

Discussion:
“Feedback and Contagion through Distressed Competition”
by Hui Chen, Winston Wei Dou, Hongye Guo and Yan Ji

Ye Li

The Ohio State University Fisher College of Business

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Model Overview

- Product Demand: $D(P_{1,t}, P_{2,t}, M_{1,t})$, where $M_{1,t}$ is customers' taste

- $\frac{dM_{1,t}}{M_{1,t}} = gdt + \zeta dZ_t + \sigma_M dW_{1,t} - dJ_{1,t}$, Poisson $dJ_{1,t} = 1 (M_{1,t} \downarrow 0)$ exit

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- Stochastic discount rate: $\frac{d\Lambda_t}{\Lambda_t} = -r_f dt - \gamma_t dZ_t - \zeta dZ_{\gamma,t}$
 - The price of risk, γ_t , is mean-reverting and loads on $dZ_{\gamma,t}$

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New What are the implications of debt (and distress) on competition?

- Competition in turn affects $\Pr(\text{distress})$, $\text{Corr.}(\text{firm profits, SDF})$, expected stock return, and credit spread

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 - The threat of entry weakens the amplification mechanism

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Collusive: high profits, *low distress likelihood*, responsive to γ_t variation (triggering switch to non-collusive) → *high* expected return in equilibrium
- Credit spread puzzle: the switch from collusive to non-collusive strengthens the link between SDF and default prob. (via profits/cash-flow reduction)

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$$\begin{aligned} & \text{profits}(P_{1,t}, P_{2,t}) + \underbrace{PV(\text{future collusive profits})}_{\text{sensitive to shocks}} \\ = & \text{deviation profits} + \underbrace{PV(\text{future non-collusive profits})}_{\text{not sensitive to shocks}} \end{aligned}$$

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- Price sensitivity to shocks adds to the amplification & spillover
 - Bad shocks → $PV(\text{future collusive profits})$ ↓ → cut price so $\text{profits}(P_{1,t}, P_{2,t})$ ↑ → competitors' profits ↓ → competitor cuts price ...

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 - strong explanatory power but discipline is needed to form unique predictions
 - Equilibrium selection is an empirical question instead of following literature

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- Technically easy to implement since $M_{i,t}$ is already a state variable
 - Optimal investment strategy involves the derivative of continuation value w.r.t. $M_{i,t}$, which adds only one step in the numeric solution

Comment 3: Is Product Price a Static or Dynamic Choice?

- At t , two firms set prices given demand elasticities
 - The game repeats every $t + dt$ as γ_t , $M_{1,t}$, and $M_{2,t}$ evolve exogenously, driving the collusive and non-collusive continuation values

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- Amplification mechanism weakens:
 - Bad shocks \rightarrow continuation value \downarrow (impatience) \rightarrow price cutting (competing aggressively) \rightarrow continuation value \uparrow

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- Avoid growth by setting the $M_{i,t}$ -disaster intensity high
 - But GBM growth is in line with existing theories and evidence

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- Industries with less frequent $M_{i,t}$ disaster tend to be collusive
 - High profitability & higher corr. with SDF
 - High expected stock return in equilibrium

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- Use evidence to guide the choice of collusive equilibrium
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- Bring imperfect competition to *dynamic* finance
 - Read this and other papers by the authors – an exciting research agenda!