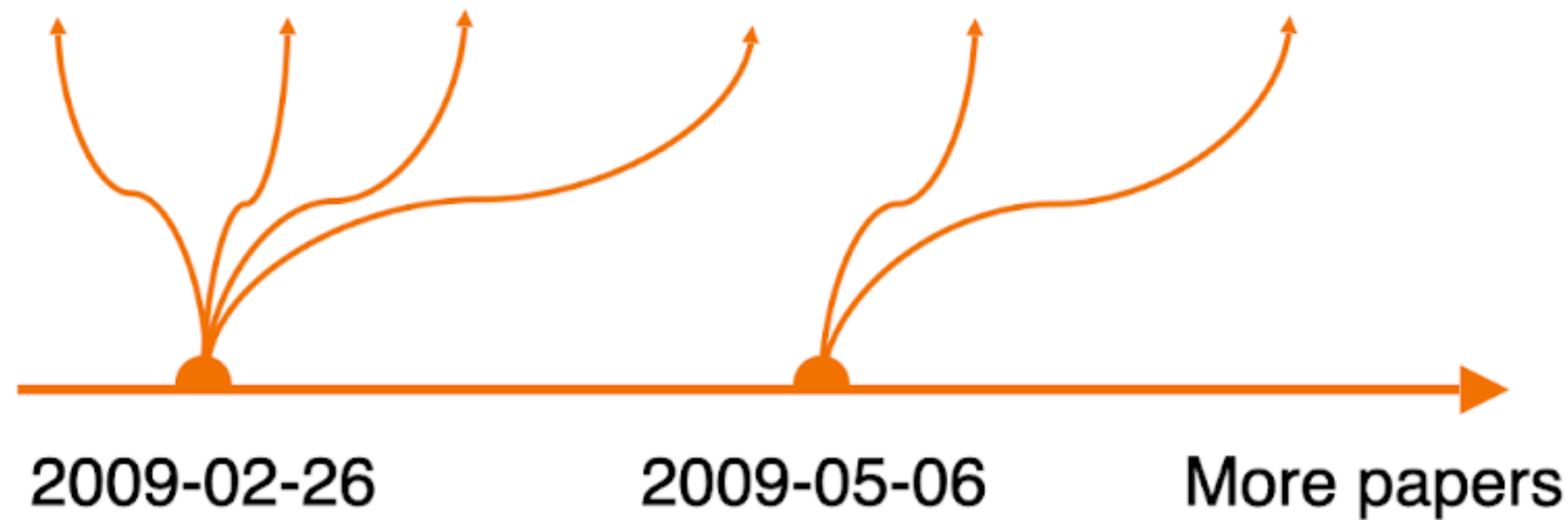
At half filling for the hard core bosons, the Hamiltonian~(\ref{xxz}) is independent of μ and hence Eq.~(\ref{Part-hole}) implies invariance under $\mathbf{A} \rightarrow -\mathbf{A}$. Hence, the Onsager relation $\sigma_{xy}(\mathbf{A}) = -\sigma_{xy}(-\mathbf{A})$ implies that for half integer fillings

$$(n_b = \text{\half} + m)$$

Author 1: Huber

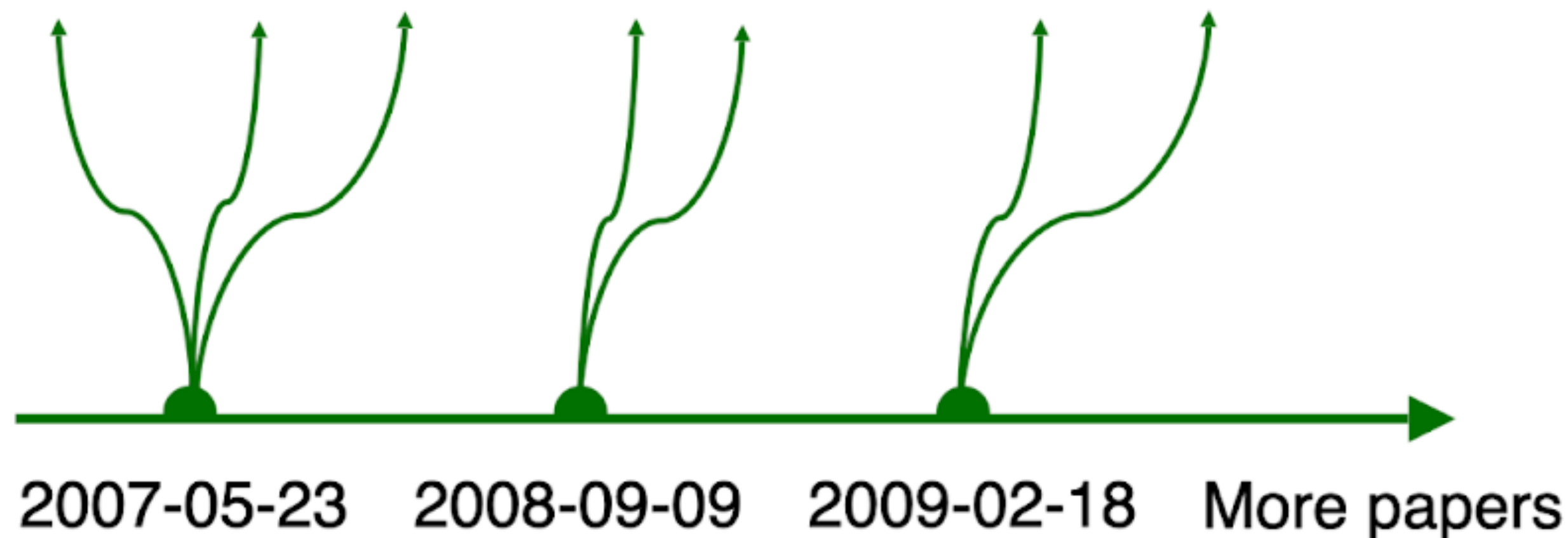
a

`\pdag \ssm \ssmL \ssmR \url#1 \urlprefix ...`



Author 2: Lindner

`\pad \half \bA ... \bk \cH ... \bfeta \sxy ...`



Coauthored paper (2012-05-25) b

$$\mathcal{H} = -t \sum_{\langle \mathbf{r}, \mathbf{r}' \rangle} \left[b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}'} e^{iA_{\mathbf{r}\mathbf{r}'}} + b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}'} e^{-iA_{\mathbf{r}\mathbf{r}'}} \right] + \frac{U}{2} \sum_{\mathbf{r}} b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}} (b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}} - 1) - \mu \sum_{\mathbf{r}} b_{\mathbf{r}}^{\dagger} b_{\mathbf{r}}, \quad (5)$$

$$C^{\dagger} \mathcal{H}_{\text{HC}}^{(0)}(q\mathbf{A}, \mu) C = \mathcal{H}_{\text{HC}}^{(0)}(-q\mathbf{A}, -\mu). \quad (17)$$

89 unique LaTeX macros c
40 from Lindner, 8 from Huber

Author writing contributions
Lindner: 5/6, Huber: 1/6

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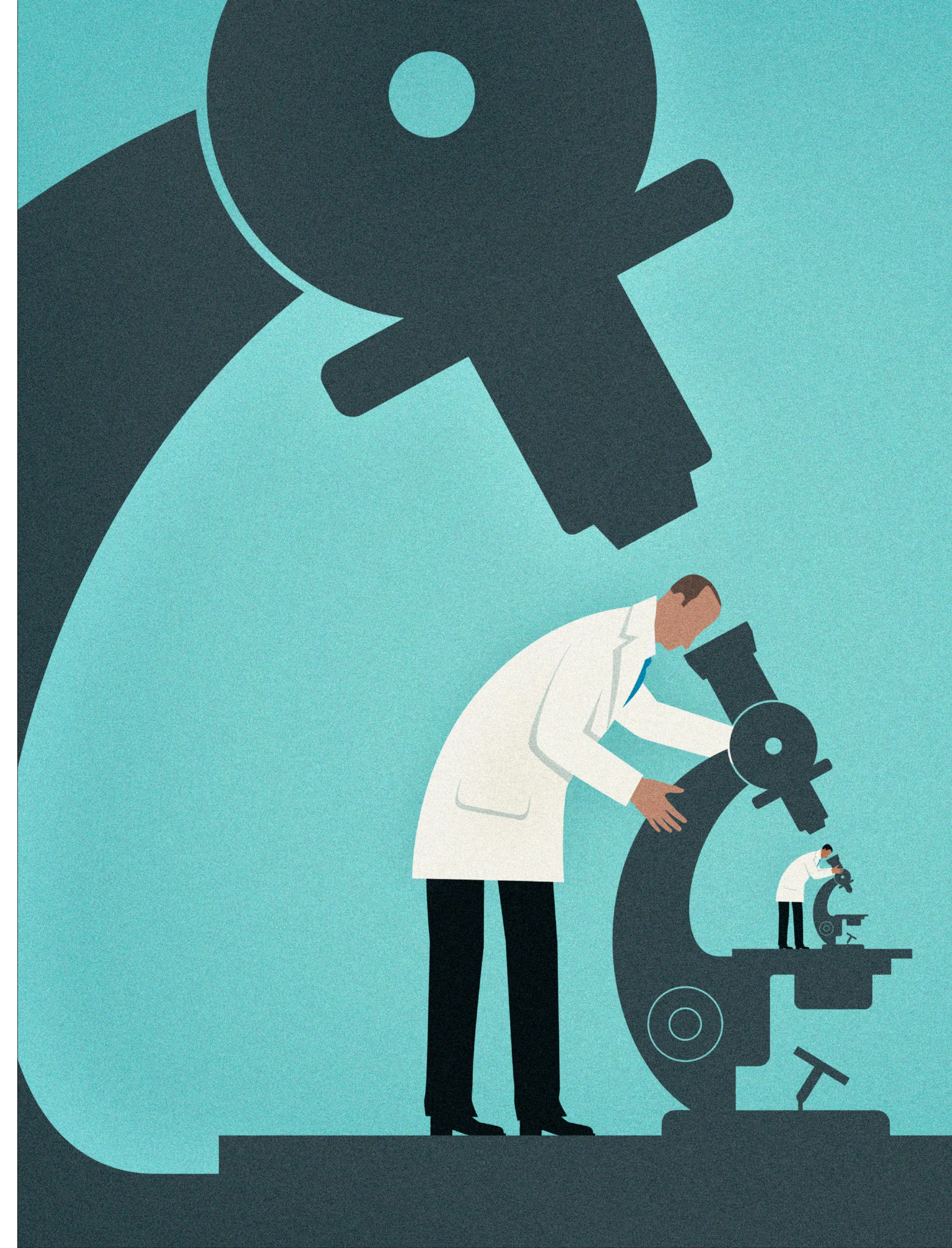


Table 1. Validation of author contributions inferred from LaTeX macros using self-reported data.

Journal	Sample size N	Time period	Precision	Recall	Observational contribution: 1/6 from Huber 5/6 from Lindner
PNAS	599	2006-2023	0.90	0.73	
Nature	265	2010-2023	0.78	0.65	
Science	48	2018-2023	0.89	0.59	
Plos One	362	2007-2023	0.92	0.65	
Total	1,274	2006-2023	0.88	0.69	

Self-reported contribution statement:
“S.D.H. and N.H.L. designed research,
performed research, and wrote the paper.”



How to Generate Popular Post Headlines on Social Media?

Zhouxiang Fang, Min Yu, Zhendong Fu, Boning Zhang, Xuanwen Huang, Xiaoqi Tang, Yang Yang

```
70 \usepackage{algorithm}
71 \usepackage{algpseudocode}
72 \usepackage{amsmath}
73 \renewcommand{\algorithmicrequire}{\textbf{Input:}} % Use Input
  in the format of Algorithm
74 \renewcommand{\algorithmicensure}{\textbf{Output:}} % Use Output
  in the format of Algorithm
75
76
77 \captionsetup[subfigure]{aboveskip=2em,belowskip=-1em}
78 \captionsetup[table]{aboveskip=1em,belowskip=0em}
79 \captionsetup[figure]{aboveskip=1em,belowskip=-1em}
80 \newcommand{\yang}[1]{\textbf{\color{blue}[** #1 ** --yang]}}
81 \newcommand{\hwx}[1]{\textbf{\color{red}[** #1 ** --hwx]}}
82 \newcommand{\fzx}[1]{\textbf{\color{blue}[** #1 ** --fzx]}}
83 \newcommand{\fzd}[1]{\textbf{\color{magenta}[** #1 ** --fzd]}}
84 \newcommand{\vpara}[1]{\vspace{0.01in}\noindent\textbf{#1 }}
85 \newcommand{\figref}[1]{Fig.\sim\ref{#1}}
86 \newcommand{\eqnref}[1]{Eq.\sim(\ref{#1})}
87 \newcommand{\defref}[1]{Definition.\sim\ref{#1}}
88 \newcommand{\secref}[1]{Sec.\sim\ref{#1}}
89 \newcommand{\tableref}[1]{Table\sim\ref{#1}}
90 \newcommand{\algreg}[1]{Algorithm\sim\ref{#1}}
91 \newtheorem{definition}{Definition}
```

Fri, 14th Oct 22

14th October, 2:03 am



Edited

WWW23.tex

Edited

section/introduction.tex

■ h_xuanwen

14th October, 1:57 am



Edited

section/introduction.tex

Edited

section/observation.tex

Edited

section/related.tex

■ h_xuanwen ■ dj ■ Zhouxiang Fang

14th October, 1:51 am

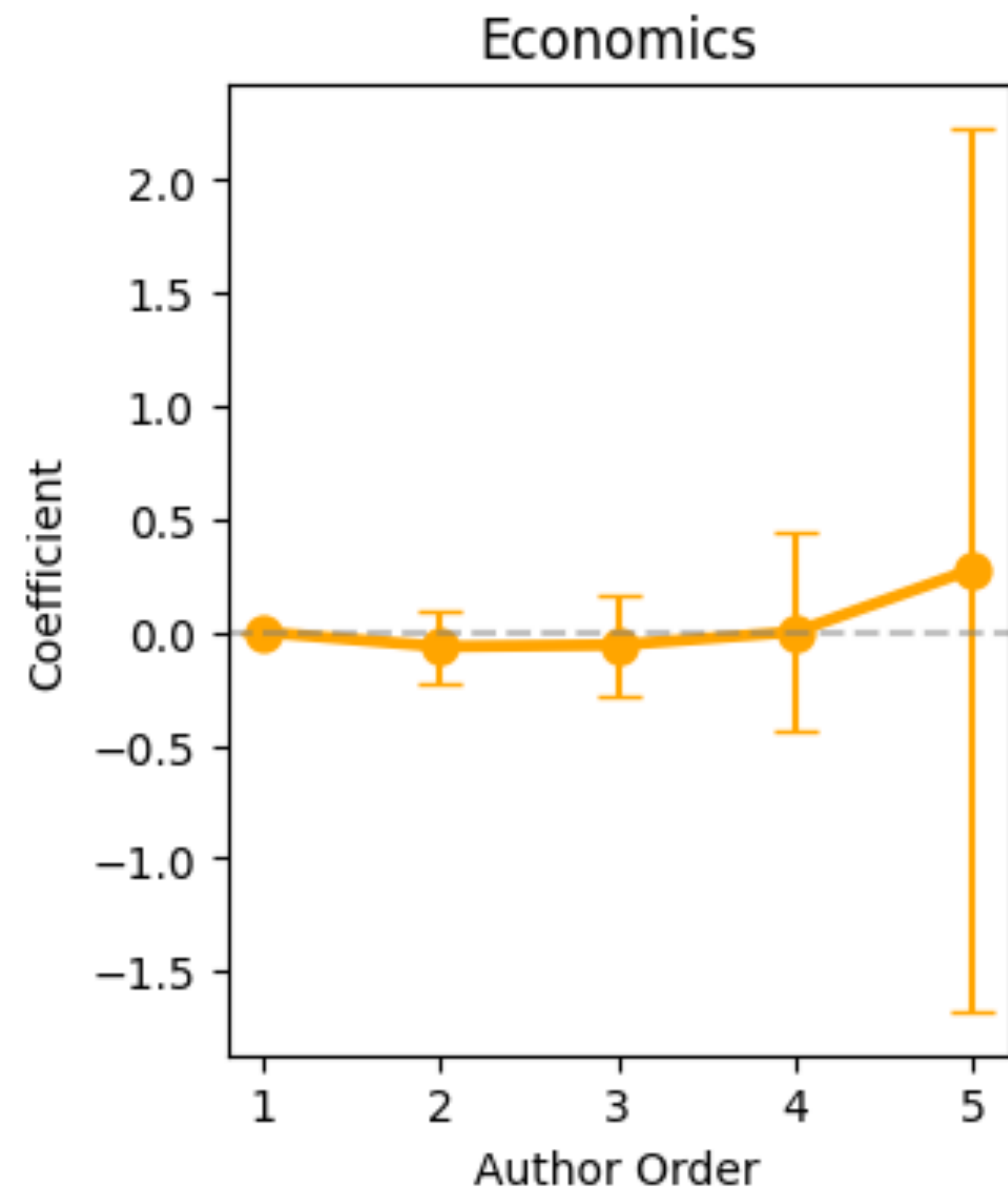
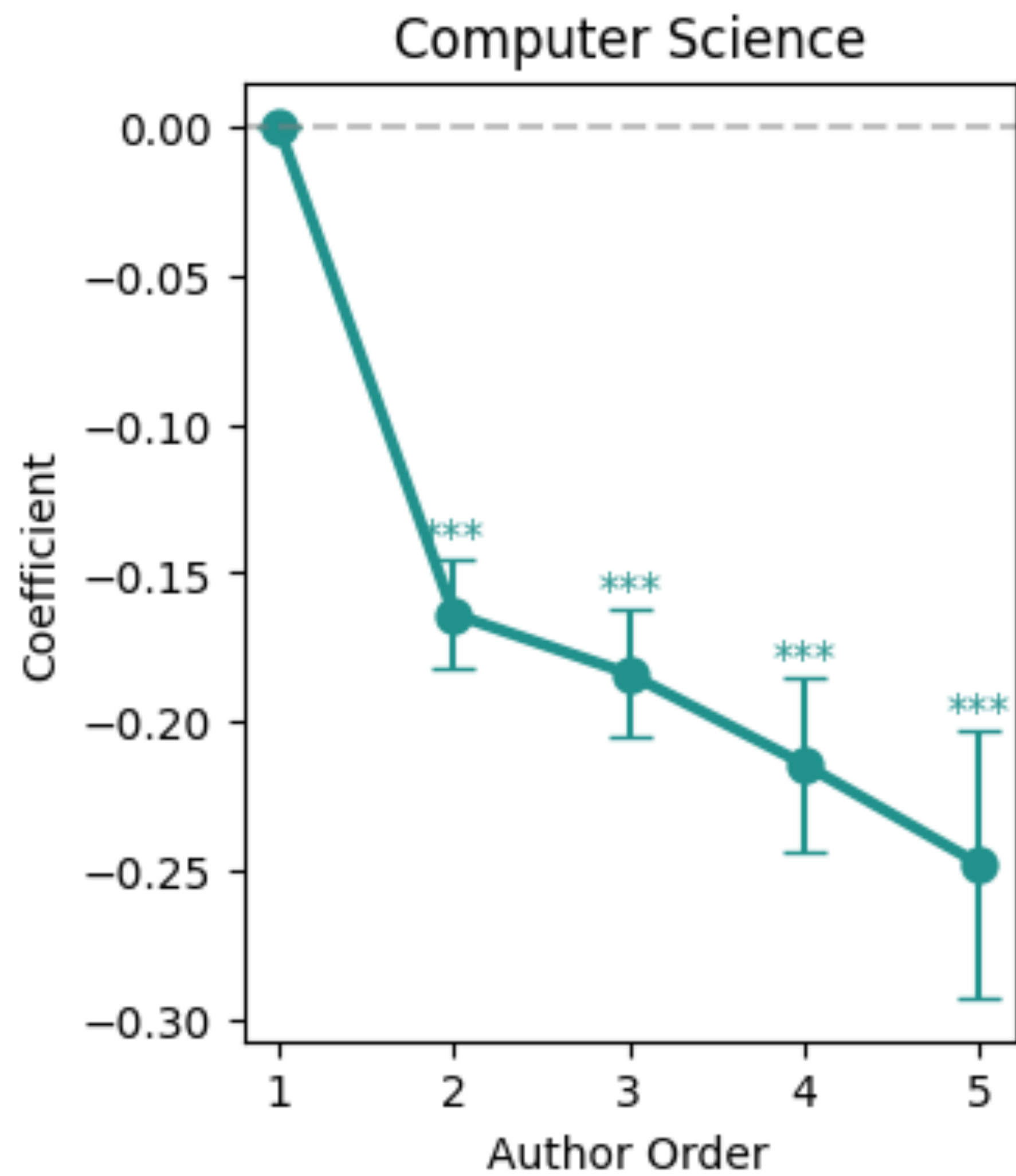


Edited

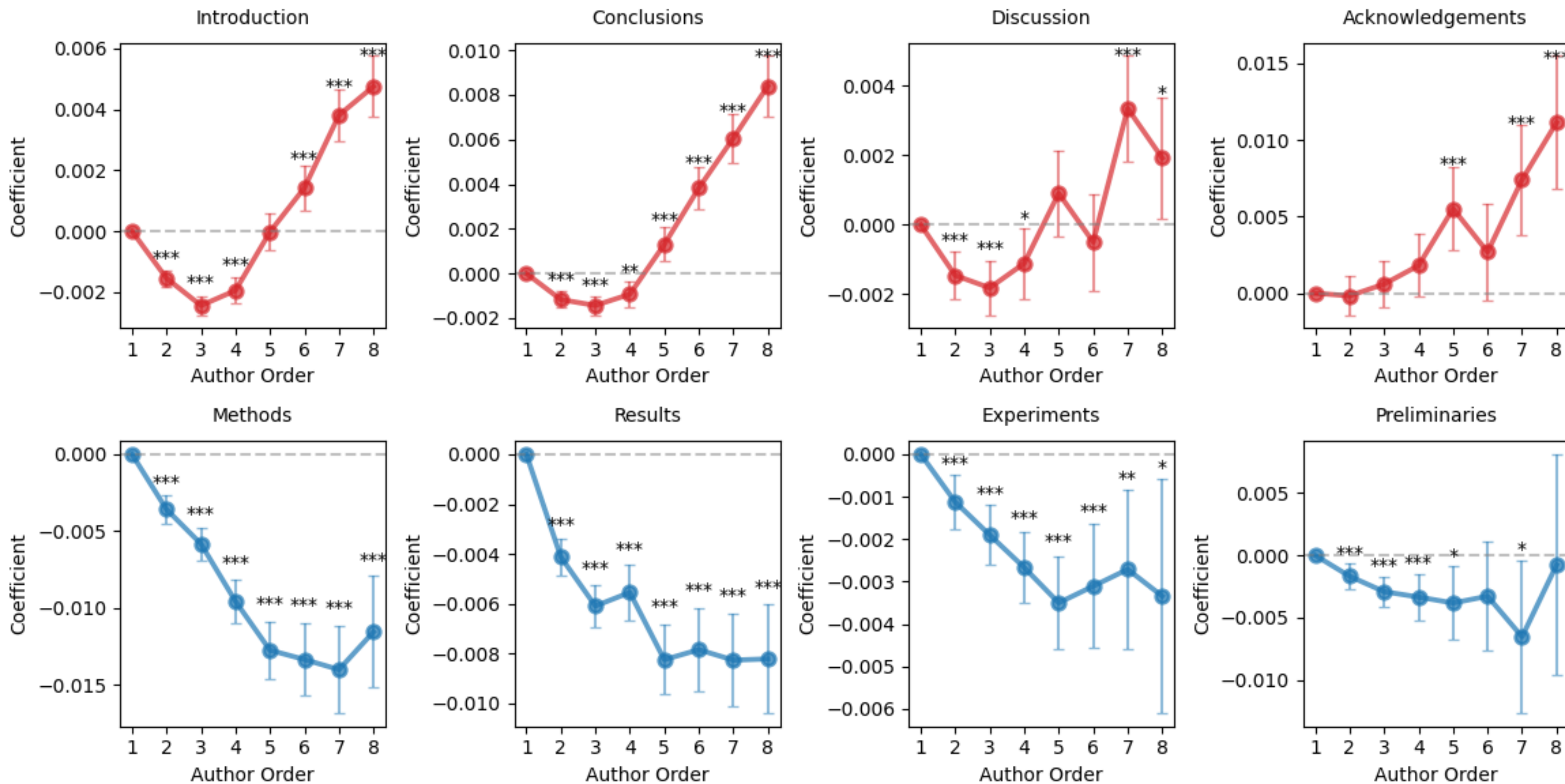
section/related.tex

■ Zhouxiang Fang

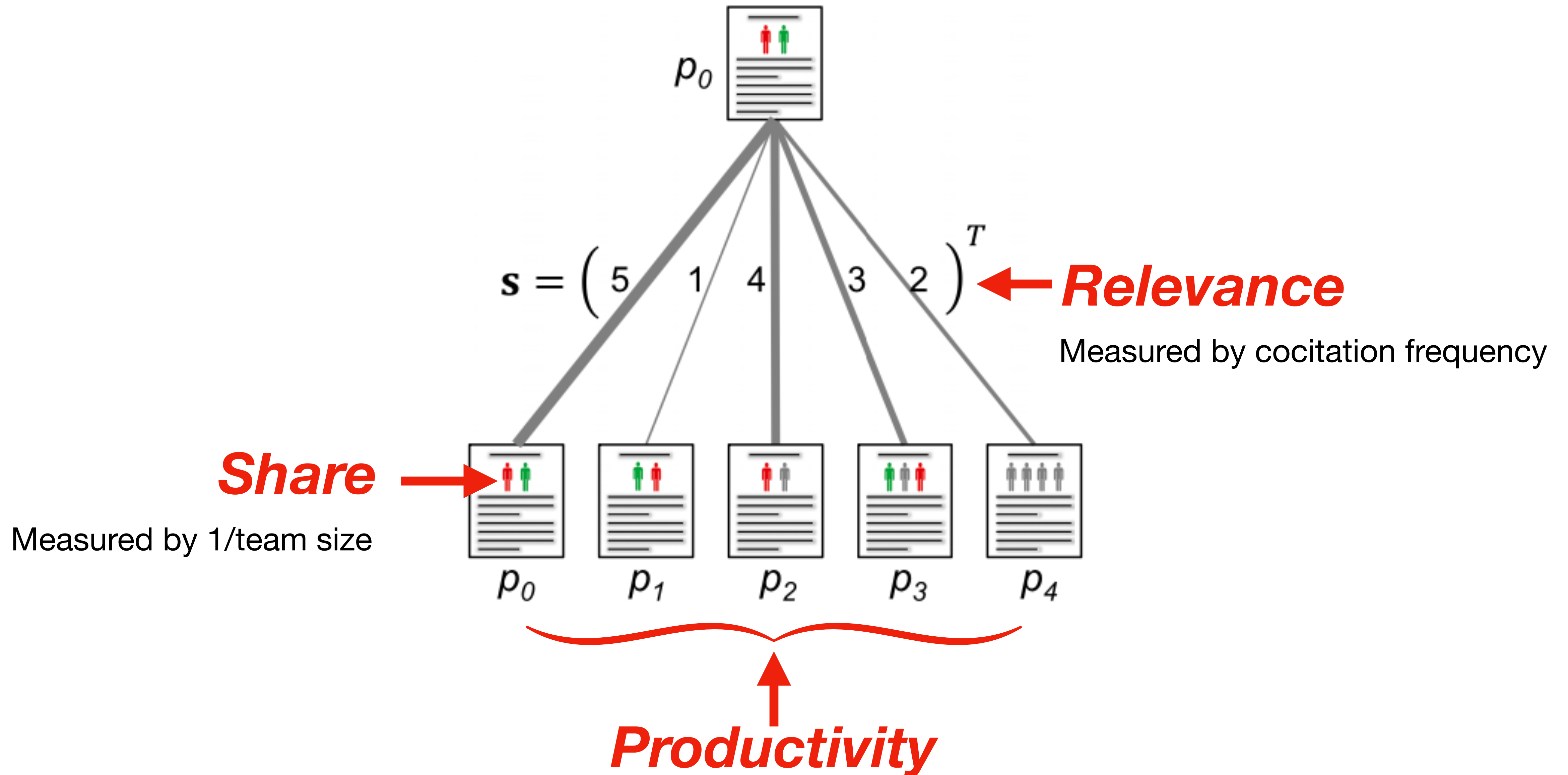
Moderate positive correlation with editing logs: Pearson $r = 0.50$, $p = 0.07$



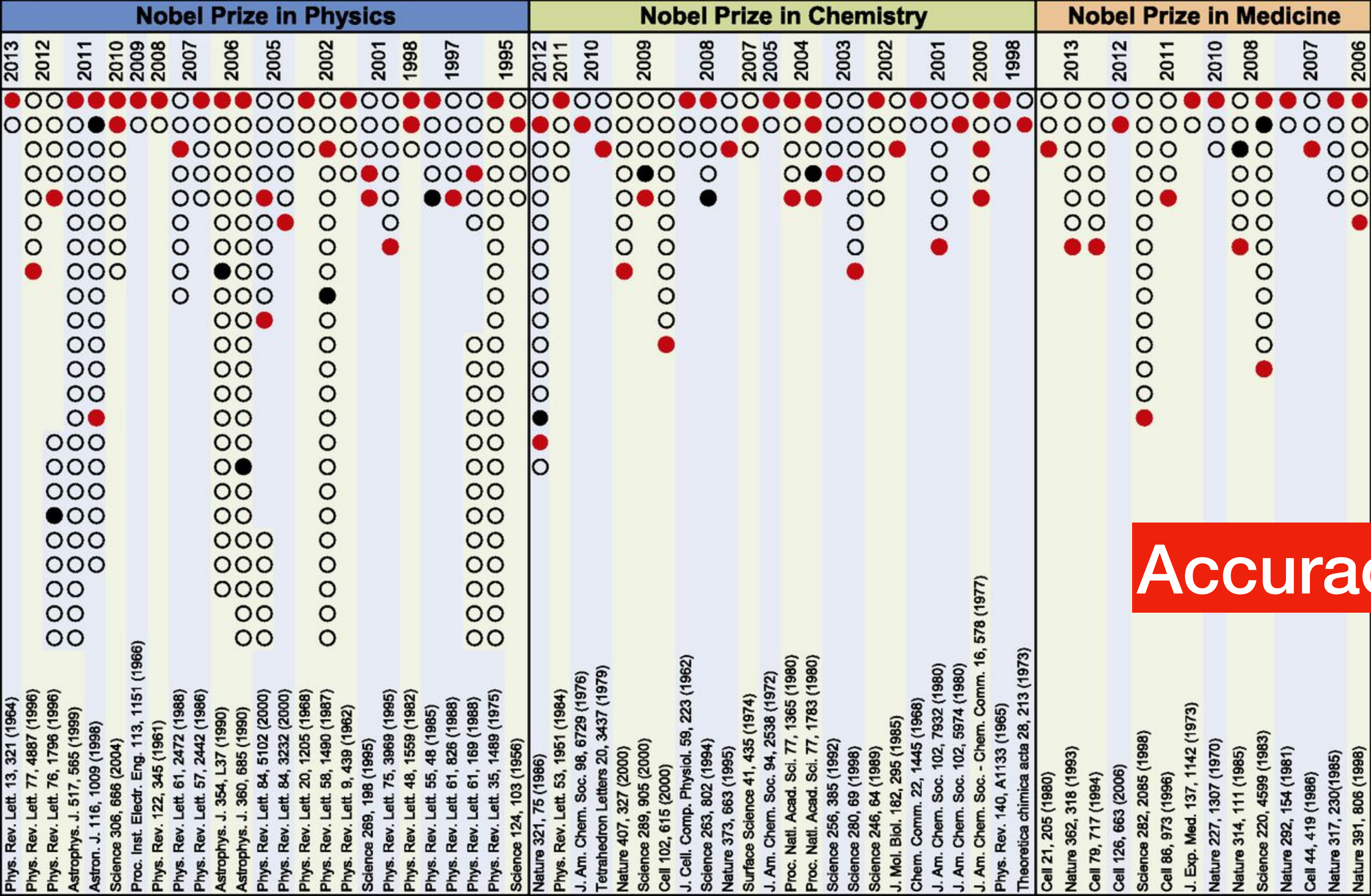
Conceptual work



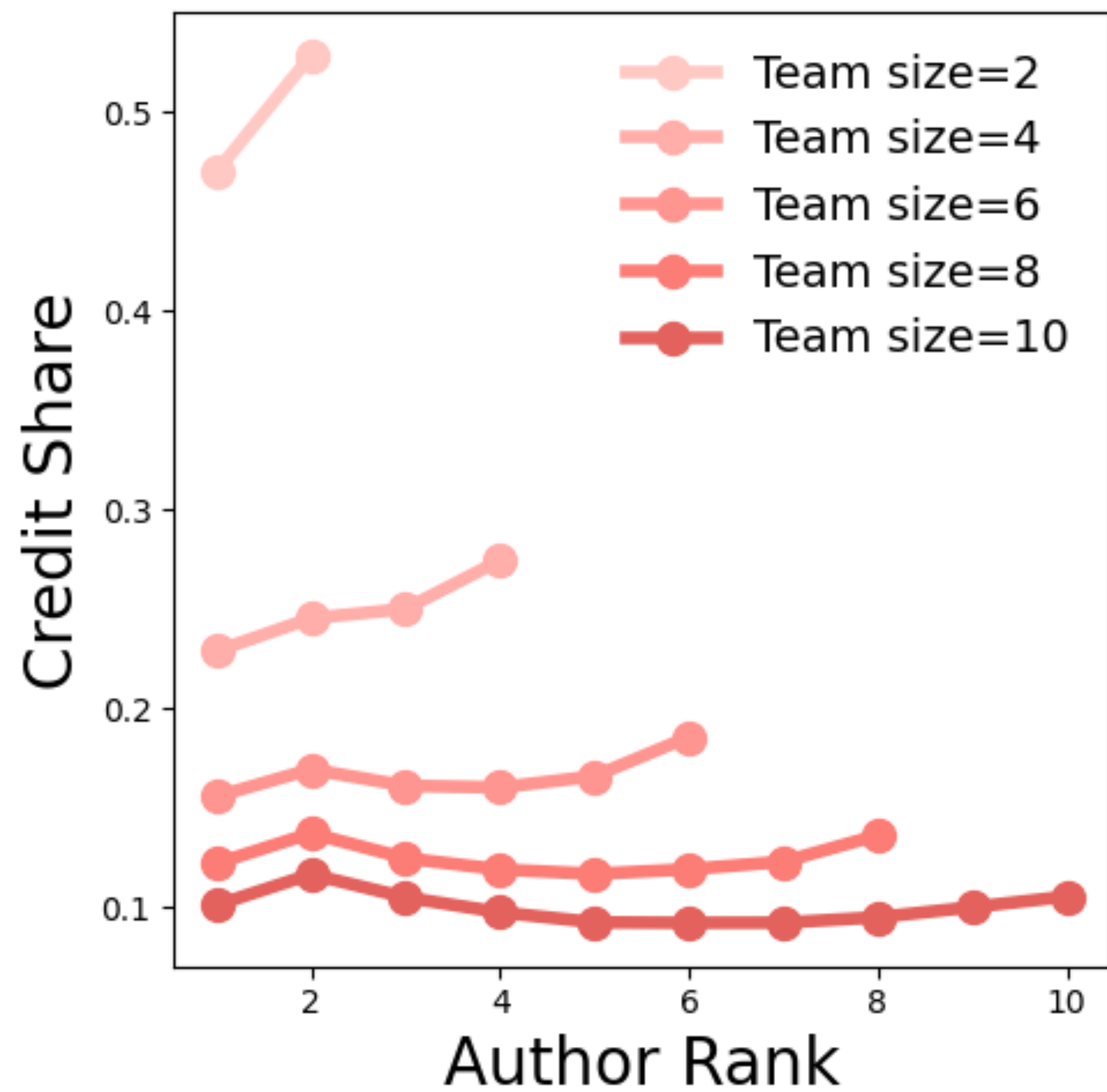
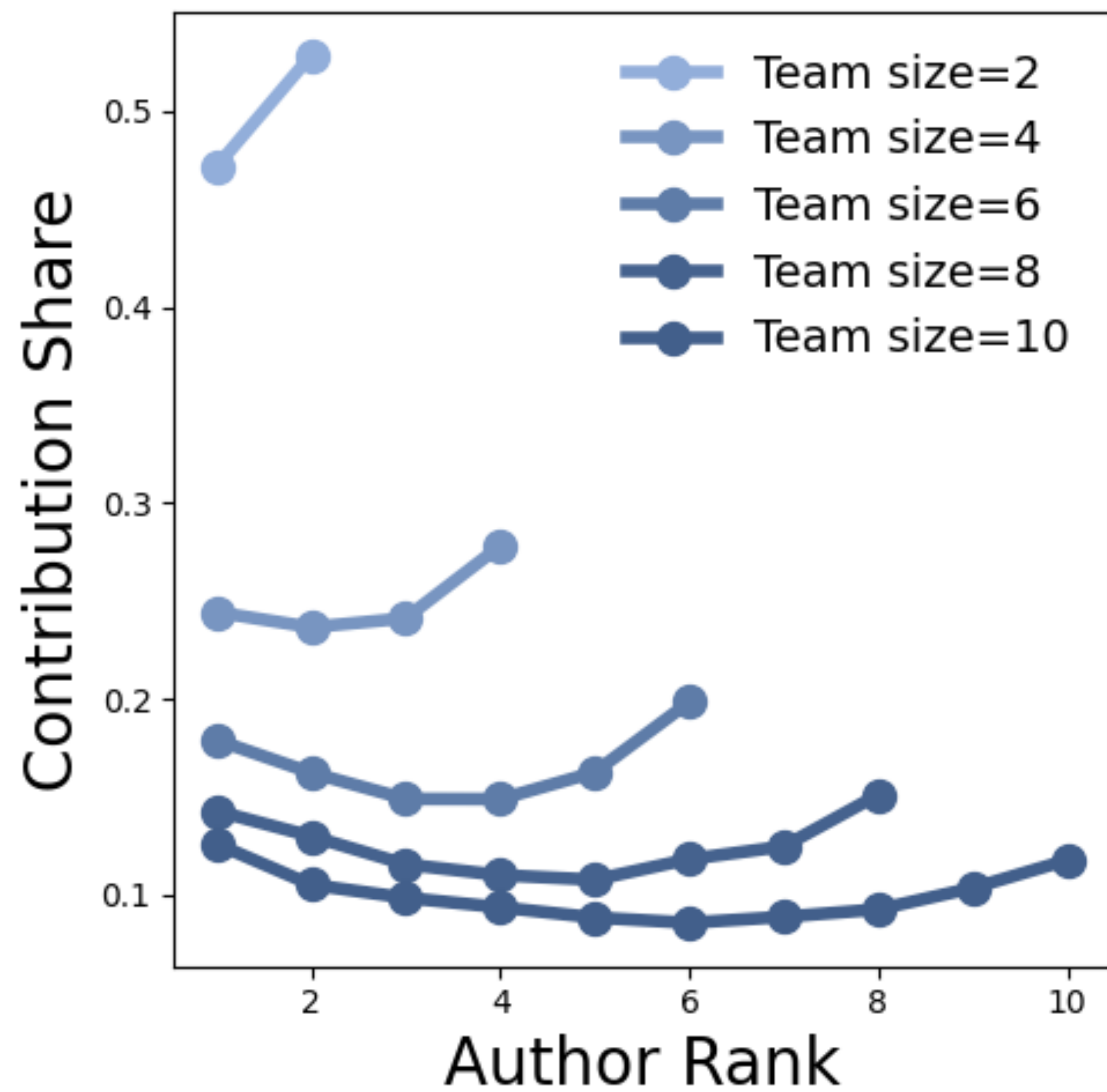
Credit Allocation Algorithm (Shen & Barabási, 2014)

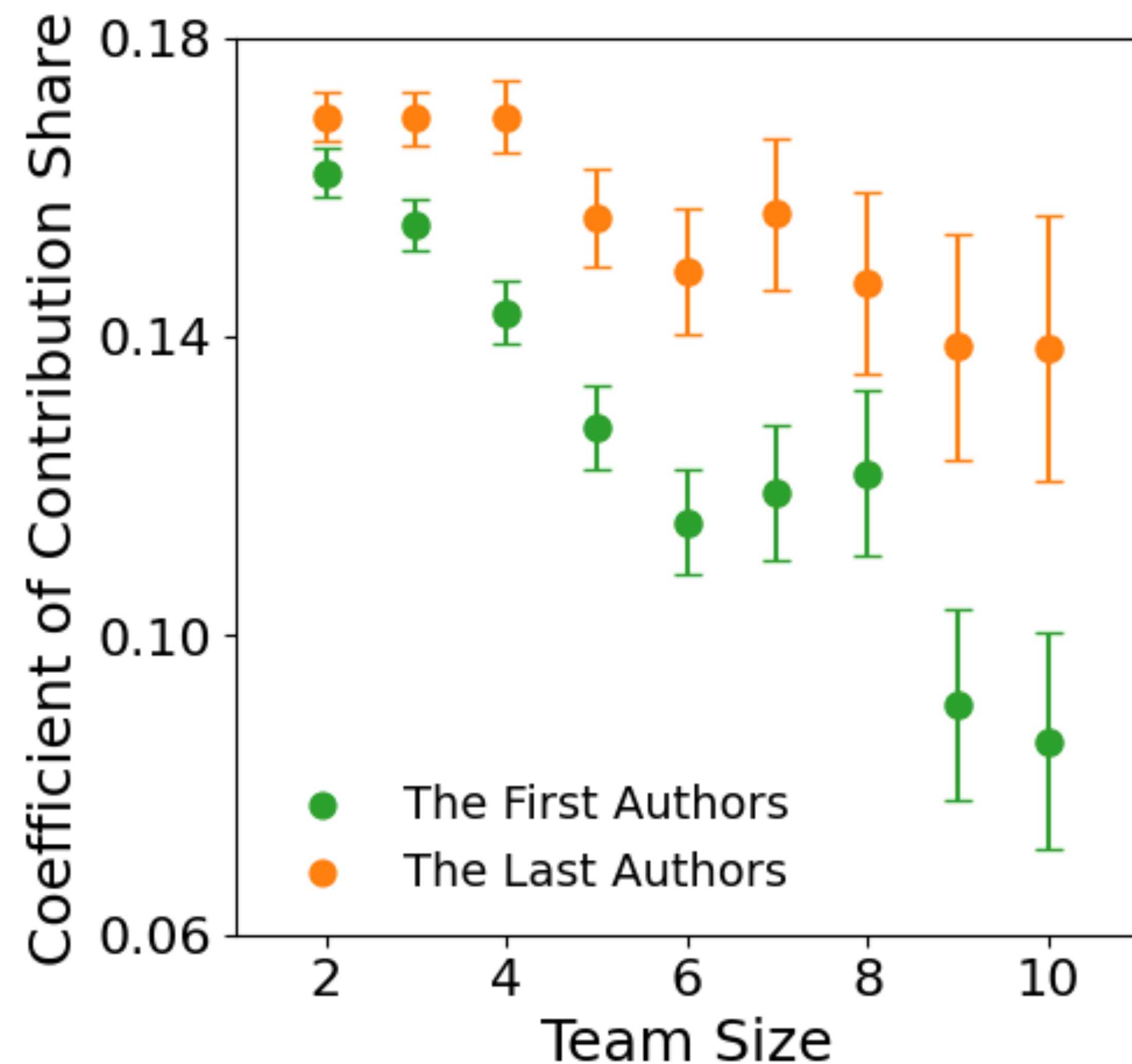
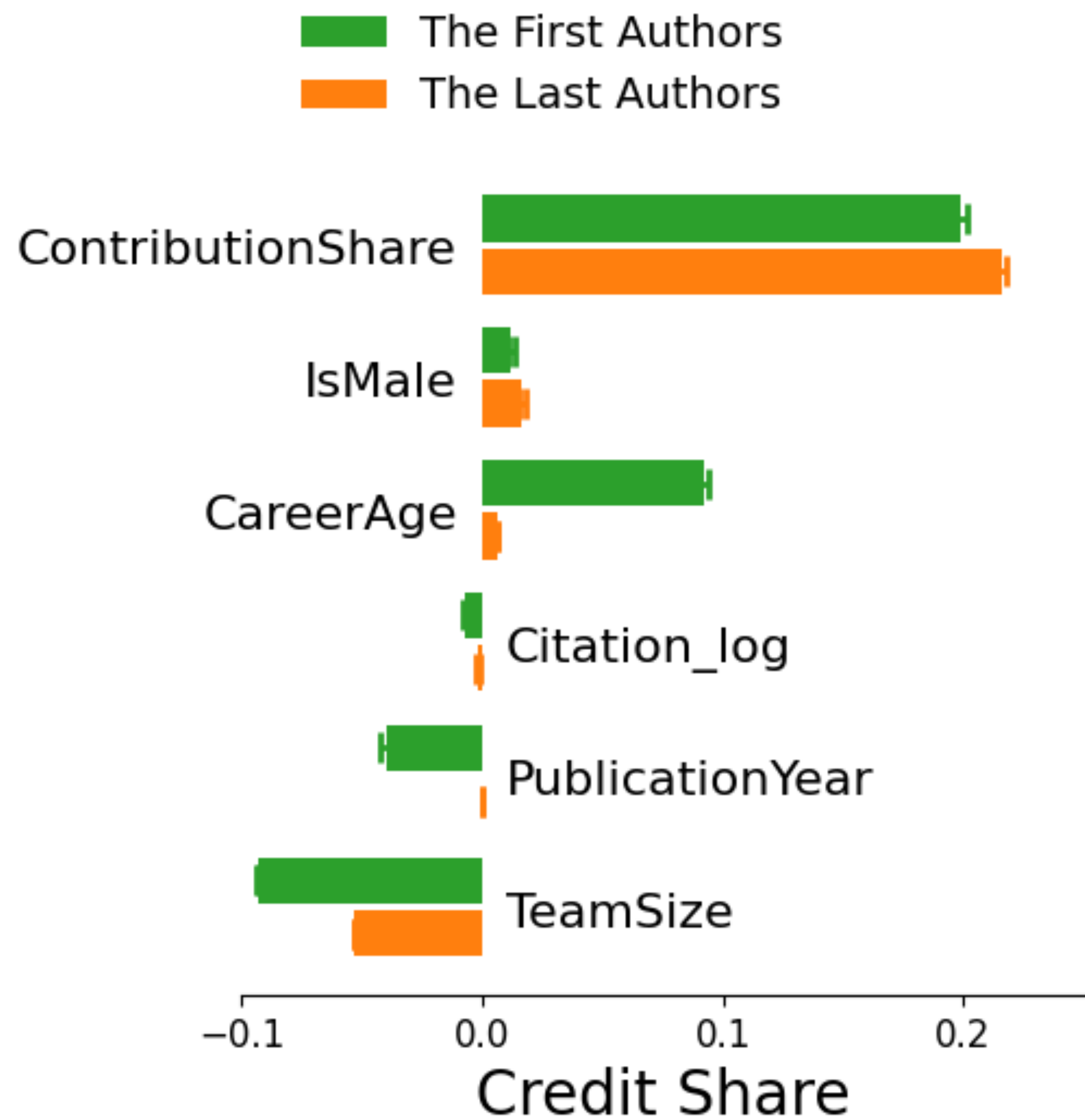


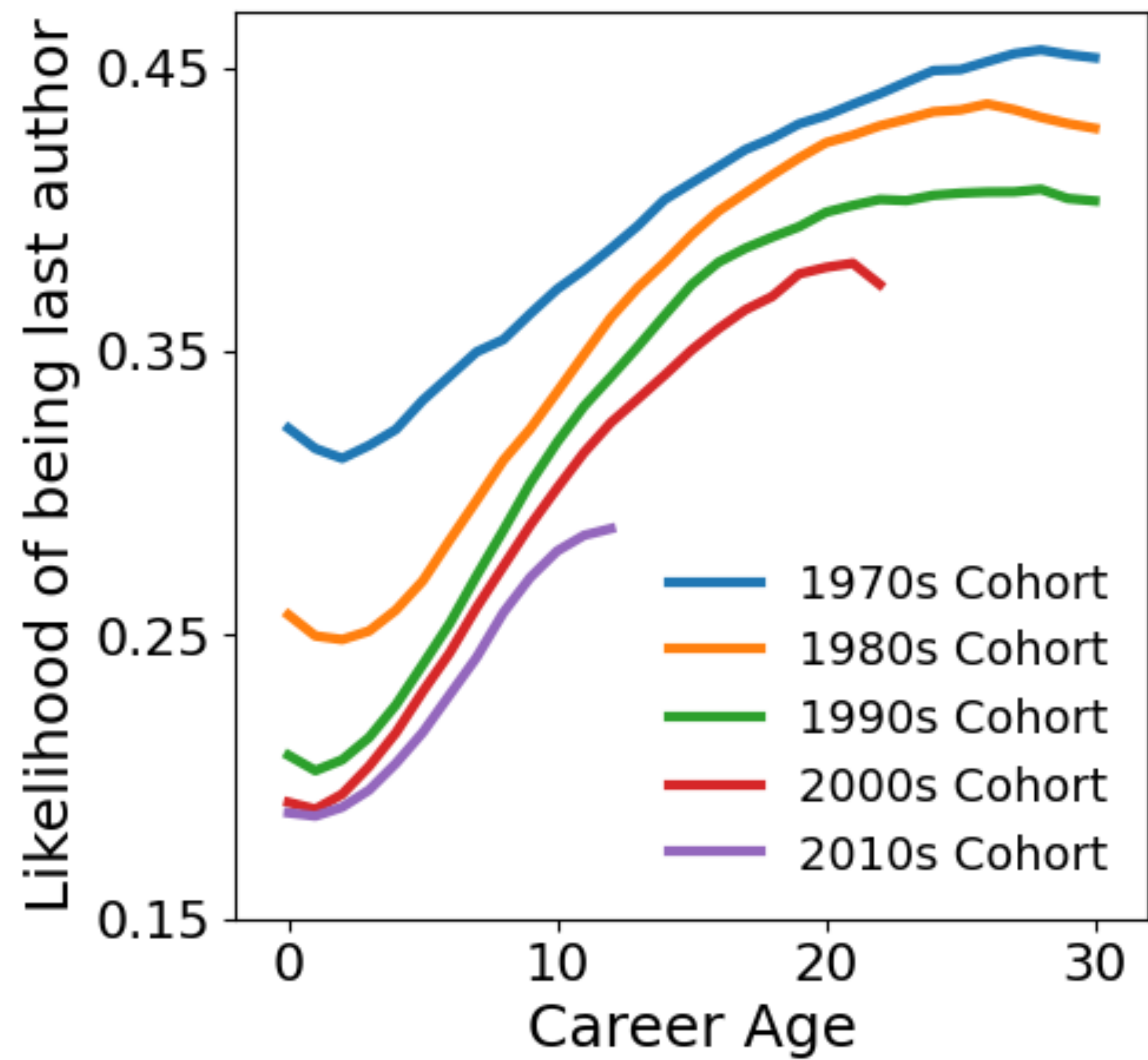
Credit Allocation Algorithm (Shen & Barabási, 2014)



Accuracy 81 %









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Thank you!