



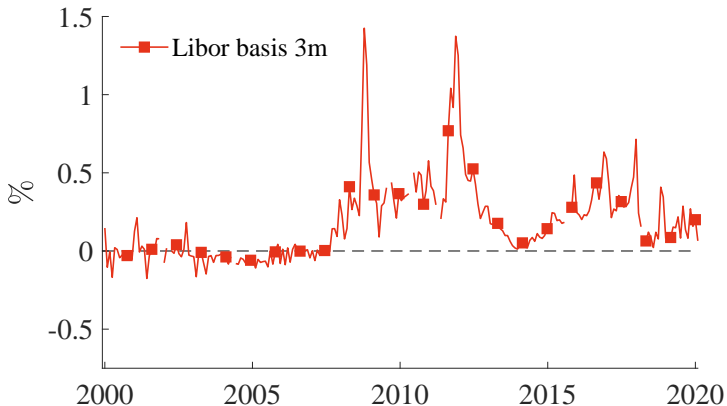
The term structure of CIP violations

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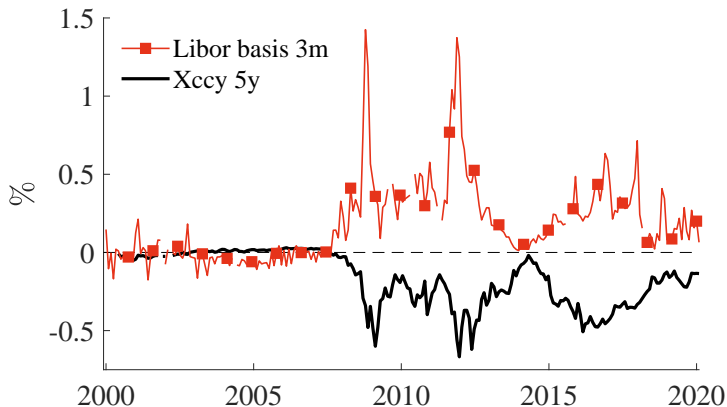
NBER New Developments in Long-Term Asset Management

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- 1.) LIBOR cross-currency basis b^i : $\ln(F/S) - (i^{\$} - i^{\text{€}})$
- 2.) Xccy rate X : swapping $i^{\$}$ for $i^{\text{€}} + X$



- ▶ The literature ascribes **CIP deviations** to financial **intermediary constraints** (ICs)
 - ▶ IC consistent with two paradigms: no-arbitrage (**NA**) or limits-to-arbitrage (**LTA**)
 - ▶ **Long-term CIP** (xcyy): we attribute 2/3 to **NA** and 1/3 to **LTA**

1. Conceptual framework

- ▶ No-arbitrage approach requires revisiting nature of **effective funding rates** (EFRs)
- ▶ No-arbitrage EFRs fully plausible with **zero basis** and **non-zero xcyy** rates
- ▶ Cross-currency basis & xcyy rate can be zero jointly **only if EFR is LIBOR & riskless**

2. Empirical approach

- ▶ Use no-arb model to **infer latent EFRs** from related derivatives (interest rate swaps)
 - ▶ Makes valuation of xcyy an “out-of-sample” exercise
- 2.1 **EFR is an intuitive combo of 3 observable rates**, substantively \neq LIBOR
 - 2.2 Implied EFRs give **zero basis** & **non-zero xcyy** with small pric. error (3/24bps on avg.)
 - 2.3 Implied SDFs & xcyy pricing errors related to classical variables of ICs

- ▶ True discount rates are unobservable, **no obvious benchmark for EFRs**
- ▶ Assume no-arb and use **SDF approach**, M & \widehat{M} are USD- and EUR-denominated
- ▶ Derivatives collateralized at cost η to cover ctparty risk (Johannes & Sundaresan '07)
- ▶ **SDF**-based valuation

$$E_0(\underbrace{M_{0,T}} F_{0,T}) = S_0 \cdot E_0(\underbrace{\widehat{M}_{0,T}}), \quad (1)$$

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$$E_0(\underbrace{M_{0,T} e^{\eta_{0,T}}}_{M'_{0,T}} F_{0,T}) = S_0 \cdot E_0(\underbrace{\widehat{M}_{0,T} e^{\widehat{\eta}_{0,T}}}_{\widehat{M}'_{0,T}}), \quad (1)$$

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- ▶ In our framework, the **cross-currency basis** is

$$b_{0,T}^r = T^{-1} \ln(F_{0,T}/S_0) - (r'_{0,T} - \widehat{r}'_{0,T}) = 0 \quad (2)$$

- ▶ Contrast with $b_{0,T}^i$, which does not have to be equal to zero unless $i = r'$.

- Value xccy rate X using SDF-approach: package of FRNs

| $S = \$S/\text{€}1$ | Xccy Basis Swap | 0 | t | T |
|---------------------|-----------------|----------|--------------------------------|--|
| Xccy Swap | EUR Leg | + €1 | $-\text{€}(\hat{i}_{t-1} + X)$ | $-\text{€}(\hat{i}_{T-1} + X) - \text{€}1$ |
| | USD Leg | $-\$S_0$ | $+\$S_0 i_{t-1}$ | $+\$S_0 i_{T-1} + \S_0 |

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- $X \neq 0$ does not necessarily contradict NA, follows if EFR \neq LIBOR

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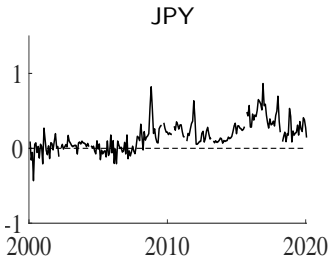
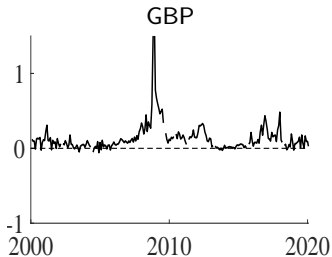
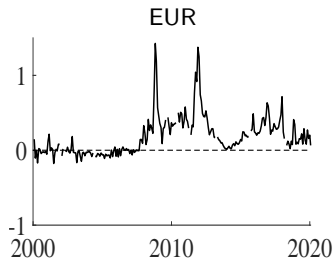
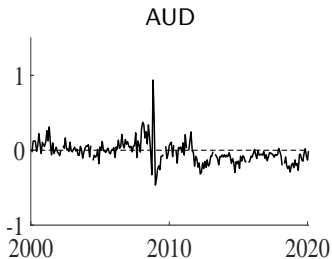
- $X \neq 0$ does not necessarily contradict NA, follows if EFR \neq LIBOR
- Cross-currency basis & X can be zero jointly only if EFR is LIBOR & riskless

- ▶ Value xccy rate X relative to IRS by swapping floating for fixed:

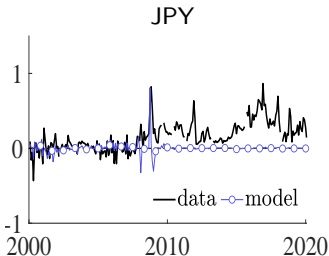
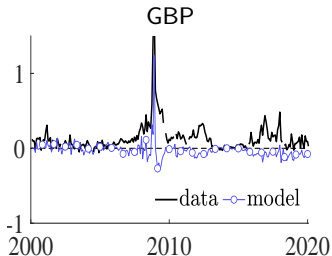
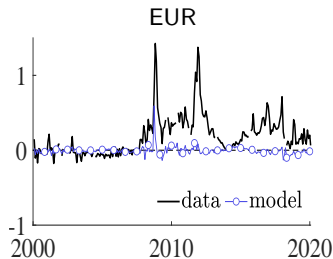
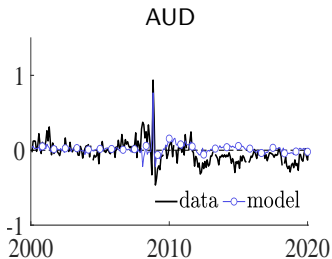
$$X = f\left(M', \widehat{M}', CMS, \widehat{CMS}\right)$$

- ▶ Back out $M'_{0,T}$ and $\widehat{M}'_{0,T}$ from domestic/foreign LIBOR, IRS & short forwards
- ▶ Use implied discount factors to value longer forwards and xccy (“out-of-sample”)
- ▶ Estimated $\eta_t = \delta_{\eta,0}$ (constant), so latent cost of collateral is not a “wedge”
- ▶ G11 currencies, January 2000 - December 2019, maturities up to 30 years

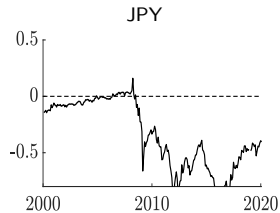
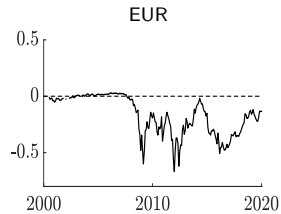
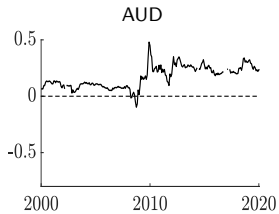
► Compare observed b^i to ...



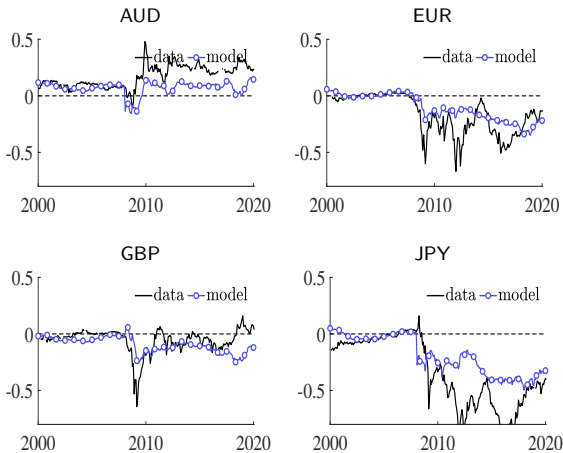
- Compare observed b^i to implied b^r

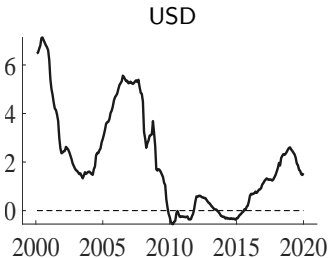
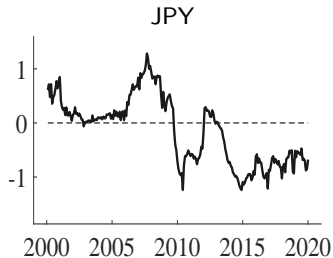
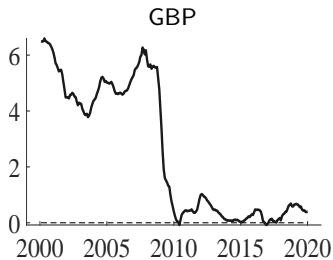
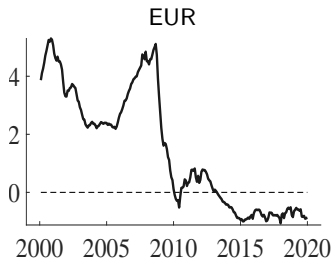


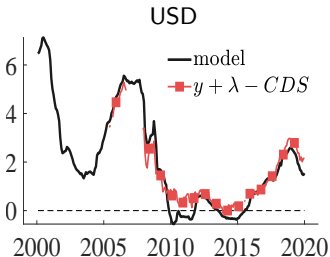
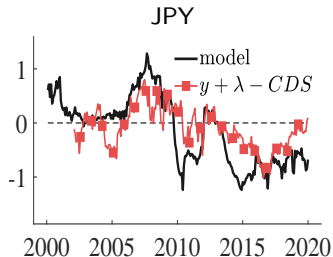
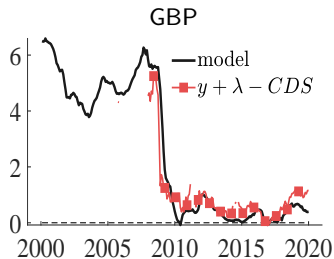
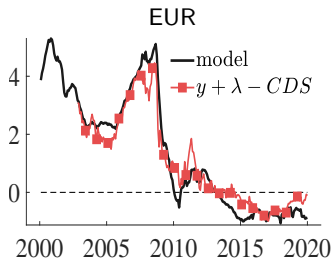
- Compare observed $X_{0,T}$ to ...

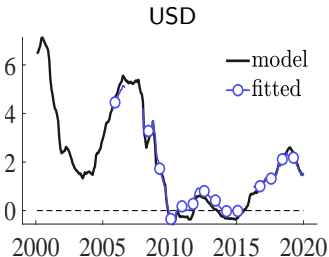
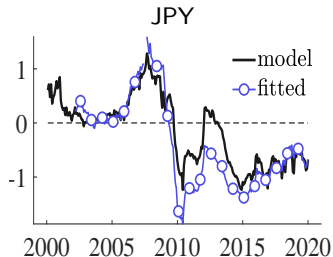
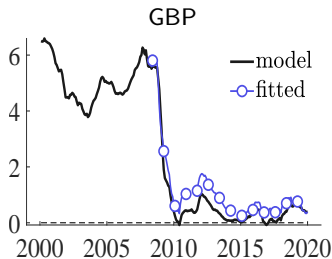
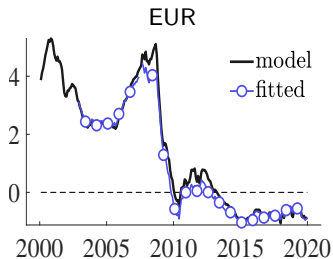


- Compare observed $X_{0,T}$ to model-implied $X_{0,T}$ (avg. pric. error 3/24 bps)









- ▶ We examine drivers of SDFs (NA) & xccy no-arb deviations (LTA), panel regressions
 - ▶ ICs could operate through SDFs (NA) or through xccy pricing errors (LTA)

1. SDFs correlated with Intern. Cap. Ratio (ICR), USD Factor & uncertainty measures

$$m_{t,t+1} = f(ICR, USD, Macro.Unc, Fin.Unc)$$

2. Xccy no-arb deviations correlated with ICR, USD Factor & LIBOR-OIS

$$\Delta xccy^e = f(\Delta ICR, \Delta USD, \Delta LIBOR-OIS)$$

- ▶ Cannot identify different theoretical constraint-based channels, but ...
 - ▶ Can attribute CIP violations to NA vs LTA
3. Variance decomposition: xccy(data) vs xccy(model)+ orthogonal pricing errors
 - ▶ 68% of variance is the no-arb model (NA)
 - ▶ 32% of variance is consistent with limits-to-arb (LTA)

- ▶ Study of **CIP violations** involves two related, yet different questions
 - ▶ Do intermediary constraints explain CIP violations?
 - ▶ Do CIP violations represent no-arbitrage violations?
- ▶ We develop a NA framework that allows us to attribute **2/3 to NA** and **1/3 to LTA**
- ▶ Aggregate measures of intermediary constraints are related to both **NA** and **LTA**

Thank You !