The Benchmark Inclusion Subsidy

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*The views here are those of the authors only and not necessarily of the Bank of England

Global Assets Under Management



■ Asia-Pacific ■ Europe ■ Latin America ■ Middle East and Africa ■ North America ○ CAGR Sources: PwC AWM Research Centre analysis. Past data based on Lipper, ICI, EFAMA, City UK, Hedge Fund Research and Preqin

Source: PWC, Asset and Wealth Management Revolution, 2017

Benchmarking in Asset Management

- Money Managed Against Leading Benchmarks
 - 1. S&P 500
 - 2. FTSE-Russell (multiple indices)
 - 3. MSCI All Country World Index
 - 4. MSCI EAFE
 - 5. CRSP

≈\$10 trillion
≈\$8.6 trillion
≈\$3.2 trillion
≈\$1.9 trillion
≈\$1.3 trillion

- Existing research: asset pricing implications of benchmarking
- No analysis of implications of benchmarking for corporate decisions

This Paper

- Asset managers are evaluated relative to benchmarks
- Such performance evaluation creates incentives for managers to hold the benchmark portfolio
 - Regardless of its variance
- Firms inside the benchmark end up effectively subsidized by asset managers
- The value of a project differs for firms inside and outside the benchmark
 - > Higher for a firm inside the benchmark
 - > The difference is the "benchmark inclusion subsidy"

This Paper (cont.)

- Firms inside and outside the benchmark have different decision rules for M&A, Spinoffs & IPOs
- The "benchmark inclusion subsidy" also varies with firm characteristics
 - Gives novel cross-sectional predictions

None of this is what we usually teach in Corporate Finance

Related Literature

- Index effect
 - Harris and Gurel (1986), Shleifer (1986). Chen, Noronha, and Singal (2004) document price increase of 6.2% post additions

Interpretations: Merton (1987), Scholes (1972)

- Asset pricing with benchmarking
 - Brennan (1993), Cuoco and Kaniel (2011), Basak and Pavlova (2013), Buffa, Vayanos, and Woolley (2014)
- Style investing
 - Barberis and Shleifer (2003)
- Stein (1996) non-CAPM based valuation

Simplified Model: Environment

- Two periods, t = 0, 1
- Three risky assets, 1, 2, and y, with uncorrelated cash flows D_i

$$D_i \sim N(\mu_i, \sigma_i^2), \ i = 1, 2, y$$

- Asset price denoted by S_i
- Supply of 1 share each
- Riskless asset, with interest rate r = 0
 - Infinitely elastic supply

Simplified Model: Investors

- Two types of investors
 - > Conventional investors (fraction λ_C)
 - Asset managers (fraction λ_{AM})
- All investors have CARA utility:

$$U(W) = -Ee^{-\alpha W}$$

W is terminal wealth (compensation for asset managers) α is absolute risk aversion

Baseline Economy: No Asset Managers

• Conventional investors' optimal portfolio (number of shares):

$$x_i = \frac{\mu_i - S_i}{\alpha \, \sigma_i^2}$$

(mean-variance portfolio)

• Asset prices:
$$S_i = \mu_i - \alpha \sigma_i^2$$

- Consider combining assets i & y to form a single entity
- New optimal portfolio demand:

$$x'_{i} = \frac{\mu_{i} + \mu_{y} - S'_{i}}{\alpha(\sigma_{i}^{2} + \sigma_{y}^{2})}$$

• Price of the combined asset:

$$S'_{i} = \mu_{i} + \mu_{y} - \alpha \left(\sigma_{i}^{2} + \sigma_{y}^{2}\right) = S_{i} + S_{y}$$

Adding Asset Managers

- Asset managers' compensation: $w = a r_x + b(r_x r_b) + c$
 - r_x performance of asset manager's portfolio
 - r_{b} performance of benchmark
 - a fee for absolute performance
 - b fee for relative performance
 - c independent of performance (e.g., based on AUM)

See Ma, Tang, and Gómez (2018) for evidence

Economy with Asset Managers

• Conventional investors' optimal portfolio:

 $x_i^C = \frac{\mu_i - S_i}{\alpha \sigma_i^2}$ (standard mean-variance)

• Asset managers' optimal portfolio:

11

Suppose asset 1 is inside the benchmark

$$x_1^{AM} = \frac{1}{a+b} \frac{\mu_1 - S_1}{\alpha \sigma_1^2} + \frac{b}{a+b}$$

Suppose asset 2 is **outside** the benchmark

$$x_2^{AM} = \frac{1}{a+b} \frac{\mu_2 - S_2}{\alpha \sigma_2^2}$$

• Mechanical demand for $\frac{b}{a+b}$ shares of asset 1 (or whatever is in the benchmark)

Economy with Asset Managers (cont.)

- Market clearing: $\lambda_{AM} x_i^{AM} + \lambda_C x_i^{C} = 1$
- Asset prices:

$$S_{1} = \mu_{1} - \alpha \Lambda \sigma_{1}^{2} \left(1 - \lambda_{AM} \frac{b}{a+b} \right) \text{ (benchmark)}$$

$$S_{2} = \mu_{2} - \alpha \Lambda \sigma_{2}^{2} \text{ (non-benchmark)}$$

$$S_{y} = \mu_{y} - \alpha \Lambda \sigma_{y}^{2} \text{ (non-benchmark)}$$

where $\Lambda = \left[\frac{\lambda_{AM}}{a+b} + \lambda_{C}\right]^{-1}$ modifies the market's effective risk aversion

Suppose y is Acquired by Firm 2

- This merger leaves y outside of the benchmark
- New optimal portfolios:

$$x_2^{C'} = \frac{\mu_2 + \mu_y - S_2'}{\alpha(\sigma_2^2 + \sigma_y^2)}$$
 (Conventional investors)
$$x_2^{AM'} = \frac{1}{a+b} \frac{\mu_2 + \mu_y - S_2'}{\alpha(\sigma_2^2 + \sigma_y^2)}$$
 (Asset managers)

New price of non-benchmark stock 2:

$$S_2' = \mu_2 + \mu_y - \alpha \Lambda \left(\sigma_2^2 + \sigma_y^2\right) = S_2 + S_y$$

Suppose y is Acquired by Firm 1

- This merger moves y inside the benchmark.
- New optimal portfolios:

 $x_{1}^{C'} = \frac{\mu_{1} + \mu_{y} - S_{1}'}{\alpha \left(\sigma_{1}^{2} + \sigma_{y}^{2}\right)}$

(Conventional investors)

$$x_1^{AM} = \frac{1}{a+b} \frac{\mu_1 + \mu_y - S_1'}{\alpha (\sigma_1^2 + \sigma_y^2)} + \frac{b}{a+b} \quad \text{(Asset managers)}$$

New price of stock

$$S_{1}' = \mu_{1} + \mu_{y} - \alpha \Lambda \left(\sigma_{1}^{2} + \sigma_{y}^{2}\right) \left(1 - \lambda_{AM} \frac{b}{a+b}\right)$$
$$= S_{1} + S_{y} + \alpha \Lambda \sigma_{y}^{2} \lambda_{AM} \frac{b}{a+b} > S_{1} + S_{y}$$

benchmark inclusion subsidy (increasing in σ_y^2)

Conclusions from the Simplified Model

- 1. Cost of capital differs for benchmark and nonbenchmark firms; investment decisions NOT determined only by asset characteristics.
- 2. Benchmark firms will undertake acquisitions that non-benchmark firms would not.
- 3. The riskier the acquisition, the higher the benchmark inclusion subsidy.
- 4. Spinoffs work the other way, more costly to sell assets if they move outside the benchmark.

More General Model

- Assume N assets, with K inside the benchmark
- Allow y to be an investment (or existing firm)
- Allow <u>correlation</u> among all assets
- Compare investments in y by firms in and out . Assume $\sigma_{in} = \sigma_{out} = \sigma$ and $\rho_{in,y} = \rho_{out,y} = \rho_y$.
- Then the benchmark inclusion subsidy is

$$\Delta S_{in} - \Delta S_{out} = \alpha \Lambda (\sigma_y^2 + \rho_y \sigma \sigma_y) \lambda_{AM} \frac{b}{a+b}$$

Additional Implications

- Benchmark inclusion subsidy: $\alpha \Lambda (\sigma_y^2 + \rho_y \sigma \sigma_y) \lambda_{AM} \frac{b}{a+b}$
- Subsidy is positive iff $\sigma_y^2 + \rho_y \sigma \sigma_y > 0$
- No subsidy for riskless projects
- Subsidy larger if project is more correlated with existing assets (high ρ_y) or if risk aversion is big (high α)
- Subsidy larger with more AUM (λ_{AM})

or for large "b" (= passive management)

Investment Regions



Firms inside the benchmark are more willing to take riskier projects and to clone themselves

More on Correlations

• Change in stockholder value (for any firm i):

$$\Delta S_{i} = \mu_{y} - I$$

- $\alpha \Lambda \left(\sigma_{y}^{2} + \rho_{iy} \sigma_{i} \sigma_{y} \right) (1 - \lambda_{AM} \frac{b}{a+b} \mathbf{1}_{i \in \text{Benchmark}})$
- $\alpha \Lambda \sum_{j} \rho_{jy} \sigma_{j} \sigma_{y} (1 - \lambda_{AM} \frac{b}{a+b} \mathbf{1}_{j \in \text{Benchmark}})$

 Asset managers effectively subsidize projects correlated with the benchmark

More on Correlations (cont.)



Benchmarking leads to rise in fundamental firm-level cashflow correlations

More on the Benchmark Inclusion Subsidy

• The subsidy is: $\Delta S_{in} - \Delta S_{out} = \alpha \Lambda (\sigma_y^2 + \rho_y \sigma_{in} \sigma_y) \lambda_{AM} \frac{b}{a+b}$

 Asset managers subsidize the variance of a benchmark firm's postinvestment cash flow

$$\sigma_y^2 + \frac{2}{\rho_y}\sigma_{in}\sigma_y + \sigma_{in}^2$$

- The variance σ_{in}^2 washes out when taking the difference ΔS_{in}
- Of the two covariances $\rho_y \sigma_{in} \sigma_y$, one is subsidized for both benchmark and not-benchmark firms
 - Projects correlated with the benchmark are valued more, even if a non-benchmark firm undertakes them
 - Investors value the stock of such non-benchmark firm because of its exposure to the benchmark without being in the benchmark itself
- Hence, one of the two covariances drops out from the difference-indifferences

Incentives to Join the Benchmark

- IPOs more attractive if firm joins the benchmark
- Similar logic applies to firms outside the benchmark
 - Have incentives to accept an apparently negative NPV project or merger to qualify for benchmark inclusion
- Firms on the margin would more likely alter their behaviour to try to get into or stay in the index

Adding Passive Managers

- Fraction λ_{AM}^{A} active and λ_{AM}^{P} passive
- For passive managers, b=∞
- The benchmark inclusion subsidy:

$$\Delta S_{in} - \Delta S_{out} = \alpha \Lambda \left(\sigma_y^2 + \rho_y \sigma \sigma_y\right) \left(\lambda_{AM}^A \frac{b}{a+b} + \lambda_{AM}^P\right)$$

Related empirical evidence

- Consistent with the index effect though also brings many additional cross-sectional predictions.
- Benchmark ≠ Index, benchmark matters
 - Sin stocks, Hong and Kacperczyk (2009)
- Benchmark firms invest more and employ more people
 - Bena, Ferreira, Matos, and Pires (2017)
- Bigger subsidy, when λ_{AM} is larger
 - Chang, Hong, and Liskovich (2015)

Conclusions

 Benchmark inclusion subsidy matters for a host of corporate actions

- Some untested predictions $(\alpha \Lambda (\sigma_y^2 + \rho_y \sigma \sigma_y) \lambda_{AM} \frac{b}{a+b})$
 - IPOs propensities vary with ease of benchmark inclusion
 - Acquisition targets priced differently for firms inside and outside the benchmark
 - Incentives to invest in assets with cash flows that are correlated with the benchmark
- Benchmark construction determines which firms get a subsidy