Uncertainty Shocks, Capital Flows, and International Risk Spillovers

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Motivation

- 1. Risk sentiment widely seen as playing a central role in macro-finance developments in the global economy
 - Measures of risk aversion and uncertainty strongly related to international risky asset prices (Rey'13; Miranda-Agrippino & Rey'20; Kalemli-Özcan'19)
 - Such measures also move together with the USD exchange rate... (Sarno, Schneider, & Wagner'12; Lilley, Maggiori, Neiman, & Schreger'19)
 - ...and with UIP premia and capital flows (Kalemli-Ozcan'19; di Giovanni, Kalemli-Ozcan, Ulu, Baskaya'20; Kalemli-Ozcan & Varela'21)

Risk Sentiment and International Corporate Bond Spreads



Risk Sentiment and the U.S. Dollar



Risk Sentiment and UIP Premia



Dependent Variable:	Capital Inflows/GDP _{c,t}		
	Emerging Market Economies	Advanced Economies	
$\log(VIX)_t$	-0.03*** (0.01)	-0.07*** (0.02)	
Number of Observations	1838	930	
Country FE	yes	yes	

Risk Sentiment and Capital Flows

Notes: Reproduced from Kalemli-Ozcan (2019). Panel regression with country fixed effects for sample including 46 EMEs and 13 AEs from 1996q1 to 2018q4. Other controls: interest rate differentials, growth differentials. ***, **, and * indicate significance at the 1%, 5%, and 10% levels, respectively.

Motivation (cont'd)

2. Large theoretical literature on the effects of uncertainty shocks, focused mostly on closed economies (Bloom'09; Basu & Bundick'17)

3. No framework to date for studying cross-border effects of fluctuations in uncertainty \Rightarrow No model to address GFC facts

What We Do

Tractable two-country one-good exchange economy (Lucas'78)

- Home can hold claims on both domestic and foreign productive "trees"
- Dividends uncorrelated across countries

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- Only intermediaries can actively trade across borders
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► Key feature: *long-lived* financial intermediaries facing funding constraints

- Only intermediaries can actively trade across borders
- Face time-varying uncertainty in prospective returns on home trees
- Two-country, two-good (home / foreign) real economy
 - Home intermediaries hold foreign-currency-denominated gov. bonds
 - Endogenous real exchange rate and UIP wedge

Findings

- 1. Large effects of uncertainty shocks due to intermediaries' constraint
 - \blacktriangleright Value of internal funds countercyclical \rightarrow intermediaries very risk averse
 - More-uncertain prospects create deleveraging pressure on intermediaries
- 2. With financial integration, U.S. uncertainty transmits nearly one-for-one to foreign asset values and risk premia
 - Intermediaries' optimal portfolio implies tight link between home and foreign asset values
- 3. Higher U.S. uncertainty leads to dollar appreciation, higher UIP premia on foreign currency, and foreign outflows, consistent with the empirical facts
- 4. Magnitudes also consistent with the empirical evidence

Literature

Empirical literature on the effects of risk sentiment

- Bekaert et al.'13, Rey'15, Bruno & Shin'15, Du et al' 18, Morais et al.'19, Kalemli-Ozcan'19, Miranda-Agrippino & Rey'20, di Giovanni et al.' 21, Jiang et al.'21, Degasperi et al.'21
- Macro Models with segmented markets and/or financial frictions
 - Dedola & Giovanni'12, Gabaix & Maggiori'15, Perri & Quadrini'18, Itskhoki & Mukhin'20, Gertler & Kiyotaki'10, Basu et al.'20

Intermediary Asset Pricing

- He & Krishnamurthy'13, Adrian & Shin'14, He et al.'17
- Uncertainty shocks in macro models
 - Bloom'09, Basu & Bundick'17, Bloom et al.'18, Arellano et al.'19, Basu et al.'21

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- ▶ Home capital productivity, Z_t, subject to time-varying volatility:

$$Z_{t} = (1 - \rho_{z}) + \rho_{z} Z_{t-1} + \sigma_{zt-1} \varepsilon_{zt}$$

$$\sigma_{zt} = (1 - \rho_{\sigma})\overline{\sigma}_{z} + \rho_{\sigma} \sigma_{zt-1} + \underbrace{\varepsilon_{\sigma t}}_{\downarrow}$$

uncertainty shock

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uncertainty shock

Foreign economy similar, except they only hold local risky assets

$$Z_t^* = (1 - \rho_z) + \rho_z Z_{t-1}^* + \overline{\sigma}_z \varepsilon_{zt}^*, \quad \varepsilon_{zt}^* \sim \mathit{iid}$$

Banker i uses net worth N_{it} and borrowed funds D_{it} to purchase shares on productive assets at home, K_{it}, and abroad, K_{Fit}:

$$Q_t K_{it} + Q_t^* K_{Fit} = D_{it} + N_{it}$$

where $Q_t(Q_t^*)$ = price of claims on home (foreign) capital

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Net worth evolves as

$$N_{it} = \underbrace{(R_{kt} - R_{t-1})Q_{t-1}K_{it-1} + (R_{kt}^* - R_{t-1})Q_{t-1}^*K_{Fit-1} + R_{t-1}N_{it-1}}_{\equiv \frac{Z_t^* + Q_t}{Q_{t-1}}} \equiv \frac{Z_t^* + Q_t}{Q_{t-1}^*}$$
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$$V_{it} \ge \theta (Q_t K_{it} + Q_t^* K_{Fit})$$
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Incentive compatibility constraint:

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Banker solves

$$V_{it} = \max_{K_{it}, K_{Fit}, D_{it}} E_t \underbrace{\Lambda_{t+1}}_{\text{household SDF}} [(1 - \sigma)N_{it+1} + \sigma V_{it+1}]$$

subject to (1) and (2)

► Use "augmented" discount factor Ω_{t+1} to value payoffs:

•
$$\Omega_{t+1} = \Lambda_{t+1}(1 - \sigma + \sigma \Psi_{t+1})$$

▶ $\Psi_{t+1} \ge 1$ is the marginal value of net worth, volatile & countercyclical

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Leverage constraint:

$$\phi_{t} \equiv \frac{Q_{t}K_{it} + Q_{t}^{*}K_{Fit}}{N_{it}} \leq \overline{\phi}_{t} \equiv \frac{E_{t}(\Omega_{t+1})R_{t}}{\theta - E_{t}[\Omega_{t+1}(\frac{Z_{t+1}+Q_{t+1}}{Q_{t}} - R_{t})]}$$
where $\phi_{t} =$ leverage, $\overline{\phi}_{t} =$ max. leverage

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- $\blacktriangleright \ \overline{\phi}_t \text{ decreasing in } Cov_t(\Omega_{t+1}, Z_{t+1} + Q_{t+1}) \rightarrow \text{higher uncertainty lowers } \overline{\phi}_t$
- Optimal portfolio condition:

$$E_t(\Omega_{t+1}R^*_{kt+1})=E_t(\Omega_{t+1}R_{kt+1})$$

Market Clearing

Capital market clearing:

$$egin{aligned} \mathcal{K}_t &= 1 \ \mathcal{K}_{\mathit{Ft}} + \mathcal{K}^*_{\mathit{Ft}} &= 1 \end{aligned}$$

Aggregate resource constraint for the U.S:

$$C_t + Q_t^* \Delta K_{Ft} = Z_t + Z_t^* K_{Ft-1}$$

Aggregate resource constraint for the foreign country:

$$C_t^* + Q_t^* \Delta K_{Ft}^* = Z_t^* K_{Ft-1}^*$$

$$\blacktriangleright$$
 \rightarrow World resource constraint:

$$C_t + C_t^* = Z_t + Z_t^*$$

Table: Parameter Values

Parameter	Description	Value	Source/Target
ρ	Risk aversion	3	
β	Discount factor	0.995	Basu & Bundick'17
σ	Survival rate of bankers	0.97	Gertler & Karadi'11
ξ	Transfer to entering bankers	0.09	Lev. = 5 (assets/equity)
θ	Frac. of capital that can be diverted	0.34	Spread = 1 p.p. per year
ω	Home bias (two-good model)	0.95	
$ ho_{\sigma}$	Persistence of uncertainty shock	0.75	Basu & Bundick'17
$\overline{\sigma}_z$	Average SD of productivity shock	0.004	Basu & Bundick'17
ρ_z	Persistence of productivity shock	0.90	

Dynamic Effects of Uncertainty Shock: Autarky

Dynamic effects of uncertainty shock in autarky



Effects of higher uncertainty on equilibrium price Q_t and leverage ϕ_t



Effects of higher uncertainty on equilibrium price Q_t and leverage ϕ_t



Constrained Intermediaries and the Risk Premium

With intermediary frictions:

$$E_t(R_{kt+1}) - R_t = \frac{Cov_t(\Omega_{t+1}, -R_{kt+1}) + \theta}{E_t(\Omega_{t+1})} - \phi_t^{-1}R_t$$

Without intermediary frictions:

$$E_t(R_{kt+1}) - R_t = rac{Cov_t(\Lambda_{t+1}, -R_{kt+1})}{E_t(\Lambda_{t+1})}$$

► $Cov_t(\Omega_{t+1}, -R_{kt+1}) \gg Cov_t(\Lambda_{t+1}, -R_{kt+1})$, & more elastic to uncertainty

Dynamic Effects of Uncertainty Shock under Financial Integration





Arbitrage by global banks equalizes asset prices

Banks' arbitrage between home and foreign capital:

$$\mathbb{E}_t(\Omega_{\mathsf{t}+1}\underbrace{R_{kt+1}}_{\frac{Z_{\mathsf{t}+1}+Q_{\mathsf{t}+1}}{Q_t}}) = \mathbb{E}_t(\Omega_{\mathsf{t}+1}\underbrace{R_{kt+1}^*}_{\frac{Z_{\mathsf{t}+1}^*+Q_{\mathsf{t}+1}}{Q_t^*}})$$

 \longrightarrow tight link between Q_t and Q_t^*

- More-uncertain $Z_{t+i} \longrightarrow$ both Q_{t+i} and Q_{t+i}^* become more uncertain
- Risk sharing: financial accelerator weakens compared with autarky
 - Autarky: $\downarrow N_t \rightarrow \downarrow Q_t \rightarrow \downarrow N_t$
 - Integration: Q^{*}_t additional margin of adjustment from weaker N_t



Effects of uncertainty shock on global credit spreads, VAR v. model

Taking Stock

- Substantial effects of uncertainty shocks largely due to the financial constraint
- With financial integration, uncertainty shocks transmit one-for-one across borders...
- ...but have smaller effects than under autarky

Uncertainty Shocks and Exchange Rates

• Two differentiated goods: **Home-produced** (C_{Ht}) and **Foreign** (C_{Ft})

$$C_t = \left(\frac{C_{Ht}}{\omega}\right)^{\omega} \left(\frac{C_{Ft}}{1-\omega}\right)^{(1-\omega)}$$

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Simplified model: no cross-border trade in risky assets & no frictions abroad

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▶ Home intermediaries' balance sheet identity:

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=RER (rel. price of *foreign* basket)

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► Assume B^{*}_{it} not subject to incentive problem: constraint is V_{it} ≥ θQ_tK_{it} → no limits to arbitrage in B^{*}_{it}:

$$E_t[\Omega_{t+1}(\frac{\mathcal{S}_{t+1}R_t^*}{\mathcal{S}_t}-R_t)]=0$$

 $\Omega_{t+1} \equiv \textit{U.S.}$ intermediaries' SDF

Exchange rate model, effects of increase in U.S. uncertainty



Role of intermediary friction in UIP premium

► UIP premium on the foreign currency:

$$\frac{E_t(\mathcal{S}_{t+1})R_t^*}{\mathcal{S}_tR_t} = \frac{-\textit{Cov}_t(\Omega_{t+1},\mathcal{S}_{t+1})\frac{R_t^*}{\mathcal{S}_tR_t}}{E_t(\Omega_{t+1})} + 1$$

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• $Cov_t(\Omega_{t+1}, S_{t+1}) \ll 0$ & more elastic to σ_{zt} than $Cov_t(\Lambda_{t+1}, S_{t+1})$

- Z low \rightarrow constraint tight (Ω large) & S low (\$ strong); viceversa if Z high
- Value of net worth Ψ highly elastic to Z

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► → When σ_{zt} rises, $Cov_t(\Omega_{t+1}, \mathcal{S}_{t+1})$ falls sharply



Effects of increase in U.S. uncertainty without intermediary friction

Effects of higher uncertainty on ER & UIP premium, VAR v. model



Conclusion

▶ Open economy w/ constrained intermediaries and time-varying uncertainty

▶ In a financially-integrated world, higher U.S. uncertainty leads to

- Global deleveraging pressure
- Lower global asset prices and higher risk premia
- Dollar appreciation and wider UIP premia on foreign currencies
- Next steps
 - Use model to shed light on AFE v. EME behavior

APPENDIX

Figure: Model policy functions



Variable	Financial Integration	Autarky
$Cov_t(Z_{t+1}, Z_{t+1}^*)$	0	0
$\overline{Cov_t(Q_{t+1},Q_{t+1}^*)}$	14.26	0
$Cov_t(\Omega_{t+1}, Q_{t+1} + Z_{t+1})$	-0.72	-1.44
$Cov_t(\Omega_{t+1}, Q_{t+1}^* + Z_{t+1}^*)$	-0.72	0
$Cov_t(\Omega^*_{t+1}, Q^*_{t+1} + Z^*_{t+1})$	-0.72	-1.44

Table: Model-implied conditional covariances (with constant uncertainty)

Figure: Effects of U.S. uncertainty shock in autarky without intermediary frictions



$\ensuremath{\mathsf{Figure:}}$ Effects of U.S. uncertainty shock with financial integration and no intermediary frictions





Figure: VAR-predicted effects of uncertainty shock on credit spreads



Figure: VAR-predicted effects of uncertainty shock on dollar exchange rates