Are Cryptos Different? Evidence from Retail Trading^{*}

Shimon Kogan[†] Reichman University and Wharton Igor Makarov[‡] LSE Marina Niessner[§] Indiana Antoinette Schoar ¶ MIT

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Abstract

Trading in cryptocurrencies has grown rapidly over the last decade, primarily dominated by retail investors. Using a dataset of 200,000 retail traders from eToro, we show that they have a different model of the underlying price dynamics in cryptocurrencies relative to other assets. Retail traders in our sample are contrarian in stocks and gold, yet the same traders follow a momentum-like strategy in cryptocurrencies. Individual characteristics do not explain the differences in how people trade cryptocurrencies versus stocks, suggesting that our results are orthogonal to differences in investor composition or clientele effects. Furthermore, our findings are not explained by inattention, differences in fees, or preference for lottery-like stocks. We conjecture that retail investors hold a model of cryptocurrency prices, where price changes imply a change in the likelihood of future widespread adoption, which in turn pushes asset prices further in the same direction.

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[†]Arison School of Business, Reichman University, and the Wharton School. Email: skogan@wharton.upenn.edu

[‡]London School of Economics. Email: i.makarov@lse.ac.uk

[§]Indiana University - Kelley School. Email: mniessne@iu.edu

[¶]Sloan School of Management, MIT. Email: aschoar@mit.edu

1. Introduction

Cryptocurrency prices over the last decade have famously been marked by significant volatility and large boom-and-bust cycles, which have given rise to new investment mantras, such as FOMO — "fear of missing out" or FUD — "fear, uncertainty and doubt." While a large and vibrant literature has looked at retail trading in traditional assets classes, little evidence exists on how investors trade in these new assets. On the one hand, given the novelty of cryptocurrency markets, investors might have developed different valuation models for cryptocurrencies compared to traditional assets, which shape how they form price expectations in cryptocurrencies. On the other hand, cryptocurrencies might have also drawn in new types of investors, and thus any differences between cryptocurrencies and other assets might be a function of the composition of investors who participate in these markets.

Unlike traditional markets, trading in cryptocurrencies has been dominated by retail investors. To study their investment behavior, we use a dataset of trades from 200,000 individual retail accounts on eToro, a large international retail discount brokerage, over the period from 2015-2019. eToro was one of the first platforms to allow retail investors to trade in cryptocurrencies along with traditional assets. This unique setup allows us to analyze differences in trading behavior across assets, holding constant individual preferences and circumstances.

We document a set of new facts by contrasting trading in cryptocurrencies with trading in stocks and commodities. First, we show a stark dichotomy in investors' trading strategies across different assets. Retail investors largely trade contrarian in the stock market and gold, yet they are willing to hold on to their crypto currency investments even after large price movements, which results in investors following a momentum-like strategy in crypto currencies.¹ Importantly, these results even hold when we focus on the same investors trading in different asset classes. Second, individual characteristics do not explain the differences in how investors trade in cryptocurrencies compared to stocks, suggesting that our results are not primarily driven by differences in investor composition or clientele effects. Finally, we show that our results are not the outcome of inattention, differential preferences for lottery-like assets, differences in fees, or the lack of cash flow information about cryptocurrencies. We conjecture that retail investors have a model of cryptocurrency prices, where positive returns increase the likelihood of future widespread adoption, which in turn drives up asset prices (and vice versa when prices go down), consistent with Cong et al. (2020) or Sockin and Xiong (2023). Investors do not have the same price expectations for other traditional assets where wider adoption has already happened.

To analyze how investors form price expectations we look at their portfolio share in a given stock or

¹This crypto trading strategy is often referred to as HODLING among crypto investors on social media, since an early investor mis-spelled "holding on" as "hodling on."

cryptocurrency and how that share changes as a function of the contemporaneous and lagged returns on the asset. This approach is similar to Calvet et al. (2009), who tie changes in portfolio shares allocated to different *asset classes* to investors' beliefs about that asset class' future returns. We extend the Calvet et al. (2009) framework to allocations across individual stocks and cryptocurrencies based on a few simple assumptions. Following Campbell and Viceira (2002), and the assumptions therein, we show theoretically that changes in the portfolio weights on different stocks or cryptocurrencies are driven by changes in the expected returns. Thus, if investors expect that next period's returns are positively correlated with this period's returns for a given asset, they will either allocate a larger (smaller) share of their wealth to this asset, following a positive (negative) return, or not change their allocation to the asset. This type of re-balancing behavior would de facto lead investors in crypto to look like they are following a buy-and-hold strategy. Alternatively, if investors expect asset returns to be mean-reverting, they will trade contrarian, and allocate a smaller (larger) share of their wealth to an asset, following a positive (negative) return.

To examine how investors react to contemporaneous and past returns in a given asset, we focus on the 200 most traded stocks on our retail platform, which comprise over 91% of trading in stocks on eToro, during our sample period. There are a number of different cryptocurrencies investors can trade on the platform, yet the majority of trading during our sample period is concentrated in a few dominant tokens, in particular Bitcoin, Ethereum, and Ripple (over 78%).

If investors continuously pay attention to their portfolio and re-balance in response to changes in their beliefs, the sign of the change in the portfolio share of an asset regressed on its contemporaneous or past return at any point in time reflects how investor's price expectations change as a function of price realizations. Several papers have tied survey expectations to changes in portfolio allocations even within individuals, and thus suggest a robust relationship between beliefs and portfolio allocations (e.g., Dominitz and Manski (2011), Kézdi and Willis (2011), and Giglio et al. (2021)). One feature of retail investor trading is that many people only trade sporadically and might stay in the market or exit it for reasons unrelated to their investment beliefs, possibly because they are distracted or inattentive. As a result, the account-level portfolio share change analysis could be subject to spurious noise when studying the response to daily price changes. To address this concern, we form our measure of portfolio shares aggregated at the cohort level. If some investors stay out of the market for idiosyncratic reasons our aggregation strategy will reduce the noise introduce by them. However, our measure will pick up any changes in investment behavior that are related to fundamentals or prices, which broadly affect all investors in a given cohort. This approach to data aggregation is conceptually similar to sorting individual stocks into factor portfolios in asset pricing tests which is routinely used to reduce the impact of idiosyncratic noise on parameter estimates. It does not mean that we are discarding meaningful variation. In particular, we also form cohorts at lower levels of aggregation, by allowing cohorts to vary by investor characteristics such as age, income, gender and others. This allows us to study heterogeneity in trading behavior based on these individual differences, without introducing a lot of noise. Finally, we repeat our main tests at the account-level by looking at trading decisions of individuals in response to

contemporaneous and lagged returns. We focus this analysis on the 50% most active investors in our sample. The results at the disaggregated level corroborate our results at the cohort level.

We start our analysis by regressing the log of the day-on-day change in the *total portfolio share* of a given asset on contemporaneous and past returns. We find that for stocks, there is a significant and negative relationship between the change in the share that is allocated to a given stock and its contemporaneous return. Lagged cumulative returns one week out have still a negative but a much weaker relationship to portfolio share changes, and returns do not have a significant impact beyond one week. When we repeat the same analysis for cryptocurrencies, we find a strong *positive* relationship between the changes in total share allocated to cryptocurrencies and the contemporaneous returns. We also find a much weaker but still positive relationship for cumulative lagged returns one week out. In other words, investors are contrarian in stocks, but momentum traders in cryptocurrencies.

We note that the different trading strategy for cryptocurrencies is not explained by differences in statistical return properties across the two asset classes. Similar to stocks, cryptocurrencies do not display meaningful autocorrelation at the daily level.² While there is some evidence for autocorrelation of crypto returns at the weekly or monthly level during our sample period (Liu and Tsyvinski (2021)), these time horizons are not relevant for the investors in our data who hold their positions for shorter time periods. We can also rule out that the results are the outcome of reverse causality, i.e., investor trading driving prices. The investors in our sample in aggregate own a small fraction of overall capital traded in the crypto markets, and are therefore price takers.

We then follow Calvet et al. (2009) and break out the change in the total portfolio shares into passive and active shares. Active share constitutes the part of the change in the total share that is due to an investor actively rebalancing their portfolio allocation. The remainder is passive share, which is the result of differential asset returns over time. For example, take a stock that appreciates more than the rest of the assets in the portfolio over a given time period. If the investor does not actively re-balance the portfolio, this stock's total share of the portfolio will increase over time. For an attentive investor the important statistic is the change in the total share, since it reflects the investor's allocation after

²During our period, a standard deviation increase in day t's returns is associated with a -0.2% change in day t + 1's returns. This result is not statistically significant even at a 10% level.

taking into account the passive price changes. However, since investors might not always be perfectly attentive to price changes, it is informative to analyze how active re-balancing interacts with passive changes in the portfolio.

We find that the contrarian trading behavior in the total share changes that we observe for stocks is due to investors actively reducing (increasing) their portfolio holdings in stocks that have high (low) contemporaneous returns. Similarly to what we found for the total share, the re-balancing effects are much weaker for one-week lagged cumulative returns. However, for crypto holdings we see that the momentum-like behavior in the total share of the portfolio is predominantly driven by investors not re-balancing their holdings in crypto currencies, whether the price goes up or down. Retail investors absorb price swings without adjusting their portfolios.

We also repeat this analysis for trading in commodities, in particular gold, which often draws parallels to Bitcoin, and is the most traded commodity on eToro after oil.³ We find that investments in gold follow the same contrarian dynamics as in stocks. Investors reduce their total holdings and actively rebalance out of gold when the price of gold increases and purchase gold when the price declines. Since cryptocurrencies have often been touted as "digital gold", it is interesting to see the stark difference in trading behavior between gold and cryptos.

Next, we test whether the differences in trading behavior across different asset classes are driven by days with extreme return realizations. We classify trading dates for each asset by return quintiles, from the lowest to the highest and repeat our analysis for stocks, gold, and cryptocurrencies. We find that the contrarian trading in stocks and gold is concentrated on days when there are large price movements, either positive or negative. In contrast, for cryptocurrencies we find no change in active re-balancing as a function of the return quintiles. Thus, in cryptos, investors do not re-balance even after very large price moves and absorb the price changes in their portfolios. For the rest of the paper we focus on cryptocurrencies and stocks, since investors tend to trade gold very similarly to how they trade stocks.

One important question that arises from these results is whether the stark difference in trading patterns is asset-specific or a function of investor composition, where some assets attract investors with specific preferences. For example, retail investors with contrarian trading strategies might predominantly invest in stocks and momentum traders in cryptocurrencies. We rule out this preference-based explanation by contrasting investors who trade in both stocks and cryptos with those who trade in only one of the two asset classes. We find that investors who invest in both asset classes display the same momentum strategy in cryptocurrencies as those who only trade in cryptos, yet, the same investors

³The other popular commodity is oil, but the pricing of oil is more complicated to measure since there are many potential prices investors might react to and therefore it does not lend itself to the same analysis we conduct here.

follow contrarian strategies when trading in stocks. In fact, investors who only invest in stocks, tend to be slightly less contrarian in stocks than investors who invest in both stocks and cryptos. In short, we confirm that the dichotomy in trading behavior holds even *within* a given investor and thus is an asset-specific phenomenon.

We also rule out that certain subgroups with strong preferences for cryptocurrencies, e.g., younger or financially savvy investors, drive our results. For individual characteristics we use the self-reported demographic information provided to us by eToro and focus on age, wealth, income, and whether they work in the finance industry. Surprisingly, we do not find strong interactions between ex-ante characteristics and trading strategies. Investors are contrarian in stocks but momentum in cryptocurrencies, independent of their characteristics. This finding is consistent with Giglio et al. (2021), who find that demographic characteristics explain only a small part of why some individuals have optimistic or pessimistic price expectations.

Another concern could be that our results are explained by investors who do not pay attention to their portfolios continuously. If investors are inattentive, the total portfolio share of an asset can at times increase (decrease) mechanically following positive (negative) returns. Of course, the fact that our results hold even within investors, would mean that inattention would have to selectively apply only to cryptocurrencies but not to stocks. This is very unlikely given that the eToro interface shows customers their entire portfolio in an integrated fashion. To test this hypothesis formally, we focus on times when investors are likely to pay attention to their portfolios. We classify investors as *active* or attentive, if they traded at least once in any asset in the last week, and as *inactive* if they didn't trade at all in the last month. Our results still hold when we focus on the active investors: the dichotomy in stocks and cryptocurrencies remains unchanged, with crypto investments following a momentum strategy and stock investments a contrarian strategy. We do find that inactive investors are more momentum, when it comes to the overall value of their stock portfolios, but less so than for crypto portfolios. These results suggest that the measured changes in total portfolio shares are an expression of investor updating their price expectations and not just passively riding out price movements. We furthermore ensure that our results are not driven by investors who only 'dabble' in cryptos, and thus don't update their crypto portfolio even when its saliently presented to them. We find similar results for active investors who have at least 30% of their portfolio allocated to cryptos and at least 30% allocated to stocks, suggesting that investors display this dichotomy in trading behavior even when a large part of their portfolio is at stake.

In the second part of the paper we examine a possible rationale for why investors adopt a de facto momentum strategy in cryptocurrencies. First, since cryptocurrencies have only been around for a short period of time, investors had not experienced a real crypto crash prior to January 2018. As a result they could have naively optimistic beliefs that ultimately these new assets can only go up in value in the long run, even if they are volatile in the very short run. We observe one major crash in cryptocurrency prices during our sample period - at the beginning of 2018. When we compare investors' trading behavior before and after the 2018 crash, there is no change either in investors' active rebalancing strategy, or in the total share change. Therefore, even after observing a large price drop investors didn't change their momentum-like trading strategy in cryptocurrencies.

Second, investors might trade in lottery-like assets differently than in other types of securities. This would be a preference-based explanation rather than one focused on differential beliefs about cryptocurrencies, as proposed in this paper. However, preferences for skewed or lottery-like returns should not be asset specific, and therefore we analyze whether trading in stocks that have lottery-like returns is more similar to trading in cryptocurrencies. We classify stocks by whether they have lottery-like returns following the approaches of Bali et al. (2021) and Han et al. (2022). In particular, the following factors are used for classification: maximum returns, volatility of returns, and skewness over the the prior month, whether a firm is young, as well as gross profitability over the last calendar year. We then repeat our main analysis, but interact the contemporaneous log returns with measures of lottery-like. However, the effect is very small and only borderline significant. Retail investors' trading behavior is not solely explained by their reaction to the lottery-like features of cryptocurrency returns.

Third, the difference in trading between cryptos and stocks might be driven by the lack of periodic cashflow information about cryptocurrencies. Luo et al. (2020) suggest that earnings announcement dates provide retail investors with periodic events to reevaluate their beliefs about the stock's value. Retail investors trade contrarian around those dates, since they seem to believe that other investors are overly optimistic or pessimistic about prices. The same is not possible for cryptocurrencies, where investors do not receive any cashflow news. We confirm that similar to the findings in Luo et al. (2020), the contrarian trading behavior in stocks is especially strong around earnings announcement dates. However, when we split the sample of stock trades into earnings-announcement and non-earnings-announcement periods we find that investors still trade contrarian in stocks even on days without any new cash flow information. Furthermore, the lack of cashflow information cannot fully explain our findings, since we also find contrarian trading in gold, where similar to cryptocurrencies, investors do not receive cashflow information.

Finally, since cryptocurrencies tend to have higher trading fees than stocks, investors might hold their crypto positions longer, until the returns to trading outweigh the higher fees. We address this possibility in two ways. First, historically, fees for trading gold have also been high relative to fees for stocks, yet retail investors trade very contrarian in gold. Second, in April and May 2019, eToro removed fees for trading stocks in 18 countries (for details see Even-Tov et al. (2022)). If higher fees were causing investors to rebalance their portfolios less often, we would expect an increased rebalancing of their stock positions after the fee removal. However, when we compare the trading behavior in stocks in those countries before and after the change, we do not find an increase in rebalancing. This suggests that differences in fees are unlikely to be driving the lower rates of rebalancing in crypto currencies.

Our results suggest that investors use a different model when forming beliefs about cryptocurrencies compared to stocks. We conjecture that one explanation for the momentum trading behavior among retail investors in cryptocurrencies is that these are a new investment vehicle, whose future value to a large extent depends on investors' beliefs about whether there will be wider market adoption going forward. For example, a lot of institutions and others entities might still be sitting on the sidelines (Dong et al. (2023)). Thus crypto investors might use price movements as an indicator of changes in the probability of future adoption. If the likelihood of adoption increases when the price goes up, say because regulators or institutional investors might look more favorably at cryptocurrencies, these price movements can have an amplification effect. The same logic does not apply to stocks or other traditional asset classes where adoption has already happened a long time ago.

There are several reasons why retail investors might have different models of price formation for cryptocurrencies than for stocks. For stocks, recent empirical papers suggest that retail investors display contrarian trading strategies, especially around earnings announcements (e.g., Kaniel et al. (2008), Grinblatt and Keloharju (2000), and Luo et al. (2020)). Theoretically, there are several behavioral biases that could explain these trading patterns in stocks. On the one hand, retail investors might be overconfident about their ability to interpret stock market data, believing that other investors overreact to information (e.g., Daniel et al. (1998), Scheinkman and Xiong (2003), Hong et al. (2006) and more recently Bastianello and Fontanier (2022)). On the other hand, retail investors might switch between mean reverting and momentum strategies depending on what they perceive as the representativeness or salience of past returns (e.g., Barberis et al. (1998)).

In contrast, in cryptocurrencies investors do not get regular cash flow updates and thus might not have many opportunities to believe that others are overreacting to disclosed information. Instead their overconfidence might lead them to believe that they are faster than others to understand this new technology and thus expect prices to keep going up. This bears similarity to the models of naive herding (e.g., Eyster and Rabin (2010) and Greenwood and Hanson (2014)). However, even rational investors might adopt a momentum strategy in cryptocurrency trading, as long as they believe that there are positive network externalities in cryptos so that higher prices lead to more adoption which in turn creates further growth. A few recent papers provide models of this positive feedback loop (e.g., Cong et al. (2020), and Sockin and Xiong (2023)). In a similar vein, Liu and Tsyvinski (2021) provide suggestive evidence that returns predict future growth in cryptocurrency adoption.

2. Related Literature

Our paper relates to a growing literature that analyses the trading behavior of retail investors using account-level data, which started with the pioneering work by Odean (1998) and Barber and Odean (2000). This early literature highlights the importance of preferences in explaining trading behavior, such as the disposition effect, see for example Barberis and Xiong (2009). This literature is carefully reviewed in Barberis and Thaler (2002) and Curcuru et al. (2010). Preference heterogeneity might also extent to dimensions such as preference for lottery-like stocks, such as in Peng and Xiong (2006), Mitton and Vorkink (2007a) or Kumar (2009). Building on these findings recent work by Balasubramaniam et al. (2021) suggests that this heterogeneity can lead to clientele effects where investors with specific preferences self-select into stocks that align with these preferences. To account for the potential impact of preference based composition effects, our paper focuses on the within-trader differences in behavior across different asset types.

A complementary literature focuses on how retail investors form beliefs about asset returns and the extent to which these beliefs deviate from rational expectations (e.g., Harris and Raviv (1993), Dominitz and Manski (2011), and Adam and Nagel (2022)). Several recent papers tie changes in beliefs more directly to trading behavior. Giglio et al. (2021) use belief changes that are directly elicited from survey responses. Meeuwis et al. (2022) show that risky share rebalancing depends on investors' political views, and thus common information is interpreted through different models of the world. Luo et al. (2020) use a large dataset of trades obtained from a prominent U.S. discount broker. They document that retail investors engage in contrarian trading in stocks and that these patterns are especially strong in response to earnings announcements.

A small but growing literature studies the behavior of retail trading in cryptocurrencies. Benetton and Compiani (2020) couple survey evidence on crypto beliefs with investors' holdings to estimate a structural model of demand that the authors match with observed prices. While the paper studies equilibrium responses to policy and risk innovations, their findings corroborate our results that shortterm optimistic beliefs about prices are associated with larger crypto holdings. Hackethal et al. (2021), Pursiainen and Toczynski (2022), and Di Maggio et al. (2022) study the characteristics of investors who self-select into investing in cryptos. This analysis is complementary to ours since we are looking at within person differences when trading in different assets. Hackethal et al. (2021) analyze data from a German online bank that caters to DIY investors and find that investors who self-select into crypto investing are more risk taking and more bias prone. Pursiainen and Toczynski (2022) use data from a US Fintech firm to track transfers in and out of crypto exchanges. They confirm that users who enter into cryptos tend to be younger, more affluent, and are more likely to be male. Using a related approach, Di Maggio et al. (2022) identify flows to and from crypto exchanges and show that crypto investors initially tended to be more sophisticated and hold larger investment accounts, but over time, crypto entrants' became less wealthy. Auer et al. (2023) analyze data from an app-tracking platform and relate crypto price movements to user adoption of cryptos and demographics. These studies establish the emergence of crypto investment among households, thus supporting the motivation for our paper. Unlike our paper, they generally do not observe trades and focus on the initial decision to adopt (or exit from) cryptos. Overall they find that past returns matter for adoption, thus providing complementary analysis to our paper. Liu and Tsyvinski (2021) analyze the role of network effects for cryptocurrency returns. Somoza and Didisheim (2022) utilize account-level data of German retail traders to measure the correlation of equity and crypto trades and link it to the increased correlation between these asset classes. Our paper also relates to the work of Carleton Athey et al. (2016), Griffin and Shams (2020), and Makarov and Schoar (2020). While data from retail traders on centralized exchanges, like eToro, only constitute a subset of trades in crypto markets, it can potentially help inform broader dynamics in these markets.

3. Model

The goal of the model is to provide a framework that ties investors' asset allocation choices to their return beliefs over these assets. Throughout this section, we will use the following notation:

- X_t^i Number of shares of asset *i* held at time *t*
- P_t^i Price of asset *i* at time *t*
- W_t Wealth at time t
- $w_t^i = \frac{X_t^i P_t^i}{W_t}$ Share of asset i

When there is only one risky asset and a riskless asset, Campbell and Viceira (2002) define the passive

risky share as

$$w_{p,t+1} = \frac{w_t(1+r_{t+1})}{w_t(1+r_{t+1}) + (1-w_t)(1+r_{t+1}^f)},$$
(1)

where $1 + r_{t+1} = \frac{P_{t+1}}{P_t}$ and r_f is the return on the riskfree asset. Suppose that the portfolio is rebalanced only at discrete times t, t+1, etc. Notice that we can rewrite the passive risky share as

$$w_{p,t+1} = \frac{X_t P_{t+1}}{X_t P_{t+1} + (W_t - X_t P_t)(1 + r_{t+1}^f)} = \frac{X_t P_{t+1}}{W_{t+1}}.$$
(2)

In our case, we generalize this definition to the case of N risky assets as:

$$w_{p,t+1}^{i} = \frac{X_{t}^{i} P_{t+1}^{i}}{X_{t}^{i} P_{t+1}^{i} + (W_{t} - X_{t}^{i} P_{t}^{i})(1 + r_{t+1}^{-i}) + Inflows} = \frac{X_{t}^{i} P_{t+1}^{i}}{W_{t+1}}.$$
(3)

The active change in the risky share is then

$$A_{t+1}^{i} = w_{t+1}^{i} - w_{p,t+1}^{i} = \frac{X_{t+1}^{i} P_{t+1}^{i}}{W_{t+1}} - \frac{X_{t}^{i} P_{t+1}^{i}}{W_{t+1}} = \Delta X_{t+1}^{i} \frac{P_{t+1}^{i}}{W_{t+1}},$$
(4)

In logs, we can write out the change in portfolio shares as:

• Active share change

$$a_{t+1}^{i} = \ln(w_{t+1}^{i}) - \ln(w_{p,t+1}^{i}) = \ln(X_{t+1}^{i}) - \ln(X_{t}^{i}).$$
(5)

■ Total share change

$$\ln(w_{t+1}^{i}) - \ln(w_{t}^{i}) = \ln\left(\frac{X_{t+1}^{i}P_{t+1}^{i}}{W_{t+1}}\right) - \ln\left(\frac{X_{t}^{i}P_{t}^{i}}{W_{t}}\right) = a_{t+1}^{i} + \ln\left(\frac{P_{t+1}^{i}}{P_{t}^{i}}\right) - \ln\left(\frac{W_{t+1}}{W_{t}}\right).$$
 (6)

Portfolio policy:

Assumption 1. Investors have power utility function and follow myopic portfolio policy.

The assumption of power utility function is quite standard. Myopic portfolio policy eliminates the need to consider hedging demand. While there is an extensive literature discussing the importance of inter-temporal considerations, such as when using an Epstein-Zin utility, in our setting inter-temporal considerations are likely to have first order importance as most trades in our data have short horizon.

Under Assumption 1, it is well known (e.g., Campbell and Viceira (2002)), that the vector of optimal

portfolio weights is

$$w_t = \frac{1}{\gamma} \boldsymbol{\Sigma}_{\mathbf{t}}^{-1} (E_t \mathbf{r}_{\mathbf{t+1}} - r_f \mathbf{1} + \sigma_{\mathbf{t}}^2 / 2), \tag{7}$$

where $\Sigma_t = Cov_t(\mathbf{r_{t+1}}, \mathbf{r_{t+1}})$ and $\sigma_t^2 = Var_t(\mathbf{r_{t+1}})$. The above formula shows that the portfolio weights can change if either the first or the second moments change.

Assumption 2. Σ_t is constant.

Assumption 2 implies that changes in the portfolio weights are driven by changes in the expected returns and not by changes to the covariance across assets over time. The persistence of variance (and covariance) implies that, over short time intervals, changes in first moments would be more pronounced than changes to second moments. In our empirical setting, the analysis is based on daily changes in portfolio shares and thus the assumption is likely to hold approximately.

It is natural to think that when investors have more optimistic beliefs about the expected return on a stock, the weight of this stock in their portfolio goes up, and the weights of other stocks decline. The next proposition provides sufficient conditions for this property to hold.

PROPOSITION 1. Suppose Assumptions 1 and 2 hold and suppose stocks follow a one-factor model:

$$r_{t+1}^{i} = E_t r_{t+1}^{i} + \beta_i f_{t+1} + \varepsilon_{t+1}^{i}, \tag{8}$$

$$\beta_i > 0, \quad E_t f_{t+1} \varepsilon_{t+1}^i = 0, \quad E_t \varepsilon_{t+1}^i = 0, \quad E_t \varepsilon_{t+1}^i \varepsilon_{t+1}^j = 0, \quad \text{for} \quad i \neq j.$$
(9)

Then

$$\frac{\partial w_t^i}{\partial E_t r_{t+1}^i} > 0, \tag{10}$$

$$\frac{\partial w_t^i}{\partial E_t r_{t+1}^j} < 0. \tag{11}$$

Proof: Denote $Var_t(f_{t+1})$ by σ^2 and $Var_t(\varepsilon_{t+1}^i)$ by σ_i^2 . Then

$$\Sigma_{ij} = \begin{cases} \beta_i \beta_j \sigma^2, & \text{for } i \neq j \\ \beta_i^2 \sigma^2 + \sigma_i^2, & \text{for } i = j. \end{cases}$$
(12)

Let **x** be a vector with elements $x_i = \beta_i \sigma$. Denote a diagonal matrix with elements σ_i^2 by D. Then we

can write Σ as

$$\Sigma = D + \mathbf{x}\mathbf{x}'.\tag{13}$$

Using the Sherman–Morrison formula we have

$$\Sigma^{-1} = (D + \mathbf{x}\mathbf{x}')^{-1} = D^{-1} - \frac{D^{-1}\mathbf{x}\mathbf{x}'D^{-1}}{1 + \mathbf{x}'D^{-1}\mathbf{x}}.$$
(14)

Thus,

$$\Sigma_{ij}^{-1} = \begin{cases} -\frac{\beta_i \beta_j}{\sigma_i^2 \sigma_j^2 (\sigma^{-2} + \sum_j \beta_j^2 / \sigma_j^2)} < 0, & \text{for } i \neq j \\ \frac{\sigma^{-2} + \sum_{j \neq i} \beta_j^2 / \sigma_j^2}{\sigma_i^2 (\sigma^{-2} + \sum_j \beta_j^2 / \sigma_j^2)} > 0, & \text{for } i = j, \quad Q.E.D. \end{cases}$$
(15)

An important question is how investors form their expectations of $E_t \mathbf{r_{t+1}}$. Assumption 3. Investors use past returns to update their expectations of future returns as follows

$$corr(E_t r_{t+1}^i, r_t^i) = \rho.$$

$$\tag{16}$$

Assumption 3, together with Proposition 1, imply that following a positive (negative) return of stock i investors will be willing to allocate a larger (smaller) share of their wealth to this stock (it is arguably a strong assumption, which does not hold in all models). We can test this implication by regressing the total share change on past return. One complication arises if investors do not pay attention to stocks all the time and thus fail to optimize their portfolios. In this case, the stock share in the portfolio can increase mechanically following a positive (negative) return.

If investors always pay attention, and thus rebalance their portfolio in response to changes to their beliefs, then the sign of the regression of the total share change on the past return should coincide with the sign of ρ . Notice that the role of the active share change in this case is secondary. In particular, it can be the case that $\rho > 0$, the sign in the total share change regression is positive, and the sign in the active share change regression is positive, and the sign in the

If investors do not always pay attention to what is happening in the marker then the positive sign in the total share change regression might be consistent with limited attention. In this case, to link our results to expectations we need to focus on the times when we know investors are likely to pay attention. For example, these could be times when investors trade. Notice, again that conditional on investors trading, the role of the active share change is secondary — the main statistics is the total share change.

4. Data

Our data is from eToro, a global brokerage platform founded in 2007. As of 2019, the last year of our sample, it had 12M registered users and 1.1M active users, across more than 100 countries.⁴ eToro allows users to trade in a wide array of assets classes including currencies, commodities, equity indexes, and individual equities (primarily large companies), as well as more recently in cryptocurrencies. Trades are often implemented through CFDs ("contract for difference"), which is essentially a derivative contract on the underlying asset with cash settlement. The use of these contracts allows eToro to implement trades that are small in size and across a large number of assets. It also allows users to take on trade-specific leverage.

In our data we observe retail traders' demographic characteristics (e.g., age, gender, country of residency, and self-claimed financial proficiency), all their trades (time-stamped), and their portfolio daily balance across different asset classes. eToro allows users to initiate direct trades as well as "copy" trades of other users ("gurus") by selecting to follow them. In this paper, we focus on self -initiated trades in stocks, crypto currencies, and commodities. Our data spans the period of 1/1/2015 through 12/15/2019. ⁵ As Figure 1 shows, in line with the price appreciation in crypto currencies, eToro experienced strong growth in cryptocurrency investing beginning in mid 2016. By the end of 2017, when cryptocurrency prices reached a peak, the share of dollar amounts invested in cryptocurrencies accounted for over 85% of dollars invested in eToro in our sample. When the price dropped at the beginning of 2018, the amount of dollars invested in cryptocurrencies also declined and stabilized around 20% of total investments made on eToro. A very similar shift toward crypto currency trading is observed, albeit during a later period, in other retail trading venues such as Robinhood (as of 9/31/2021, Robinhood's transaction-based revenues from equities and crypto currencies were nearly identical.⁶). As Figure 1 shows, the dollar amount invested in currencies was quite high on the platform early on, reaching almost 70% at the beginning of 2015, but steeply declined over the next two years. By 2017 the dollar amount invested in currencies dropped to around 10% of total investments on eToro, and stayed at this level. In contrast, the amount invested in commodities increased slightly over the time period, from about 10% in 2015 to around 25% by the end of 2019. The majority of commodity trades are comprised of gold and oil. We will focus our analysis in commodities on gold, especially in light of the narrative that draws parallels between crypto currencies and gold. We will abstain from looking at currency trades, since trading in currencies has been relatively small since 2017; but most importantly given the

⁴See https://www.etoro.com/about/investors/

⁵eToro shared with us data on users who, at some point in time, followed at least one guru.

 $^{^{6}} https://investors.robinhood.com/news/news-details/2022/Robinhood-Reports-Fourth-Quarter-and-Full-Year-2021-Results/$

international nature of the eToro platform, it is difficult to know which these trades are for investment and speculative purposes and which are used to hedge real currency exposures.

Figure 2 and Table 1 provide summary statistics for the 200,000 traders we observe in our sample. In Figure 2, we display the self-reported residence of the traders in our dataset. Overall we have more than 100 countries. We report the top ten countries, and collapse the rest into the "Other" category. As the figure shows, the majority of investors come from European countries (UK, Germany, Italy, etc.), with some coming for Asia (Singapore and Malaysia). The rest of the countries make up less than 1% each. Table 1 Panel A provides information on account and financial background characteristics of the investors. These traders traded on average 63 times during their average account duration of 1.2 years (or a trade every 7 days, on average). The average user traded 9 different stocks and 2 different cryptocurrencies. The median users traded 2 stocks, which is consistent with other commonly-studied retail datasets (e.g., Hartzmark (2015) and Brav et al. (2022)). The average trade in cryptos is around \$494 and in stocks \$311. Roughly half of the users were new to trading when they joined the platform (i.e., had less than a year of experience), were young (under 35 years of age), and had low liquid wealth (i.e., less than \$10,000). Only 20% of the users indicated that they had professional background in finance. Their average daily account balance is a little under \$1,000, which is a significant proportion of their liquid assets. The median holding period is 12 days for cryptos and 7 days for stocks.

Panel B of Table 1 reports the summary statistics for the log of daily returns plus 1, for the assets we study, during our sample period. The average log daily return in the sample is zero for the top 200 stocks traded on eToro and also zero for gold, but slightly positive for crypto currencies, with a mean log daily return of 0.002. The standard deviation of the log daily returns is also much higher for crypto currencies (0.053) compared with stocks (0.027) and gold (0.006). In Panel C of Table 1 we report the average changes in the total shares and the active shares of crypto currency, stock, and gold trades. The size of the changes in the portfolio are not too different between the different assets. The changes in the active shares are typically a bit larger than the total shares, with the exception of cryptocurrency trades where the average of the total change and the passive change are quite similar. This result already foreshadows one of our main findings that investors are willing to hold crypto investments and not re-balance their portfolio when the price changes.

Given that these traders are drawn from around the world, a natural concern is that they may not represent the typical retail investor. Detailed data on retail traders' behavior are, in general, not publicly available and therefore directly measuring the representativeness of our dataset is difficult. To address this question we use retail trading data from NASDAQ and Robinhood to compare the trading behavior of eToro investors to that of US retail investors. We find that the two are highly correlated in the time series and cross section.

Specifically, we first obtain the "Retail Trading Activity Tracker" from NASDAQ, which covers roughly 45% of US retail order flow. The data provides day-stock measures of "activity," the ratio of dollar volume of retail investors in a given ticker divided by total dollar volume of retail investors across all tickers, and "sentiment", defined as the retail net flows (buys minus sells) of the most recent 10 trading days. We aggregate individual trading behavior of eToro investors to produce parallel stock-day measures. Next, we run panel regressions with either date, stock, or date and stock fixed effects for each of these measures with double-clustered standard errors. The results, reported in Table 2, are consistent and robust. The relation between US retail investors and that of eToro investors, as measured by these non-directional and directional measures is highly significant, with R^2 s for activity being 65% and for sentiment being 10%. This is consistent with findings on correlation of attention versus sentiment across different social media platforms that are frequently used by retail investors (Cookson et al. (2022)).

We also obtain data on Robinhood traders from Robintrack.net.⁷ We use the data from May 2018, when Robintrack data becomes available, through Dec 2019, when our eToro dataset ends. Robintrack provides the unique number of Robinhood users holding a given ticker on a given day. We focus on the top 200 stocks in the eToro dataset and construct a parallel measure of unique investors holding a given ticker on a given day. We find that the rank correlation between the two datasets is 0.68. This suggests that retail investors on eToro focus on similar stocks at similar times as retail investors on Robinhood.

4.1 Variable Design

We follow Calvet et al. (2009) and focus on the share of a given asset in the overall portfolio as the main dependent variable across a large number of specifications. Given that the total share of a given asset in a portfolio is highly persistent, we focus on changes and how these changes respond to asset returns. Specifically, we define Overall Share Change to be equal to $\frac{SharesOwned_t \times P_t}{Wealth_t} - \frac{SharesOwned_{t-1} \times P_{t-1}}{Wealth_{t-1}}$, where $SharesOwned_t$ is the number of shares owned at the end of day t. Of course, there is a mechanical relationship between the return on the asset on day t and the the overall share change at the end of that day. If the investor does not trade between time t-1 and time t, their returns and overall share change will be positively correlated since, other things equal, the asset will make up a larger part of the portfolio. To account for that, we also define Active Share Change as $(SharesOwned_t - SharesOwned_{t-1}) \times \frac{P_{t-1}}{Wealth_{t-1}}$. This measure isolates the effect of trading, i.e., changes in the number of shares held between time t-1 and t, and we also not incorporate any price t data. To make the coefficients more interpretable, we take

⁷https://robintrack.net/

logs of in the individual parts of the Overall and the Active Share Change, and use that construction as our dependent variables.

To smooth out the noise in the trading behavior of individual investors, and to focus on their fundamental reason for trading, we construct portfolios of various subsets of users (representative investors) and measure changes to these aggregate portfolios on the daily level for each stock, crypto currency, and gold. This approach to data is similar to sorting individual stocks into factor portfolios in asset pricing tests, which is routinely used to reduce the impact of idiosyncratic noise on parameter estimates. We perform heterogeneity tests by focusing on 'representative agents' from different cohorts (e.g., age, wealth, etc).

5. Results

We now analyze the trading behavior of the retail investors in our sample as a function of contemporaneous and past returns, comparing cryptocurrency trading to stocks and gold. Starting with the aggregate portfolio that includes all traders and stocks, we see that there is a strong dichotomy in trading between cryptocurrencies and both stocks and gold. The regression analysis follows this structure:

$$\log(ShareChange_{t,i}) = \alpha_i + \beta_1 \log(Ret_{t,i}) + \beta_2 \log(CRet1Week_{t,i}) + \beta_3 \log(CRet1Month_{t,i}) + \beta_4 \log(CRet3Month_{t,i}) + \beta_5 \log(CRet6Month_{t,i}) + \epsilon_{i,t}$$

$$(17)$$

Where *i* represents a given stock, cryptocurrency, or gold, with standard errors clustered by date. We include contemporaneous as well as lagged cumulative 1 week, 1 month, 3 month, and 6 month returns as controls. The cumulative returns are calculated starting from day t - 1. These are calculated as overlapping returns to mimic time periods that might be salient to investors. For each asset class, we run separate regressions with overall share changes and with active share changes as the dependent variable. For the active share change, we also control for returns on wealth and on any cash inflows. We don't use those controls for the total share change, as they are highly correlated with the dependent variable. Our focus of analysis is a comparison between stocks, gold and crypto currencies responses' to returns. We also run separate regressions to observe any asymmetry in share change to negative relative to positive returns.

Table 3, presents the analysis for the full set of traders in our dataset, where we form cohort-level aggregates at the individual asset level, as described in the data section. Thus, the unit of analysis in these regressions is day-asset. In Panel A, we examine how trading in cryptos responds to contempora-

neous and past returns. We focus on the top three cryptos by trading volume in our sample: Bitcoin (BTC), Etherium (ETH), and Ripple (XRP). The change in the total share for cryptocurrencies is strongly, positively related to same day returns and more weakly related to the last week log cumulative returns. Beyond a week there is no economically meaningful relationship with further out returns and the estimated coefficients are close to zero.⁸ In columns (2) and (3) we then breakout the returns into days with positive versus negative contemporaneous returns, respectively. We see that the sign and the magnitude of the estimated coefficient on the same-day returns are very similar for days with positive versus negative returns. One small difference is that for days with positive returns the one week lagged return also has a positive and borderline significant relationship, but the magnitude of the effect is much smaller that than of the contemporaneous return. In contrast, for days with negative returns only the contemporaneous returns are significant. Overall these results suggest that retail investors are willing to increase their total portfolio share in cryptocurrencies after a price increase. In columns (4) through (6) we then repeat the same regression specifications but use the log of the change in the active share as the dependent variable. The active share captures the re-balancing investors do after taking into account the passive price changes. The coefficient on the log same-day return is insignificant and close to zero for all observations and positive returns. It is slightly negative for negative returns, but the magnitude of the coefficient is very small. The coefficients for 1-week lagged cumulative returns are positive and significant with small coefficients. These results suggest that investors are not actively re-balancing out of cryptos in response to price changes and, if anything, are moving more money into cryptocurrencies as the prices increase with a one week lag.

It is important to note that even though we are examining contemporaneous returns and share changes, it is very unlikely that our results are driven by reverse causality. As the summary statistics demonstrate, these are very small investors and are unlikely to be moving prices. Furthermore, many trades on eToro are implemented through Contract for Difference, where the broker doesn't actually obtain the underlying asset in the market, and thus these retail investors are price takers.

In Panel B of Table 3, when looking at the same type of analysis for stocks we find a stark difference between how investors respond to stock returns relative to crypto returns. In this analysis we focus on the 200 most-traded stocks on eToro to ensue that we have enough trading activity on a day-to-day basis.⁹ In column (1) the coefficients on the contemporaneous log returns and the one week lagged cumulative returns are negative, which means that retail traders actively reduce exposure to stocks

 $^{^{8}}$ We also estimate these regressions separating out returns one day out, two days out and so on for the whole week. However, the results do not materially change.

 $^{^{9}}$ For the list of the top 200 stocks by eToro trading, refer to Table A1. We also repeat the analysis for different subsets of the data, e.g., the top 50 or all stocks and the results are qualitatively similar.

whose price appreciates and increase exposure to stocks whose price depreciates. When we break out the results into positive and negative return dates, we find the identical response on positive-return and negative-return dates. When repeating the same analysis with log of the change in the active share as the dependent variable, the coefficients in response to contemporaneous returns, in columns (4) to (6), are negative and economically large and significant. There is a much weaker, but still borderline significant, negative relationship for one week lagged returns. These results are in line with the changes in the total share change in columns (1) - (3). Retail investors are actively re-balancing out of stocks when prices go up, and put money into stocks when the prices go down. Broadly speaking, investors appear to be contrarians when trading stocks but not when trading crypto currencies.

In Panel C of Table 3 we repeat the same analysis for investments in gold. Here again we see very strong contrarian trading, with the coefficients of total share changes on log contemporaneous returns having almost the same size as the coefficients for active changes. This is not surprising, given that gold prices move very little from day to day, as seen in Table 1, Panel B. This findings suggest that retail investors very actively reduce their positions in gold response to price changes. Interestingly, the results show that investors seem to believe that gold and stock prices have a more similar return dynamics, while crypto currencies indeed truly are different. So at least when it comes to how retail investors trade, crypto does not seem to be the new gold.

Extreme Realizations of Returns. To further understand the different nature of trading strategies across stocks and cryptocurrencies, we test whether the effects are driven by days with extreme price movements. It could be the case that investors only rebalance when returns are either very high or very low. For this analysis, we repeat our main specification but divide the sample into quintiles based on the within-asset class contemporaneous day returns. The difference in the distribution of returns for stocks, gold, and crypto currencies is quite large, with the later, on average, more volatile and more skewed, as seen in Panel B of Table 1. In our sample period, the 20% (80%) percentile of daily returns for stocks was -1.1% (1.2%), for gold was -0.41% (0.38%), while for crypto currencies it was roughly double the ones for stocks: -2.5% (2.9%).

Panel A of Table 4 reports the results on the total share and Panel B on active share. In Panel A, for cryptocurrencies we see that the total share moves particularly strongly when returns are in the bottom and the top quintiles, i.e., quintile 1 for the worst performance days and quintile 5 for the best performance days. The relationship is insignificant for the middle quintile. However, in Panel B, we see that throughout all quintiles there is no differential re-balancing in response to contemporaneous returns. In other words, crypto investors do not seem to re-balance even around days with extreme positive or negative return realizations.

When looking at the stock and gold return quintiles, the picture is quite different. Investors are much more contrarian especially on extreme positive or negative return dates. When looking at active re-balancing in Panel B, we see a very strong contrarian trading response in the top and bottom quintiles, while the estimated effect is much weaker and even positive in the middle quintile (but not significant). In sum, this suggests that the contrarian trading in stocks and gold is particularly concentrated on days with large price movements, either positive or negative. In contrast, for cryptocurrencies there is no change in active re-balancing, independent of the return size, suggesting that investors do not re-balance even after very large price movements.

Since retail investors trade in gold very similar to how they trade in stocks, in the following analysis we will focus on the dichotomy between stocks and cryptocurrencies only, to reduce the size of the tables we present.

5.1 Asset or trader driven?

A natural question when interpreting the above differences in trading behavior for stocks and cryptocurrencies is whether these results are driven by self-selection of investors with different preferences into different asset classes, or by different belief-formation models across these assets. After all, investors are not randomly assigned to trading stocks or crypto currencies. One strength of our data is that it allows us to observe how *the same individuals* trade across the two types of assets. The analysis in Table 5 shows the results for two groups of users: those who, at some point during their tenure at eToro, traded both stocks and crypto currencies, versus those who always exclusively traded either stocks or cryptocurrencies. Across the two subgroups we find a qualitatively similar trading pattern as in the overall sample.

In Panel A of Table 5 we report the results for the set of investors who traded in both crypto and stock. About 64% of traders in our sample are in this category. The regression set up is exactly the same as in Table 3, but we form a the 'representative investor' based on the above-mentioned users only, and we only report the coefficient on the log contemporaneous returns, since the lagged returns are not significant (even though we always control for them). As in the sample with all traders, we see the stark dichotomy: investors are contrarian in stock trading but momentum in crypto when looking at the changes in total portfolio shares. The size of the coefficients is quite similar to the full sample as well. Furthermore, similarly to Table 3, the analysis of the active share change shows that our investors actively re-balance out of stocks during periods of positive returns and into stocks during periods of negative returns, but do not adjust their crypto positions in response to price changes.

In Panel B of Table 5 we then break out the investors who exclusively trade either in cryptos or

stocks during their tenure on eToro. Here we again see in Columns (1) through (3) that traders who exclusively trade in crypto are momentum traders, i.e., their total share changes positively with log returns. When looking at the active share change, we see that they do not re-balance in response to price changes. In Columns (4) through (6) we focus on investors who exclusively trade in stocks. Here we find a slightly muted dynamic. When looking at the changes in the active share in Panel B,

we see that these investors re-balance and take money out of stocks after positive returns, which also leads to a change in the total share in these periods. However, on days when the returns are negative they do not seem to rebalance and thus their total share goes down as well. Overall, their investment strategy is slightly momentum, but only very weakly so, compared to the coefficient magnitudes for exclusively-crypto and both crypto-and-stock traders.

In sum, these results suggest that the difference in trading behavior between cryptos and stocks is not a result of different types of retail investors investing in cryptocurrencies versus the ones who invest in stocks. Instead even when focusing on the same investors, they seem to update their future return beliefs differently for crypto currencies relative to stocks.

5.2 Investor Heterogeneity

While we have shown that the dichotomy in trading behavior of stocks and cryptos is a *within-person* phenomenon, we now want to further understand if some subgroups of the population are driving this effect. It is possible that there are a few large subgroups of crypto-currency investors who display this difference in trading behavior across different assets. For this purpose, we next examine the effect of individual characteristics on trading behavior. We separate traders based on the set of personal characteristics that can be identified on the platform. The dimensions we focus on are gender ('Female' identifies the set of women on the platform), experience ('New Trader' dummy = 1 for traders with less than 1 year of trading experience when joining eToro), finance experience ('Finance Profession' dummy = 1 for traders who indicated that they worked in the finance industry), wealth ('Low wealth' = 1 for traders indicating total cash or liquid assets of less than 10,000, age ('Young' dummy = 1 for users younger than 35), and whether the trader has ever been a 'guru' (had copiers) during their tenure on eToro. Table 6 reports the results splitting the analysis by cohorts formed on the basis of each of these characteristic dummies, one at a time. For example, when analyzing heterogeneity across gender we form male and female cohorts across all the different assets. We then repeat the analysis of Table 3 but add interaction terms of the log same-day returns and log past cumulative returns with the characteristic in question. In Panel A we focus on the changes in the total share and in Panel B on the changes in active share, or rebalancing.

Overall the analysis of personal characteristics shows that all groups are quite similar in their trading behavior. In Panel A, when examining the total share change, the coefficient on log returns is positive and significant for crypto trades and consistently negative and significant for stock trades. In Panel B, the coefficients on log returns are zero for cryptos and consistently significantly negative for stocks. For both panels, the interaction terms with different investor types are generally insignificant. In other words, the dichotomy between being momentum in cryptos and contrarian in stocks is robustly present across traders and it is not driven by a specific subset. This is consistent with findings in Giglio et al. (2021), who find that demographic characteristics do very little to explain differences across investor beliefs. We do find that some groups are less muted in their responses. For example, when looking at cryptocurrencies, we find that investors with lower wealth react slightly less to same-day returns and are thus slightly less momentum than more affluent investors. This holds for the change in total share and active share. However, the results are only borderline significant. When looking at some of the most successful investors on the eToro platform, called gurus, we see that they are more momentum in crypto currencies. Additionally, the effect is every small relative to the magnitude of the coefficient for non-gurus. In sum, there is quite a lot of similarity in how different types of investors trade in crypto-currencies versus in other assets.

5.3 Investor (In)Attention

One potential concern in interpreting our results on crypto trading, especially the fact that investors in crypto-currencies do not significantly re-balance when the price of the coins changes, could be due to inattention or inertia. As discussed before, if investors allow the total share in cryptocurrencies to move up and down with prices, while not paying attention to these investments, total changes in portfolio shares would not be an indication of how investors update about the prices of these securities.

To address this concern we first note that the same investors during the same time period actively trade out of stocks when their prices go up and into stocks when prices decrease. Thus, inattention would have to only apply to crypto currencies and not to stocks. This would seem quite unlikely in our context, since once an investor logs into their eToro account they can immediately see both types of investments. However, to test this channel more directly, we now repeat the analysis from Table 3, but form investor cohorts based on how active they have been on eToro: we define *active* users as users who traded at least once during the previous seven days (in any asset), while *inactive* investors are defined as not having traded in any asset in the 30 days window. We only focus on investors who have been on eToro for at least 30 days.

Table 7 reports the results. In Panel A, we find that for the group of active investors the results

are parallel to our overall results: the total share change is positive for crypto currencies and strongly negative for equities. When looking at the active share change for these attentive investors, we find that they are not re-balancing their crypto holdings actively in response to price changes but are very active in their stock investments. However, when we look at the inactive investors in Panel B we see an interesting difference: the total share change moves positively with contemporaneous returns for both stocks and cryptos. In other words, they are momentum in both of these asset classes. We furthermore find that for the inattentive investors the active share change coefficient on contemporaneous returns is only a third of the coefficient for the attentive investors, which explains the momentum-like trading behavior in the total share change. This suggests that our metric of inattention seems to be doing a good job in filtering out investors who do not pay attention to their portfolios and therefore their overall portfolio share of those assets moves up and down passively with price changes. Most importantly the results suggest that even *attentive* investors still displaying a strong dichotomy in crypto versus stock investments, mirroring our main specification results.

To focus even more on investors who are active, in Table A2 we examine investors who traded in any asset on day t, rather than in the past seven days. While we lose a lot of observations, we find that the difference between trading in cryptos and stocks becomes even more stark. Thus, the momentum trading behavior in cryptos is due to investors actively not rebalancing rather than to investors not paying attention.

Next, we examine whether our results are driven by attentive investors who do not care about crypto returns since cryptos make up a very small fraction of their overall portfolio. In Table A3 we focus on investors who have traded any asset in the past 7 days, and also had at least 30% of their portfolio invested in cryptos and at least 30% invested in stocks at time t - 7. In other words these investors had skin in the game in both assets. When looking at their rebalancing, we find that these investors are slightly less contrarian in stocks, but are still actively not rebalancing in cryptos, even though they are paying attention and have a large fraction of their portfolio invested in this asset class. To sum up, the results in this section suggest that the dichotomy in the investment strategies between stocks and cryptos is not driven by inattentive investors or investors who do not have skin in the game in the given asset class.

5.4 Robustness Checks

Compositional Changes One might worry that compositional changes could affect our cohort construction, since especially early in the sample period new investors are entering eToro and also starting to adopt crypto trading and other assets. In order to control for such early adoption concerns, we repeat our main analysis, but only include retail investors who have been active on the platform for at least 90 days. The rest of the specification is identical to Table 3. Table 8 Panel A reports the changes in total share, for cryptocurrencies and stocks, and Panel B reports the changes in the active share. We see that the results are virtually unchanged from 3 when we use the full sample. This confirms that our results are not driven by some unintended dynamics where traders who enter the platform distort the observed trading patterns, since these investors are establishing a new portfolio.

Individual Transactions Next, we confirm that our results are not driven by the cohort-level aggregation that we propose in this paper. Therefore, in Table 9 we repeat our main specification, but use individual transaction-level data. To avoid the problem of sparse trades and spurious correlations which we discussed earlier, we include only the top 50% of investors in our sample, based on the number of days investors traded in either cryptos or stocks. We focus on investors who traded in both cryptos and stocks during their tenure at eToro. Our final sample consists of 58,954 users and with over 39 million trades. We re-run our main specification as in Table 3, but now $\log(Total Share Change_t)$ and $\log(Active Share Change_t)$ are used at the individual level. We include individual fixed effects, to analyze the changes within a person over time, as well as date and asset fixed effects. We find similar results to our main specification. With respect to contemporaneous returns, investors are contrarian in their overall portfolio share for stocks and momentum in the overall portfolio share for cryptos. This suggests that our results are not distorted by the aggregation into cohorts.

Transaction Costs Transaction fees on eToro have been changing over time and across different asset classes. Next, we make sure that the momentum-like trading strategy in cryptos is not driven by investors not rebalancing as often due to high transaction costs in crypto currencies. While we don't have the full history of transaction cost changes for all asset classes, we examine whether differences in transaction fees are driving the different trading strategies from several different angles. First, if higher trading costs caused investors not to rebalance cryptos as often, we would expect them to rebalance more when returns are higher, and thus the benefit of rebalancing exceeds the cost. Yet, in Table 4 Panel B we observe that investors do not actively rebalance their crypto holdings, even on days when returns are either very high or very low (top/bottom quintiles). Second, in April/May 2019, eToro removed trading fees for non-levered stock trades in 18 countries.¹⁰ In Table A4, we examine non-levered trades by active investors (who have traded in the past seven days) in the affected countries before April 2019 with their trading behavior after May 2019. We test whether investors started trading more contrarian after the removal of trading fees. If investors rebalanced cryptos less often due to higher trading fees, we would expect them to rebalance more actively in stocks after the removal of fees. The results are

¹⁰For more details about the removal of trading fees for stocks on eToro see Even-Tov et al. (2022).

presented in Table A4. The coefficient on the interaction of returns and the *After Fee* indicator variable is insignificant, suggesting that there was no change in contrarian trading behavior in response to the fee removal. Taken together, this evidence suggests that higher trading fees are not the main driver of investors' momentum trading in crytocurrencies.

Individual Assets To ensure that our results are not driven by any one asset, in Table A5 we replicate our main specification separately for Bitcoin, Ripple, Etherium, and for the top three stocks by dollar amount invested on eToro (Tesla, Amazon, Apple). We see that investors do not actively rebalance in BTC, ETH, and XRP, and therefore, their overall portfolio share follows a momentum-like pattern. Whereas investors rebalance contrarian in the most-traded stocks. The results suggest that the dichotomy in trading strategies between crytpos and stocks are not driven by any individual asset.

Number of assets Another potential concern is the different number of assets in each asset class. If investors want to be invested in a given asset class, they have only a few cryptos to choose from (on eToro), and thousands of stocks. Therefore, investors might think that the best way to be invested in cryptos is to buy and hold the asset class, since returns among cryptos are quite correlated. Whereas in equities there are more *perceived* gains from trading between individual securities. This behavior could explain the different trading patters we find between cryptos and stocks. We address this alternative explanation in two ways. First, we observe that investors are also very contrarian in gold, where there are no other assets that they can trade in and out of. Second, we follow Da et al. (2021) and examine the first trade an investor makes in a given asset class. Not only are these trades more representative of investors' beliefs, they also help us to examine the concern that investors just trade out of one stock and into another due to perceived gains. When investors make the first purchase in an asset class, they are buying either using existing cash or proceeds from a sale of an asset from a different asset class. The results are presented in Table A6. We find that investors enter the crypto asset class on days with positive returns and enter the stock asset class on days with negative returns, suggesting momentum trading for cryptos and contrarian trading for stocks. Taken together, these findings suggest that our results are not drive by the different number of assets in each asset class.

Leverage When investors on eToro take on leverage, short, or trade contracts for difference, they have a margin account. Given that margin accounts are marked to market daily, investors might have a different trading strategy for those trades compared to regular, unlevered trades. Therefore, our results could be driven by investors taking on more leverage or trading contract for difference more often in cryptos than in stocks. There are several reasons for why this is unlikely the main driver of ou main results. First, similar to Luo et al. (2020) where investors' trades are unlevered, we find that investors are contrarian when it comes to trading in stocks, which provides external validity to the results in our

paper. Second, in Table A7, we focus only on trades that do not have leverage, and find similar results to our main specification - momentum-like strategy in cryptocurrencies and contrarian in stocks.

6. Why are cryptos different – Potential Mechanisms

Next, we try to shed some light on why investors differ in how they form price expectations for crypto currencies compared to stocks. Cryptocurrencies are an entirely new investment vehicle, whose future value to a large extent depends on investors' beliefs about whether there will be a wider market adoption going forward (see also Biais et al. (2020) for a formalization of this idea). Since there are few fundamentals that predict the path or speed of adoption, investors might use price movements as an indicator for changes in the probability of future adoption. In other words, when the price of cryptocurrencies goes up for any reason, investors might believe that a higher price makes it more likely that other investors, or even regulators, look more favorably at cryptocurrencies going forward, which would lead to an amplification effect in the price. This type of belief structure could explain the momentum trading behavior displayed among the retail investors in our data. This same amplification effect is not present in stocks or gold, since the adoption occurred a long time ago.

However, there are a number of alternative channels that could potentially explain our results. First, prior to 2018, investors had not experienced a crash in cryptocurrencies and thus might have been willing to hold on to them through smaller price movements. Second, we examine whether investors treat lottery-like assets differently than other types of securities. Finally, we analyze whether the lack of cash flow information explains the difference between cryptocurrencies and stocks.

Cryptocurrency crash. Prior to 2018 cryptocurrencies like Bitcoin or Ethereum had seen very large run ups in prices and a lot of volatility, but had not experienced any significant crashes. The beginning of 2018 saw the first major crash in cryptocurrencies. The price of bitcoin fell by about 65% from the beginning of January to February 2018. To analyze if the experience of the crash significantly changed trading behavior of retail investors, in Table 10 we repeat our analysis from Table 5, using only investors who are active in both stocks and cryptocurrencies, and who traded in the seven days prior to ensure that these are investors who actively engage with their portfolios. In addition, we include an interaction term of log contemporaneous and past cumulative returns with a dummy for the post-February 2018 period ('After Crush'). In Panel A we examine the changes in the total portfolio shares and confirms as previously found that for cryptocurrencies, investors follow a momentum strategy pre-2018, i.e., the coefficient on log returns is positive and very significant. We find that after the crash investors are still following a momentum strategy even after they have seen that prices of cryptocurrencies can drop very fast.¹¹ This interpretation is confirmed in Panel B of Table 10 where we look at the active share before and after the 2018-crash, and find that investors' strategies do not change much after the crash.

In Appendix Table A8 we also analyze if certain subgroups of traders were more likely to change their momentum strategy in crypto-trading after the experience of the crash. For this purpose we interact the post crash \times log return term with the same individual characteristics that we use in Table 6. We do not find that there are any subgroups of traders that show significantly larger sensitivity to the crash. The one exception are the so-called 'guru' traders, who became even more momentum after the 2018 bubble burst. However, this change could be a reflection of their own preferences, or of a trading strategy that is aimed at drawing in retail investors to follow them. In sum, we find that the 2018 crash in crypto-prices did not materially change the trading behavior of retail investors.

Skewness of Returns. An alternative explanation for the dichotomy between trading strategies in cryto currencies versus stocks could be that investors are holding on to assets that have very skewed or volatile returns since they treat them like lottery tickets. Several studies have documented that retail investors have a preference for skewness in returns and will hold lottery-like stocks. Kumar (2009) and Mitton and Vorkink (2007b) propose that retail investors have a taste for stocks with lottery-like payoffs. Dorn et al. (2015) and Gao and Lin (2011) show that trading by individual investors declines during periods with unusually large lottery jackpots, especially in stocks with high levels of individual investor participation and skewed returns.

In other words, what might be special about cryptocurrencies is just the nature of the observed returns. However, in that case any other asset with skewed returns would be treated similarly. It would be strange if this preference for skewed returns differed across asset classes. To test the validity of this hypothesis, we utilize the cross-section of stock returns and examine whether stocks that are often seen as being more lottery-like, for example those that have higher volatility, skewness, or are issued by younger firms induce also more "crypto-like" trading behavior. We again focus on investors who have traded both cryptos and stocks during their tenure at eToro. The stock characteristics we measure are return volatility, skewness of daily returns, and the maximum daily return, all measured over the last calendar month. Young firms are defined as firms that are less than a year old. Gross profitability is defined as revenues minus cost of goods sold divided by lagged total assets.

Table 11 reports the results, where we interact each of these characteristics, one at a time, with the log of contemporaneous and lagged returns of the stock. The results are somewhat mixed and not strongly consistent with the idea that users who trade lottery-like stocks exhibit more momentum trading. For example, we find that the change in total share as a function of log returns is less negative (and borderline

¹¹These results hold also when we focus on the full set of investors, not only those who traded in the last seven days.

significant) for stocks that had high maximum last-month returns. However this relationship is only positive for days with positive returns. When using return volatility or return skewness as the measure of heterogeneity, we find, if anything, that investors are more contrarian on these stocks. Finally, we do not find a significant difference for stocks based on their age and gross profitability. In total, we do not find consistent evidence to suggest that investors are more momentum in all assets with skewed or volatile returns. Rather this momentum strategy seems to be unique to cryptocurrencies.

Lack of cash flow information. Finally, one major difference between cryptocurrencies and stocks is that the former lack anchoring in regularly-observable fundamentals such as firm earnings or free cash flows. The lack of information events about fundamentals such as earnings announcements for stocks, might affect how investors update their beliefs about prices across different asset classes. For example, Luo et al. (2020) find that retail traders' contrarian trading intensifies in response to earnings announcements. Cash flow news might trigger a re-evaluation of investor beliefs about whether the stock price is too high or too low. If investors believe that others overreact to news, the contrarian trading strategy after earnings announcements follows from their desire to take advantage of that overreaction. The same dynamic would not be at play in cryptocurrency prices which lack regular cash flow news.

In Table 12 we follow Luo et al. (2020) and analyze whether the contrarian trading that we observe in stocks is focused predominantly around earnings announcements. For this purpose we separate our data into two subsamples: earnings-announcement days, in columns (1) through (3), and to nonearnings-announcement days in columns (4) through (6). Similar to Luo et al. (2020), we define earnings announcement days as 3 days before and 5 days after an earnings announcement, and non-earnings announcement days are defined as all the other days. We again look at changes in the total portfolio share in Panel A and the active share in Panel B. The first three columns show that on earningsannouncement days the coefficient on log returns is twice as large as for the sample overall for both the total share change and the active share change. The results for the non-earnings-announcement dates are weaker when we look at the total share change. The coefficients on log returns are negative but not significant at conventional levels. When looking at the active share change, we find contrarian re-balancing that is almost as large as in the fully sample: The coefficient on log returns is negative and significant. Overall, these results suggest that while contrarian re-balancing in stocks is particularly strong around earnings announcement dates, the effect is persistent throughout the sample. To make sure that the difference in trading patterns between earnings-announcement and non-earnings-announcement days is not driven by investor inattention we repeat the analysis in Table A9, but focus only on active investors, defined as having traded any asset on eToro in the prior seven days. We find that the results are significant even on non-earning-announcement days.

Furthermore, gold also does not have cash flow news similar to earnings announcements, yet we observe a contrarian trading behavior, similar to stocks. Put together, our evidence does not suggest that the differences in trading behavior between crypto currencies and stocks are driven by the difference in cash flow news.

7. Conclusion

Using trade-level data of retail investors on eToro, a leading discount brokerage platform, we find that investors seem to use a different model when updating their price expectations for cryptocurrencies compared to stocks and gold. The same set of investors who adopt a contrarian strategy when investing in stocks or gold, show a quasi-momentum strategy when investing in crypto currencies. We also show that the momentum trading in cryptocurrencies is mainly driven by the fact that retail investors are willing to hold onto their cryptocurrency investments even in the face of large price swings. They are not actively rebalancing out of them when prices rise sharply nor do they buy up more when the prices drop. We confirm that this dichotomy in trading behavior is not driven by composition effects of which investors trade cryptos, nor by inattention to crypto prices where people are passively affected by price swings. The results are not a naïve version of optimism where investors had never seen crypto prices crashing before and believe that they can only go up. In a nutshell, cryptocurrencies indeed seem to be special in retail traders' minds. Interestingly, this dichotomy in trading behaviors holds for a majority of retail investor types and heterogeneity in individual characteristics explains only a very small fraction of how people invest in cryptocurrencies. In other words, independent of age, financial sophistication, income and several other characteristics, we observe the same level of momentum trading in cryptocurrencies.

What is behind this type of beliefs? One might conjecture that based on the hype around cryptocurrencies investors have convinced themselves that these are the newest investment vehicles and thus they need to invest in them no matter what the price dynamic is. But there might be a less sentimentdriven explanation. The value of cryptocurrencies is largely based on expectations about the potential of wider future adoption, which in turn might be influenced by their current value. Positive returns might increase the likelihood that regulators look more favorably at cryptocurrencies, or institutional investors start investing in them. This would create positive (and negative) feedback loops and justify the quasi-momentum strategies we see in our data. The same price dynamic is not observed in other assets where adoption has already happened and most people who ultimately want to invest in the asset are already participating. This explanation would also be in line with a few earlier studies that use aggregate price data and show that cryptocurrency prices react to news about cryptocurrency adoption, see for example Auer and Claessens (2018) or Biais et al. (2020). Since price information is available at much higher frequency than news announcements, for example about regulatory changes, in the absence of cash flow news investors might rely on price movements to update their expectations. Of course, a lot more research is needed to analyze how investment behaviors change once participants have a longer time series of prices to learn from, or adoption is approaching a point of saturation.

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8. Tables and Figures



In this figure we plot the dollar amount invested in each asset class over time at the monthly level.





Figure 2. Investors' Country of Origin

the rest into the "Other" category.

Table 1. Summary Statistics

This table displays the summary statistics for our main variables. In Panel A, we display trader characteristics. Num trades per user is the number of round-trip trades (opening and closing a position). Holding periods and account age are in days. We classify investors as having a Finance Background if she reports to work in the finance industry, as Low Wealth if she reports to have total cash/liquid assets leq \$10K, as Young if she is less than 35 years old when joining eToro, and as Ever Guru if she has been a guru (an investor with followers) at any point during her tenure at eToro. In Panel B, we show the distribution of log daily returns for the three asset classes that we examine in this paper. Log(Ret) is defined as log of return on day t plus 1. Panel C shows the distribution of log(total share change) and log(active share change) for the three asset classes. Log(Total Share Change_t) defined as log(Active Share Change_t) + log(Price_t/Price_{t-1}) - Log(Wealth_t/Wealth_{t-1}). Log(Active Share Change_t) is defined as log(Shares owned_t) - log(Shares owned_{t-1}).

Panel A

	Mean	SD	Min	p25	p50	p75	p90	Max	Obs
Num trades per user	63.21	199.44	1	5	16	52	144	22,304	199,927
Num unique stocks	9.33	21.43	0	0	2	9	25	744	199,927
Num unique cryptos	1.84	1.08	0	1	2	3	3	3	$199,\!927$
Account age	489.60	444.19	0	65	366	935	1,054	1,948	$199,\!927$
Trade size crypto (\$)	494.48	1628.91	1	100	225	421	945	$191,\!863$	$172,\!599$
Trade size stocks (\$)	311.30	755.80	1	80	134	285	602	52,234	$141,\!519$
Account Balance (\$)	986.99	2042.14	0	60	260	936	$2,\!680$	44,837	199,927
Holding period crypto	57.13	119.32	0	3	12	51	155	1,162	$167,\!690$
Holding period stocks	23.82	55.72	0	2	7	21	57	1,904	141,182
Finance Background	0.20	0.40	0	0	0	0	1	1	199,927
Low Wealth	0.43	0.49	0	0	0	1	1	1	199,927
Young $(< 35 \text{yrs age})$	0.51	0.50	0	0	1	1	1	1	$199,\!927$
Ever Guru	0.01	0.10	0	0	0	0	0	1	$199,\!927$

Panel B

	Mean	SD	Min	p25	p50	p75	p90	Max	Obs
Log(Ret Stocks)	0.00001	0.0270	-1.499	-0.0097	0.0006	0.0108	0.0239	0.873	$172,\!444$
Log(Ret Crypto)	0.00161	0.0526	-0.348	-0.0180	0.0010	0.0209	0.0522	0.583	3,586
Log(Ret Gold)	-0.00002	0.0060	-0.031	-0.0032	0.0000	0.0030	0.0067	0.040	1,308

Panel C

	Mean	$^{\mathrm{SD}}$	Min	p25	p50	p75	p90	Max	Obs
All Investors: Crypto									
Log(total share change) Log(active share change)	$0.0039 \\ 0.0041$	$0.0628 \\ 0.0479$	-0.5429 -0.5483	-0.0169 -0.0031	-0.0008 0.0004	$\begin{array}{c} 0.0187 \\ 0.0061 \end{array}$	$\begin{array}{c} 0.0522 \\ 0.0247 \end{array}$	$0.9032 \\ 0.9042$	$3,586 \\ 3,586$
All Investors: 200 Stocks									
Log(total share change) Log(active share change)	$\begin{array}{c} 0.0031 \\ 0.0059 \end{array}$	$0.3655 \\ 0.3658$	-17.6411 -17.5605	-0.0405 -0.0291	$0.0002 \\ 0.0000$	$\begin{array}{c} 0.0421 \\ 0.0353 \end{array}$	$\begin{array}{c} 0.1285 \\ 0.1265 \end{array}$	$17.2385 \\ 17.2176$	172,444 172,444
All Investors: Gold									
Log(total share change) Log(active share change)	$\begin{array}{c} 0.0032 \\ 0.0051 \end{array}$	$\begin{array}{c} 0.5302 \\ 0.5315 \end{array}$	-6.4706 -6.4755	-0.0980 -0.0905	$\begin{array}{c} 0.0046 \\ 0.0061 \end{array}$	$\begin{array}{c} 0.1022 \\ 0.1048 \end{array}$	$0.2909 \\ 0.2929$	$\begin{array}{c} 6.1139 \\ 6.1356 \end{array}$	$1,308 \\ 1,308$

This table presents panel regressions of Activity (unsigned retail order flow) and Sentiment (net signed order flow) as reported by NASDAQ 'Retail Trading Activity Tracker" on the same measure computed for eToro. These measures are calculated for each stock/date in our sample. In columns 1-3, the variable of interest is Activity and in columns 4-6 the variable of interest is Sentiment. Activity is defined as the dollar volume of retail investors in a given ticker divided by total dollar volume of retail investors across all tickers. Sentiment is defined as the retail net flows (buys minus sells) of the most recent 10 trading days. Each of the columns uses a different set of controls: Firm fixed effects, Date fixed effects, and Firm and Date fixed effects. In all cases standard errors are clustered by firm and date. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

	Firm FE (1)	Date FE (2)	Firm and Date FE (3)	Firm FE (4)	Date FE (5)	Firm and Date FE (6)
Activity	0.077^{***} (0.01)	0.158^{***} (0.01)	0.077^{***} (0.01)			
Sentiment		× ,		0.008^{***} (0.00)	0.008^{***} (0.00)	0.007^{***} (0.00)
Observations R-squared	$1,\!125,\!736 \\ 0.65$	$1,\!125,\!736 \\ 0.35$	$1,125,736 \\ 0.65$	$697,016 \\ 0.07$	$697,016 \\ 0.03$	$697,016 \\ 0.10$

In this table we examine how contemporaneous and lagged returns affect individuals' trading behavior. We generate a representative investor by cumulating trades, net inflows, and wealth, across all investors who participated on the platform at date t. $Log(\text{Total Share Change}_t)$ is defined as $log(\text{Active Share Change}_t) + log(Price_t/Price_{t-1}) - Log(Wealth_t/Wealth_{t-1})$. $Log(\text{Active Share Change}_t)$ defined as $log(\text{Active Share Change}_t) - log(\text{Shares owned}_{t-1})$. Log(Ret) is defined as $log(\text{Shares owned}_t) - log(\text{Shares owned}_{t-1})$. Log(Ret) is defined as $log(\text{Shares owned}_t) - log(\text{Shares owned}_{t-1})$. Log(Ret) is defined as $log(\text{Shares owned}_t) - log(\text{Shares owned}_{t-1})$. Log(Ret) is defined as $log(\text{Shares owned}_t) - log(\text{Ret Wealth}_t)$ is defined as $log([Wealth_t - NetInflows_t]/Wealth_{t-1})$, and log(Ret Inflows) is defined as $log(Wealth_t/Wealth_{t-1}) - log((Wealth_t - NetInflows_t))/Wealth_{t-1})$. Log returns are standardized within each asset class across the entire time period, and denoted with (z). In Panel A, we examine cryptos, in Panel B stocks, and in Panel C gold. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by trading on eToro refer to Table A1. Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A: Crypto

	Log(to	otal share c	hange)	Log(ac	tive share o	change)
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$
Log(Ret) (z)	0.035***	0.039***	0.031***	-0.001	0.002	-0.006***
	(0.001)	(0.002)	(0.002)	(0.002)	(0.002)	(0.002)
Log(CR past 1 week) (z)	0.002^{**}	0.005^{**}	-0.000	0.003^{**}	0.004^{**}	0.001
	(0.001)	(0.002)	(0.001)	(0.001)	(0.002)	(0.001)
Log(CR past 1 month) (z)	0.001	0.002	-0.001	0.000	0.001	0.000
	(0.001)	(0.002)	(0.001)	(0.001)	(0.001)	(0.001)
Log(CR past 3 months) (z)	-0.004^{**}	-0.003	-0.006**	-0.005^{***}	-0.003^{*}	-0.007^{**}
	(0.002)	(0.002)	(0.003)	(0.002)	(0.002)	(0.003)
Log(CR past 6 months) (z)	0.005^{**}	0.002	0.007^{**}	0.004^{**}	0.000	0.008^{**}
	(0.002)	(0.002)	(0.003)	(0.002)	(0.002)	(0.003)
Log(Ret Wealth)(z)				0.001	-0.000	0.004^{**}
				(0.001)	(0.002)	(0.002)
Log(Ret Net Inflows)(z)				0.006^{***}	0.006^{***}	0.004^{**}
				(0.001)	(0.002)	(0.002)
R2	0.325	0.378	0.271	0.023	0.032	0.035
Observations	$3,\!586$	1,866	1,720	$3,\!586$	1,866	1,720

Panel B: Stocks

	Log(to	tal share cl	nange)	Log(ad	ctive share c	hange)
	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$
	(1)	(2)	(3)	(4)	(5)	(6)
Log(Ret) (z)	-0.006***	-0.006**	-0.006**	-0.026***	-0.024***	-0.028***
	(0.002)	(0.002)	(0.003)	(0.002)	(0.002)	(0.003)
Log(CR past 1 week) (z)	-0.003**	-0.005^{**}	-0.001	-0.003**	-0.005^{***}	-0.001
	(0.001)	(0.002)	(0.002)	(0.001)	(0.002)	(0.002)
Log(CR past 1 month) (z)	-0.002	-0.003^{*}	-0.001	-0.002^{*}	-0.004^{**}	-0.001
	(0.001)	(0.002)	(0.002)	(0.001)	(0.002)	(0.002)
Log(CR past 3 months) (z)	0.002	0.004	-0.001	0.002	0.004	-0.001
	(0.002)	(0.004)	(0.002)	(0.002)	(0.004)	(0.002)
Log(CR past 6 months) (z)	0.001	-0.000	0.002	0.002	0.001	0.003
	(0.001)	(0.002)	(0.002)	(0.001)	(0.002)	(0.002)
Log(Ret Wealth)(z)				0.006^{***}	0.004^{**}	0.007^{**}
				(0.002)	(0.002)	(0.003)
Log(Ret Net Inflows)(z)				-0.000	0.000	-0.001
				(0.001)	(0.001)	(0.002)
R2	0.001	0.001	0.001	0.008	0.006	0.011
Observations	170,878	$87,\!894$	82,984	170,878	87,894	82,984

Panel C: Gold

	Log(t	otal share ch	nange)	Log(ad	ctive share c	hange)
	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$
	(1)	(2)	(3)	(4)	(5)	(6)
Log(Ret) (z)	-0.216***	-0.213***	-0.205***	-0.221***	-0.215^{***}	-0.215***
	(0.027)	(0.035)	(0.034)	(0.027)	(0.034)	(0.035)
Log(CR past 1 week) (z)	0.029^{*}	0.020	0.037^{*}	0.029^{*}	0.023	0.034
	(0.016)	(0.023)	(0.021)	(0.016)	(0.023)	(0.021)
Log(CR past 1 month) (z)	0.012	0.012	-0.005	0.013	0.007	-0.001
	(0.031)	(0.050)	(0.034)	(0.031)	(0.049)	(0.035)
Log(CR past 3 months) (z)	-0.004	-0.063**	0.064^{**}	-0.005	-0.064^{**}	0.060^{**}
	(0.022)	(0.031)	(0.030)	(0.022)	(0.031)	(0.030)
Log(CR past 6 months) (z)	0.008	-0.015	0.030	0.007	-0.015	0.029
	(0.017)	(0.027)	(0.021)	(0.017)	(0.027)	(0.021)
Log(Ret Wealth)(z)				0.006	-0.008	0.018
				(0.014)	(0.018)	(0.020)
Log(Ret Net Inflows)(z)				-0.018	-0.013	-0.022
				(0.015)	(0.020)	(0.021)
De		0.4.40				
R2	0.158	0.149	0.215	0.165	0.155	0.227
Observations	$1,\!146$	585	561	1,146	585	561

Table 4. Return Quintile Analysis

In this table we examine whether investors respond to returns differently for different return quintiles. We only look at investors who have traded both cryptos and stocks during their tenure on eToro. We generate a representative investor by cumulating trades, net inflows, and wealth, across those investors for each day t. $Log(\text{Total Share Change}_t)$ and $Log(\text{Active Share Change}_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. The quintile return cutoffs for gold are: -0.025, -0.005, 0.007, and 0.029; the cutoffs for stocks are: -0.011, -0.002, 0.004, and 0.012; the cutoffs for gold are: -0.0041, -0.0008, 0.001, and 0.0385. Log returns are standardized within asset class across the entire period, and denoted with (z). Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A

		Log(To	otal Share	Change)					
	Bottom Quintile	2	3	4	Top Quintile				
			Cryptos						
Log(Ret) (z)	0.036***	0.014	-0.056	0.053***	0.039***				
	(0.003)	(0.017)	(0.053)	(0.016)	(0.003)				
Controls	Yes	Yes	Yes	Yes	Yes				
R2	0.239	0.035	0.004	0.029	0.296				
Observations	718	717	717	717	717				
	Top 200 Stocks								
Log(Ret) (z)	-0.028***	0.028^{*}	0.063**	-0.015	-0.028***				
	(0.007)	(0.015)	(0.024)	(0.019)	(0.007)				
Controls	Yes	Yes	Yes	Yes	Yes				
R2	0.005	0.000	0.000	0.001	0.003				
Observations	$33,\!693$	34,095	34,136	34,092	33,775				
			Gold						
Log(Ret) (z)	-0.145^{**}	-0.159	-0.222	-0.130	-0.109**				
	(0.063)	(0.141)	(0.135)	(0.141)	(0.055)				
Controls	Yes	Yes	Yes	Yes	Yes				
R2	0.086	0.059	0.032	0.006	0.133				
Observations	225	222	238	236	228				

		Log(Ac	tive Share	Change)					
	Bottom Quintile	2	3	4	Top Quintile				
			Cryptos						
Log(Ret)(z)	-0.001	-0.005	-0.084	0.013	-0.002				
	(0.003)	(0.012)	(0.054)	(0.015)	(0.004)				
Controls	Yes	Yes	Yes	Yes	Yes				
R2	0.034	0.070	0.009	0.025	0.071				
Observations	718	717	717	717	717				
	Top 200 Stocks								
Log(Ret)(z)	-0.055***	0.011	0.038	-0.039**	-0.056***				
	(0.007)	(0.015)	(0.024)	(0.019)	(0.007)				
Controls	Yes	Yes	Yes	Yes	Yes				
R2	0.020	0.001	0.000	0.001	0.012				
Observations	$33,\!693$	34,095	34,136	34,092	33,775				
-			Gold						
Log(Ret)(z)	-0.147**	-0.173	-0.213	-0.128	-0.111**				
	(0.063)	(0.146)	(0.131)	(0.146)	(0.055)				
Controls	Voc	Voc	Voc	Voc	Voc				
R9	0 107	0.060	0.038	0.007	0 1 3 9				
Observations	225	222	238	236	228				
Observations	220	444	200	200	220				

Table 5. By Investor Type

In this table we examine whether investors who trade in both cryptos and stocks trade differently from investors who only trade in cryptos or only in stocks. We generate a representative investor by cumulating trades, net inflows, and wealth, across each investor group for each day t. An investor is defined as trading in cryptos (stocks) if she traded cryptos (stocks) at any time during her eToro tenure. $Log(Total Share Change_t)$ and $Log(Active Share Change_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A: Traded in both	Cryptos a	and Stocks
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		Log(total share change)									
		Cryptos		Г	Top 200 Stocks						
	All	Ret>0	Ret≤0	All	Ret>0	Ret≤0					
	(1)	(2)	(3)	(4)	(5)	(6)					
Log(Ret)(z)	0.035^{***}	0.040***	0.035^{***}	-0.012***	-0.023***	-0.017***					
	(0.001)	(0.002)	(0.002)	(0.002)	(0.004)	(0.005)					
Controls	Yes	Yes	Yes	Yes	Yes	Yes					
Outcome SD	0.066	0.065	0.061	0.383	0.388	0.378					
R2	0.292	0.269	0.173	0.001	0.002	0.002					
Observations	$3,\!586$	1,866	1,720	169,791	87,329	82,462					

		Log(active share change)									
		Cryptos		Top 200 Stocks							
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$					
Log(Ret) (z)	-0.001 (0.002)	-0.000 (0.003)	0.000 (0.003)	-0.036^{***} (0.002)	-0.049^{***} (0.004)	-0.042^{***} (0.005)					
Controls Outcome SD R2 Observations	Yes 0.052 0.021 3,586	Yes 0.052 0.026 1,866	Yes 0.053 0.026 1,720	Yes 0.383 0.009 169,791	Yes 0.388 0.008 87,329	Yes 0.378 0.010 82,462					

Panel B: Traded only Cryptos or Stocks

		Log(total share change)								
		Cryptos			Top 200 Stocks					
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$				
Log(Ret) (z)	$\begin{array}{c} 0.031^{***} \\ (0.002) \end{array}$	$\begin{array}{c} 0.035^{***} \\ (0.003) \end{array}$	$\begin{array}{c} 0.028^{***} \\ (0.003) \end{array}$	$\begin{array}{c} 0.013^{***} \\ (0.005) \end{array}$	-0.010^{*} (0.006)	$\begin{array}{c} 0.031^{***} \\ (0.011) \end{array}$				
Controls Outcome SD R2 Observations	Yes 0.074 0.181 3,583	Yes 0.079 0.154 1,866	Yes 0.063 0.112 1,717	Yes 0.637 0.001 151,725	Yes 0.645 0.001 77,995	Yes 0.630 0.002 73,730				

		Log(active share change)								
		Cryptos			Top 200 Stocks					
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\begin{array}{c} \operatorname{Ret} \leq 0 \\ (6) \end{array}$				
Log(Ret) (z)	0.001 (0.003)	0.003 (0.004)	-0.004 (0.003)	-0.013^{**} (0.005)	-0.036^{***} (0.006)	$0.005 \\ (0.011)$				
Controls Outcome SD R2 Observations	Yes 0.062 0.023 3,582	Yes 0.067 0.031 1,866	Yes 0.056 0.033 1,716	Yes 0.637 0.001 151,725	Yes 0.645 0.002 77,995	Yes 0.629 0.000 73,730				

Table 6. Investor Characteristics

In this table we examine whether there is heterogeneity in how investors trade across different investor characteristics. We generate two representative investors, by cumulating trades, net inflows, and wealth, for each investor group with a given characteristic, or not, for each day t. We only look at investors who have traded both cryptos and stocks during their tenure at eToro. We classify investors as having a *Finance Background* if she reported to work in the finance industry, as *Low Wealth* if she reports to have total cash/liquid assets *leq* \$10K, as *Young* if she is less than 35 years old when joining eToro, and as *Ever Guru* if she has been a guru (having followers) at any point during her tenure at eToro. $Log(\text{Total Share Change}_t)$ and $Log(\text{Active Share Change}_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. All controls are also interacted with the characteristics indicator. The log cumulative past returns are defined over a time period ending on day t - 1. *Cryptos* are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$		Log(total share change)							
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$			Cryptos		Г	op 200 Stock	ζS		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $		All	$\operatorname{Ret} > 0$	$\operatorname{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\operatorname{Ret} \leq 0$		
Female Log(Ret) (x) 0.035*** 0.040*** 0.009** -0.013*** Log(Ret) (x) 0.040*** 0.013*** -0.013*** -0.011 -0.011 -0.011 -0.011 -0.000 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.011 -0.012 Finance Background		(1)	(2)	(3)	(4)	(5)	(6)		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $		0.005***	0.040***	Fe	male	0.000***	0.019***		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Log(Ret)(z)	(0.035^{****})	(0.040^{***})	(0.034^{****})	-0.009^{***}	-0.022^{***}	-0.013^{****}		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type	0.001)	(0.003)	(0.002)	(0.002)	(0.004)	-0.000		
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	investor Type	(0.000)	(0.004)	(0.004)	(0.003)	(0.007)	(0.007)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type \times Log(Ret) (z)	0.002	-0.000	-0.001	-0.016**	-0.011	-0.012		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.001)	(0.002)	(0.003)	(0.006)	(0.011)	(0.012)		
$\begin{array}{c ccc} Controls & Yes & Yes & Yes & Yes & Yes \\ R2 & 0.148 & 0.118 & 0.084 & 0.001 & 0.001 & 0.001 \\ Observations & 7,167 & 3,732 & 3,435 & 303,049 & 155,969 & 147,080 \\ \hline \\ I & 0.035^{***} & 0.039^{***} & 0.034^{***} & -0.012^{***} & -0.016^{***} \\ (0.002) & (0.003) & (0.003) & (0.003) & (0.005) & (0.005) \\ Investor Type & 0.000 & -0.001 & 0.001 & -0.002 & -0.001 & 0.003 \\ Investor Type \times Log(Ret) (z) & 0.002^* & 0.003^* & 0.003 & 0.011^{***} & 0.008 & 0.018^{**} \\ (0.001) & (0.002) & (0.002) & (0.002) & (0.003) & (0.005) & (0.004) \\ Investor Type \times Log(Ret) (z) & 0.022^* & 0.003^* & 0.003 & 0.011^{***} & 0.008 & 0.018^{**} \\ (0.001) & (0.002) & (0.003) & (0.004) & (0.008) & (0.007) \\ \hline \\ Controls & Yes & Yes & Yes & Yes & Yes & Yes \\ R2 & 0.229 & 0.217 & 0.130 & 0.000 & 0.001 & 0.000 \\ Observations & 7,172 & 3,732 & 3,440 & 327,132 & 168,334 & 158,798 \\ \hline \\ Investor Type & -0.001 & -0.000 & 0.001 & -0.003 & -0.001 & -0.002 \\ & (0.001) & (0.002) & (0.003) & (0.002) & (0.004) & (0.005) \\ Investor Type & Log(Ret) (z) & -0.03^{***} & -0.005^{***} & -0.006^{**} & -0.006^{**} & -0.007 & -0.004 \\ & -0.001 & -0.000 & 0.001 & -0.003 & -0.001 & -0.002 \\ & (0.001) & (0.002) & (0.003) & (0.002) & (0.004) & (0.005) \\ Investor Type & Log(Ret) (z) & -0.03^{***} & -0.005^{***} & -0.007^{**} & -0.004 \\ & -0.001 & -0.003 & (0.003) & (0.006) & (0.005) \\ \hline \\ Controls & Yes & Yes & Yes & Yes & Yes & Yes \\ R2 & 0.174 & 0.180 & 0.089 & 0.000 & 0.001 & 0.000 \\ Observations & 7,172 & 3,732 & 3,440 & 328,355 & 168,889 & 159,466 \\ \hline \\ \hline \\ Hvestor Type & -0.001 & -0.001 & -0.001 & -0.002 & (0.003) & (0.007) & (0.005) \\ Investor Type & -0.001 & 0.0002 & (0.002) & (0.003) & (0.007) & (0.005) \\ Investor Type & -0.001 & -0.001 & -0.001 & -0.002 & (0.001) & 0.000 \\ Observations & 7,172 & 3,732 & 3,440 & 330,496 & 169,981 & 160,515 \\ Hvestor Type & Veg(Ret) (z) & -0.03^{***} & 0.33^{***} & -0.010^{***} & -0.018^{***} & -0.017^{**} \\ Investor Type & Xeg(Ret) (z) & -0.03^{***} & 0.033^{***} & -0.007^{**} & -0.018^{***} & -0.010^{***} \\ Inve$									
H2 0.148 0.118 0.084 0.001 0.001 0.001 Observations 7,167 3,732 3,435 303,049 155,969 147,080 Log(Ret) (z) 0.035*** 0.039*** 0.012*** -0.012*** -0.027*** -0.016*** (0.002) (0.003) (0.003) (0.005) (0.005) (0.005) Investor Type 0.000 -0.001 0.001 -0.002 (0.001) 0.003 Investor Type × Log(Ret) (z) 0.002* (0.001) (0.002) (0.003) (0.004) (0.008) (0.007) Controls Yes Yes <td< td=""><td>Controls</td><td>Yes</td><td>Yes</td><td>Yes</td><td>Yes</td><td>Yes</td><td>Yes</td></td<>	Controls	Yes	Yes	Yes	Yes	Yes	Yes		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	R2	0.148	0.118	0.084	0.001	0.001	0.001		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Observations	7,167	3,732	3,435	303,049	155,969	147,080		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Log(Bet)(z)	0.035***	0.030***	- Finance i	_0.012***	-0.027***	-0.016***		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	DOB(100) (2)	(0.002)	(0.003)	(0.004)	(0.003)	(0.005)	(0.005)		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Investor Type	0.000	-0.001	0.001	-0.002	-0.001	0.003		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.001)	(0.002)	(0.002)	(0.002)	(0.005)	(0.004)		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Investor Type \times Log(Ret) (z)	0.002^{*}	0.003^{*}	0.003	0.011***	0.008	0.018**		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.001)	(0.002)	(0.003)	(0.004)	(0.008)	(0.007)		
$\begin{array}{ccc} {\rm Controls} & {\rm Yes} \\ {\rm R2} & 0.229 & 0.217 & 0.130 & 0.000 & 0.001 & 0.000 \\ {\rm Observations} & 7,172 & 3,732 & 3,440 & 327,132 & 168,334 & 158,798 \\ & {\rm Log(Ret)}\left(z\right) & 0.036^{***} & 0.041^{***} & 0.035^{***} & -0.006^{**} & -0.016^{***} & -0.008^{*} \\ & (0.001) & (0.003) & (0.002) & (0.002) & (0.004) & (0.005) \\ {\rm Investor} {\rm Type} & -0.001 & -0.000 & 0.001 & -0.003 & -0.001 & -0.002 \\ & (0.001) & (0.002) & (0.003) & (0.002) & (0.004) & (0.004) \\ {\rm Investor} {\rm Type} \times {\rm Log(Ret)}\left(z\right) & -0.03^{***} & -0.05^{**} & -0.002 & -0.004 & -0.007 & -0.004 \\ & (0.001) & (0.002) & (0.003) & (0.003) & (0.006) & (0.005) \\ \\ {\rm Controls} & {\rm Yes} \\ {\rm R2} & 0.174 & 0.180 & 0.089 & 0.000 & 0.001 & 0.000 \\ \\ {\rm Observations} & 7,172 & 3,732 & 3,440 & 328,355 & 168,889 & 159,466 \\ \\ \hline & {\rm Vout} & {\rm Vout} & {\rm Vout} \\ \\ {\rm Log(Ret)}\left(z\right) & 0.036^{***} & 0.040^{***} & 0.035^{***} & -0.007^{**} & -0.018^{***} & -0.010^{***} \\ & (0.001) & (0.003) & (0.002) & (0.003) & (0.007) & (0.005) \\ \\ {\rm Investor} {\rm Type} & -0.001 & -0.001 & -0.001 & -0.001 & 0.002 & 0.002 \\ & (0.001) & (0.002) & (0.002) & (0.003) & (0.007) & (0.005) \\ \\ {\rm Investor} {\rm Type} & Log({\rm Ret})\left(z\right) & -0.002^{*} & -0.011 & -0.001 & -0.001 & -0.001 & 0.002 & 0.002 \\ & (0.001) & (0.002) & (0.002) & (0.003) & (0.007) & (0.004) \\ \\ {\rm Controls} & {\rm Yes} \\ {\rm R2} & 0.218 & 0.209 & 0.119 & 0.000 & 0.001 & 0.000 \\ \\ {\rm Observations} & 7,172 & 3,732 & 3,440 & 330,496 & 169,981 & 160,515 \\ \\ {\rm Ever {\rm Guru}} & {\rm Log({\rm Ret})}\left(z\right) & 0.035^{***} & 0.039^{***} & 0.034^{***} & -0.010^{***} & -0.020^{***} & -0.015^{***} \\ \\ {\rm Log({\rm Ret})}\left(z\right) & 0.035^{***} & 0.039^{***} & 0.034^{***} & -0.010^{***} & -0.020^{***} & -0.015^{***} \\ \\ {\rm Log({\rm Ret})}\left(z\right) & 0.035^{***} & 0.039^{***} & 0.034^{***} & -0.010^{***} & -0.020^{***} & -0.015^{***} \\ \\ {\rm Log({\rm Ret})}\left(z\right) & 0.000 & -0.0001 & 0.0000 \\ \end{array} \right)$									
R2 0.229 0.217 0.130 0.000 0.001 0.000 Observations $7,172$ $3,732$ $3,440$ $327,132$ $168,334$ $158,798$ Log(Ret) (z) 0.036^{***} 0.041^{***} 0.035^{***} -0.006^{**} -0.016^{***} -0.008^* Investor Type -0.001 -0.000 0.002 (0.002) (0.004) (0.004) Investor Type × Log(Ret) (z) -0.003^{***} -0.002 -0.004 -0.002 -0.004 -0.007^* -0.004 -0.007^* -0.004 (0.004) (0.005) Investor Type × Log(Ret) (z) -0.03^{***} -0.002^* -0.004 -0.003 (0.003) (0.003) (0.004) $(0.005)^*$ Controls Yes Yes Yes Yes Yes Yes Yes Yes R2 0.174 0.180 0.089 0.000 0.001 0.000 Observations $7,172$ $3,732$ $3,440$ $328,355$ 168	Controls	Yes	Yes	Yes	Yes	Yes	Yes		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	R2	0.229	0.217	0.130	0.000	0.001	0.000		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Observations	1,112	3,732	3,440	327,132 Wealth	108,334	158,798		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Log(Bet)(z)	0.036***	0.041***	0.035***	-0.006**	-0.016***	-0.008*		
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		(0.001)	(0.003)	(0.002)	(0.002)	(0.004)	(0.005)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type	-0.001	-0.000	0.001	-0.003	-0.001	-0.002		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.001)	(0.002)	(0.003)	(0.002)	(0.004)	(0.004)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type \times Log(Ret) (z)	-0.003***	-0.005^{**}	-0.002	-0.004	-0.007	-0.004		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.001)	(0.002)	(0.003)	(0.003)	(0.006)	(0.005)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Controls	Ves	Ves	Ves	Ves	Ves	Ves		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	R2	0.174	0.180	0.089	0.000	0.001	0.000		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Observations	7,172	3,732	3,440	328,355	168,889	159,466		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$,	,	Ye	oung	,	,		
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	Log(Ret) (z)	0.036***	0.040***	0.035^{***}	-0.007**	-0.018***	-0.010**		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.001)	(0.003)	(0.002)	(0.003)	(0.007)	(0.005)		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type	-0.001	-0.001	-0.001	-0.001	0.002	0.002		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.001)	(0.002)	(0.002)	(0.002)	(0.004)	(0.003)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type \times Log(Ret) (z)	-0.002*	-0.001	-0.003	-0.001	-0.007	0.002		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.001)	(0.002)	(0.002)	(0.003)	(0.007)	(0.004)		
R2 0.218 0.209 0.119 0.000 0.001 0.000 Observations 7,172 3,732 3,440 330,496 169,981 160,515 Ever Guru Log(Ret) (z) 0.035^{***} 0.039^{***} 0.034^{***} -0.010^{***} -0.020^{***} -0.015^{***} (0.001) (0.003) (0.002) (0.003) (0.005) -0.002	Controls	Yes	Yes	Yes	Yes	Yes	Yes		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	R2	0.218	0.209	0.119	0.000	0.001	0.000		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Observations	7,172	3,732	$3,\!440$	330,496	169,981	160,515		
Log(Ret) (z) 0.035^{***} 0.039^{***} 0.034^{***} -0.010^{***} -0.020^{***} -0.015^{***} (0.001) (0.003) (0.002) (0.003) (0.005) (0.005) Investor Type 0.000 -0.001 0.005 -0.002 -0.001 -0.002				Ever	: Guru				
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	Log(Ret) (z)	0.035***	0.039***	0.034***	-0.010***	-0.020***	-0.015***		
-1 prestor Type 0.000 -0.001 0.005 -0.002 0.001 -0.002	T i m	(0.001)	(0.003)	(0.002)	(0.003)	(0.005)	(0.005)		
$\begin{array}{c} 1000 \\ 10$	Investor Type	0.000	-0.001	0.005	-0.002	0.001	-0.002		
(0.002) (0.004) (0.004) (0.002) (0.004) (0.004) (0.004)	Investor True of Lon(Dot) ()	(0.002)	(0.004)	(0.004)	(0.002)	(0.004)	(0.004)		
$\frac{10003}{(0.003)} = \frac{1000}{(0.003)} = \frac{1000}{(0$	$mvestor iype \times Log(Ret)(z)$	(0,000) (0,000)	0.009.	(0.012)	(0.006)	(0.003)	0.008 (0.006)		
(0.002) (0.003) (0.004) (0.007) (0.006)		(0.002)	(0.003)	(0.005)	(0.004)	(0.007)	(0.000)		
Controls Yes Yes Yes Yes Yes Yes	Controls	Yes	Yes	Yes	Yes	Yes	Yes		
R2 0.150 0.125 0.097 0.001 0.001 0.001	R2	0.150	0.125	0.097	0.001	0.001	0.001		
Observations 7,160 3,726 3,434 322,315 165,920 156,395	Observations	7,160	3,726	$3,\!434$	322, 315	165,920	$156,\!395$		

$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$		Log(active share change)							
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$			Cryptos		Г	op 200 Stock	s		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $		All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$		
$ \begin{array}{c c} \text{Log}(\text{Ret}) (z) & -0.001 & -0.000 & 0.000 & -0.034^{***} & -0.048^{***} & -0.038^{***} \\ & (0.002) & (0.003) & (0.003) & (0.004) & (0.004) & (0.007) \\ \text{Investor Type} & \text{Log}(\text{Ret}) (z) & -0.002 & -0.001 & -0.016^{***} & -0.012 & -0.012 \\ & (0.002) & (0.004) & (0.005) & (0.006) & (0.011) & (0.012) \\ \text{Controls} & Yes & Yes & Yes & Yes & Yes & Yes \\ \text{R2} & 0.012 & 0.012 & 0.012 & 0.016^{***} & -0.012^{***} & -0.012 \\ \hline \text{Controls} & 7,149 & 3,721 & 3,428 & 303,049 & 155,969 & 147,080 \\ \hline \text{Finance Background} & -0.002 & -0.001 & -0.001 & -0.037^{***} & -0.041^{***} & -0.041^{***} \\ \hline \text{Log}(\text{Ret}) (z) & -0.002 & -0.001 & -0.001 & -0.003 & 0.002 \\ \hline \text{Investor Type} & 0.000 & -0.001 & -0.001 & -0.003 & 0.003 & 0.002 \\ \hline \text{Investor Type} & 0.000 & -0.001 & -0.003 & -0.003 & 0.002 \\ \hline \text{Investor Type} & 0.000 & -0.003 & 0.002 & 0.003 & 0.002 \\ \hline \text{Investor Type} & Log(\text{Ret}) (z) & 0.012 & 0.015 & 0.018 & 0.003 & 0.003 \\ \hline \text{Investor Type} & Log(\text{Ret}) (z) & -0.001 & -0.001 & -0.003 & -0.003 & 0.003 \\ \hline \text{Investor Type} & -0.001 & 0.001 & 0.000 & -0.033^{***} & -0.041^{***} & -0.033^{***} \\ \hline \text{Controls} & Yes & Yes & Yes & Yes & Yes & Yes \\ \text{R2} & 0.012 & 0.012 & 0.018 & 0.003 & 0.003 & 0.003 \\ \hline \text{Observations} & 7,172 & 3,732 & 3,440 & 327,132 & 168,334 & 158,798 \\ \hline \text{Log}(\text{Ret}) (z) & -0.001 & 0.000 & -0.031^{***} & -0.042^{***} & -0.033^{***} \\ \hline \text{Log}(\text{Ret}) (z) & -0.001 & 0.000 & -0.033 & -0.004 & -0.007 & -0.003 \\ \hline \text{Investor Type} & 0.001 & 0.000 & 0.003 & 0.003 & 0.003 \\ \hline \text{Ouces Type} & Log(\text{Ret}) (z) & -0.001 & -0.000 & -0.003 & -0.004 & -0.007 & -0.003 \\ \hline \text{Controls} & Yes & Yes & Yes & Yes & Yes \\ \text{R2} & 0.014 & 0.020 & 0.003 & 0.003 & 0.003 & 0.003 \\ \hline \text{Ouces Type} & Log(\text{Ret}) (z) & -0.001 & -0.000 & -0.003 & -0.004 & -0.007 & -0.003 \\ \hline \text{Controls} & Yes & Yes & Yes & Yes & Yes \\ \text{R2} & 0.014 & 0.020 & 0.003 & 0.003 & 0.003 & 0.003 \\ \hline \text{Investor Type} & Log(\text{Ret}) (z) & -0.001 & -0.000 & -0.003 & -0.004 & +0.0077 & 0.003 \\ \hline \text{Investor Type} & Log(\text{Ret}) (z) & -0.$					Female				
	Log(Ret) (z)	-0.001	-0.000	0.000	-0.034***	-0.048***	-0.038***		
$ \begin{array}{llllllllllllllllllllllllllllllllllll$		(0.002)	(0.003)	(0.003)	(0.002)	(0.004)	(0.005)		
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	Investor Type	(0.000)	(0.005)	-0.005	-0.006*	-0.013*	-0.001		
$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	Investor Trues V I or (Dot) (a)	(0.002)	(0.003)	(0.004)	(0.004)	(0.007)	(0.007)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type \times Log(Ret) (Z)	-0.002	-0.001	(0.010)	-0.010	-0.012	-0.012		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.002)	(0.004)	(0.003)	(0.000)	(0.011)	(0.012)		
R2 0.012 0.012 0.021 0.003 0.003 0.003 155,969 147,080 Observations 7,149 3,721 3,428 303,049 155,969 147,080 Log(Ret) (x) -0.002 -0.001 -0.003 -0.003 (0.005) (0.005) Investor Type 0.000 -0.001 -0.002 (0.002) (0.002) (0.002) (0.002) (0.002) (0.002) (0.002) (0.002) (0.003) 0.003 0.003 Investor Type × Log(Ret) (x) 0.002 (0.002) (0.003) 0.003 0.004 0.003 0.004 <td< td=""><td>Controls</td><td>Yes</td><td>Yes</td><td>Yes</td><td>Yes</td><td>Yes</td><td>Yes</td></td<>	Controls	Yes	Yes	Yes	Yes	Yes	Yes		
Observations 7,149 3,721 3,428 303,049 155,969 147,080 Finance Background Finance Background Finance Background	R2	0.012	0.012	0.021	0.003	0.002	0.003		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Observations	7,149	3,721	3,428	303,049	155,969	147,080		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $				Financ	e Backgroun	d			
	Log(Ret) (z)	-0.002	-0.001	-0.001	-0.037***	-0.053***	-0.041***		
$\begin{array}{llllllllllllllllllllllllllllllllllll$	I m	(0.002)	(0.003)	(0.004)	(0.003)	(0.005)	(0.005)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type	(0.000)	-0.001	-0.000	-0.003	-0.003	0.002		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Investor Trues V I or (Dot) (a)	(0.001)	(0.002)	(0.002)	(0.002)	(0.005)	(0.004)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type \times Log(Ret) (Z)	(0.002)	(0.003)	(0.002)	(0.010)	(0.008)	(0.018)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.002)	(0.002)	(0.004)	(0.004)	(0.003)	(0.007)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Controls	Yes	Yes	Yes	Yes	Yes	Yes		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	R2	0.012	0.015	0.018	0.003	0.003	0.003		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Observations	7,172	3,732	$3,\!440$	327, 132	168,334	158,798		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$				Lo	w Wealth				
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	Log(Ret) (z)	-0.001	0.001	0.000	-0.031***	-0.042^{***}	-0.033***		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.002)	(0.003)	(0.003)	(0.002)	(0.004)	(0.005)		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type	0.001	0.002	0.002	-0.004*	-0.002	-0.005		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.002)	(0.003)	(0.003)	(0.002)	(0.004)	(0.004)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type \times Log(Ret) (z)	-0.004°	-0.005°	-0.003	-0.004	-0.007	-0.003		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.002)	(0.003)	(0.004)	(0.003)	(0.000)	(0.003)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Controls	Yes	Yes	Yes	Yes	Yes	Yes		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	R2	0.014	0.020	0.013	0.003	0.003	0.003		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Observations	7,172	3,732	$3,\!440$	328,355	168,889	159,466		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$					Young				
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	Log(Ret) (z)	-0.001	-0.000	-0.000	-0.032***	-0.044^{***}	-0.035***		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.002)	(0.003)	(0.003)	(0.003)	(0.007)	(0.005)		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type	0.001	-0.000	(0.001)	-0.001	0.002	0.002		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Investor Type V Log(Pot) (7)	(0.001)	(0.002)	(0.003)	(0.002)	(0.004)	(0.003)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	investor Type × Log(Ret) (z)	(0.001)	(0.000)	(0.000)	(0.001)	(0.007)	(0.003)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		(0.002)	(0.002)	(0.003)	(0.003)	(0.001)	(0.004)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Controls	Yes	Yes	Yes	Yes	Yes	Yes		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	R2	0.014	0.016	0.020	0.004	0.005	0.004		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Observations	7,172	3,732	$3,\!440$	$330,\!496$	169,981	160,515		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$				E	ver Guru				
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	Log(Ret) (z)	-0.002	-0.001	0.000	-0.035***	-0.047***	-0.040***		
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		(0.002)	(0.003)	(0.003)	(0.002)	(0.005)	(0.005)		
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	Investor Type	0.001	-0.001	0.005	-0.005***	-0.003	-0.005		
Investor Type × Log(Ret) (2) -0.004 -0.005 -0.001 0.005 0.003 0.007 (0.003)(0.003)(0.003)(0.006)(0.004)(0.007)(0.006)ControlsYesYesYesYesYesYesR20.0060.0070.0080.0050.0050.005Observations7.1383.7113.427322.315165.920156.305	Investor Type X Log(Pot) (-)	(0.002)	(0.004)	(0.004)	(0.002)	(0.004)	(0.004)		
Controls Yes Ye	investor type x Log(Ret) (Z)	-0.004	-0.003) (0.003)	-0.001 (0.006)	(0.005)	(0.003)	(0.007		
Controls Yes Ye		(0.005)	(0.003)	(0.000)	(0.004)	(0.007)	(0.000)		
R2 0.006 0.007 0.008 0.005 0.005 Observations 7.138 3.711 3.427 322.315 165.920 156.395	Controls	Yes	Yes	Yes	Yes	Yes	Yes		
Observations 7 138 3 711 3 427 322 315 165 920 156 305	R2	0.006	0.007	0.008	0.005	0.005	0.005		
	Observations	7,138	3,711	3,427	322,315	165,920	$156,\!395$		

Table 7. Active vs. Non-active Investors

In this table we examine whether active investors trade differently than non-active investors. An investor is defined as active if she traded any asset in the prior 7 days, and as inactive if she didn't trade any asset in the prior 30 days. We only look at investors who have been on eToro for at least 30 days, and have traded both cryptos and stocks during their tenure there. We generate a representative investor, by cumulating trades, net inflows, and wealth, across these active and inactive investors for each day t. $Log(Total Share Change_t)$ and $Log(Active Share Change_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 moth, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A: Active Investors

		Log(total share change)								
		Cryptos		Т	op 200 Stock	κs				
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$				
Log(Ret) (z)	$\begin{array}{c} 0.036^{***} \\ (0.002) \end{array}$	$\begin{array}{c} 0.042^{***} \\ (0.003) \end{array}$	$\begin{array}{c} 0.033^{***} \\ (0.003) \end{array}$	-0.019^{***} (0.003)	-0.032^{***} (0.005)	-0.021^{***} (0.005)				
Controls R2 Observations	Yes 0.141 3,586	Yes 0.132 1,866	Yes 0.066 1,720	Yes 0.002 167,305	Yes 0.002 86,002	Yes 0.002 81,303				

	Log(active share change)								
		Cryptos			op 200 Stocl	ks			
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$			
Log(Ret) (z)	-0.002 (0.001)	-0.001 (0.009)	-0.002 (0.008)	-0.044^{***} (0.003)	-0.058^{***} (0.005)	-0.047^{***} (0.005)			
Controls R2 Observations	Yes 0.127 3,586	Yes 0.135 1,866	Yes 0.126 1,720	Yes 0.010 167,305	Yes 0.008 86,002	Yes 0.009 81,303			

Panel B: Non-active Investors

		Log(total share change)							
		Cryptos			Top 200 Stocks				
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$			
Log(Ret) (z)	0.045^{***} (0.007)	0.069^{***} (0.017)	0.031^{***} (0.006)	$\begin{array}{c} 0.023^{***} \\ (0.005) \end{array}$	0.011 (0.009)	0.027^{***} (0.008)			
Controls R2 Observations	Yes 0.044 3,546	Yes 0.052 1,847	Yes 0.019 1,699	Yes 0.000 131,419	Yes 0.000 67,758	Yes 0.000 63,661			

		Log(active share change)								
		Cryptos			Top 200 Stocks					
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\begin{array}{c} \operatorname{Ret} \leq 0 \\ (6) \end{array}$				
Log(Ret) (z)	-0.002 (0.009)	0.023 (0.019)	-0.013^{*} (0.007)	-0.005 (0.005)	-0.016^{*} (0.009)	$0.000 \\ (0.008)$				
Controls R2 Observations	Yes 0.020 3,542	Yes 0.029 1,845	Yes 0.024 1,697	Yes 0.004 131,419	Yes 0.004 67,758	Yes 0.004 63,661				

Table 8. Existing Users

In this table we examine how users trade who have been active on eToro for at least 90 days prior to day t. We generate a representative investor, by cumulating trades, net inflows, and wealth, across these investors for each day t. $Log(Total Share Change_t)$ and $Log(Active Share Change_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A

		Log(total share change)								
		Cryptos			Top 200 Stocks					
	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$				
	(1)	(2)	(3)	(4)	(5)	(6)				
Log(Ret)(z)	0.035^{***}	0.039^{***}	0.035^{***}	-0.011***	-0.026***	-0.013***				
	(0.001)	(0.003)	(0.002)	(0.002)	(0.004)	(0.005)				
Controls	Yes	Yes	Yes	Yes	Yes	Yes				
R2	0.247	0.266	0.128	0.001	0.003	0.001				
Observations	3,586	1,866	1,720	168, 165	$86,\!481$	$81,\!684$				

	Log(active share change)								
		Cryptos			Top 200 Stocks				
	All	$\operatorname{Ret}>0$	$\text{Ret} \leq 0$	All	Ret>0	$\text{Ret} \leq 0$			
	(1)	(2)	(3)	(4)	(5)	(6)			
Log(Ret)(z)	-0.003*	-0.001	-0.003	-0.036***	-0.052^{***}	-0.039***			
	(0.002)	(0.003)	(0.002)	(0.002)	(0.004)	(0.005)			
Controls	Yes	Yes	Yes	Yes	Yes	Yes			
R2	0.013	0.010	0.022	0.010	0.010	0.009			
Observations	3,586	1,866	1,720	168, 165	$86,\!481$	$81,\!684$			

In this table we examine how contemporaneous and lagged returns affect individuals' trading behavior using accountlevel data. We keep the top 50% of traders by the number of days they traded in stocks and cryptos on eToro. $Log(Total Share Change_t)$ and $Log(Active Share Change_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. In Panel B $Log(Wealth Ret_t)$ is defined as $log([Wealth_t - NetInflows_t]/Wealth_{t-1})$, and log(Ret Net Inflows) is defined as $log(Wealth_t/Wealth_{t-1}) - log((Wealth_t - NetInflows_t)/Wealth_{t-1})$. All columns include individual, asset, and date fixed effects. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date and individual investor level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively. **Panel A**

	Log(total share change)							
		Cryptos		r	Fop 200 Stock	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$		
	All	All $\operatorname{Ret}>0$ $\operatorname{Ret}\leq0$		All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$		
	(1)	(2)	(3)	(4)	(5)	(6)		
Log(Ret) (z)	0.034^{***}	0.020**	0.043^{***}	-0.015***	-0.049***	0.008		
	(0.004)	(0.009)	(0.005)	(0.004)	(0.005)	(0.006)		
Log(CR past 1 week) (z)	0.002	0.010^{**}	-0.005	-0.012^{***}	-0.019^{***}	-0.004^{***}		
	(0.003)	(0.005)	(0.005)	(0.001)	(0.002)	(0.001)		
Log(CR past 1 month) (z)	0.007^{**}	0.005	0.009^{*}	-0.001	-0.003**	0.001		
	(0.003)	(0.004)	(0.005)	(0.001)	(0.001)	(0.001)		
Log(CR past 3 months) (z)	-0.001	-0.003	0.001	0.002^{**}	0.001	0.004^{***}		
	(0.002)	(0.003)	(0.003)	(0.001)	(0.001)	(0.002)		
Log(CR past 6 months) (z)	0.002	0.003	-0.003	0.003^{***}	0.002	0.001		
	(0.002)	(0.004)	(0.003)	(0.001)	(0.001)	(0.001)		
B2	0.002	0.004	0.005	0.001	0.001	0.001		
Individual FE	V.502	V.501	V.505	V.001	V.001	Y		
Date and Asset FEs	Ŷ	Ŷ	Ŷ	Ŷ	Ŷ	Ŷ		
Observations	35,947,357	17,939,954	18,006,622	26,564,195	13,853,351	12,711,703		

			Log(active s	hare change)			
		Cryptos		Top 200 Stocks			
	All	$\operatorname{Ret}>0$	$\text{Ret} \leq 0$	All	Ret>0	Ret≤0	
	(1)	(2)	(3)	(4)	(5)	(6)	
Log(Ret) (z)	-0.016***	-0.028***	-0.009	-0.035***	-0.070***	-0.012**	
	(0.004)	(0.009)	(0.005)	(0.004)	(0.005)	(0.006)	
Log(CR past 1 week) (z)	0.003	0.010^{**}	-0.005	-0.012^{***}	-0.021^{***}	-0.003***	
	(0.003)	(0.005)	(0.005)	(0.001)	(0.002)	(0.001)	
Log(CR past 1 month) (z)	0.007^{**}	0.006	0.008^{*}	-0.001	-0.006***	0.002	
	(0.003)	(0.004)	(0.005)	(0.001)	(0.001)	(0.001)	
Log(CR past 3 months) (z)	-0.001	-0.002	0.001	0.002^{**}	-0.001	0.006^{***}	
	(0.002)	(0.003)	(0.003)	(0.001)	(0.001)	(0.002)	
Log(CR past 6 months) (z)	0.002	0.003	-0.003	0.003^{***}	0.001	0.003^{**}	
	(0.002)	(0.004)	(0.003)	(0.001)	(0.001)	(0.001)	
Log(Ret Wealth)(z)	0.049^{***}	0.051^{***}	0.047^{***}	0.030^{***}	0.029^{***}	0.030^{***}	
	(0.002)	(0.003)	(0.004)	(0.001)	(0.002)	(0.002)	
Log(Ret Net Inflows)(z)	0.059^{***}	0.062^{***}	0.056^{***}	0.034^{***}	0.033^{***}	0.036^{***}	
	(0.003)	(0.003)	(0.004)	(0.001)	(0.002)	(0.002)	
R2	0.003	0.006	0.006	0.002	0.006	0.005	
Individual FE	Υ	Υ	Υ	Υ	Υ	Υ	
Date and Asset FEs	Υ	Υ	Υ	Υ	Υ	Υ	
Observations	$35,\!947,\!357$	$17,\!939,\!954$	$18,\!006,\!622$	$26,\!564,\!195$	$13,\!852,\!121$	$12,\!710,\!485$	

Table 10. Before versus After Crash – Active Investors

In this table we examine whether investors change their trading behavior after the 2018 crypto crash. We focus on active investors, who traded any asset in the prior 7 days and who have been on eToro for at least 30 days, and have traded both cryptos and stocks during their tenure there. We generate a representative investor, by cumulating trades, net inflows, and wealth, across those investors for each date t. After Crash is an indicator variable equal to 1 if the date is after January 1, 2018 and 0 before. $Log(Total \text{ Share Change}_t)$ and $Log(\text{Active Share Change}_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. We interact all controls with the After Crash indicator. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A

		Log(total share change)								
		Cryptos		Т	op 200 Stoc	ks				
	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\operatorname{Ret} \leq 0$				
	(1)	(2)	(3)	(4)	(5)	(6)				
Log(Ret) (z)	0.054^{***}	0.059^{***}	0.049^{***}	-0.015***	-0.037***	-0.009				
	(0.003)	(0.005)	(0.007)	(0.004)	(0.009)	(0.007)				
After Crash	-0.011^{**}	-0.007	-0.025^{***}	-0.016^{***}	-0.020***	-0.031^{***}				
	(0.005)	(0.007)	(0.008)	(0.004)	(0.007)	(0.007)				
After Crash \times Log(Ret) (z)	-0.001	0.001	-0.009	-0.002	0.014	-0.019^{*}				
	(0.003)	(0.006)	(0.007)	(0.006)	(0.011)	(0.010)				
Controls	Yes	Yes	Yes	Yes	Yes	Yes				
R2	0.245	0.197	0.138	0.001	0.002	0.002				
Observations	$3,\!586$	1,866	1,720	$168,\!087$	86,415	$81,\!672$				

	Log(active share change)								
		Cryptos		Т	op 200 Stoc	ks			
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$			
Log(Ret) (z)	-0.000 (0.003)	$0.005 \\ (0.005)$	-0.007 (0.006)	-0.041^{***} (0.004)	-0.063^{***} (0.009)	-0.035^{***} (0.007)			
After Crash	-0.009^{*} (0.005)	-0.006 (0.007)	-0.020^{**} (0.008)	-0.014^{***} (0.004)	-0.017^{***} (0.007)	-0.030^{***} (0.007)			
After Crash \times Log(Ret) (z)	-0.000 (0.003)	0.002 (0.005)	-0.006 (0.007)	-0.003 (0.006)	0.012 (0.011)	-0.020^{**} (0.010)			
Controls	Yes	Yes	Yes	Yes	Yes	Yes			
R2	0.018	0.020	0.036	0.008	0.007	0.009			
Observations	3,553	$1,\!847$	1,706	168,087	86,415	$81,\!672$			

In this table we examine whether there is heterogeneity in how investors trade stocks based on whether the stocks exhibit lottery-like returns. We focus on investors who have traded both cryptos and stocks during their tenure at eToro. We generate a representative investor, by cumulating trades, net inflows, and wealth, across those investors for each date t. $Log(Total Share Change_t)$ and $Log(Active Share Change_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. For the list of the top 200 stocks by eToro trading, refer to Table A1. We follow definitions of lottery-like stocks from prior literature. Max Return Month t-1 is defined as the maximum daily return in the prior calendar month. Return Volatility is defined as the standard deviation of daily returns over the past calendar month. Return Skewness is defined as skewness of daily returns over the past calendar month. Young Firm is a firm that is less than a year old. Gross Profitability is revenues minus cost of goods sold divided by lagged total assets. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

	Log(Total Share Change)			Log(A	og(Active Share Change)		
	All	Ret>0	Ret<0	All	Ret>0	Ret<0	
	(1)	(2)	(3)	(4)	(5)	(6)	
			Max. Return	n Month (t-1)		
Log(Ret) (z)	-0.018***	-0.040***	-0.025***	-0.040***	-0.065***	-0.048***	
	(0.003)	(0.006)	(0.007)	(0.003)	(0.006)	(0.007)	
Stock Characteristics	0.030	-0.086	0.058	0.018	-0.088	0.038	
	(0.038)	(0.057)	(0.066)	(0.037)	(0.057)	(0.067)	
Stock Characteristics \times Log(Ret) (z)	0.054^{*}	0.190^{***}	0.052	0.049	0.194^{***}	0.041	
	(0.031)	(0.056)	(0.059)	(0.031)	(0.055)	(0.059)	
Controls	Voc	Voc	Voc	Voc	Voc	Voc	
B2	0.002	0.003	0.003	0.010	0.010	0.011	
Observations	$145\ 673$	75,212	70.461	145 673	75 212	70 461	
O BBOI VALIDIB	110,010	10,212	Return	Volatility	10,212	10,101	
Log(Ret)(z)	-0.009*	-0.041***	-0.012	-0.031***	-0.065***	-0.034***	
G(··· / ()	(0.005)	(0.008)	(0.010)	(0.005)	(0.008)	(0.010)	
Stock Characteristics	-0.016	-0.380**	-0.098	-0.073	-0.454**	-0.142	
	(0.120)	(0.173)	(0.224)	(0.125)	(0.182)	(0.227)	
Stock Characteristics \times Log(Ret) (z)	-0.152	0.465^{***}	-0.290	-0.201	0.449^{***}	-0.343	
- , , , ,	(0.125)	(0.175)	(0.271)	(0.126)	(0.174)	(0.273)	
Controls	Yes	Yes	Yes	Yes	Yes	Yes	
R2	0.002	0.003	0.003	0.010	0.009	0.011	
Observations	145,439	75,100	70,339	145,439	75,100	70,339	
	0.010***	0.005***	Return	Skewness	0.040***	0.040***	
Log(Ret) (z)	-0.013	-0.025	-0.020	-0.036	-0.049	-0.043	
Stadle Changeteristics	(0.002)	(0.005)	(0.004)	(0.002)	(0.003)	(0.004)	
Stock Characteristics	(0.001)	(0.001)	(0.002)	(0.000)	(0.001)	(0.002)	
Stock Characteristics × Log(Bet) (z)	-0.003***	-0.003	(0.002)	-0.003***	-0.003	(0.002)	
Stock Characteristics × Log(itet) (2)	(0.001)	(0.002)	(0.002)	(0.001)	(0.002)	(0.002)	
	()	()	()	()	()	()	
Controls	Yes	Yes	Yes	Yes	Yes	Yes	
R2	0.002	0.003	0.003	0.010	0.009	0.011	
Observations	$145,\!673$	75,212	70,461	$145,\!673$	75,212	70,461	
			Firm Age	<= 1 year			
Log(Ret) (z)	-0.014^{***}	-0.026***	-0.022***	-0.037***	-0.050***	-0.046***	
	(0.002)	(0.005)	(0.005)	(0.002)	(0.005)	(0.005)	
Stock Characteristics	0.012*	-0.002	0.032**	0.015**	0.001	0.034	
Starl Characteristics of Lar(Dat) (-)	(0.006)	(0.013)	(0.013)	(0.006)	(0.014)	(0.014)	
Stock Characteristics \times Log(Ret) (z)	-0.003	(0.005)	(0.010)	-0.005	(0.004)	(0.008)	
	(0.008)	(0.013)	(0.015)	(0.008)	(0.010)	(0.013)	
Controls	Yes	Yes	Yes	Yes	Yes	Yes	
R2	0.001	0.002	0.003	0.009	0.009	0.011	
Observations	145,673	75,212	70,461	145,673	75,212	70,461	
	,	,	Gross Pr	ofitability	,	,	
Log(Ret) (z)	-0.012***	-0.021***	-0.019***	-0.035***	-0.046***	-0.043***	
	(0.003)	(0.006)	(0.006)	(0.003)	(0.006)	(0.006)	
Stock Characteristics	-0.002	0.008	-0.009	-0.001	0.009	-0.009	
	(0.003)	(0.008)	(0.008)	(0.003)	(0.008)	(0.008)	
Stock Characteristics \times Log(Ret) (z)	-0.005	-0.013	-0.008	-0.006	-0.014	-0.008	
	(0.005)	(0.011)	(0.010)	(0.005)	(0.011)	(0.010)	
Gradaula	v	V	V	V	v	V	
Controls	Yes	Yes	Yes	Yes	Yes	Yes	
n2 Observations	0.001	0.003	0.003	0.009	0.009	0.011	
Observations	143,187	15,964	09,223	143,187	13,964	09,223	

Table 12. Stock Trading around Earnings Announcements

In this table we examine whether investors change their trading behavior in stocks around earnings announcements. We focus on investors who have traded both cryptos and stocks during their tenure at eToro. We generate a representative investor, by cumulating trades, net inflows, and wealth, across those investors for each date t. EA Days are defined as 3 days before and 5 days after an earnings announcement. Non EA Days are all the other days. $Log(Total Share Change_t)$ and $Log(Active Share Change_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A

		Log(total share change)								
		EA Days		N	Non EA Days					
	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$	All	Ret>0	$\text{Ret} \leq 0$				
	(1)	(2)	(3)	(4)	(5)	(6)				
Log(Ret) (z)	-0.035***	-0.066***	-0.039***	-0.001	-0.008*	-0.003				
	(0.006)	(0.011)	(0.011)	(0.002)	(0.004)	(0.004)				
Controls	Yes	Yes	Yes	Yes	Yes	Yes				
R2	0.010	0.017	0.011	0.000	0.000	0.000				
Observations	23,732	$11,\!907$	$11,\!825$	$144,\!895$	$74,\!867$	70,028				

	Log(active share change)							
		EA Days		ľ	Non EA Days			
	All	$\operatorname{Ret}>0$	$\operatorname{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$		
	(1)	(2)	(3)	(4)	(5)	(6)		
Log(Ret)(z)	-0.062***	-0.093***	-0.066***	-0.025***	-0.033***	-0.027***		
	(0.006)	(0.011)	(0.011)	(0.002)	(0.004)	(0.004)		
Controls	Yes	Yes	Yes	Yes	Yes	Yes		
R2	0.030	0.032	0.032	0.004	0.004	0.003		
Observations	23,732	$11,\!907$	$11,\!825$	$144,\!895$	$74,\!867$	70,028		

Appendix: Supplemental Tables and Figures for "Are Cryptos Different?"

Table A1.	$200 \ 1$	\mathbf{Firms}	Examined	\mathbf{in}	\mathbf{the}	paper
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Company name	Num Trades	Company name	Num Trade
Tesla Motors, Inc.	725,166	Ak Steel Holding Corp	14,074
Amazon	$647,\!683$	American Airlines Group Inc	13,814
Apple	643,946	Ford Motor Co	13,755
Advanced Micro Devices Inc	526,271	Delta Air Lines Inc (DE)	13,685
Alphabet	523,073	Aglient lechnologies inc	13,001
Netflix, Inc.	398.644	Pfizer	13,355
Micron Technology, Inc.	233.096	Home Depot Inc	13,105
Microsoft	199,072	GoDaddy Inc.	13,050
Cronos Group Inc	163,039	JC Penney Co Inc	12,900
Twitter	159,169	3M	12,857
Shopify Inc.	133, 151	General Motors Co	12,514
Beyond Meat Inc.	124,045	Fitbit	12,435
Zynerba Pharmaceuticals Inc	121,397	Halliburton Co	12,400
PayPal Holdings	117,506	Uniti Group Inc	12,195
Floatropia Arta Ina	109,391	Vinshop	12,008
Activision Blizzard Inc	107.017	Maxlinear Inc	11 906
Aurora Cannabis Inc	104,928	Abercrombie & Fitch Company	11,671
Walt Disney	92,354	Zendesk	11,623
Western Digital Corporation	86,264	Gilead Sciences Inc	11,411
Boeing	79,170	Etsy Inc	11,371
First Solar, Inc.	78,712	Community Health Systems Inc	11,147
Intel	70,557	Luckin Coffee Inc.	11,082
Mastercard	70,240	Wells Fargo & Co	11,060
Visa	68,358	Mattel Inc	11,003
Baidu, Inc.	65,099	Biogen Inc	10,971
Adobe Systems Inc	58 455	Vala SA	10,717
Overstock com Inc	53 640	Foot Locker Inc	10,082
McDonalds	52,851	Philip Morris International Inc	10.623
Corbus Pharmaceuticals Holding	52,368	GNC Holdings Inc	10,608
Spotify	47,274	Macys Inc	10,592
Dropbox Inc	46,363	Match Group, Inc	10,162
GoPro Inc	40,599	Avon Products Inc	10,161
SolarEdge Technologies	37,963	Vodafone Group	9,944
NIKE	37,524	Dean Foods Co	9,699
General Electric Co	36,885	Alaska Air Group Inc	9,576
Ciano	22,650	CyberArk Ewron Mobil	9,394
Coca-Cola	33,030	Cloudflare	9,195
Hertz Global Holdings Inc	32.276	Barrick Gold	9,140
Insys Therapeutics Inc	31,862	Costco Wholesale Corp	9,105
Sony	31,725	Wayfair Inc.	8,869
Qualcomm Inc	31,415	Autohome	8,680
Ascena Retail Group Inc	31,176	VMware	8,464
Deutsche-Bank	29,733	Chipotle Mexican Grill Inc	8,283
Aphria Inc.	29,362	Fiverr International	8,281
Autodesk, Inc.	29,292	Raytheon Co	8,178
Wal-Mart	29,236	BlackRock Inc Best Buy Co. Inc	8,168
Thray, Inc.	28,927	Best Buy Co Inc	8,162
Pinterest Inc	27,896	Ullumina	7 789
GW Pharmaceuticals Plc	26,973	Deere & Co	7 743
Yandex NV	26,583	Whiting Petroleum Corp	7,739
NetEase	26,320	Target Corp	7,711
eBay	25,765	Banco Santander SA (US)	7,684
Take Two Interactive Software Inc	25,720	Wynn Resorts Ltd	7,679
Bank of America Corp	25,432	Allergan PLC	7,651
TripAdvisor Inc	25,286	Vertex Pharmaceuticals Incorporated	7,501
JPMorgan Chase & Co	24,781	Texas Instruments Inc	7,468
Ferrari NV	24,135	Hasbro Inc	7,442
Jaterpillar	22,954	Transaccon ITD	7,335
MercadoLibre	22,797	Cigna Corp	7,200
Petroleo Brasileiro	22,510	Incvte Corp.	7.200
Nio Inc.	22,108	FMC Corp	7.049
Intellia Therapeutics Inc	21,812	Skyworks Solutions	6,943
Chesapeake Energy Corp	21,380	Walgreens Boots Alliance Inc	6,841
Akorn	21,346	Tiffany & Co	6,523
Hewlett Packard	20,985	Expedia Inc Del	6,477
Slack Technologies Inc	20,830	Altria Group Inc	6,471
Editas Medicine Inc	20,569	New Relic	6,454
Jitigroup Coldman Sacha Crown Inn	20,175	Abbott Laboratories	6,383
Soluman Sachs Group Inc	19,929	HubSpot	0,310
Roku Inc	19,507	Dollar Tree Inc	6 274
The Kraft Heinz Company	18.828	FireEve	6.262
Southwestern Energy Co	18,686	Regeneron Pharmaceuticals	6,254
Lyft Inc.	18,405	Tech Data Corp	6,147
GameStop Corp New	18,386	Freeport-McMoRan Inc	6,044
CVS Health Corp	18,361	Gap, Inc.	5,979
Superior Energy Services Inc	17,739	BlackStone Group LP	5,975
Janopy Growth Corp	17,498	Teva Pharmaceutical Industries ADR	5,964
Johnson & Johnson	17,120	Red Hat	5,953
Tunia Biotechnology Inc	16,913	Bed Bath & Beyond Inc	5,891
United Health	16,259	Synaptics Inc.	5,85U
Rite Aid Corp	16,200	Bristol-Myers Squibb Co	5,101
Sangamo Biosciences Inc	16.024	Wix.com Ltd	5 522
Weatherford International plc	15,949	Tenet Healthcare Corp	5.517
AbbVie Inc	15,746	Ipg Photonics Corp.	5,510
Under Armour	15,619	Big Lots Inc	5,489
Globalstar	15,304	United Natural Foods Inc	5,451
N-l-i- C	15,217	Urban Outfitters Inc.	5,437
Nokia Corp.			E 491
Procter & Gamble Co	15,214	CommScope Holding Co Inc	5,451
Procter & Gamble Co Cara Therapeutics	$15,214 \\ 14,804$	CommScope Holding Co Inc Amgen Inc	5,368
Norma Corp. Procter & Gamble Co Cara Therapeutics American Express CO	15,214 14,804 14,636	CommScope Holding Co Inc Amgen Inc The Chemours	5,368 5,360 5,360

Table A2. Active Investors who Traded Today

In this table we examine whether investors trade similarly when we define active as 'traded today.' We only look at investors who have traded in any asset on eToro on date t, have been on eToro for at least 30 days, and have traded both cryptos and stocks during their tenure there. We generate a representative investor, by cumulating trades, net inflows, and wealth, across those investors for each date t. $Log(Total Share Change_t)$ and $Log(Active Share Change_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

		Log(total share change)								
		Cryptos		r	Fop 200 Stoc	op 200 Stocks				
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$				
Log(Ret) (z)	$\begin{array}{c} 0.025^{***} \\ (0.005) \end{array}$	$\begin{array}{c} 0.041^{***} \\ (0.008) \end{array}$	0.006 (0.013)	-0.029^{**} (0.004)	-0.030^{***} (0.008)	-0.052^{***} (0.008)				
Controls Outcome SD R2 Observations	Yes 0.370 0.005 3,468	Yes 0.364 0.013 1,790	Yes 0.375 0.002 1,678	Yes 1.344 0.000 165,100	Yes 1.348 0.000 84,946	Yes 1.340 0.000 80,154				

		Log(active share change)								
		Cryptos		Г	op 200 Stocks					
	All	Ret > 0	$\text{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$				
	(1)	(2)	(3)	(4)	(5)	(6)				
Log(Ret)(z)	-0.007	0.007	-0.008	-0.036***	-0.056***	-0.024***				
	(0.006)	(0.007)	(0.013)	(0.004)	(0.008)	(0.006)				
Controls	Yes	Yes	Yes	Yes	Yes	Yes				
Outcome SD	0.741	0.722	0.759	1.348	1.353	1.343				
R2	0.810	0.816	0.806	0.007	0.007	0.006				
Observations	3,468	1,790	$1,\!678$	$165,\!100$	84,946	80,154				

In this table we examine how active investors trade who have large shares of both cryptos and stocks (i.e., have skin in the game). An investor is defined as active if she traded any asset in the prior 7 days. We focus on investors who had at least 30% of their portfolio in cryptos, 7 days prior to t. We only look at investors who have been on eToro for at least 30 days, and have traded both cryptos and stocks during their tenure there. We generate a representative investor, by cumulating trades, net inflows, and wealth, across these investors for each date t. $Log(Total Share Change_t)$ and $Log(Active Share Change_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. The log cumulative past returns are defined over a time period ending on day t - 1. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

	Log(total share change)								
		Cryptos		То	op 200 Stoc	ks			
	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$			
	(1)	(2)	(3)	(4)	(5)	(6)			
Log(Ret) (z)	0.032^{***}	0.032^{***}	0.032^{***}	-0.005	-0.022**	0.001			
	(0.003)	(0.005)	(0.005)	(0.005)	(0.010)	(0.008)			
Controls	Yes	Yes	Yes	Yes	Yes	Yes			
Outcome SD	0.122	0.127	0.112	1.368	1.373	1.363			
R2	0.072	0.044	0.048	0.000	0.000	0.000			
Observations	3,584	1,866	1,718	$146,\!556$	$75,\!301$	71,255			

	Log(active share change)								
		Cryptos		Г	Top 200 Stocks				
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$			
Log(Ret) (z)	-0.008 (0.006)	-0.009 (0.009)	-0.005 (0.006)	-0.031^{***} (0.005)	-0.047^{***} (0.010)	-0.026^{***} (0.008)			
Controls Outcome SD R2 Observations	Yes 0.143 0.345 3,566	Yes 0.146 0.289 1,854	Yes 0.139 0.418 1,712	Yes 1.371 0.005 146,556	Yes 1.374 0.004 75,301	Yes 1.367 0.007 71,255			

Table A4. Fee Removals

In this table we examine whether the removal of trading fees for stocks in various countries has changed the way individuals trade in stocks. We focus on investors who were active (traded on eToro in the past week), and traded in both stocks and cryptos during their tenure at eToro. We generate a representative investor, by cumulating trades, net inflows, and wealth, across those investors for each date t. We also focus on no-leverage trades, since they were the ones affected by the trading fee removals. The fees in our sample were removed in April and May of 2019 (depending on the country). We exclude those two months from our analysis and compare the 'before period,' before April 2019 to the "After Fee" period, which is after May 2019. For more details about the fee removal see Even-Tov et al. (2022) $Log(Total Share Change_t)$ is defined as $log(Active Share Change_t) + log(Price_t/Price_{t-1}) - Log(Wealth_t/Wealth_{t-1})$. $Log(Active Share Change_t)$ defined as $log(Shares owned_t) - log(Shares owned_{t-1})$. Corrols include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. We interact all controls with the After Fee indicator variable. The log cumulative past returns are defined over a time period ending on day t - 1. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z).. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

		Top 200 Stocks								
	Log(to	Log(total share change)			Log(active share change)					
	All	$\operatorname{Ret} > 0$	$\operatorname{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$				
	(1)	(2)	(3)	(4)	(5)	(6)				
Log(Ret) (z)	0.000	-0.004	-0.008***	-0.019***	-0.025***	-0.028***				
	(0.002)	(0.004)	(0.003)	(0.002)	(0.004)	(0.003)				
After Fee	0.002	-0.000	-0.004	-0.005	-0.010	-0.012				
	(0.003)	(0.005)	(0.005)	(0.005)	(0.008)	(0.008)				
After Fee \times Log(Ret) (z)	0.001	0.006	-0.005	-0.001	0.006	-0.007				
	(0.003)	(0.006)	(0.006)	(0.003)	(0.006)	(0.006)				
Controls	Yes	Yes	Yes	Yes	Yes	Yes				
R2	0.000	0.001	0.001	0.004	0.003	0.006				
Observations	$154,\!109$	$79,\!547$	$74,\!562$	$154,\!109$	$79,\!547$	$74,\!562$				

Table A5. Individual Assets

In this table we examine how contemporaneous and lagged returns affect individuals' trading behavior in each asset, rather than looking at the assets together in one regression. We generate a representative investor, by cumulating trades, net inflows, and wealth, across all investors who participated on the platform at date t. $Log(Total Share Change_t)$ is defined as $log(Active Share Change_t) + log(Price_t/Price_{t-1}) - Log(Wealth_t/Wealth_{t-1})$. $Log(Active Share Change_t)$ defined as $log(Shares owned_t) - log(Shares owned_{t-1})$. Log(Ret) is defined as log of return on day t plus 1. The log cumulative past returns are defined over a time period ending on day t - 1. In Panel B $Log(Wealth Ret_t)$ is defined as $log([Wealth_t - NetInflows_t]/Wealth_{t-1})$, and log(Ret Net Inflows) is defined as $log(Wealth_t - NetInflows_t)/Wealth_{t-1})$. Log returns are standardized within asset class across the entire time period, and denoted with (z). In Panel A, we examine cryptos and focuse on BTC, XRP, and ETH. In Panel B we examine stocks, and focus on Tesla, Amazon, and Appple. We also control for the NASDAQ's cumulative index returns on day t. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A: Crypto

	Log(t	otal share c	hange)	Log(ad	ctive share c	hange)
	BTC	ETH	XRP	BTC	ETH	XRP
	(1)	(2)	(3)	(4)	(5)	(6)
Log(Ret) (z)	0.041***	0.037^{***}	0.030^{***}	-0.004*	0.007^{*}	-0.005
	(0.002)	(0.002)	(0.002)	(0.002)	(0.003)	(0.003)
Log(CR past 1 week) (z)	-0.000	0.004^{**}	0.003	-0.000	0.003^{***}	0.003^{*}
	(0.002)	(0.002)	(0.002)	(0.002)	(0.001)	(0.002)
Log(CR past 1 month) (z)	-0.000	0.001	-0.002	0.000	-0.000	-0.002^{*}
	(0.003)	(0.001)	(0.001)	(0.003)	(0.001)	(0.001)
Log(CR past 3 months) (z)	0.002	0.004^{***}	-0.008***	0.003	0.004^{***}	-0.009***
	(0.003)	(0.002)	(0.002)	(0.003)	(0.001)	(0.002)
Log(CR past 6 months) (z)	-0.006**	-0.005^{***}	0.016^{***}	-0.009***	-0.005^{***}	0.014^{***}
	(0.003)	(0.001)	(0.004)	(0.003)	(0.001)	(0.004)
Log(Ret Wealth)(z)				0.003^{**}	-0.005	0.004
				(0.001)	(0.003)	(0.003)
Log(Ret Net Inflows)(z)				0.007^{***}	0.002	0.009^{***}
				(0.003)	(0.002)	(0.002)
R2	0.220	0.530	0.436	0.015	0.072	0.159
Observations	1,708	1,020	858	1,708	1,020	858

Panel B: Stocks

	Log(to	Log(total share change)			ctive share c	hange)
	Tesla	Amazon	Apple	Tesla	Amazon	Apple
	(1)	(2)	(3)	(4)	(5)	(6)
Log(Ret) (z)	0.000	0.007	-0.003	-0.020***	-0.010***	-0.020***
	(0.004)	(0.008)	(0.005)	(0.004)	(0.003)	(0.005)
Log(CR past 1 week) (z)	-0.006**	0.007^{*}	-0.005	-0.006***	0.005	-0.007^{*}
	(0.002)	(0.004)	(0.004)	(0.002)	(0.004)	(0.003)
Log(CR past 1 month) (z)	0.002	0.003	-0.001	0.002	0.002	-0.000
	(0.002)	(0.006)	(0.003)	(0.002)	(0.005)	(0.003)
Log(CR past 3 months) (z)	0.001	-0.000	0.002	-0.001	0.002	0.002
	(0.003)	(0.006)	(0.003)	(0.003)	(0.006)	(0.003)
Log(CR past 6 months) (z)	-0.001	0.005	0.002	0.002	0.004	0.004
	(0.003)	(0.004)	(0.004)	(0.003)	(0.004)	(0.003)
Log(Ret Wealth) (z)				0.002	0.004^{*}	0.005^{**}
				(0.002)	(0.002)	(0.002)
Log(Ret Net Inflows)(z)				-0.002	0.001	0.000
				(0.002)	(0.003)	(0.004)
R2	0.006	0.013	0.003	0.099	0.018	0.038
Observations	$1,\!173$	$1,\!173$	$1,\!173$	$1,\!173$	$1,\!173$	$1,\!173$

Table A6. First trade in an Asset Class: Cryptos vs. Stocks

In this table we examine how contemporaneous and lagged returns affect individuals' first trade in a given asset class. We generate a representative investor, by cumulating trades, net inflows, and wealth, across all investors who made their first trade in the given asset class on the platform at date t. $Log(Total Share Change_t)$ is defined as $\log(\text{Active Share Change}_t) + \log(Price_t/Price_{t-1}) - Log(Wealth_t/Wealth_{t-1}).$ $Log(Active Share Change_t)$ defined as $\log(\text{Shares owned}_t) - \log(\text{Shares owned}_{t-1})$. Log(Ret) is defined as log of return on day t plus The log cumulative past returns are defined over a time period ending on day t - 1. 1. In Panel B $Log(Wealth \operatorname{Ret}_t)$ is defined as $\log([Wealth_t - NetInflows_t]/Wealth_{t-1})$, and $\log(\operatorname{Ret} \operatorname{Net} \operatorname{Inflows})$ is defined as $\log(Wealth_t/Wealth_{t-1}) - \log((Wealth_t - NetInflows_t)/Wealth_{t-1})$. Log returns are standardized within asset class across the entire time period, and denoted with (z). In Panel A, we examine cryptos, in Panel B stocks, and in Panel C gold. In Panel B, we also control for the NASDAQ composite index contemporaneous and past cumulateive returns. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A: Crypto

	Log(to	Log(total share change)			tive share o	change)
	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$	All	Ret > 0	Ret≤0
	(1)	(2)	(3)	(4)	(5)	(6)
Log(Ret) (z)	0.110^{***}	0.210^{***}	-0.003	0.060^{***}	0.114^{***}	0.015
	(0.022)	(0.025)	(0.040)	(0.021)	(0.029)	(0.041)
Log(CR past 1 week) (z)	-0.038	-0.005	-0.070^{**}	-0.048^{**}	-0.012	-0.079^{**}
	(0.024)	(0.033)	(0.031)	(0.024)	(0.032)	(0.031)
Log(CR past 1 month) (z)	-0.005	0.012	-0.021	-0.018	0.006	-0.033
	(0.025)	(0.033)	(0.035)	(0.025)	(0.034)	(0.034)
Log(CR past 3 months) (z)	0.014	-0.009	0.012	0.001	-0.017	-0.005
	(0.028)	(0.034)	(0.042)	(0.027)	(0.034)	(0.041)
Log(CR past 6 months) (z)	-0.013	-0.058^{*}	0.014	-0.036	-0.071^{**}	-0.014
	(0.026)	(0.033)	(0.037)	(0.026)	(0.033)	(0.036)
Log(Ret Wealth)(z)	. ,	. ,	. ,	0.017	0.093***	-0.060
				(0.029)	(0.033)	(0.040)
Log(Ret Net Inflows)(z)				0.112^{***}	0.095***	0.128^{***}
				(0.023)	(0.028)	(0.035)
				. ,	. ,	. ,
R2	0.010	0.040	0.004	0.012	0.034	0.016
Observations	3,228	$1,\!668$	1,560	3,228	$1,\!668$	1,560

Panel B: Stocks

	Log(tot	al share c	hange)	Log(act	ive share	change)
	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$	All	Ret > 0	Ret≤0
	(1)	(2)	(3)	(4)	(5)	(6)
Log(Ret) (z)	-0.034***	0.008	-0.098**	-0.028***	0.007	-0.131***
	(0.018)	(0.009)	(0.039)	(0.018)	(0.009)	(0.039)
Log(CR past 1 week) (z)	0.001	0.038	-0.033	0.002	0.038	-0.032
	(0.019)	(0.026)	(0.026)	(0.019)	(0.026)	(0.026)
Log(CR past 1 month) (z)	0.006	-0.045	0.058^{*}	0.005	-0.046	0.057
	(0.024)	(0.031)	(0.035)	(0.024)	(0.031)	(0.035)
Log(CR past 3 months) (z)	-0.016	0.034	-0.049	-0.016	0.035	-0.049
	(0.037)	(0.053)	(0.051)	(0.037)	(0.053)	(0.051)
Log(CR past 6 months) (z)	0.020	0.042	0.030	0.019	0.040	0.030
	(0.031)	(0.046)	(0.046)	(0.031)	(0.046)	(0.046)
Log(NASDAQ Ret)	-0.285	-0.226	-0.533	0.173	0.352	0.060
	(1.901)	(2.581)	(2.601)	(1.978)	(2.588)	(2.723)
Log(NASDAQ CR past 1 week)	0.593	1.073	0.350	0.546	1.078	0.301
	(0.837)	(0.962)	(1.280)	(0.837)	(0.968)	(1.276)
Log(NASDAQ CR past 1 month)	-0.076	0.419	-0.256	-0.084	0.418	-0.272
	(0.470)	(0.596)	(0.662)	(0.469)	(0.595)	(0.662)
Log(NASDAQ CR past 3 months)	-0.178	-0.117	-0.519	-0.166	-0.111	-0.513
	(0.392)	(0.404)	(0.596)	(0.392)	(0.404)	(0.597)
Log(NASDAQ CR past 6 months)	-0.086	-0.294	-0.537	-0.068	-0.294	-0.526
	(0.224)	(0.256)	(0.344)	(0.225)	(0.258)	(0.343)
Log(Ret Wealth)(z)				0.021	0.024	0.015
				(0.025)	(0.034)	(0.026)
Log(Ret Net Inflows)(z)				0.011	0.024	0.010
				(0.018)	(0.022)	(0.024)
NASDAQ Ret Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.000	0.004	0.006	0.001	0.003	0.008
Observations	17,232	9,235	$7,\!997$	17,232	9,235	$7,\!997$

Table A7. Overall and Active Share Change: No leverage

In this table we examine how contemporaneous and lagged returns affect individuals' trading behavior for trades with no leverage. We generate a representative investor, by cumulating trades, net inflows, and wealth, across all investors who had non-leveraged trades on the platform at date t. $Log(\text{Total Share Change}_t)$ is defined as $\log(\text{Active Share Change}_t) + \log(Price_t/Price_{t-1}) - Log(Wealth_t/Wealth_{t-1})$. $Log(\text{Active Share Change}_t)$ is defined as $\log(\text{Shares owned}_t) - \log(\text{Shares owned}_{t-1})$. Log(Ret) is defined as $\log of$ return on day t plus 1. The log cumulative past returns are defined over a time period ending on day t - 1. In Panel B $Log(Wealth_{t}Wealth_{t-1})$ is defined as $\log([Wealth_t - NetInflows_t]/Wealth_{t-1})$, and $\log(\text{Ret Net Inflows})$ is defined as $\log(Wealth_t - NetInflows_t)/Wealth_{t-1})$. Log returns are standardized within asset class across the entire time period, and denoted with (z). In Panel A, we examine cryptos, and in Panel B stocks. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A: Crypto

	Log(to	Log(total share change)			tive share	change)
	All	Ret > 0	$\text{Ret} \leq 0$	All	Ret > 0	$\text{Ret} \leq 0$
	(1)	(2)	(3)	(4)	(5)	(6)
Log(Ret) (z)	0.035^{***}	0.040***	0.029***	-0.001	0.003	-0.007***
	(0.001)	(0.002)	(0.001)	(0.002)	(0.002)	(0.002)
Log(CR past 1 week) (z)	0.003^{**}	0.006^{***}	0.000	0.003^{**}	0.005^{**}	0.001
	(0.001)	(0.002)	(0.002)	(0.001)	(0.002)	(0.002)
Log(CR past 1 month) (z)	0.001	0.003	-0.001	0.000	0.000	0.000
	(0.001)	(0.002)	(0.001)	(0.001)	(0.001)	(0.001)
Log(CR past 3 months) (z)	-0.004^{**}	-0.003	-0.006**	-0.005^{***}	-0.003	-0.007^{***}
	(0.002)	(0.002)	(0.003)	(0.002)	(0.002)	(0.003)
Log(CR past 6 months) (z)	0.005^{***}	0.002	0.007^{**}	0.004^{**}	0.000	0.008^{**}
	(0.002)	(0.002)	(0.003)	(0.002)	(0.002)	(0.003)
Log(Ret Wealth)(z)				0.001	-0.001	0.005^{**}
				(0.001)	(0.002)	(0.002)
Log(Ret Net Inflows)(z)				0.007^{***}	0.007^{**}	0.006^{***}
				(0.002)	(0.003)	(0.002)
D9	0.900	0.255	0.949	0.020	0.040	0.040
R2	0.299	0.355	0.242	0.029	0.040	0.040
Observations	3,586	1,866	1,720	3,586	1,866	1,720

Panel B: Stocks

	Log(te	Log(total share change)			ctive share c	hange)
	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\text{Ret} \leq 0$
	(1)	(2)	(3)	(4)	(5)	(6)
Log(Ret) (z)	0.004^{***}	0.008^{***}	0.001	-0.017^{***}	-0.011***	-0.021***
	(0.001)	(0.002)	(0.002)	(0.001)	(0.001)	(0.002)
Log(CR past 1 week) (z)	-0.006***	-0.007^{***}	-0.006***	-0.006***	-0.007^{***}	-0.005^{***}
	(0.001)	(0.001)	(0.001)	(0.001)	(0.001)	(0.001)
Log(CR past 1 month) (z)	-0.001	-0.001	-0.001	-0.002^{*}	-0.001	-0.002
	(0.001)	(0.001)	(0.001)	(0.001)	(0.001)	(0.001)
Log(CR past 3 months) (z)	0.000	-0.000	0.000	-0.000	-0.000	0.000
	(0.001)	(0.001)	(0.001)	(0.001)	(0.001)	(0.001)
Log(CR past 6 months) (z)	0.001	0.003^{*}	-0.000	0.001	0.004^{**}	-0.000
	(0.001)	(0.002)	(0.001)	(0.001)	(0.001)	(0.001)
Log(Ret Wealth)(z)				0.004^{***}	0.003^{**}	0.005^{***}
				(0.001)	(0.001)	(0.001)
Log(Ret Net Inflows)(z)				0.001	-0.001	0.002^{*}
				(0.001)	(0.001)	(0.001)
R2	0.002	0.003	0.001	0.009	0.004	0.016
Observations	169,151	87,050	82,101	169,151	$87,\!050$	82,101

Table A8. Before versus After Crash: Investor Characteristics

In this table we examine whether there is heterogeneity in how investors changed their trading after the crypto crash across investor characteristics. We only look at investors who have traded both cryptos and stocks during their tenure at eToro. We generate a representative investor, by cumulating trades, net inflows, and wealth, across those groups of investors for each date t. Investor characteristics are defined in Table 6. After Crash is an indicator variable equal to 1 if the date is after January 1, 2018 and 0 before. $Log(Total Share Change_t)$ and $Log(Active Share Change_t)$ are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. We interact all controls with the After Crash indicator. The log cumulative past returns are defined over a time period ending on day t - 1. Cryptos are BTC, XRP, and ETH. For the list of the top 200 stocks by eToro trading, refer to Table A1. Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A

		L	og(total sh	are change))	
		Cryptos		Т	op 200 Stoo	ks
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$
			Fem	ale		
After Crash \times Investor Type \times Log(Ret) (z)	0.001 (0.003)	$0.002 \\ (0.004)$	$0.003 \\ (0.006)$	$0.023 \\ (0.015)$	0.071^{**} (0.031)	-0.003 (0.027)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.157	0.130	0.096	0.001	0.001	0.001
Observations	7,167	3,732	3,435	303,049	155,969	147,080
			Finance Ba	ckground		*
After Crash \times Investor Type \times Log(Ret) (z)	(0.000) (0.003)	(0.001) (0.003)	(0.002) (0.009)	-0.017^{*} (0.009)	(0.005) (0.019)	(0.031°)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.242	0.232	0.144	0.000	0.001	0.001
Observations	7,172	3,732	3,440	327, 132	168,334	158,798
			Low W	ealth		
After Crash \times Investor Type \times Log(Ret) (z)	$\begin{array}{c} 0.002\\ (0.003) \end{array}$	$0.005 \\ (0.004)$	-0.004 (0.008)	$\begin{array}{c} 0.011 \\ (0.007) \end{array}$	0.033^{**} (0.015)	-0.003 (0.011)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.185	0.195	0.100	0.000	0.001	0.001
Observations	7,172	3,732	3,440	328,355	168,889	159,466
			You	ng		
After Crash \times Investor Type \times Log(Ret) (z)	$\begin{array}{c} 0.002\\ (0.002) \end{array}$	0.001 (0.003)	$\begin{array}{c} 0.005 \\ (0.004) \end{array}$	$0.008 \\ (0.007)$	$0.008 \\ (0.017)$	$0.002 \\ (0.011)$
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.231	0.225	0.134	0.001	0.001	0.001
Observations	7,172	3,732	3,440	330,496	169,981	160,515
			Ever (Guru		
After Crash × Investor Type × Log(Ret) (z)	0.018^{***} (0.003)	0.012^{***} (0.004)	0.018^{**} (0.008)	0.019^{*} (0.010)	0.044^{**} (0.021)	$\begin{array}{c} 0.020\\ (0.018) \end{array}$
Controls R2	Yes 0.155	Yes 0.131	Yes 0.112	Yes 0.001	Yes 0.002	Yes 0.001
Observations	7,160	3,726	3,434	322, 315	165,920	156,395

Panel	в
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]	Log(active	share chang	ge)	
		Cryptos		To	pp 200 Stoc	ks
	$\begin{array}{c} \text{All} \\ (1) \end{array}$	$\stackrel{ m Ret>0}{ m (2)}$	$\stackrel{\text{Ret} \le 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\stackrel{\text{Ret} \le 0}{(6)}$
			Fe	male		
After Crash \times Investor Type \times Log(Ret) (z)	$ \begin{array}{c} 0.002 \\ (0.004) \end{array} $	-0.001 (0.005)	$0.010 \\ (0.008)$	$0.024 \\ (0.015)$	0.072^{**} (0.031)	-0.002 (0.027)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.018	0.019	0.038	0.003	0.003	0.003
Observations	7,149	3,721	3,428	303,049	155,969	147,080
	0.004	0.000	Finance	Background	0.005	0.001*
After Crasn \times Investor Type \times Log(Ref) (2)	(0.004)	(0.003)	(0.003)	(0.018)	(0.005) (0.019)	(0.031)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.019	0.025	0.029	0.003	0.003	0.004
Observations	7,172	3,732	3,440	327, 132	168,334	158,798
			Low	Wealth		
After Crash \times Investor Type \times Log(Ret) (z)	0.006^{*} (0.004)	0.008^{*} (0.004)	$0.004 \\ (0.010)$	$\begin{array}{c} 0.011 \\ (0.007) \end{array}$	0.034^{**} (0.015)	-0.003 (0.011)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.021	0.034	0.023	0.003	0.004	0.004
Observations	7,172	3,732	3,440	328,355	168,889	159,466
			Y	oung		
After Crash \times Investor Type \times Log(Ret) (z)	$\begin{array}{c} 0.003 \\ (0.003) \end{array}$	$\begin{array}{c} 0.002 \\ (0.004) \end{array}$	$\begin{array}{c} 0.003 \\ (0.005) \end{array}$	$0.007 \\ (0.007)$	$0.009 \\ (0.017)$	$0.000 \\ (0.011)$
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.021	0.028	0.030	0.005	0.005	0.005
Observations	7,172	3,732	3,440	330,496	169,981	160,515
			Eve	r Guru		
After Crash \times Investor Type \times Log(Ret) (z)	0.007^{*} (0.004)	$\begin{array}{c} 0.003 \\ (0.004) \end{array}$	$0.007 \\ (0.011)$	0.019^{*} (0.010)	0.043^{**} (0.021)	$\begin{array}{c} 0.022\\ (0.018) \end{array}$
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.011	0.012	0.026	0.005	0.005	0.005
Observations	7,138	3,711	3,427	322,315	165,920	156,395

Table A9. Stock Trading around Earnings Announcements – Active Investors

In this table we examine whether investors trade differently around earnings announcements than outside of earnings period. We only look at investors who have traded both cryptos and stocks during their tenure at eToro, and were active on day t, which is defined as having traded any asset in the prior 7 days. We generate a representative investor, by cumulating trades, net inflows, and wealth, across those investors for each date t. EA Days are defined as 3 days before and 5 days after an earnings announcement. Non EA Days are all the other days. Log(Total Share Change_t) and Log(Active Share Change_t) are defined as in Table 3. Controls include lagged 1 week, 1 moth, 3 month, and 6 month log cumulative returns for total and active share change regressions, as well as log returns on wealth and net inflows, for active share change. For the list of the top 200 stocks by eToro trading, refer to Table A1. Log returns are standardized within asset class across the entire time period, and denoted with (z). Standard errors are clustered at the date level and reported in parentheses. Statistical significance is denoted at the ten, five, and one percent levels by *, **, and ***, respectively.

Panel A

		Log(total share change)								
		EA Days		Non EA Days						
	All (1)	$\stackrel{ m Ret>0}{ m (2)}$	$\frac{\text{Ret} \leq 0}{(3)}$	All (4)	$\stackrel{ m Ret>0}{ m (5)}$	$\frac{\text{Ret} \leq 0}{(6)}$				
Log(Ret)(z)	-0.039^{***} (0.006)	-0.070^{***} (0.011)	-0.043^{***} (0.011)	-0.009^{***} (0.003)	-0.016^{***} (0.005)	-0.008 (0.005)				
Controls R2 Observations	Yes 0.009 23,490	Yes 0.013 11,772	Yes 0.010 11,718	Yes 0.000 143,435	Yes 0.001 74,088	Yes 0.000 69,347				

	Log(active share change)					
	EA Days			Non EA Days		
	All	$\operatorname{Ret}>0$	$\operatorname{Ret} \leq 0$	All	$\operatorname{Ret} > 0$	$\operatorname{Ret} \leq 0$
	(1)	(2)	(3)	(4)	(5)	(6)
Log(Ret) (z)	-0.066***	-0.096***	-0.070***	-0.033***	-0.042^{***}	-0.033***
	(0.006)	(0.011)	(0.011)	(0.003)	(0.005)	(0.005)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
R2	0.027	0.026	0.029	0.005	0.004	0.005
Observations	$23,\!490$	11,772	11,718	$143,\!435$	74,088	69,347