

NILS LEHR & PASCUAL RESTREPO, BOSTON UNIVERSITY

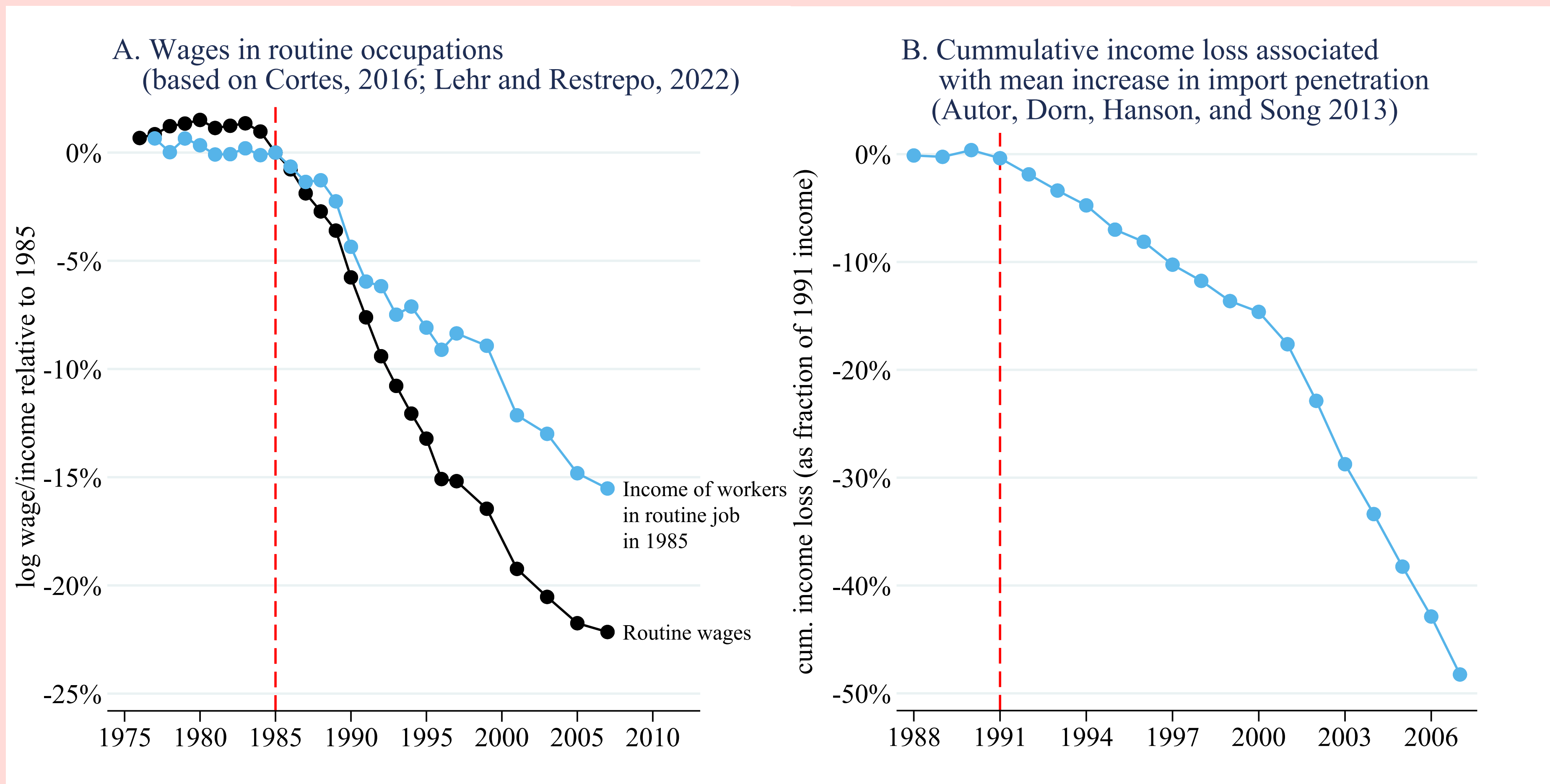
OPTIMAL GRADUALISM

IS GRADUALISM DESIRABLE?

- **Technology, trade, and reforms** might make everyone better off in long run...
- But create costly adjustment period for some workers

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Question 2: Does society benefit from slower technological progress?

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Yes. **Positive optimal tax in short run and zero tax in long run**

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(ii) there are income-based assistance programs/taxes

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Question 2: Does society benefit from slower technological progress?

Not in most cases, in particular **if optimal taxes in place**

THIS PAPER

- **Theory:** model of technological disruptions and formulas for optimal taxes
- **Empirical applications:**
 - **Routine jobs automation** (Cortes, 2016) and **China shock** (Autor et al. 2014)
 - calibrate model to match income decline for exposed workers
 - optimal policy calls for temporary taxes of 10%, phased out over time
 - **Colombia's 1990 trade liberalization:** optimal reform more gradual

A MODEL OF TECHNOLOGICAL DISRUPTIONS

- Small open economy with r fixed
- Mass 1 of workers with ℓ_x allocated to island $x \in \mathcal{X}$ (jobs, products, occupation)
- Final good produced by combining islands' output
- Initial steady state with common wage $\bar{w} = 1$ across islands
- At time $t = 0$, new technology arrives. For $x \in \mathcal{D}$, good x can be replaced by k_x produced (or exchanged) for $1/A_{x,t}$ units of final good
- Government sets tax $\tau_{x,t}$ on new technology and does lump-sum rebate T_t
- Workers in $x \in \mathcal{D}$ reallocate at Poisson rate α_x

A MODEL OF TECHNOLOGICAL DISRUPTIONS

Final good $y_t = f(\{y_{x,t}\}_{x \in \mathcal{X}})$

Disrupted islands $y_{x,t} = \ell_{x,t} + k_{x,t}, \quad w_{x,t} = (1 + \tau_{x,t})/A_{x,t}$ if $x \in \mathcal{D}$

Other islands $y_{x,t} = \ell_{x,t}$ if $x \notin \mathcal{D}$

Reallocation $\dot{\ell}_{x,t} = -\alpha_x \cdot \ell_{x,t}$ if $x \in \mathcal{D}$

Resource constraint $y_t = C_t + \sum_{x \in \mathcal{D}} (k_{x,t}/A_{x,t}),$

Indirect utility $U_{x,0} = \mathcal{U}_x \left(\{w_{x,t} + T_t, w_t + T_t\}_{t=0}^{\infty}, a_{x,0}; \alpha_x \right) - \kappa(\alpha_x)$

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Other islands $y_{x,t} = \ell_{x,t}$ if $x \notin \mathcal{D} \Rightarrow$ assume single undisrupted island with $\ell_t = 1 - \sum_{x \in \mathcal{D}} \ell_{x,t}$ and wage w_t

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OPTIMAL POLICY

Objective: Pick $\{\tau_{x,t}\}_{t=0}^{\infty}$ to maximize welfare along transition $\int_h \mathcal{W}(U_h) \cdot dh$

Definition: $\chi_{x,t}$ = **marginal social value of income** at island x time t per worker

- For disrupted islands, this can be computed as

$$\chi_{x,t} = g_x \cdot e^{-\rho t} \cdot u'(c_{x,d,t})$$

- For undisrupted island, this can be computed as

$$\chi_t = \frac{\ell_0}{\ell_t} \cdot g \cdot e^{-\rho t} \cdot u'(c_t) + \sum_{x \in \mathcal{D}} (1 - e^{-\alpha_x t}) \cdot \frac{\ell_{x,0}}{\ell_t} \cdot g_x \cdot e^{-\rho t} \cdot \mathbb{E}[u'(c_{x,t,t_r}) \mid t_r < t]$$

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Consumption disrupted hhs that have not reallocated

Pareto weight for hhs initially at x

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Pareto weight for
undisrupted hhs

Consumption for
undisrupted hhs

Consumption for disrupted
hhs that reallocated at t_r

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OPTIMAL POLICY

Key Lemma: a variation in taxes that induces a change in wages $\{dw_{x,t}\}$ and the utilization of the new technology by $\{dk_{x,t}\}$ changes welfare by

$$dW_0^{reform} = \int_0^\infty \bar{\chi}_t \cdot \left(\underbrace{\sum_x \tau_{x,t} \cdot \frac{dk_{x,t}}{A_{x,t}}}_{\text{Aggregate efficiency (fiscal externality)}} + \underbrace{\sum_x \ell_{x,t} \cdot \left(\frac{\chi_{x,t}}{\bar{\chi}_t} - 1 \right) \cdot dw_{x,t}}_{\text{Distributional considerations}} \right) \cdot dt$$

OPTIMAL TAX WITH EXOGENOUS REALLOCATION

Proposition 1: Let $m_{x,t} = k_{x,t}/A_t$. Optimal tax sequence with exogenous α_x satisfies

$$\tau_{x',t}^* = \sum_x \frac{\ell_{x,t} \cdot w_{x,t}}{m_{x',t}} \cdot \left(\frac{\chi_{x,t}}{\bar{\chi}_t} - 1 \right) \cdot \left(\frac{d \ln w_{x,t}}{d \ln k_{x',t}} \right)$$

Intuition: Reducing $k_{x,t}$ leads to **decline in income via fiscal externality (LHS)**

vs **distributional gains from change in wages (RHS)**

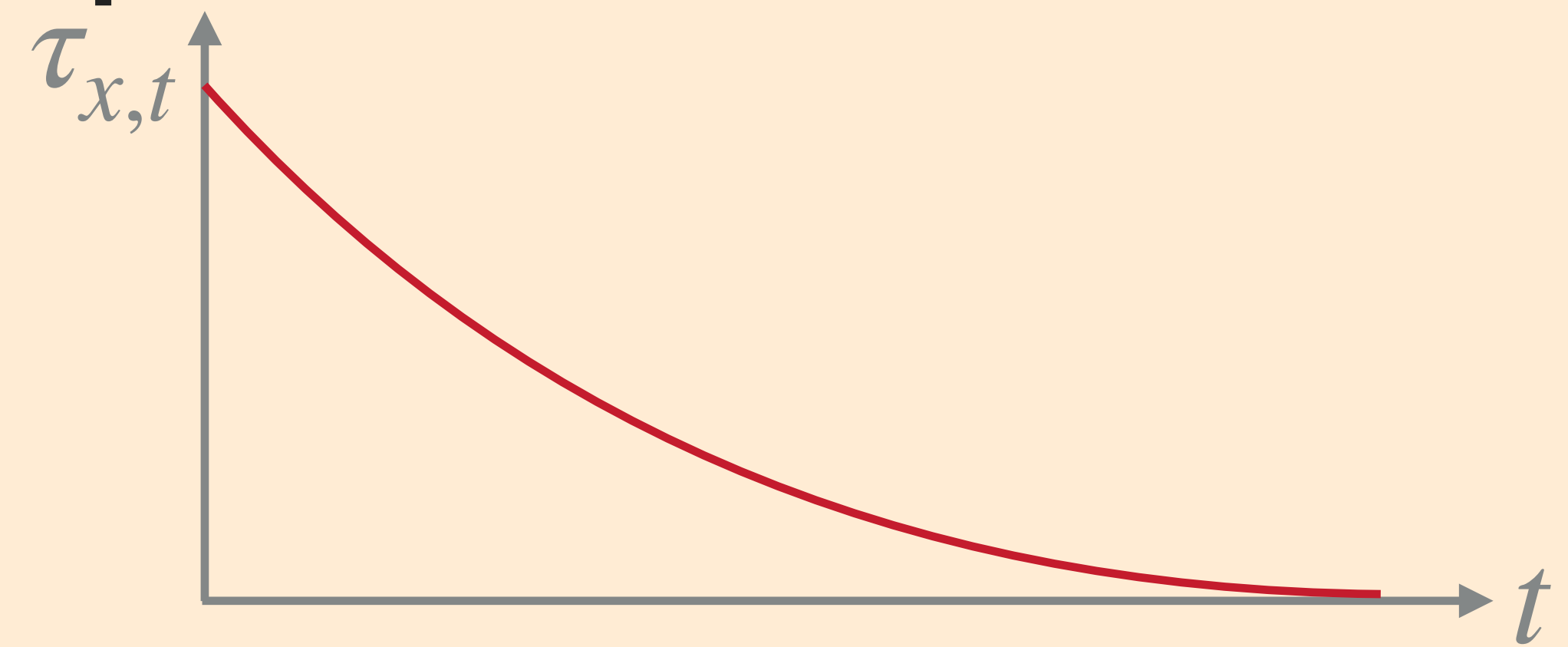
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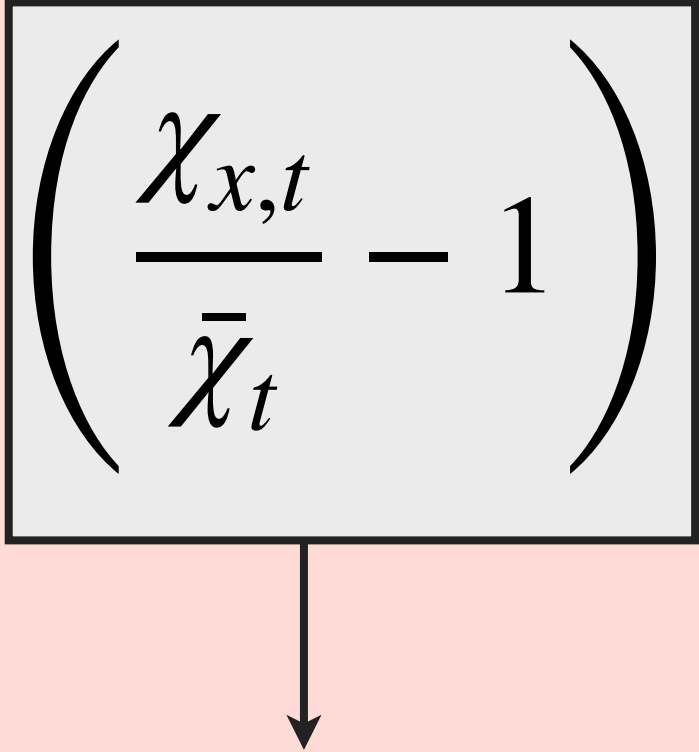
1 Force towards gradualism: benefits from reducing future use of new tech small

Long run: $\ell_{x,t} \rightarrow 0$ implies $\tau_{x,t} \rightarrow 0$

Optimal tax for immediate shock

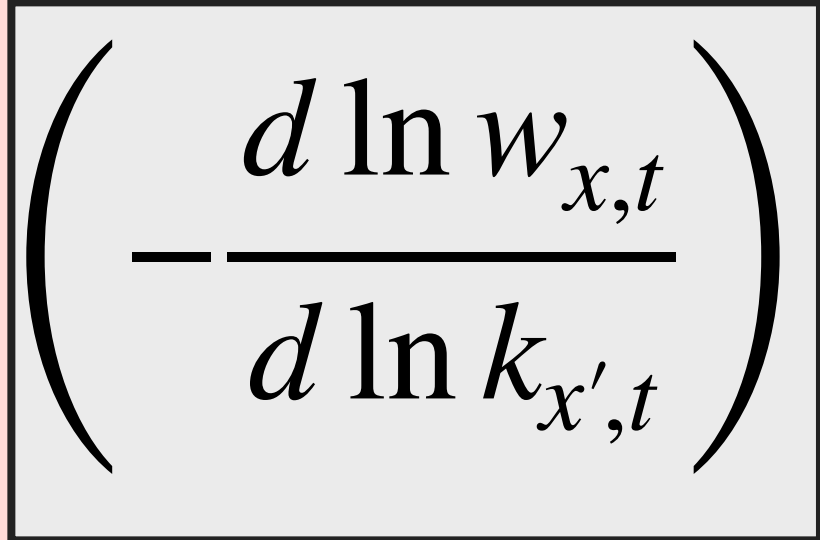


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2 **Force towards higher taxes:** distributional considerations summarized by χ 's

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3 **Force towards higher taxes:** large negative elasticity of wages of disrupted workers wrt technology utilization

OPTIMAL TAX WITH ENDOGENOUS REALLOCATION EFFORT

Proposition 2: Optimal tax sequence with endogenous α_x satisfies

$$\tau_{x',t}^* = \sum_x \frac{\ell_{x,t} \cdot w_{x,t}}{m_{x',t}} \cdot \left(\frac{\chi_{x,t}^{end}}{\bar{\chi}_t^{end}} - 1 \right) \cdot \left(-\frac{d \ln w_{x,t}}{d \ln k_{x',t}} \right)$$

$\chi_{x,t}^{end}$ and χ_t^{end} account for **reduced incentives for reallocation**

$$\chi_{x,t}^{end} \approx \chi_{x,t} + \mu_x \cdot \varepsilon \cdot \mathcal{U}_{x,\alpha,d,t}$$

$$\chi_t^{end} \approx \chi_t + \sum_{x \in \mathcal{D}} (\ell_{x,0} / \ell_t) \cdot \mu_x \cdot \varepsilon \cdot \mathcal{U}_{x,\alpha,n,t}$$

- $\mathcal{U}_{x,\alpha,d,t} < 0$ and $\mathcal{U}_{x,\alpha,n,t} > 0$: adverse incentives from redistribution
- ε : responsiveness reallocation effort α_x
- $\mu_x \geq 0$: social value of reallocation

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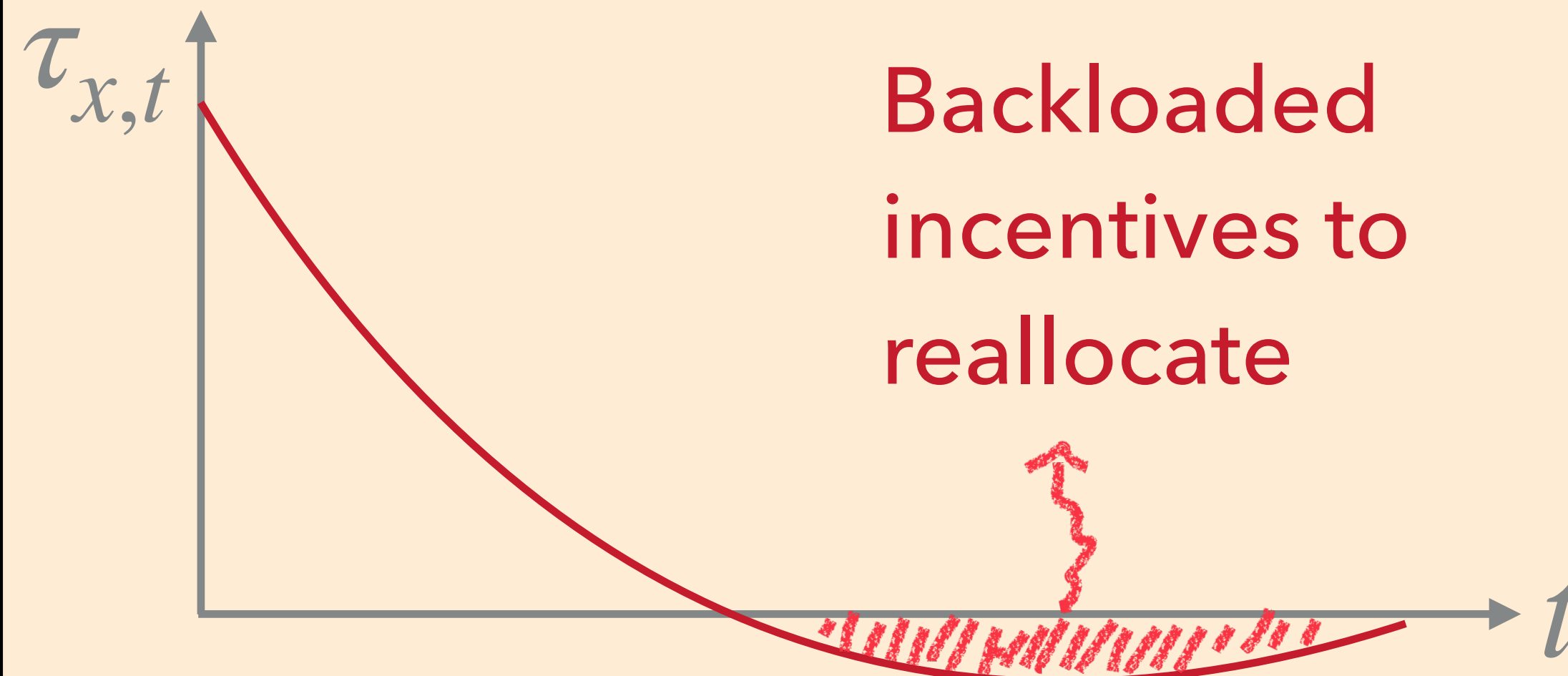
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Optimal tax for immediate shock



OPTIMAL TAX WITH OTHER GOVERNMENT TOOLS

- Income taxes and assistance programs with marginal tax rate $\mathcal{R}_t \in [0,1]$
- Endogenous work effort $n_{x,t}$ responds with elasticity ε_ℓ

Proposition 3: When income taxes are available, optimal tax sequence satisfies*

$$\tau_{x',t}^* - \mathcal{R}_t^* \cdot \varepsilon_\ell \cdot \frac{d \ln \text{avg wage}}{d \ln k_{x',t}} = (1 - \mathcal{R}_t^*) \cdot \left[\sum_x \frac{\ell_{x,t} \cdot n_{x,t} \cdot w_{x,t}}{m_{x',t}} \cdot \left(\frac{\chi_{x,t}}{\bar{\chi}_t} - 1 \right) \cdot \left(-\frac{d \ln w_{x,t}}{d \ln k_{x',t}} \right) \right]$$

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Dampened distributional considerations

- If $\varepsilon_\ell > 0$, taxing tech has tagging value (Naito, 1999; Costinot-Werning, 2023)
- **Note:** Formula for \mathcal{R}_t^* in paper (as in Tsyvinski-Werquin 2017)

TAX IT DON'T TRASH IT

- Slower path for $A_{x,t}$ does not lead to higher welfare
- Start from undistorted allocation with $\tau_{x',t} = 0$:
 - Perturbation 1: reducing $k_{x',t}$ via taxes

$$\text{Welfare change} \propto -\tau_{x',t} + \sum_x \frac{\ell_{x,t} \cdot w_{x,t}}{m_{x',t}} \cdot \left(\frac{\chi_{x,t}}{\bar{\chi}_t} - 1 \right) \cdot \left(-\frac{d \ln w_{x,t}}{d \ln k_{x',t}} \right)$$

- Perturbation 2: reduction in $A_{x',t}$

$$\text{Welfare change} \propto -1 + \sum_x \frac{\ell_{x,t} \cdot w_{x,t}}{m_{x',t}} \cdot \left(\frac{\chi_{x,t}}{\bar{\chi}_t} - 1 \right) \cdot \left(-\frac{d \ln w_{x,t}}{d \ln A_{x',t}} \right)$$

- Faster increase in $A_{x,t}$ always welcomed if optimal taxes in place.

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Second-order fiscal externality on AE

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- Perturbation 2: reduction in $A_{x',t}$

First-order reduction in AE

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APPLICATIONS



**Automation of
routine jobs**



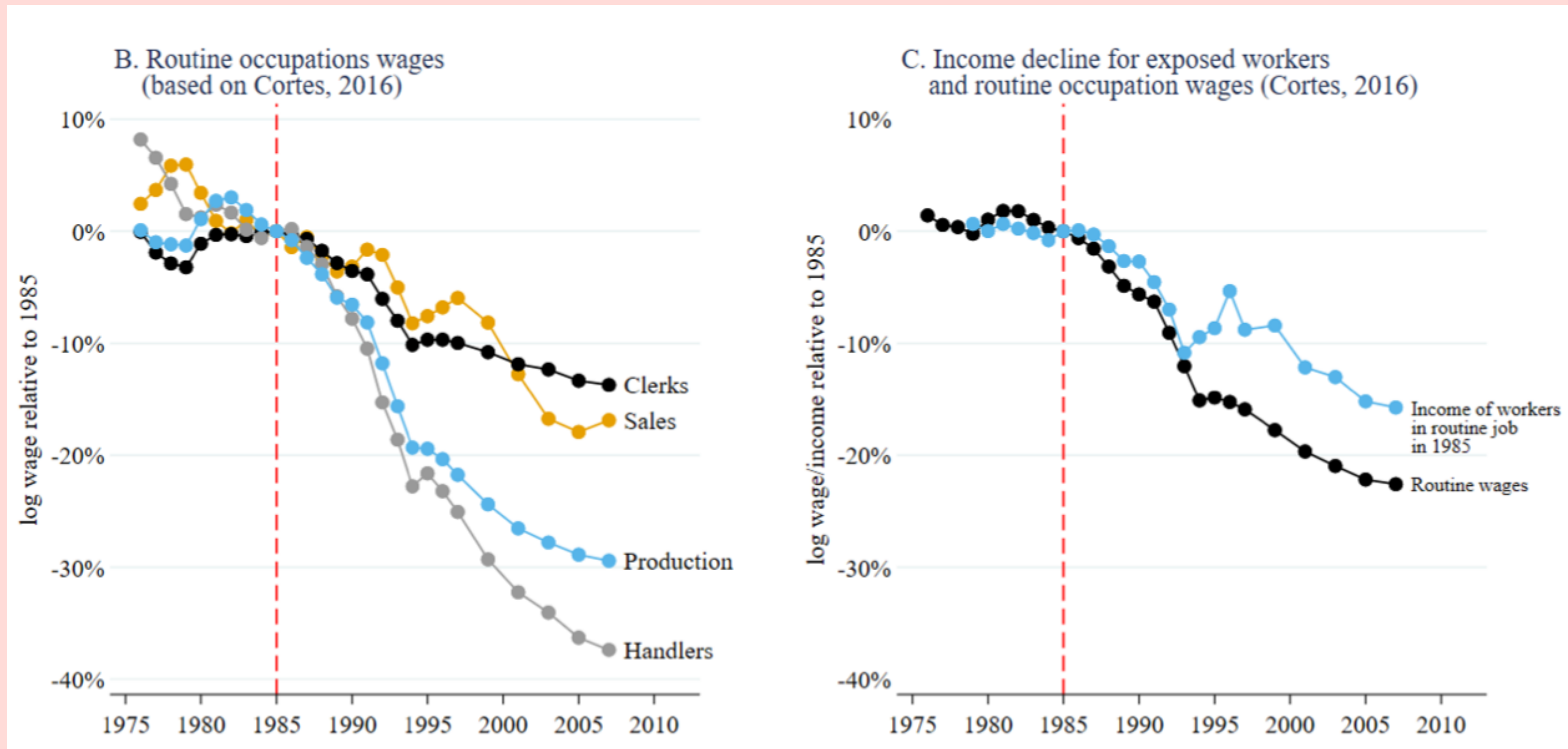
**The China
Shock**



**Colombia's trade
liberalization**

THE AUTOMATION OF ROUTINE JOBS

- Using PSID, **Cortes (2016)** documents wage decline in routine jobs since 1985.
- And large incidence on workers who held these jobs in 1985 (blue line on right).

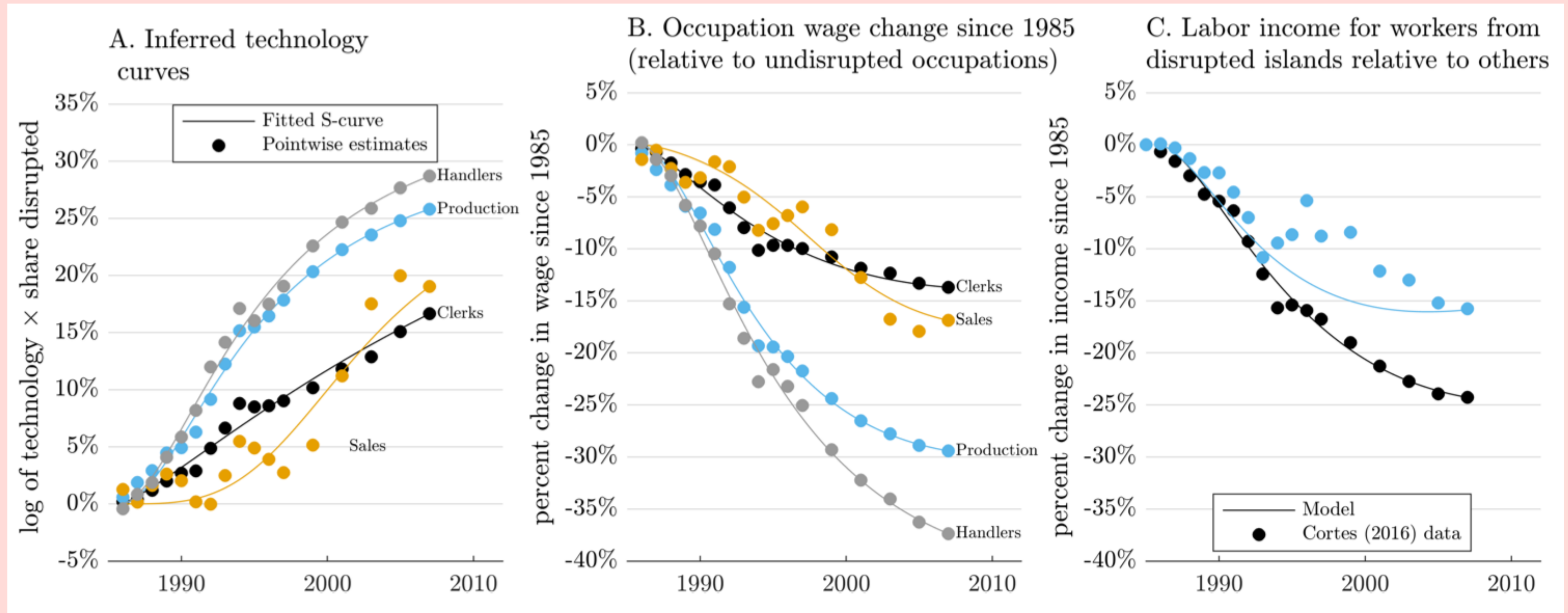


THE AUTOMATION OF ROUTINE JOBS

- Output is CES of islands with elasticity of substitution $\sigma = 0.85$ (Goos et al. 2014)
- 4 disrupted islands. Island $x \in \mathcal{D}$ represents the share $s_{o(x)}$ of jobs in occupation $o(x)$ (sales, clerks, production, material handling) being replaced.
- $s_{o(x)}, A_{x,t}, \alpha$ jointly calibrated to match:
 1. estimates of cost-saving gains of 30% (Acemoglu-Restrepo, 2020) $\Rightarrow A_{x,2007}$
 2. path for occupational wages in Cortes (2016) $\Rightarrow A_{x,t}, s_{o(x)}$
 3. average incidence of 70% across routine jobs from Cortes (2016) $\Rightarrow \alpha = 2.7\%$
- Remaining parameters: $r = \rho = 5\%$; inverse IES of 2.

THE AUTOMATION OF ROUTINE JOBS

- Model reproduces all the key moments in Cortes (2016) for income and wages:

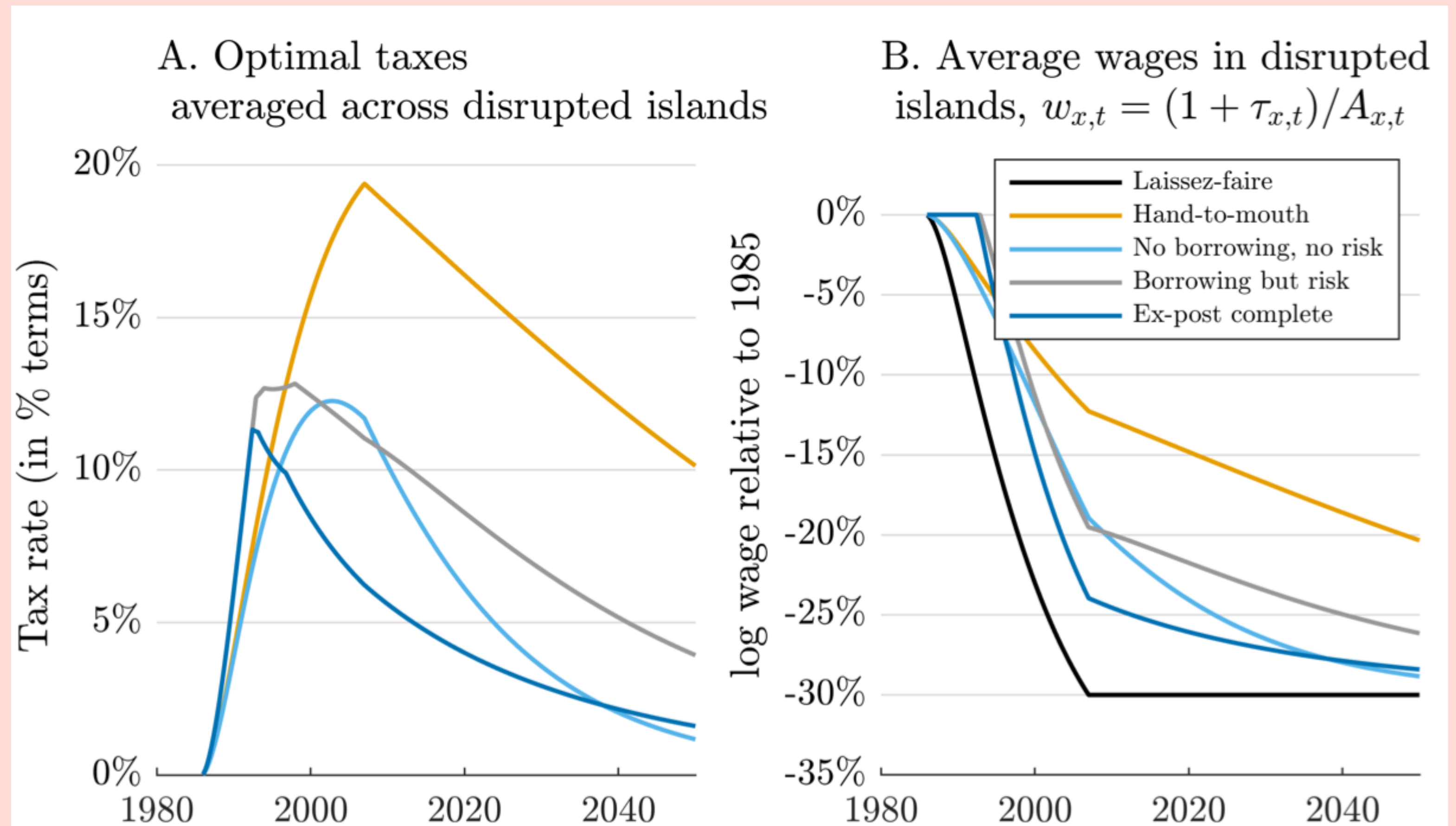


THE AUTOMATION OF ROUTINE JOBS

- Consumption paths (relevant for policy) obtained from model in four scenarios:
 - I. hand-to-mouth
 - II. shared transition risk but no borrowing/saving outside initial island
 - III. borrowing/saving but transition risk
 - IV. ex-post complete markets
- Last two scenarios assume zero initial assets (Kaplan et al. 2017)
- Scenarios illustrate sources of welfare gains from distorting automation/trade (as in decomposition by Dávila-Schaab, 2022)

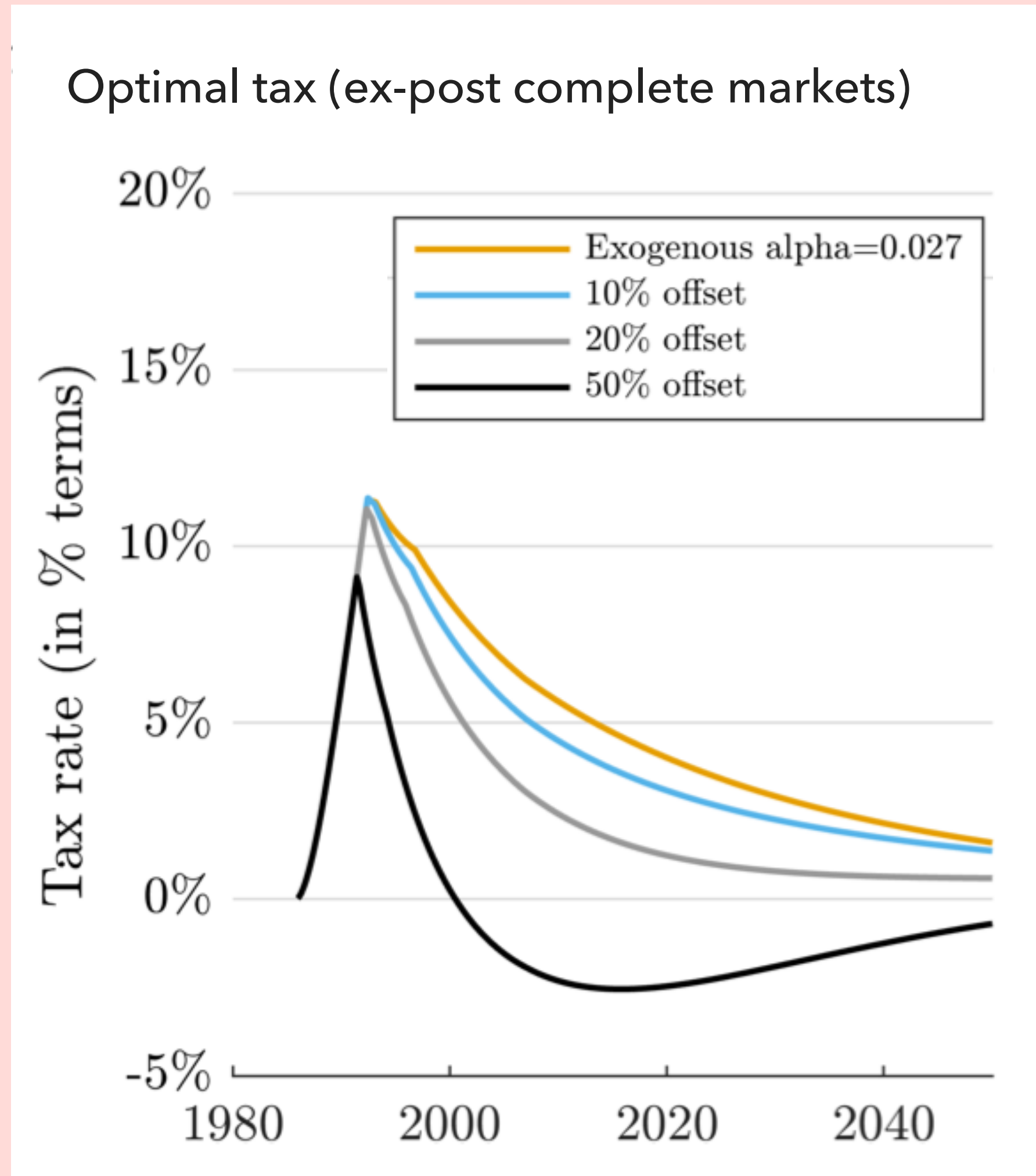
THE AUTOMATION OF ROUTINE JOBS

- **Optimal taxes with exogenous effort**
 - Optimal short run tax of 10-18%
 - Large welfare gains for disrupted households (from 5-7% loss under LF to 1-2% with optimal tax)
 - Optimal to delay when hhs can save



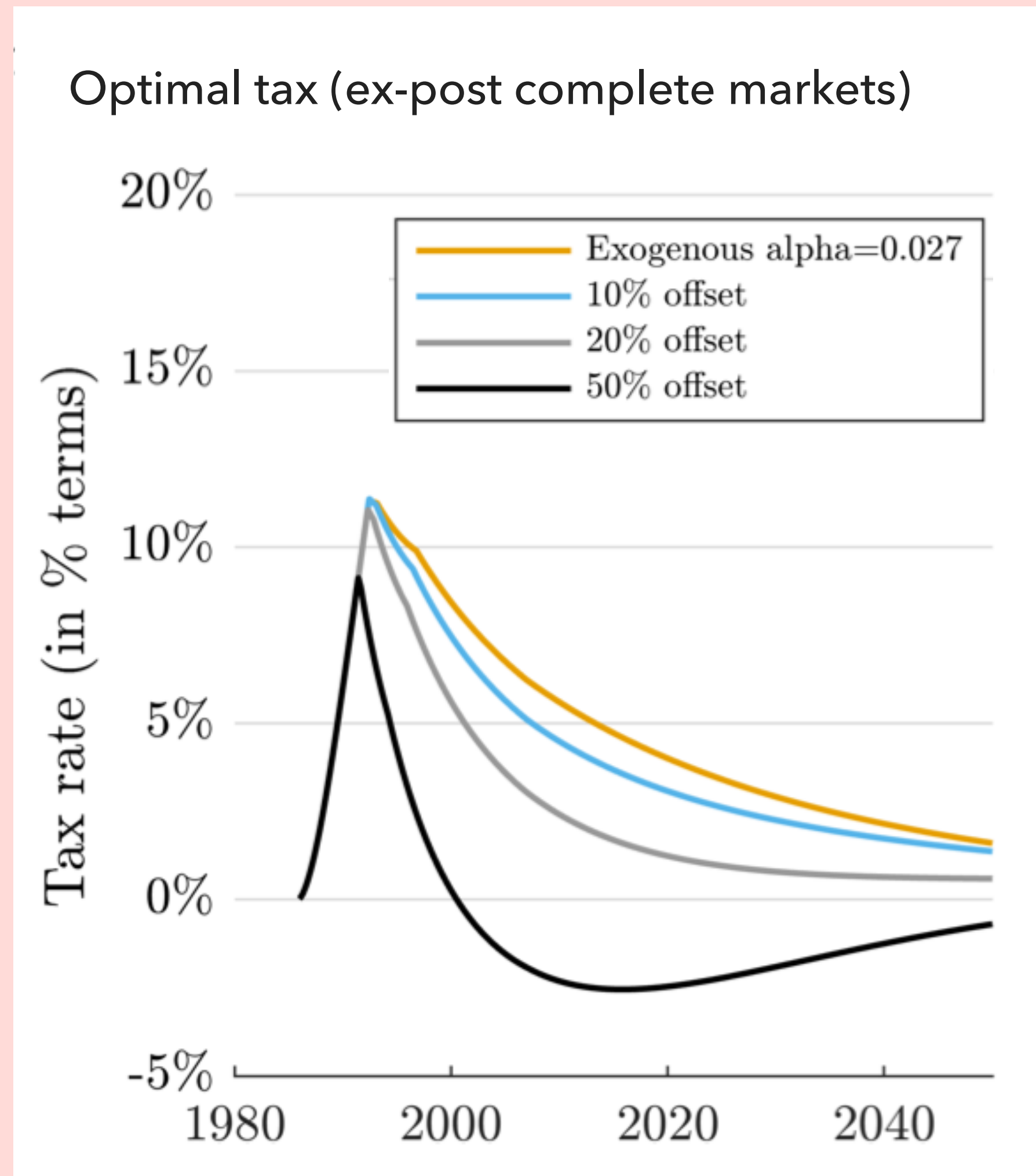
THE AUTOMATION OF ROUTINE JOBS

- Optimal tax with **endogenous effort** and different levels of *offset*

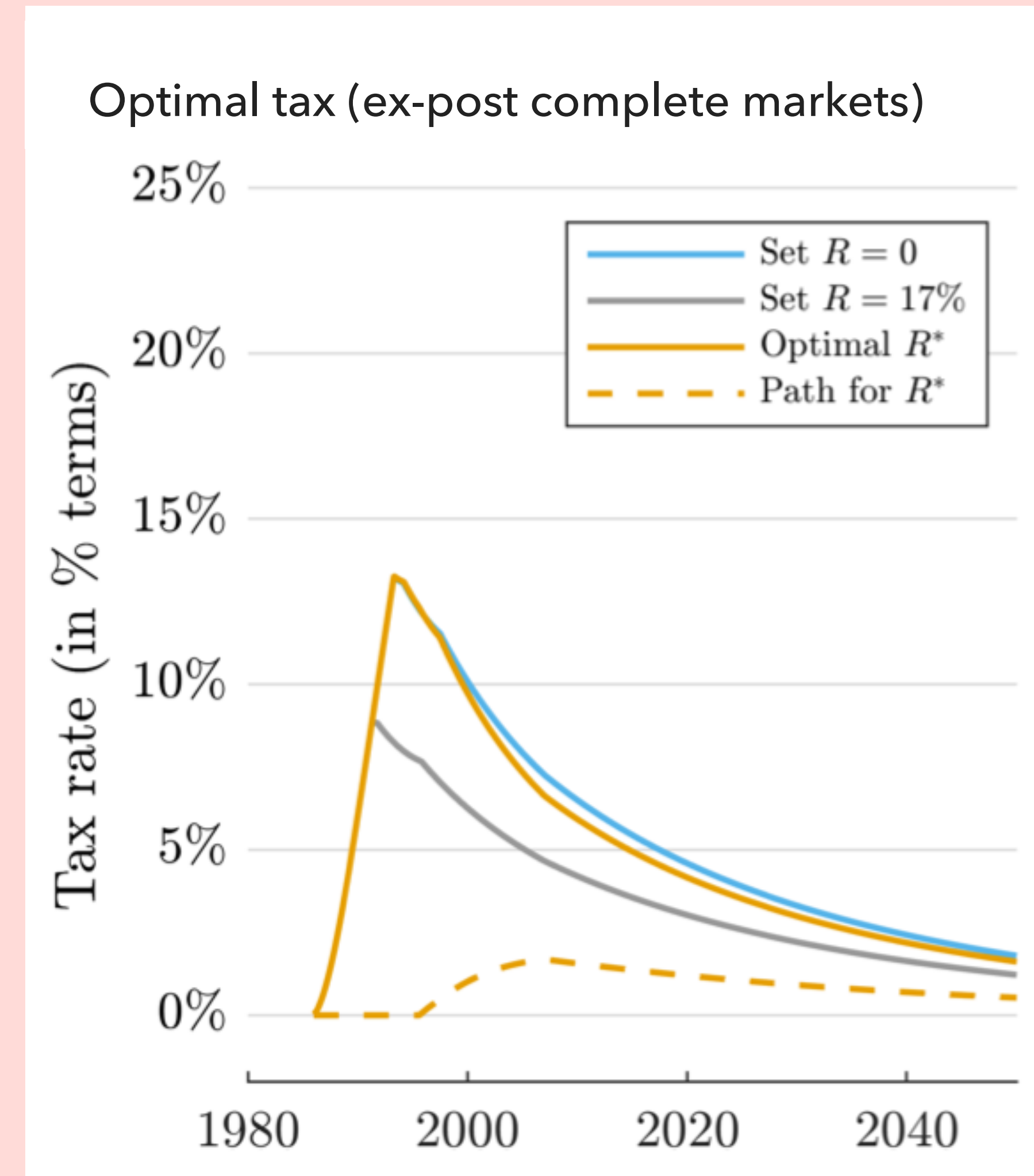


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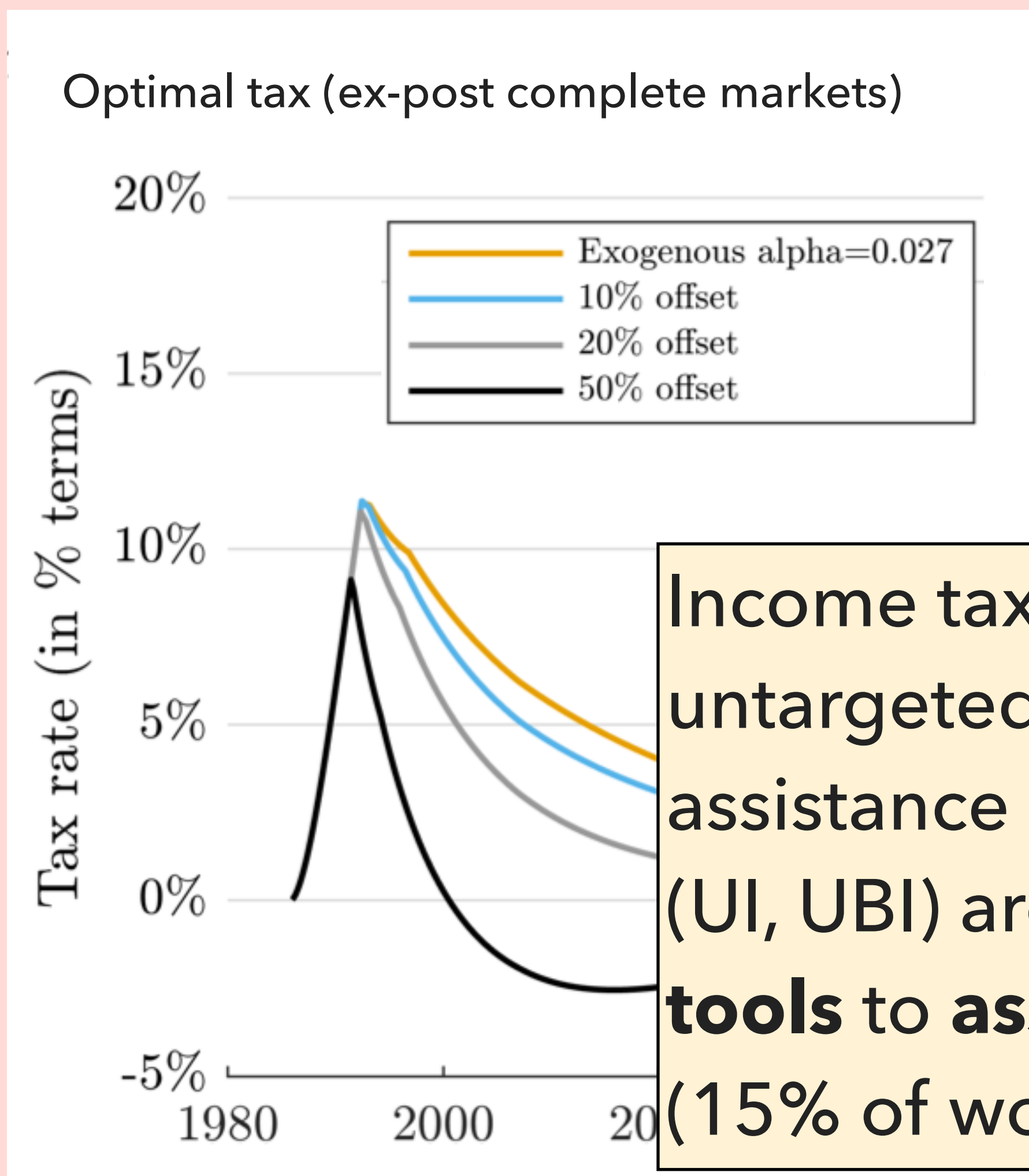


- Optimal tax with **progressive taxes and assistance programs** ($\varepsilon_\ell = 0.35$)



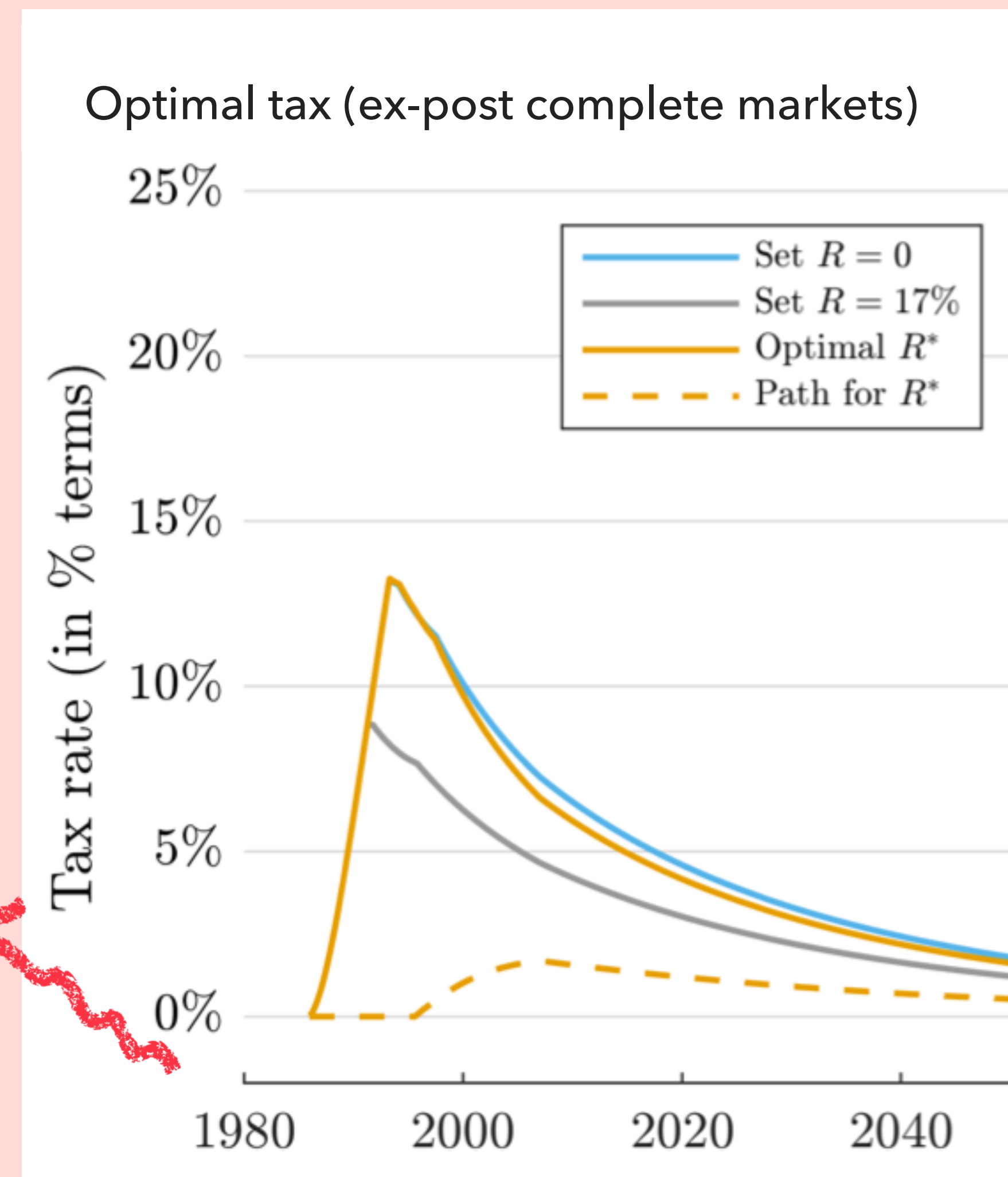
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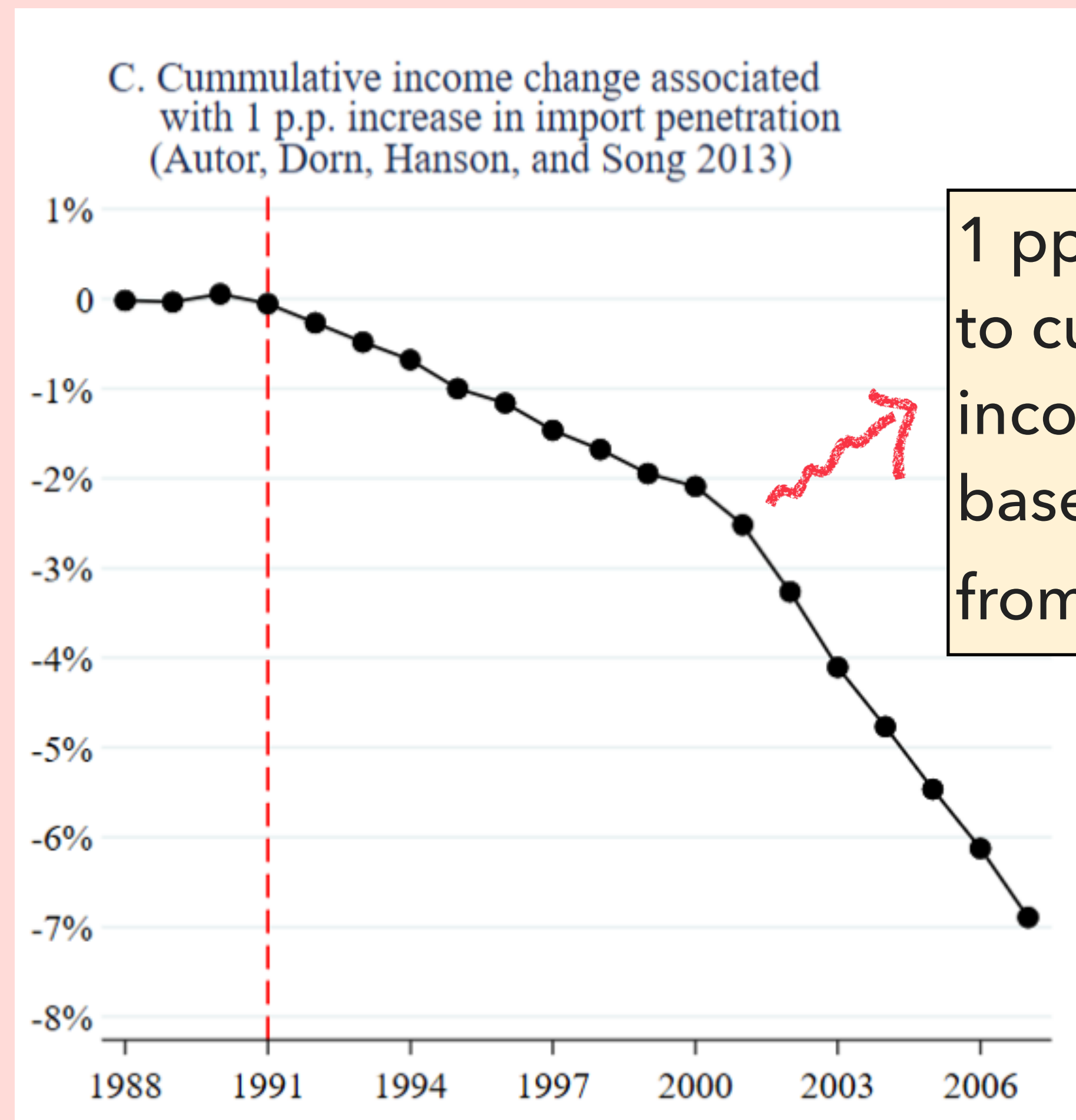
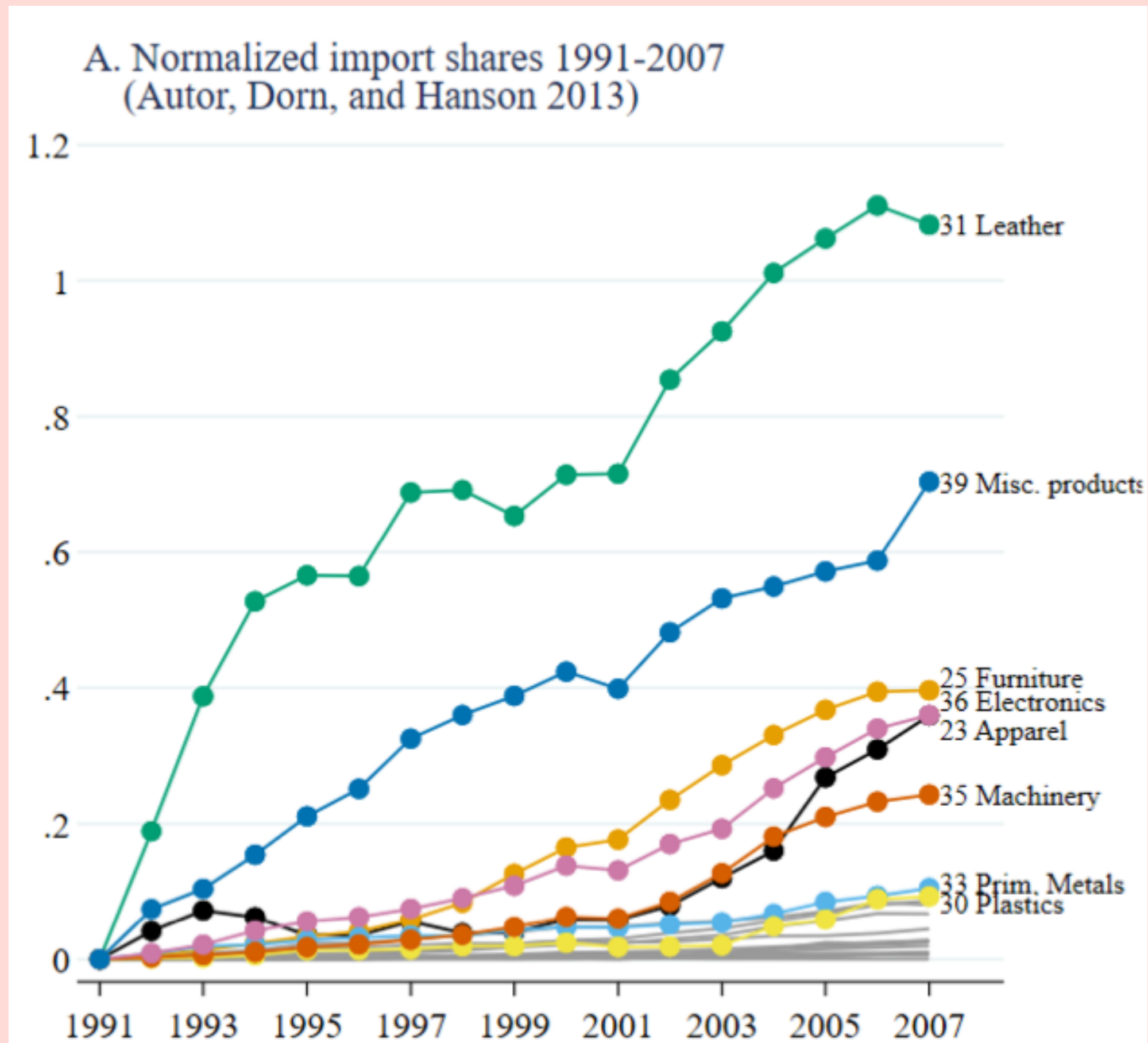
Income taxes and untargeted assistance programs (UI, UBI) are **blunt tools to assist losers** (15% of workforce)

- Optimal tax with **progressive taxes and assistance programs** ($\varepsilon_\ell = 0.35$)



THE CHINA SHOCK

- **Autor et al. (2013)**: rapid increase in Chinese import penetration since 1991.
- Using SSA data, **Autor et al. (2014)** document large income decline for workers who held these jobs by 1990.



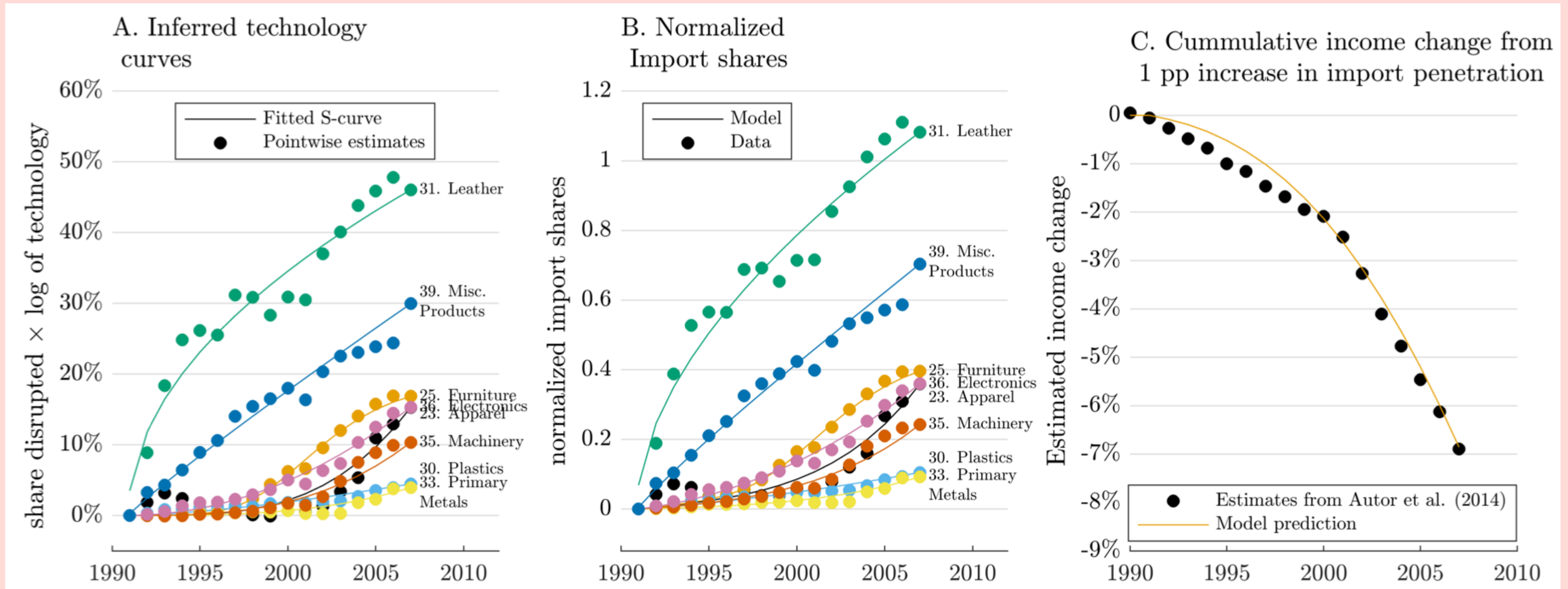
1 pp exposure leads to cumulative income loss of 7% baseline income from 1991-2007

THE CHINA SHOCK

- Output is CES of islands with $\sigma = 2$ (Broda and Weinstein et al. 2006)
- 20 disrupted islands. Island $x \in \mathcal{D}$ represents the share $s_{i(x)}$ of varieties in 2-digit industry $i(x)$ being outcompeted by China.
- $s_{i(x)}, A_{x,t}, \alpha$ jointly calibrated to match:
 1. price declines associated with China Shock (Bai and Stumpner, 2019) $\Rightarrow A_{x,2007}$
 2. path for imports by 2-digit industry in Autor et al. (2013) $\Rightarrow A_{x,t}, s_{i(x)}$
 3. income decline for exposed workers in Autor et al. (2014) $\Rightarrow \alpha = 1.8\%$
- Remaining parameters: $r = \rho = 5\%$; inverse IES of 2.

THE CHINA SHOCK

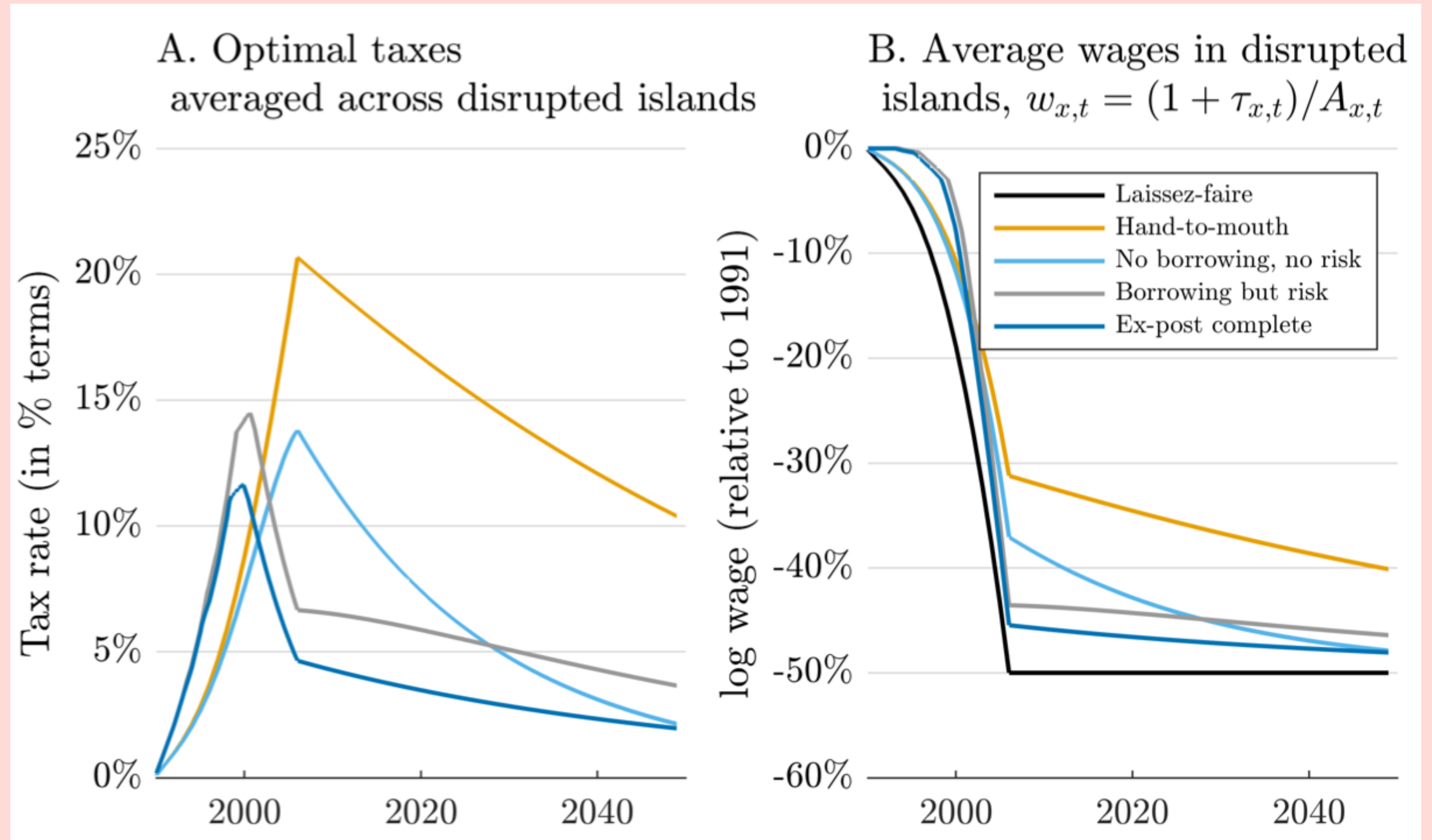
- Model reproduces key evidence for the China Shock



THE CHINA SHOCK

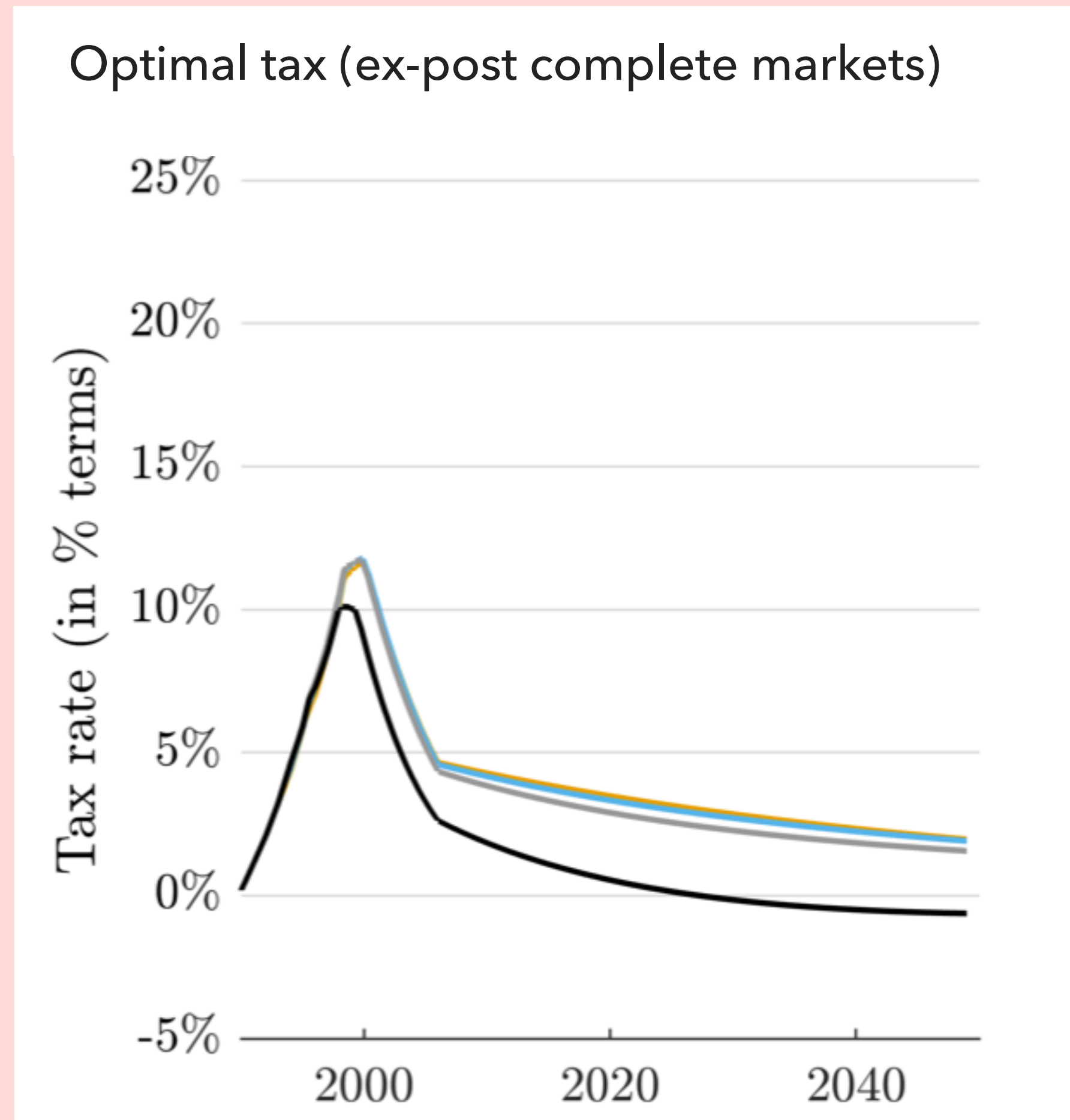
- **Optimal taxes with exogenous effort**

- Optimal short run tax of 10-20%
- Large welfare gains for disrupted households (from 15% loss under LF to 10% with optimal tax)
- Optimal to delay when hhs can save

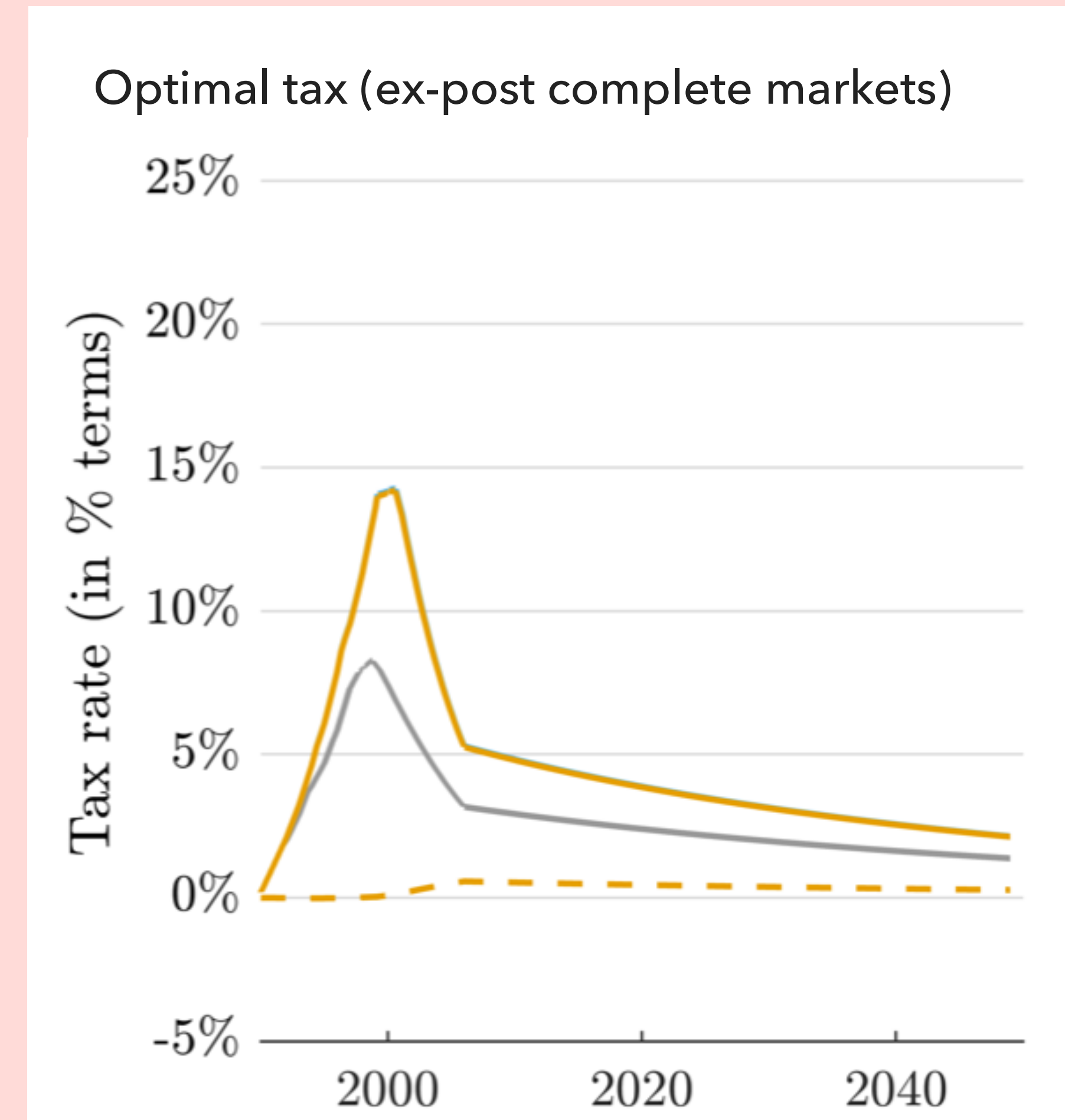


THE CHINA SHOCK

- Optimal tax with **endogenous effort** and different levels of *offset*



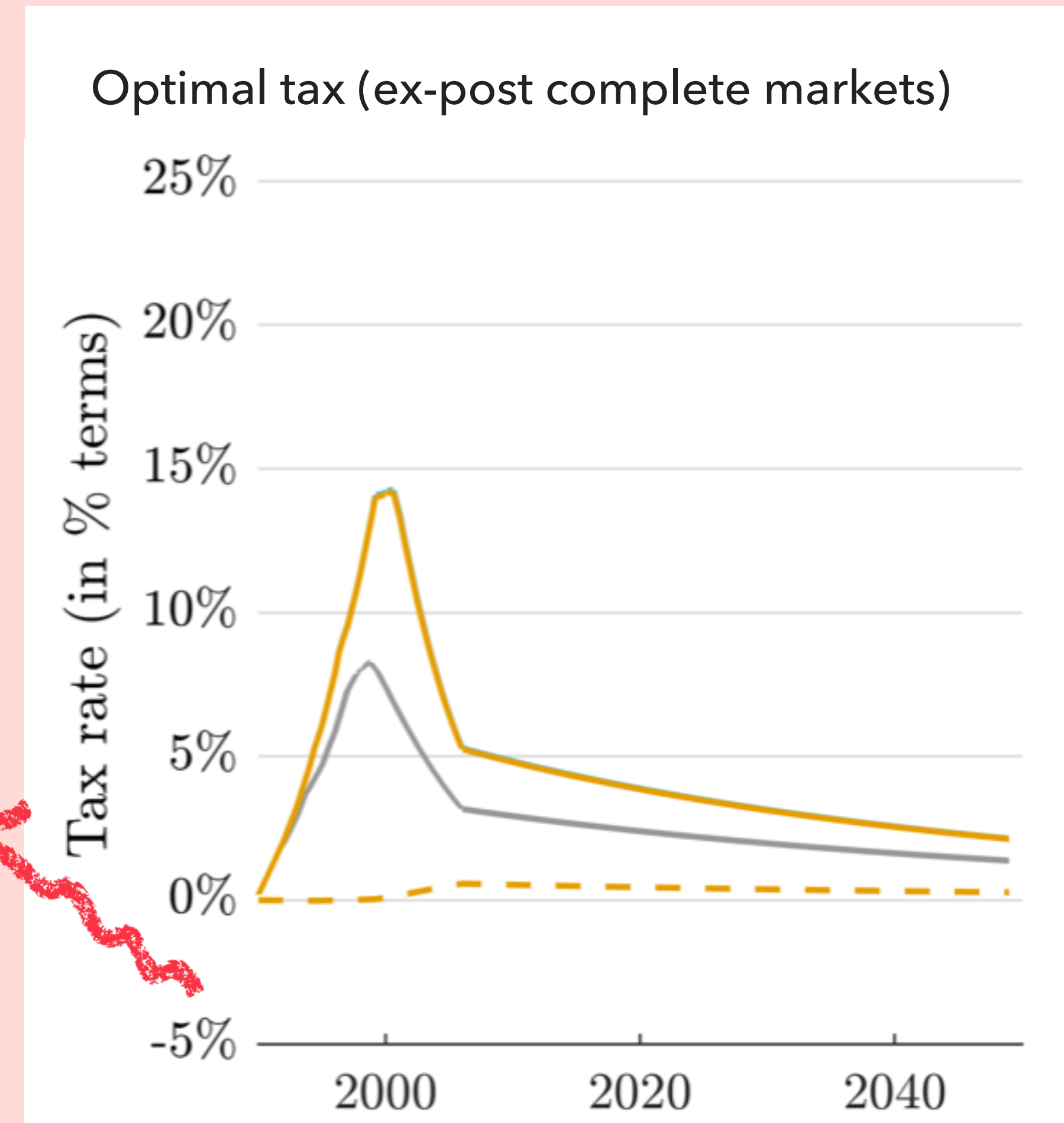
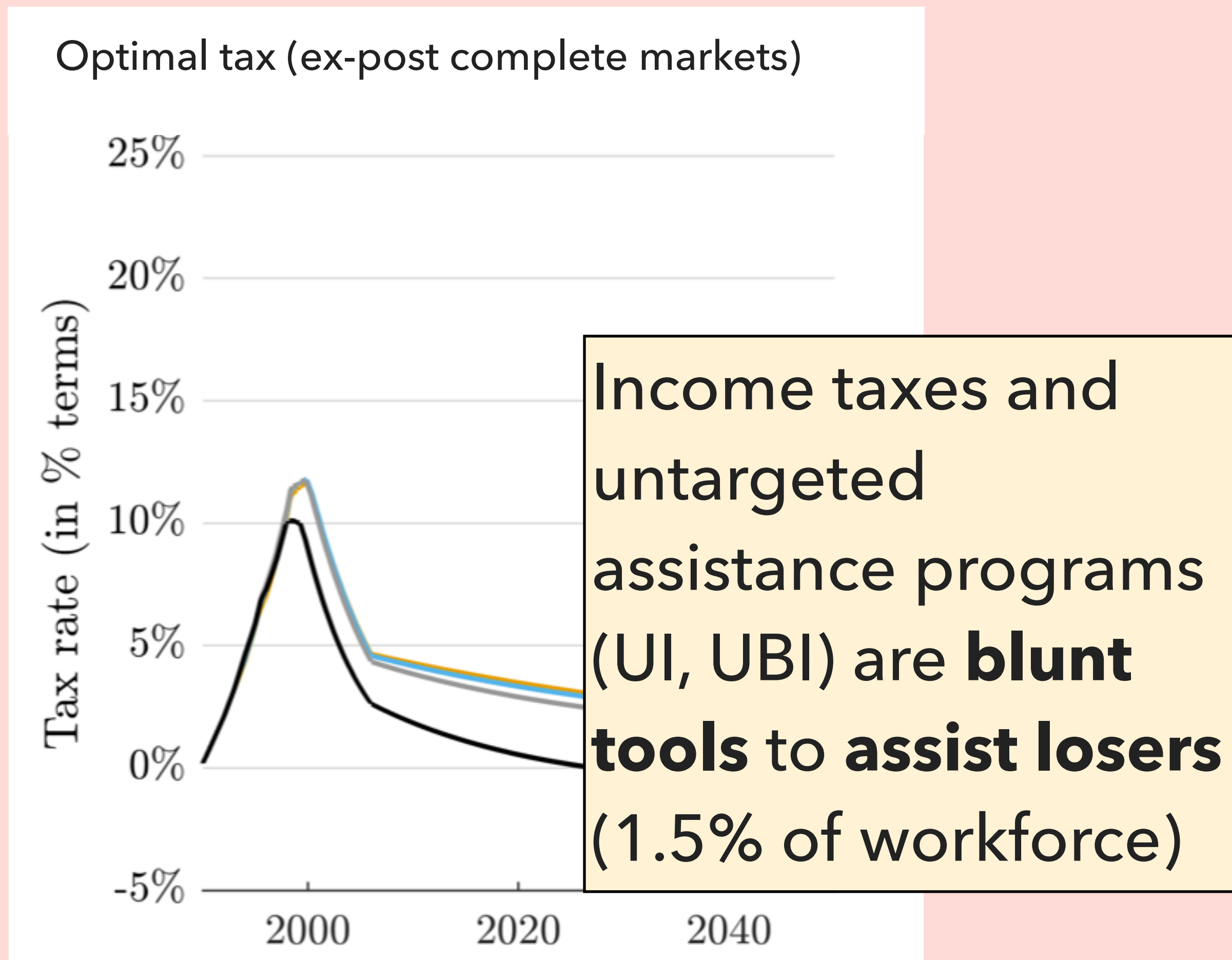
- Optimal tax with **progressive taxes and assistance programs** ($\varepsilon_\ell = 0.35$)



THE CHINA SHOCK

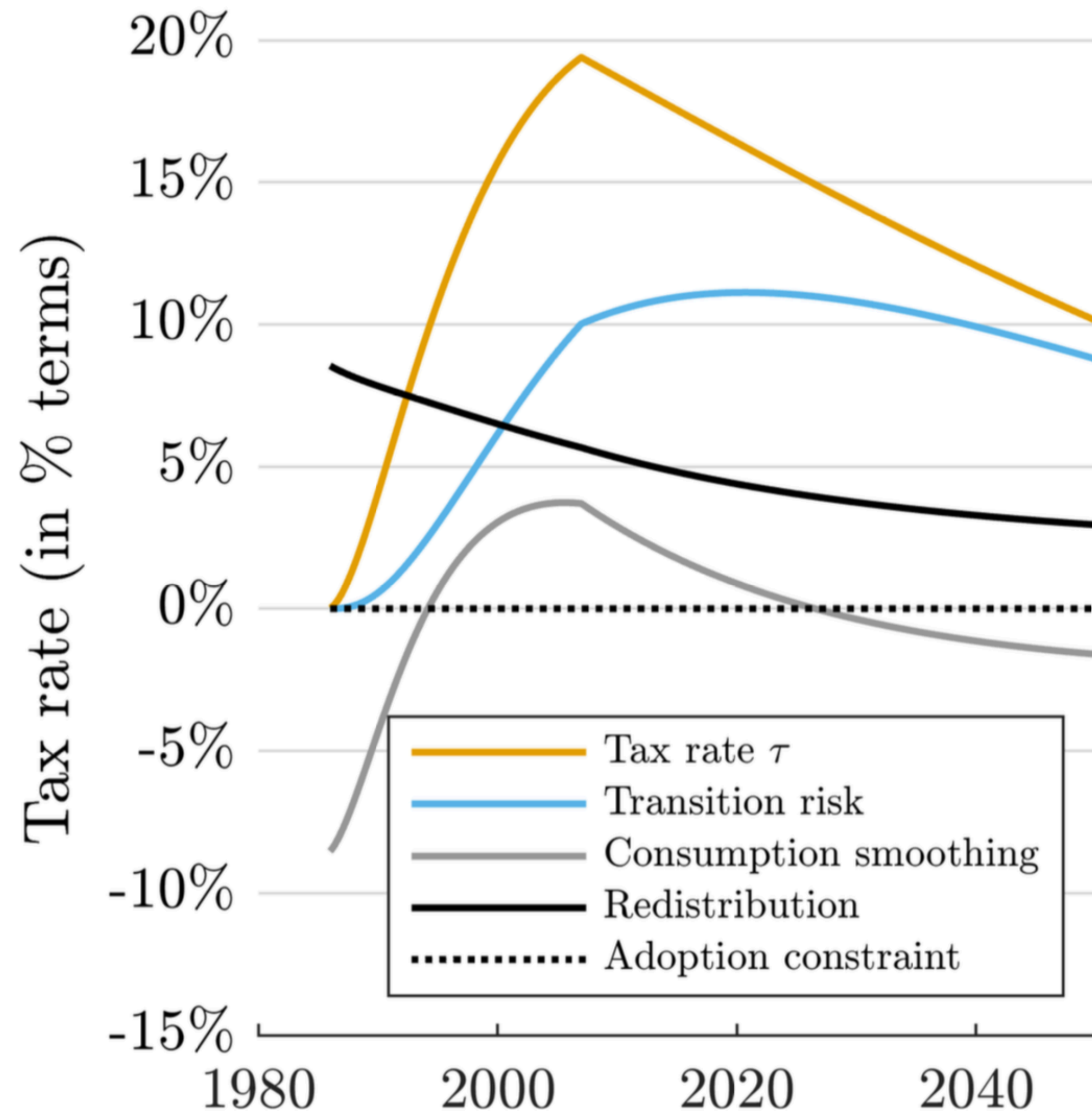
- Optimal tax with **endogenous effort** and different levels of *offset*

- Optimal tax with **progressive taxes and assistance programs** ($\varepsilon_\ell = 0.35$)

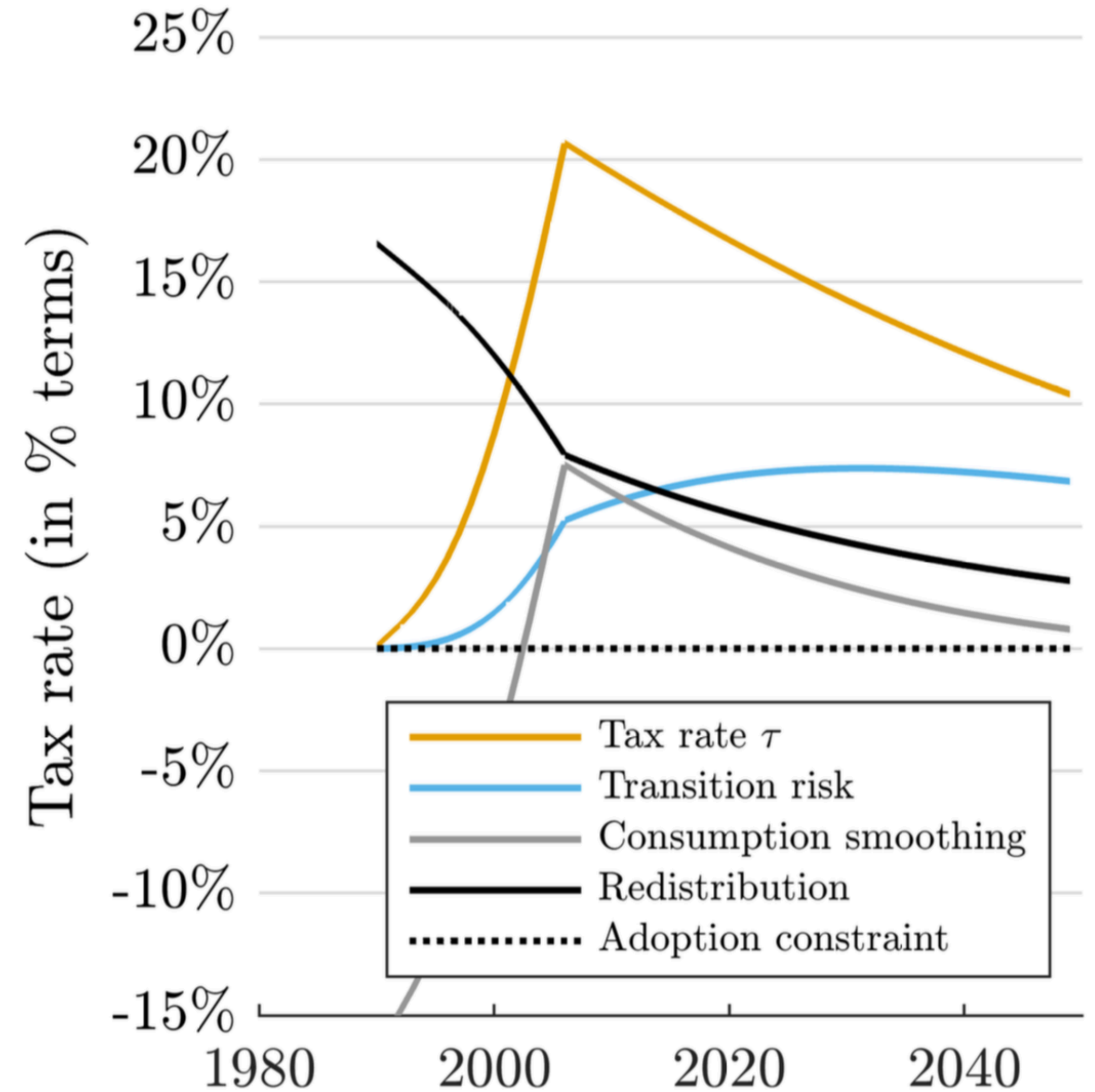


THE SOURCES OF WELFARE GAINS (DAVILA-SCHAAB)

Optimal tax on automation (hand-to-mouth scenario with decomposition)

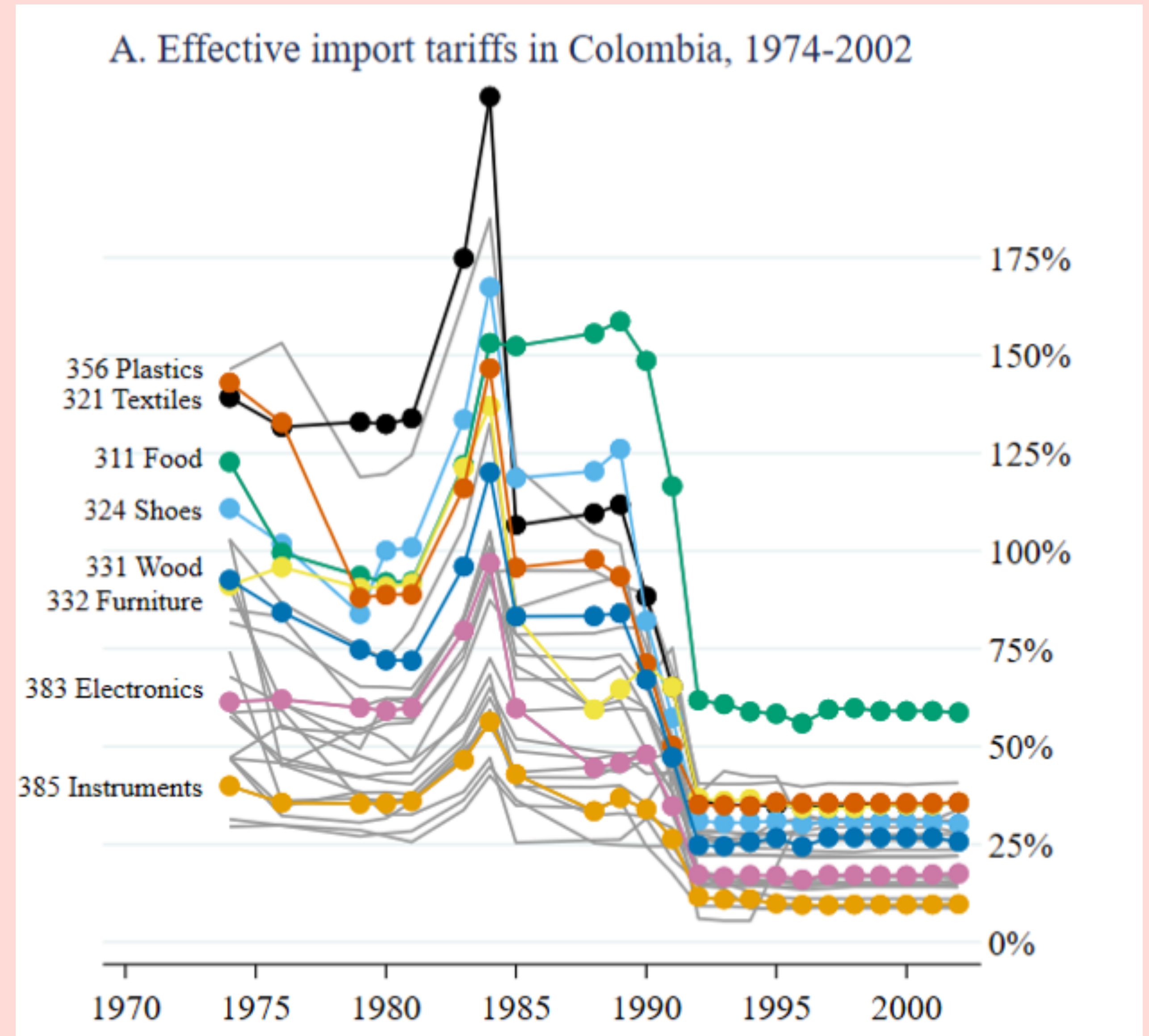


Optimal tax on Chinese imports (hand-to-mouth scenario with decomposition)



COLOMBIA'S TRADE LIBERALIZATION

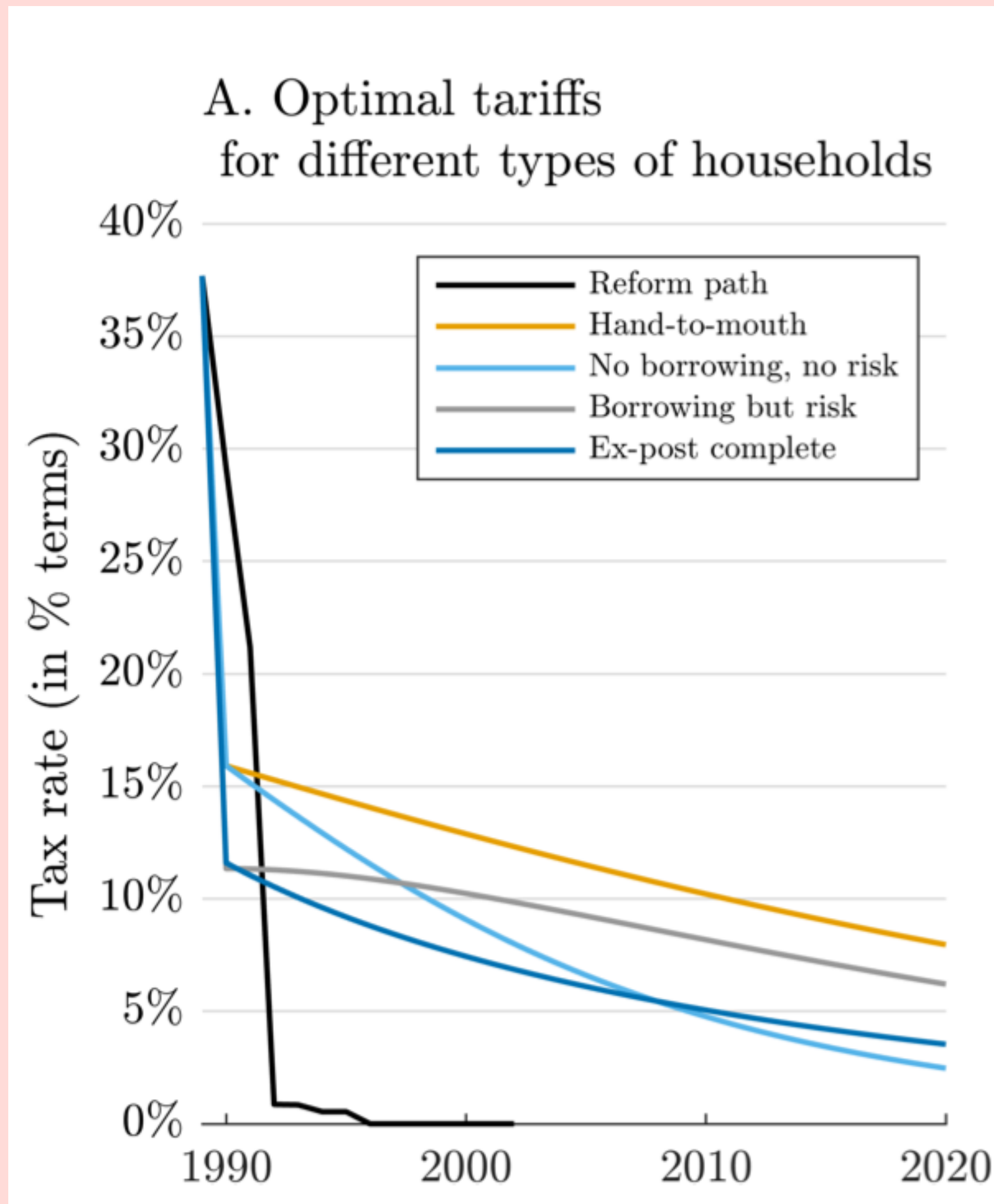
- In 1990, Colombia embarked in ambitious reform program, dropping effective tariffs from 75% to 25% in 2 years
- Swift rise in import penetration from 10 to 15% of GDP
- **Goldberg-Pavcnik (2005):** a 10 pp drop in tariffs leads to a 1% decline in wages of workers in that industry.



COLOMBIA'S TRADE LIBERALIZATION

- Output is CES of islands with $\sigma = 2$ (Broda and Weinstein et al. 2006)
- 25 disrupted islands. Island $x \in \mathcal{D}$ represents the share $s_{i(x)}$ of varieties in 2-digit industry $i(x)$ being outcompeted by imports after the liberalization.
- We assume that for these islands, $(1 + \tau_{x,0})/A_x = \bar{w}$ before reform
- $s_{i(x)}$, α jointly calibrated to match:
 1. Rise in imports by 2-digit industry $\Rightarrow s_{i(x)}$
 2. income decline associated with drop in protection $\Rightarrow \alpha = 3\%$
- Remaining parameters: $r = \rho = 5\%$; inverse IES of 2

COLOMBIA'S TRADE LIBERALIZATION



- **Summary of findings:**

- Optimal reform requires gradual tariff decline, with 5-10% tariffs by 2010
- Similar results with endogenous effort or with reforms to income tax/safety net
- Sudden reform reduces welfare of disrupted households by 16%, gradual reform by 11%

CONCLUDING REMARKS

Question 1: Should gradualism be encouraged via temporary taxes?

Yes. **Positive optimal tax in short run and zero tax in long run**

Question 2: Does society benefit from more gradual technological advances?

Not in our calibration for China Shock and the automation of routine jobs (taxes yield revenue, slow technological progress does not)

Some **additional insights:**

- When losers from trade and technology concentrated and hard to identify, better to assist them by distorting technology than by reforming income tax / safety net
- Endogenous effort: protect in short run and commit to subsidy in medium run to preserve incentives for reallocation