## Time-Limited Subsidies: Optimal Taxation with Implications for Renewable Energy Subsidies

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- Question 2: What are the implications for industrial and energy policy?
  Application: The Renewable Electricity Production Tax Credit (PTC) for wind energy

| 0



0 **"Subsidy Period**" *T* (Subsidy Duration) **No Subsidy** 1

# Firms choose fixed inputs and first variable inputs

0	"Subsidy Period"	T (Subsidy Duration)	No Subsidy	1

















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- There is a noticeable decline in production (but a small elasticity)
- The time limit has huge implications for future energy markets
- ... and for policies aiming at an energy transition

# Thank You! okay@umich.edu mricks4@unl.edu

# Appendix





### **Renewable Electricity, Refined Coal, and Indian Coal Production Credit**

### **Purpose of Form**

Use Form 8835 to claim the renewable electricity, refined coal, and Indian coal production credit. The credit is allowed only for the sale of electricity, refined coal, or Indian coal produced in the United States or U.S. possessions from qualified energy resources at a qualified facility (see Definitions, later).

#### How To Figure the Credit

Generally, the credit for electricity, refined coal, and Indian coal produced from qualified energy resources at a qualified facility during the credit period (see Definitions. later) is:

 1.5 cents per kilowatt-hour (kWh) for the sale of electricity produced by you:

- 1/2 of 1.5 cents for open-loop biomass. landfill das. trash, hydropower, and marine and hydrokinetic renewable facilities: or
- \$4.375 per ton for the sale of refined coal produced.
- \$2 per ton for the sale of Indian coal produced.

#### Credit Period

Eligible electricity production activity:	Credit period for facilities placed in service after August 8, 2005 (years from placed-in-service date):
Wind	10
Closed-loop biomass	10
Open-loop biomass (including agricultural livestock waste nutrient facilities)	10
Geothermal	10
Municipal solid waste (including landfill gas facilities and trash combustion facilities)	10
Qualified hydropower	10
Marine and hydrokinetic	10
Indian coal	16 <sup>1</sup>

# Global examples of output subsidies with time limits

### Policies in the United States:

- Advanced Manufacturing Production Tax Credit—7 years
- Renewable Energy Production Tax Credit—10 years per firm
- Clean Vehicle Credit—10 years (with quotas)

Policies in China:

- Renewable Energy Tax Cut—6 years
- Current Market Price Support for Oil Seeds—1 year

## Other examples

- German Feed-in Tariffs—20 years
- Canadian Dairy Price Support—1 year



# Firms Problem & Solution

Firm's problem:

$$egin{aligned} \max_{x,v_1,v_2} \pi(x,v_1,v_2; au^i, au^o, au) &= \mathcal{T}[q(x,v_1)(1- au^o)-mv_1] \ &+ (1-\mathcal{T})[q(x,v_2)-mv_2]-cx(1+ au^i) \end{aligned}$$

Solution:

$$egin{aligned} q_{v}(x^{f},v_{1}^{f})(1+ au^{o}) &= m \ q_{v}(x^{f},v_{2}^{f}) &= m \ Tq_{x}(x^{f},v_{1}^{f}) + (1- au)q_{x}(x^{f},v_{2}^{f}) + au au^{o}q_{x}(x_{1}^{f},v_{1}^{f}) &= c(1- au^{i}) \end{aligned}$$



# **Continuous time**

Firm's problem:

$$\max_{x,v_t} \int_0^T \exp\{-\beta t\} \Big[q(x,v_t)(1-\tau_o) - mv_t\Big] dt + \int_T^1 \exp\{-\beta t\} \Big[q(x,v_t) - mv_t\Big] dt - cx(1+\tau_i)$$

The optimal  $\tau_o$  and  $\tau_i$  are

$$\tau_i^* = -\frac{\gamma (1 - \tilde{T}) \frac{\mathrm{d}q}{\mathrm{d}\tau_i}}{\frac{\partial x^f}{\partial \tau_i}}$$
(1)  
$$\tau_o^* = -\gamma$$
(2)

where 
$$\tilde{T} = \frac{1 - \exp\{-\beta T\}}{1 - \exp\{-\beta\}}$$
  
and  $\phi'(\tilde{T}^*) = -\gamma \Delta q$ 

# Variable input subsidy

Firm's problem:

$$\pi(x, v_1, v_2; \theta) = T\left[(1 + \tau^o)q(x, v_1) - (m - \tau^n)v_1\right] + (1 - T)\left[q(x, v_2) - (m - \tau^n)v_2\right] - (c - \tau^i)x$$

The optimal  $\tau^o$  and  $\tau^i$  and  $\tau^n$  are

$$\tau^{i*} = (1 - \tilde{T}) \frac{\gamma \frac{\mathrm{d}q}{\mathrm{d}\tau_i}}{\frac{\partial x^f}{\partial \tau_i}}$$
(3)  
$$\tau^{o*} = \gamma$$
(4)  
$$\tau^{n*} = 0$$
(5)

and 
$$\phi'(T^*) = -\gamma \Delta q$$

# **Government Problem**

**Optimal Mixed Subsidy** 

$$\max_{\tau^{i},\tau^{o},T}\Pi(x^{f},v_{1}^{f},v_{2}^{f}) + \underbrace{\gamma\left[Tq(x^{f},v_{1}^{f}) + (1-T)q(x^{f},v_{2}^{f})\right]}_{\text{Externality Benefit}} + \underbrace{\left[cx^{f}\tau^{i} + T\tau^{o}q(x^{f},v_{1}^{f})\right]}_{\text{Government Revenue}} + \phi(T)$$

Back

# Assumption 1b

- **Interior Solution**: q(x, v) is increasing in both arguments with decreasing returns such that there exists an interior solution  $(x^f, v_1^f, v_2^f)$
- **Implicit Function Theorem**: the firm choices  $(x^f, v_1^f, v_2^f)$  are implicit functions of  $\theta$  with continuously differentiable first order conditions that produce a matrix  $F = (f_x, f_{v_1}, f_{v_2}) = 0$  with a non-singular Jacobian with respect to x and  $v_t$



## **Optimal Subsidy Values Depend on the Duration**



Back

# Optimal subsidy duration depends on change in production





# Comparing individual and combined policies





# Naive policies forego large welfare gains (high *v*-share)





# Naive policies forego large welfare gains (high x-share)





# **Calibration details**

- $\blacksquare \gamma$  = Social Cost of Carbon + Avoided Emissions from Wind Energy
  - For the Social Cost of Carbon we use \$51 per tonne from the Interagency Working Group on the Social Cost of Carbon (possibly a low estimate)
  - EPA's Avoided Emissions and Generation Tool estimates 1 MWh of onshore wind reduces CO<sub>2</sub> by 0.62 tonnes (1385 lbs).

Back

# Only production margin shows changes

Panel A: Main Effects	Capacity Factor	Net Generation (MWh)	Exit: $1(Net Generation = 0)$
Overall Effect	-2.32	-1072	0.00
	( 0.67)	( 388)	( 0.01)
Short-Term (Years 11-12)	-1.45	-733	0.00
	( 0.54)	( 352)	( 0.00)
Long-Term (Years 13-15)	-3.16	-1405	0.00
	( 0.87)	( 492)	( 0.01)
Average in Year 10	31.3	16,858	0.02



# Heterogeneity by Vintage

Panel B: Heterogeneity by Vintage	2002-2006	2007-2008	2009-2010
Short-Term (Years 11-12)	-1.63 ( 1.12)	-0.54 ( 0.61)	-1.20 ( 0.63)
Average in Year 10	32.4	32.0	29.1



# **Prices and Placebo tests**

Panel C: Effect Heterogeneity	1603 Firms (Placebo)	Low Price	High Price
Overall Effect	-	-2.37	-2.32
		( 1.03)	(0.51)
Short-Term (Years 11-12)	-0.33	-1.97	-1.09
	( 0.44)	( 0.87)	( 0.40)
Long-Term (Years 13-15)	-	-2.73	-3.65
		( 1.23)	( 0.77)
Average in Year 10	28.2	32.0	30.7



# Forgone wind energy production



# Inverse optimum for marginal social costs of subsidy duration

The marginal administrative costs needed to rationalizing current policy mus satisfy:

$$\phi'(T^*) = -\gamma \Delta q$$

• We calibrate  $\gamma$  = \$31/MWh

Average change in production is 800 MWh/month

- Implies marginal administrative costs at least \$24,000 per firm per year (since  $\phi()$  is convex)
- ▶ If this is larger than seems reasonable, it's optimal to expand eligibility



# Inverse Optimum Table

Panel A: Social Cost of Raising Revenue		Change in Production:				
Reference Policy	Social Value of 1 MWh	$\% \Delta Q = 2.5\%$	$\% \Delta Q = 4.5\%$	$\% \Delta Q = 6.5\%$	$\% \Delta Q = 8.5\%$	$\% \Delta Q = 10.5\%$
Trump	\$ 1.00	0.84	0.76	0.69	0.64	0.60
PTC	\$ 25.00	1.00	1.00	1.00	1.00	1.00
	\$ 30.00	1.03	1.05	1.06	1.08	1.08
EPA	\$ 35.00	1.07	1.10	1.13	1.15	1.17
Min CL (2019)	\$ 40.00	1.10	1.15	1.19	1.23	1.25
	\$ 45.00	1.13	1.20	1.26	1.30	1.33
	\$ 50.00	1.16	1.25	1.32	1.38	1.42
	\$ 55.00	1.20	1.30	1.39	1.45	1.50
Max CL (2019)	\$ 70.00	1.30	1.46	1.58	1.68	1.75
	\$ 85.00	1.39	1.61	1.77	1.90	2.00
	\$ 100.00	1.49	1.76	1.96	2.13	2.25
Panol P: Social C	ost Extending Deadline		,	Change in Brodu	uction	
Panel B: Social Cost Extending Deadline		% A O = 2.5%	% ^ 0 = 4 5%	$\% \Lambda O = 6.5\%$	%AO = 9.5%	% A O = 10 5%
Reference Folicy	Social value of 1 MIVII	/0200 - 2.578	/020/ = 4.5/0	/020/ - 0.5/0	/044/ - 0.576	/0200 - 10.570
Trump	\$1.00	-2 40%	1 23%	11 47%	32 16%	68 15%
PTC	\$ 25.00	0.41%	0.75%	1.08%	1 42%	1 76%
110	\$ 30.00	0.52%	0.94%	1 38%	1.92%	2.29%
FPA	\$ 35.00	0.44%	0.84%	1.29%	1.79%	2.31%
Min CL (2019)	\$ 40.00	0.19%	0.44%	0.77%	1.20%	1.69%
	\$ 45.00	-0.19%	-0.27%	-0.23%	-0.07%	0.22%
	\$ 50.00	-0.71%	-1.30%	-1.80%	-2.18%	-2.40%
	\$ 55.00	-1.35%	-2.66%	-4.02%	-5.37%	-6.62%
Max CL (2019)	\$ 70.00	-3.92%	-8.93%	-15.85%	-25.68%	-39.84%
(2017)	\$ 85.00	-7.35%	-19.01%	-40.19%	-87.40%	-259.53%
	\$ 100.00	-11.51%	-33.84%	-90.64%	-451.70%	Negative Welfare

# References